

Week 2 Lecture 4

Theory

Getting Ready

- Feel good about Lecture 3
- Read SICP Section 2.1 closely

What's in this lecture?

- Using Data Abstractions

Abstraction

- Abstraction creates a boundary between different parts of an application
- Components use a simplified interface, rather than having to know the internal details of operation
- Choosing abstractions wisely is an *art form*

Abstraction I:Vehicle

- Vehicle has: accelerator, brake, steering wheel, automatic transmission “functions”
- Details of “electric vs. internal combustion,” “disc vs. caliper,” etc. are hidden

Abstraction 2: Cell Phone

- Cell Phone supports the “telephone” interface: call a phone #, receive a call, hang up
- Also supports the “SMS” interface: send and receive SMS messages
- The details of radio transmission, data encoding, cell tower handoff are hidden

Sample Abstractions

- 2-D Vector ($[x, y]$ relative to $[0,0]$)
- Rational number (expressible as a/b)
- Complex number (expressible as $x + iy$)

Pairs

> (cons 1 2) ;; creates a new pair [1,2]
;Value 11: (1 . 2)

> (car (cons 3 4)) ;; returns first element
;Value: 3

> (cdr (cons 5 6)) ;; returns second element
;Value: 6

Length Function

- Length of Vector $[x,y]$ is (thanks Pythagoras):

$(\text{sqrt } (+ (\text{square } x) (\text{square } y)))$

- But! We don't want to expose details...

$(\text{define } (\text{length } v) \dots)$;; where v is vector

Vector Representation

```
(define (make-vector x y) (cons x y))
```

```
(define (length v)
  (let ((x (car v))
        (y (cdr v)))
    (sqrt (+ (* x x) (* y y)))))
```

Now you try...

`(define (add v1 v2) ...) ;; sum of 2 vectors`

`(define (sub v1 v2) ...) ;; diff of 2 vectors`

`;; angle separating 2 vectors`

`(define (angle-sep v1 v2) ...)`

Exercises

- SICP 2.1, 2.2, 2.3, 2.4