

Instructions: i) Answer ALL the questions; ii) Some useful formulas are given at the end, and iii) Assume any data required suitably and draw neat sketches wherever necessary

Question 1 (4×5=20 Marks)

- Briefly explain the recent policy shifts and future influences on public transit.
- In the distribution of trips, describe a model that overcomes the limitations of the gravity model.
- Draw a schedule diagram for a transit line with four stations having services with full trip (1st to 4th station) and short-turn trips (1st to 3rd station) running alternatively with the same headway (h), when the short-turn trip departs at ($h/2$) from full trip.
- Derive an expression for optimal headway of a transit line on the basis of operator and passenger costs?

Question 2 (15 Marks)

- Elaborate on various classifications in the context of transit mode-comparisons. (7)
- In a mass transit project with a life of 5 years, the annual cost during the project life is a fixed value C , the annual benefits for the first three years were 1.25 times the annual costs and during the remaining life they were 25% of the annual costs. The project life net salvage value is 10% of the annual cost. Do we need to go with this project if you use the NPV method, given that the rate of interest is 5%? Is the answer any different if BCR method is used? (8)

Question 3 (20 Marks)

- Describe the indices, average inter-station spacing \bar{S} , and directness of service δ in a transit network. (4)
- Three radial bus feeder lines (Figure 1), should be scheduled to operate as a single focus TTS at a rail station that has a service with 20-min headways. The buses should have a terminal time of 5 min at the station so that they can arrive 3 min before and leave 2 min after the train arrivals. Terminal times at outer terminals should include 1 min for terminal operations, plus any additional time for adjusting cycle time to a multiple of 20 min. Compute the number of buses required for each bus line to provide the required headways, given the operational details of each of the lines: A: 6.6 km (one-way length) and 21.0 km/h (operating speed), B: (4.2 km; 18.0 km/h), and C: (11.2 km; 26.0 km/h). (7)

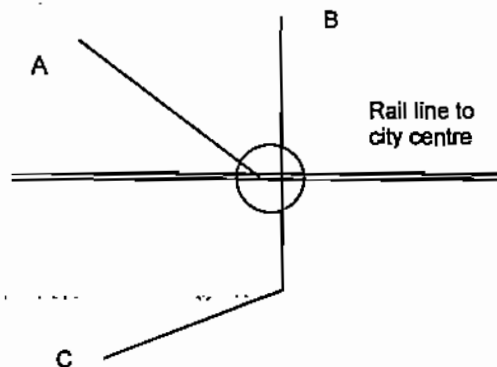


Figure 1

- Assume a transit network in a city consists of three lines A, B, and C, intersecting each other at different stations, as shown in Figure 2. Line A has 17 stations, Line C has 11 stations and Line B has 15 stations on its trunk. Compute:
 - The total number of terminals, transfer stations and total stations
 - The number of station spacings in the network
 - The total number of different trips (station-to-station pairs) in the network
 - Of the total number of pairs, how much %ge require a transfer

(9)

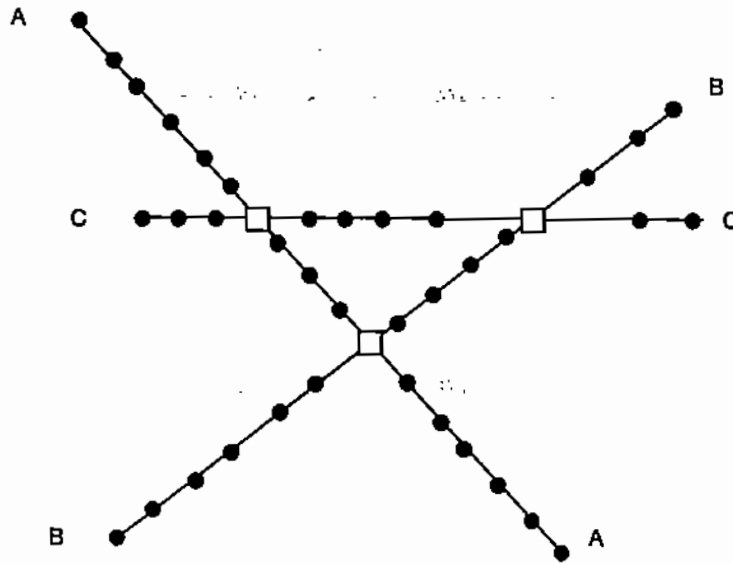


Figure 2

Question 4 (15 Marks)

- In the transit ridership estimation, explain the time series model based on elasticity. Using this model estimate the ridership of an LRT after its headway is reduced from 10 min to 6 min. The elasticity of ridership with respect to headway is -0.4 and the initial ridership was 20,000 prs/h. (7)
- What is geographically weighted regression? How do you estimate the parameters? What do you understand by band width and related criteria used to find the band width. (8)

Useful formulas:

$$NPV = \sum_{t=0}^L \frac{B_t - C_t}{(1+r)^t} + \frac{S_b - S_e}{(1+r)^L}$$

$$T = \frac{120L}{V_c}$$

$$N = \sum_{i=1}^q n_i - \sum_{k=2}^{k_{\max}} (k-1)n_m^k; \quad A = \sum_{i=1}^q a_i - \sum_{k=2}^{k_{\max}} (k-1)a_m^k; \quad OD = (1/2)N(N-1)$$

$$OD_d = \frac{1}{2} \left[\sum_{i=1}^q n_i(n_i - 1) - \sum_{j=1}^{q-1} n_{mj}(n_{mj} - 1) \right]$$