Department of Chemical Engineering, Indian Institute of Technology Delhi CHL101: Introduction to Chemical Engineering Thermodynamics

Semester I, 2008-2009

Major Examination Closed Book & Closed Notes

Date: 22/11/08

Marks: **4**0

- Do not answer a question in more than one place. If the answer to a question is given at different places, only the first continuous attempt will be evaluated.
- Show all the intermediate steps of the methods employed for the solution of the problems.
- Supplementary answer-sheets will not be provided.
- Derive the following
 - a. [6 Marks] Starting with the fact that for a spontaneous process $\Delta S^{total} = \Delta S^{sys} + \Delta S^{sur} \ge 0$, derive criterion for equilibrium of a closed system at constant temperature and pressure.

b. [6 Marks] Show
$$\mu = \left(\frac{\partial H}{\partial n_i}\right)_{S, P, n_{j \neq i}} = \left(\frac{\partial U}{\partial n_i}\right)_{S, V, n_{j \neq i}} = \left(\frac{\partial G}{\partial n_i}\right)_{T, P, n_{j \neq i}}$$

[12 Marks] Assuming validity of Raoult's law for benzene(1)/toluene(2) system, calculate x₁ and T given $y_1 = 0.33$ and P = 120 kPa.

$$\ln P_i^{sat}/kPa = A_i - \frac{B_i}{t/^0C + C_i}; \quad A_1 = 13.8594; B_1 = 2773.78; C_1 = 220.07; \quad A_2 = 14.0098; \quad B_2 = 3103.01; C_2 = 219.79$$

[4 Marks] A system formed initially by 2 mol CO₂, 5 mol H₂, and 1 mol CO undergoes reaction:

$$CO_2(g) + 3H_2(g) \rightarrow CH_3OH(g) + H_2O(g)$$

 $CO_2(g) + H_2(g) \rightarrow CO(g) + H_2O(g)$

Develop expressions for the mole fractions of the reacting species as function of reaction coordinates for the two reactions

[5 Marks] Find the partial molar enthalpies using the following expression of enthalpy of the binary mixture

$$H = x_1(a_1 + b_1x_1) + x_2(a_2 + b_2x_2)$$

[7 Marks] For the ammonia synthesis reaction written:

$$\frac{1}{2}N_2(g) + \frac{3}{2}H_2(g) \to NH_3(g)$$

For 0.5 mol N₂ and 1.5 mol H₂as initial amount of reactants and with the assumption that equilibrium mixture is ideal gas, show that

$$\varepsilon_e = 1 - \left(1 + 1.299 \frac{P}{P_o}\right)^{-1/2}$$