

2&3) Outputs:

```
2i) 1.000000
2ii-1) 0.027365
2ii-2) 0.047452
3i) 1.000000
3ii-1) 0.026263
3ii-2) 0.038384
```

Correlation coefficient and Kendall's tau for linear data is 1.0 as expected and both random data arrays (ii-1 and ii-2) have a coefficient very close to zero for both Pearson and Kendall as expected.

4) I created an array with 2000 values of $\sin(x)$ with x ranging from 0 to 40. Autocorrelations plotted against values of k where k is not the index i but $i*0.02$ so that it corresponds to actual x -coordinate along the $\sin(x)$ curve. Here we see that there's of course a spike where offset is 0 and another where $k=2*\pi$ which corresponds to the period of $\sin(x)$. In between these there's a negative spike where offset sine corresponds to changing it to cosine. Amplitude getting smaller for bigger values of k is due to the numerator getting smaller when k gets bigger while denominator is unchanged. This can easily be seen from the definition of sample lag- h autocorrelation function as given in <https://se.mathworks.com/help/econ/autocorrelation-and-partial-autocorrelation.html>.

For random data I used data points created earlier. For them, correlation at $k=0$ was also 1, but after that the correlation jumps randomly around 0 as can be expected for random data.

See plots on next page.

