Introduction to Electrical Engineering

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Contents

1	Instructor Information												2
Ι													3
1													3
	Recitation 1 – Exercise 1.												3
	Recitation 1 – Solution 1.												3
	Recitation 1 – Exercise 2.												4
	Recitation 1 – Solution 2.												4
	Recitation 1 – Exercise 3.												5
	Recitation 1 – Solution 3.												5

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1 Instructor Information

Naftali Landsberg

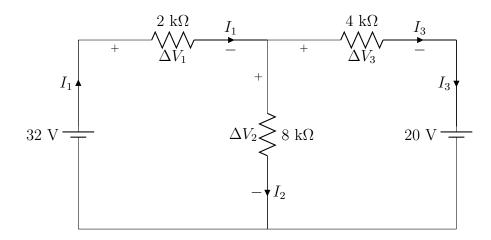
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Part I

1

Recitation 1 – Exercise 1.



Recitation 1 – Solution 1.

By KCL for the upper junction,

$$I_1 - I_2 - I_3 = 0$$

By KCL for the lower junction,

$$-I_1 + I_2 + I_3 = 0$$

By KVL for left loop,

$$-32 + \Delta V_1 + \Delta V_2 = 0$$

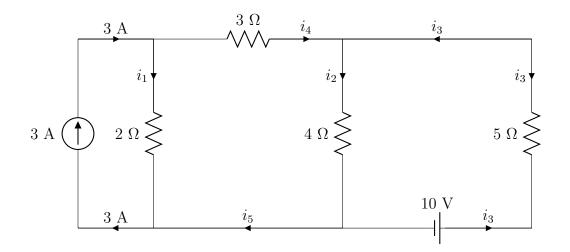
By KVL for right loop,

$$-20 - \Delta V_2 + \Delta V_3 = 0$$

By KVL for the larger loop,

$$32 - \Delta V_1 - \Delta V_2 - 20 = 0$$

Recitation 1 – Exercise 2.



Recitation 1 – Solution 2.

By KCL at 2,

$$3 - i_1 - i_4 = 0$$

By KCL at 3,

$$i_4 + i + 3 + i_2 = 0$$

By KCL at 6,

$$-i_3 - i_2 - i_5 = 0$$

By KCL at 7,

$$i_5 + i_1 - 3 = 0$$

By KVL in loop A,

$$2i_1 - V_x = 0$$

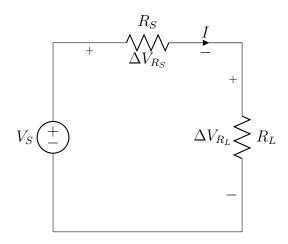
By KVL in loop B,

$$3i_4 - 4i_2 - 2i_1 = 0$$

By KVL in loop C,

$$-5i_3 + 10 + 4i_2 = 0$$

Recitation 1 – Exercise 3.



Find R_L so that it would have maximum available power.

Recitation 1 – Solution 3.

By KVL,

$$\Delta V_{R_S} + \Delta V_{R_L} - V_S = 0$$

$$\therefore \Delta V_{R_S} + \Delta V_{R_L} = V_S$$

$$IR_S + IR_L = V_S$$

$$\therefore I = I^2 R_L$$

$$= \left(\frac{V_S}{R_S + R_L}\right)^2 R_L$$

The power is maximum if $\frac{\mathrm{d}P_L}{\mathrm{d}R_L} = 0$.

Therefore, differentiating and maximizing, P_L is maximum if $R_L = R_S$. Therefore,

$$P_{L_{\text{max}}} = \frac{V_S^2}{(2R_S)^2} \cdot R_S$$
$$= \frac{V_S^2}{4R_S}$$