

Example of explanation. For example, for part a

<b><math>2^{10} =</math> 1024</b>	<b><math>2^9 =</math> 512</b>	<b><math>2^8 =</math> 256</b>	<b><math>2^7 =</math> 128</b>	<b><math>2^6 =</math> 64</b>	<b><math>2^5 =</math> 32</b>	<b><math>2^4 =</math> 16</b>	<b><math>2^3 =</math> 8</b>	<b><math>2^2 =</math> 4</b>	<b><math>2^1 =</math> 2</b>	<b><math>2^0 =</math> 1</b>
			1	1	1	0	1	0	1	0

We perform sums during the process. If the intermediate result is less than the output, we put 1, if it exceeds 234 we will put 0.

$$128 + 64 = 192$$

$$192 + 32 = 224$$

$224 + 16$  (240 which exceeds).

So we continue with  $224 + 8 = 232$

232 + 4 exceeds

So we continue with  $232 + 2 = 234$ .

In this case, for even decimal numbers, don't forget to add as many zeros on the right as needed to complete the binary result.

a.  $555 = 1000101011$

$2^{10} =$ <b>1024</b>	$2^9 =$ <b>512</b>	$2^8 =$ <b>256</b>	$2^7 =$ <b>128</b>	$2^6 =$ <b>64</b>	$2^5 =$ <b>32</b>	$2^4 =$ <b>16</b>	$2^3 =$ <b>8</b>	$2^2 =$ <b>4</b>	$2^1 =$ <b>2</b>	$2^0 =$ <b>1</b>
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	1	0	0	0	1	0	1	0	1	1
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$$512+256=768$$

$$512+128=640$$

$$512+64=+$$

$$512+32=544$$

$$544+16=+$$

$$544+8=552$$

$$552+4=+$$

$$552+2=554$$

$$554+1=555$$

$$\text{c. } 12321 = 11000000100001$$

$$\text{d. } 152 = 10011000$$

$2^{10} =$ 1024	$2^9 =$ 512	$2^8 =$ 256	$2^7 =$ 128	$2^6 =$ 64	$2^5 =$ 32	$2^4 =$ 16	$2^3 =$ 8	$2^2 =$ 4	$2^1 =$ 2	$2^0 =$ 1
			1	0	0	0	1	0	0	0

$$128+64=+$$

$$128+32=+$$

$$128+16=144$$

$$144+8=152$$

In this case, for even decimal numbers, don't forget to add as many zeros on the right as needed to complete the binary result.

e.  $32768 = 1000000000000000$  (it is a power of 2, so we can save operations)

2. Convert from binary to decimal:

$$100000000 = 256 \text{ (it is a power of 2, so we can save operations)}$$

b.  $1011110100 = 756$

$$1 \cdot 2^9 + 0 \cdot 2^8 + 1 \cdot 2^7 + 1 \cdot 2^6 + 1 \cdot 2^5 + 1 \cdot 2^4 + 0 \cdot 2^3 + 1 \cdot 2^2 + 0 \cdot 2^1 + 0 \cdot 2^0$$

$$512 + 128 + 64 + 32 + 16 + 4 = 756$$

c.  $10011101 = 157$

$$1 \cdot 2^7 + 0 \cdot 2^6 + 0 \cdot 2^5 + 1 \cdot 2^4 + 1 \cdot 2^3 + 1 \cdot 2^2 + 0 \cdot 2^1 + 1 \cdot 2^0$$

$$=157$$

d.  $1111111111 = 2047$  (it is a power of 2 subtracting 1)

For exercises 3, 4 and 5 we need to create the corresponding table and group in three for octal conversions and four in case of hexadecimal numbers.

0	0	0	0	0
0	0	0	1	1
0	0	1	0	2
0	0	1	1	3

0	1	0	0	4
0	1	0	1	5
0	1	1	0	6
0	1	1	1	7
1	0	0	0	8
1	0	0	1	9
1	0	1	0	A
1	0	1	1	B
1	1	0	0	C
1	1	0	1	D
1	1	1	0	E
1	1	1	1	F

3. Convert from hexadecimal to binary:

- a.  $45A0 = 100\ 0101\ 1010\ 0000$
- b.  $CF = 1100\ 1111$
- c.  $AAB2 = 1010\ 1010\ 1011\ 0010$
- d.  $3020 = 11\ 0000\ 0010\ 0000$

4. Convert from binary to hexadecimal:

- a.  $\underline{0001}\ \underline{1000}\ \underline{1000} = \textcolor{red}{188}$
- b.  $\underline{0001}\ \underline{0001}\ \underline{0110} = \textcolor{red}{116}$

5. Complete the following conversions related to octal numeral system:

- a. Convert the numbers from exercise 4 to octal.  $110\ 001\ 0002 = 610$ ,  
 $100\ 010\ 1102 = 426$
- b. Convert the octal 3020 to binary:  $11000010000$

the binaries the lame ones in 3 format

- 1. Fill the gaps, using all the conversions you need. You have to write the steps to transform each number.

The same steps and in exercises above

1°decimal a binary=

$2^{10} =$ 1024	$2^9 =$ 512	$2^8 =$ 256	$2^7 =$ 128	$2^6 =$ 64	$2^5 =$ 32	$2^4 =$ 16	$2^3 =$ 8	$2^2 =$ 4	$2^1 =$ 2	$2^0 =$ 1
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					1	0	0	0	0	1
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32+16=+

32+8=+

32+1=33

2° hexadecimal to binary I do the same thing as before seeing the table

3rd binary to octal I do the same

FF=binary

1111 1111=binary

binary to decimal= $2^8 - 1 = 255$

binary to octal=377

377 to binary= As before

10 0001 to decimal=  $1 \cdot 2^5 + 0 \cdot 2^4 + 0 \cdot 2^3 + 0 \cdot 2^2 + 0 \cdot 2^1 + 1 \cdot 2^0 = 33$

as a

BINARY	DECIMAL	HEXADECIMAL	OCTAL
100001	33	21	41
1111 1111	255	FF	377

1111 1111	255	FF	377
10 0001	33	21	41

7. How many bits do you need to represent the following numbers in binary?

You need to convert the numbers and delete zeros on the left, especially for hexadecimal numbers. For example 4B is 0100 1011. But we need to pad zeros to get the minimum digits (7 to represent 100 1011)

- a. hexadecimal: 4B (7), 4AA (11), FF4FA (20), 345F (14)
- b. decimal: 100 (7), 256 (9), 255 (8), 32 (6), 31 (5), 3 (2), 4350 (13), 1024 (11), 45 (6), 230 (31, remember that is 1 and the number of 0 corresponding with the exponent), 63 (6)

8. Solve the following parts using ASCII extended (8 bits).

- a. Write a random text, which contains letters, numbers and other alphanumeric characters.
- b. Encode to hexadecimal, according ASCII table.
- c. Convert to binary.

We selected LIL<:

L = 4C

I =49

L = 4C

3C = <

4C = 01001100

I= 01001001

4C = 01001100

3C=00111100

So, the final binary number will be 00110001 01001001 01001100 00111100