

$$(3 \times 3 \times 3 \times 16) + 16 = 448$$

$$\frac{\gamma + \beta + \text{EMA}_{\mu} + \text{EMA}_{\sigma}}{4 \times 16 \text{ channels}} \rightarrow 64$$

~~$64 \times 64 \times 16$~~

$\boxed{3 \times 3 \times 16} \times 32 \quad \uparrow = 4608$

~~$b: 62$~~

in - $3 \times 3 \times 3$
RGB

CNN-Reduce Overfitting

$$\underline{IP} \quad 128 \times 128 \times 3$$

$$\downarrow \quad \underline{3 \times 3 \times 3 \times 16}$$

$$128 \times 128 \times 16$$

$$\downarrow \quad IP_L \rightarrow 64 \times 64 \times 16 < PM$$

$$\downarrow \quad \boxed{3 \times 3 \times 16 \times 32}$$

$$Y_{4608} \\ \frac{b}{4640}$$

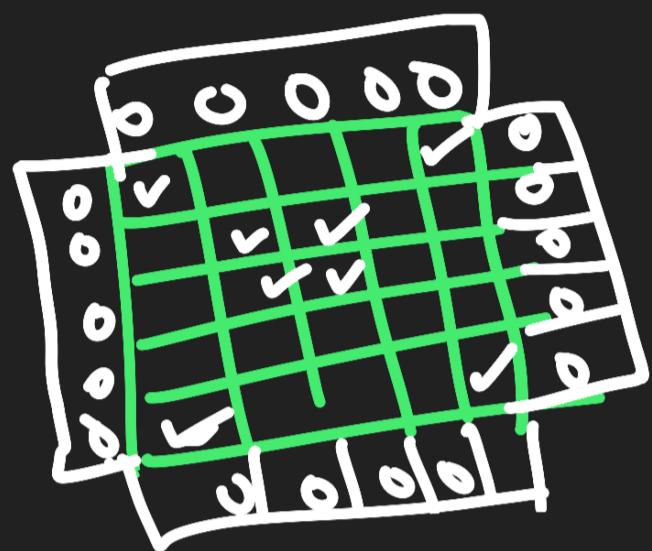
of channels
 T

$$32 \times \frac{4}{T} \quad \gamma \\ \gamma \quad \beta \quad \text{EMA}_{\mu} \quad \text{EMA}_{\sigma}$$

Revision

"same padding".

5×5



FM
 5×5

"valid padding"
no padding



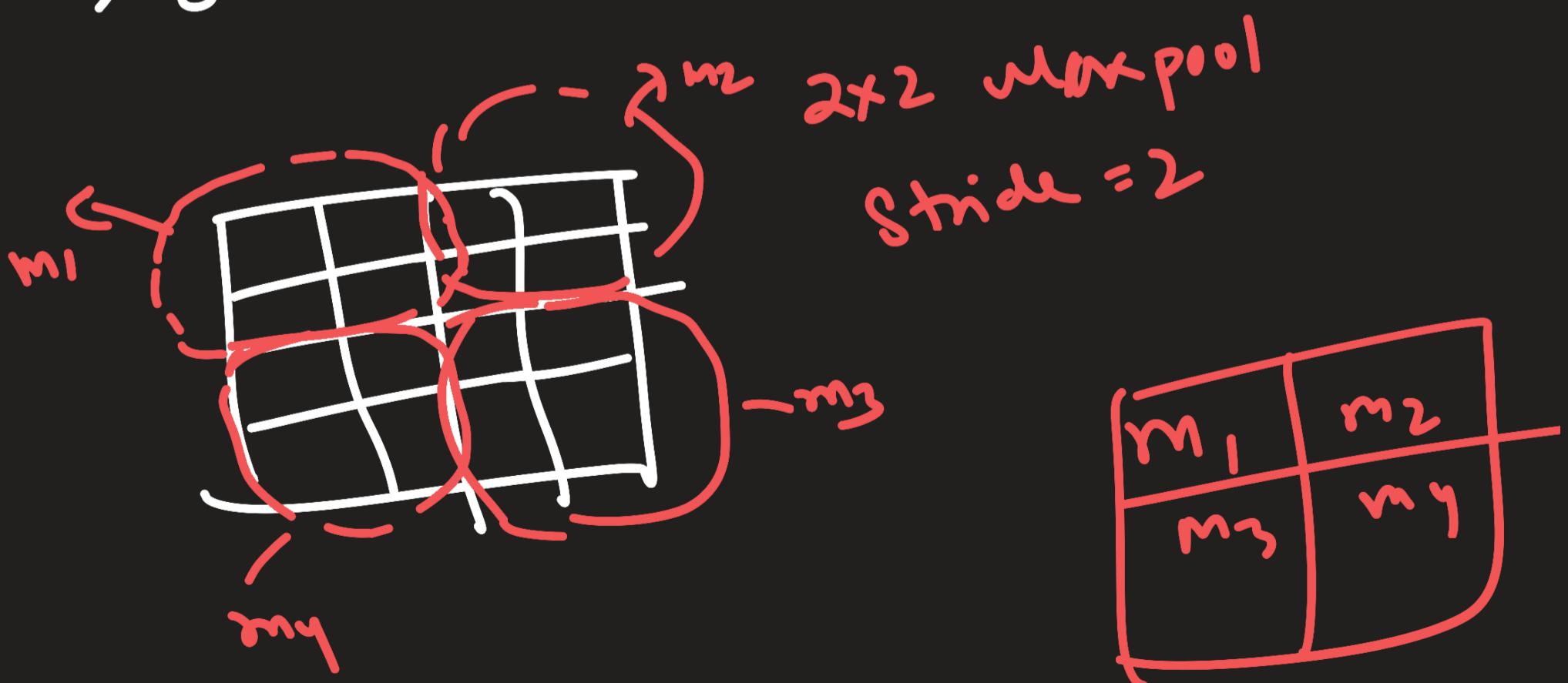
FM
 $3 \times 3 \times 1$

→ Convolution ✓

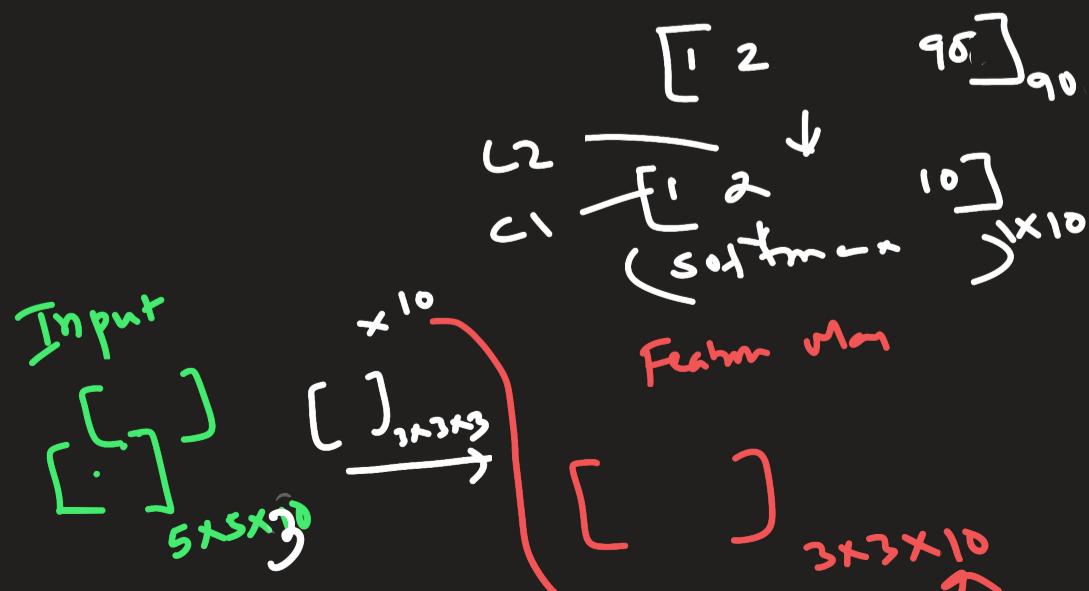
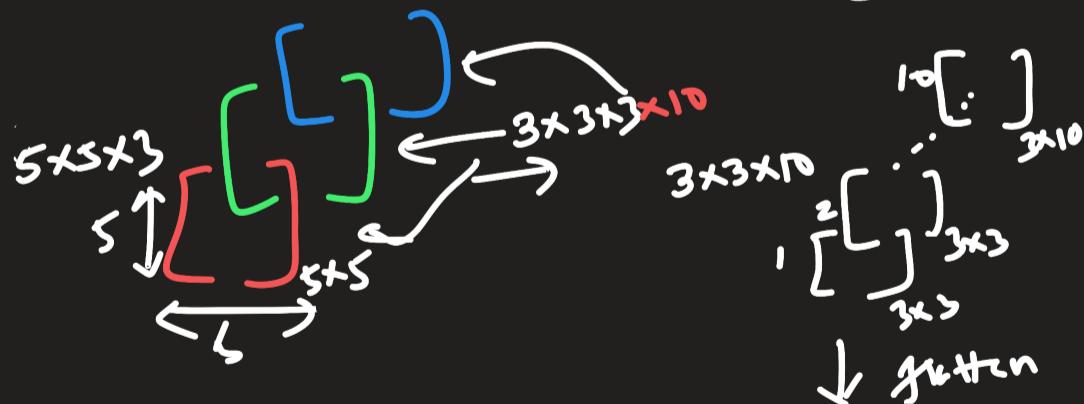
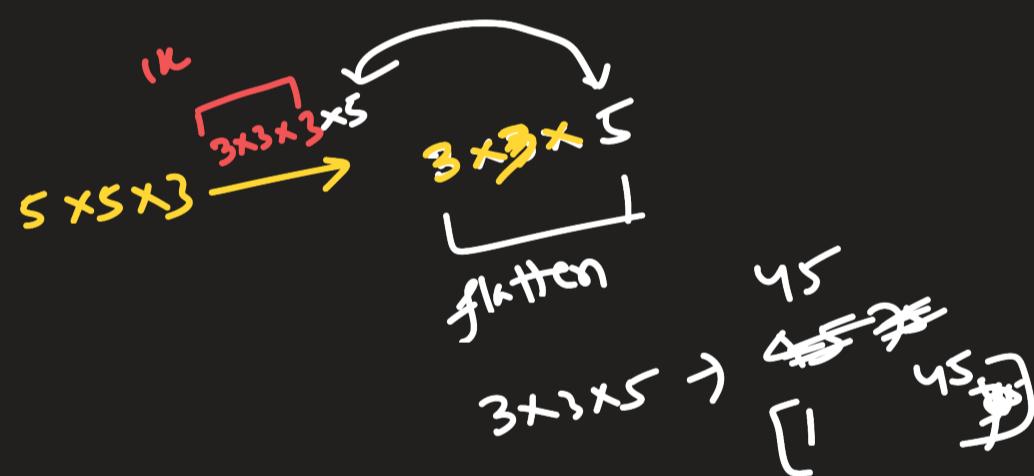
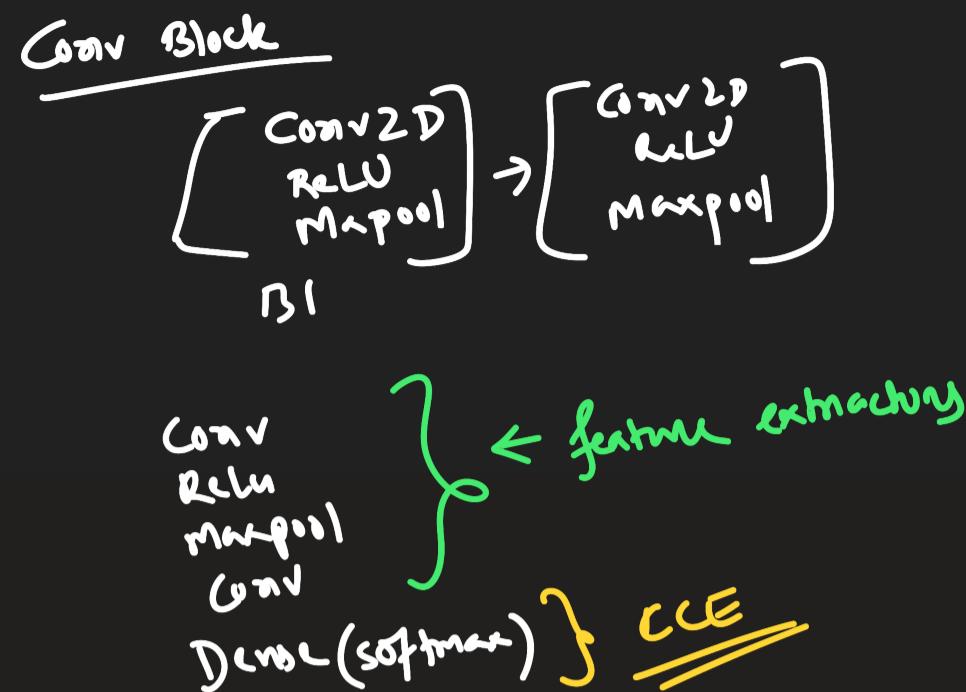
→ Padding ✓

→ Pooling → Max Pooling $(2 \times 2)^2$

→ Stride → ✓



Inner layers of network



Agenda

- Global Average Pooling
- Batchnorm, L1/L2, Dropout
- Data Augmentation

→ Rebuilding the model pipeline

→ Rebuilt the Data Pipeline

Reduce Overfitting?

Data

Data Augmentation

300 → 900

Model

- GAP
- Batchnorm
- Dropout

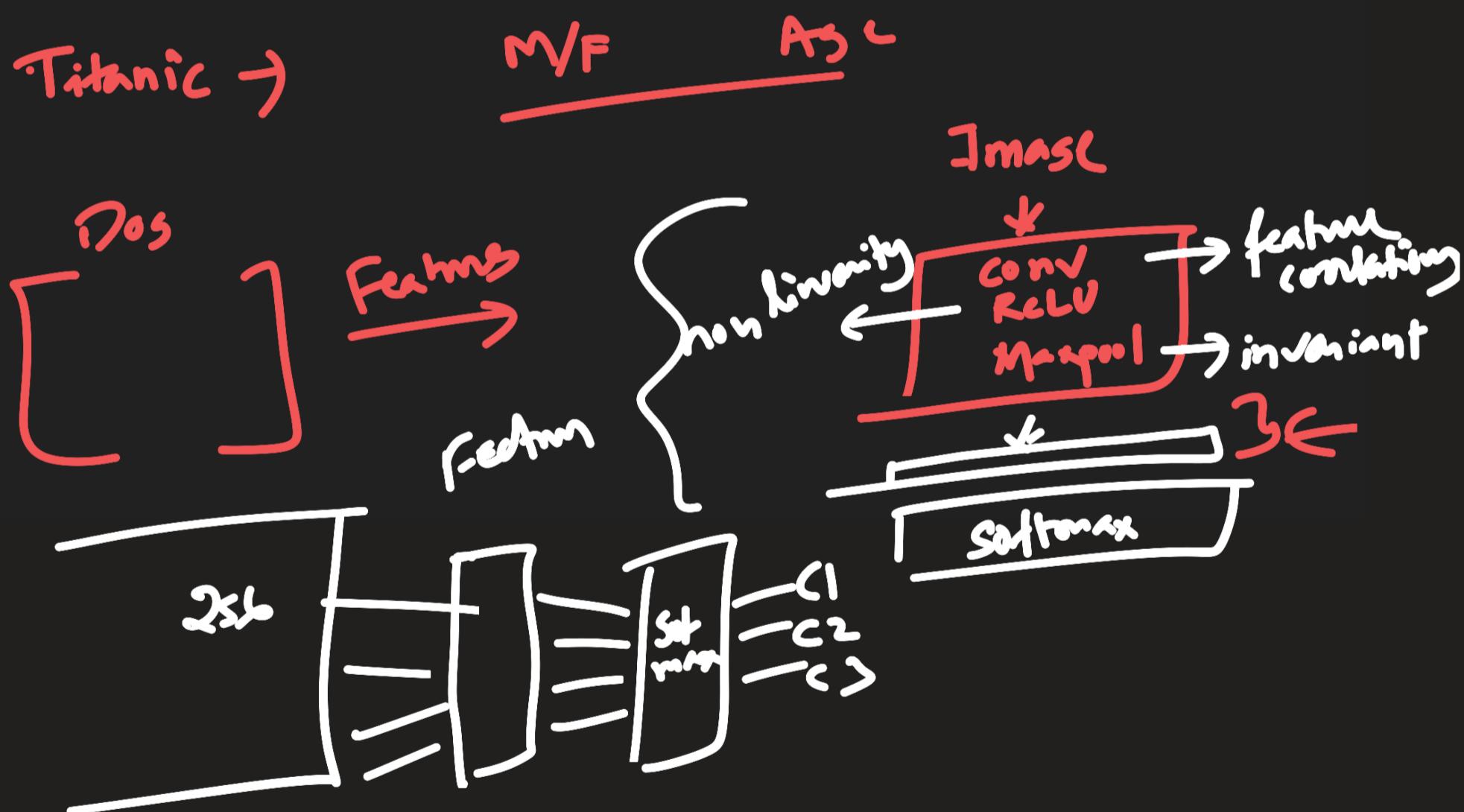
Optimizer

- Learning Rate Scheduler
- Early Stopping
- Model checkpoint

$128 \times 128 \times 3 \rightarrow \text{Conv} \rightarrow \text{Maxpool} \rightarrow \text{Dense}(\text{ReLU}) \rightarrow \text{Dense}(\text{Softmax})$

$\rightarrow \text{Root cause } \} \text{ Dense Layer}$

Where we left off? A typical CNN pipeline

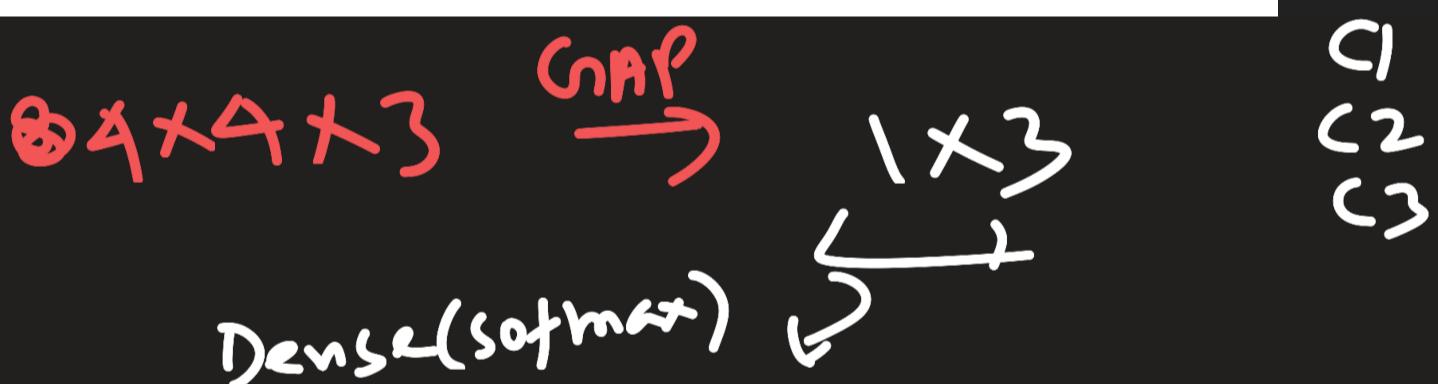
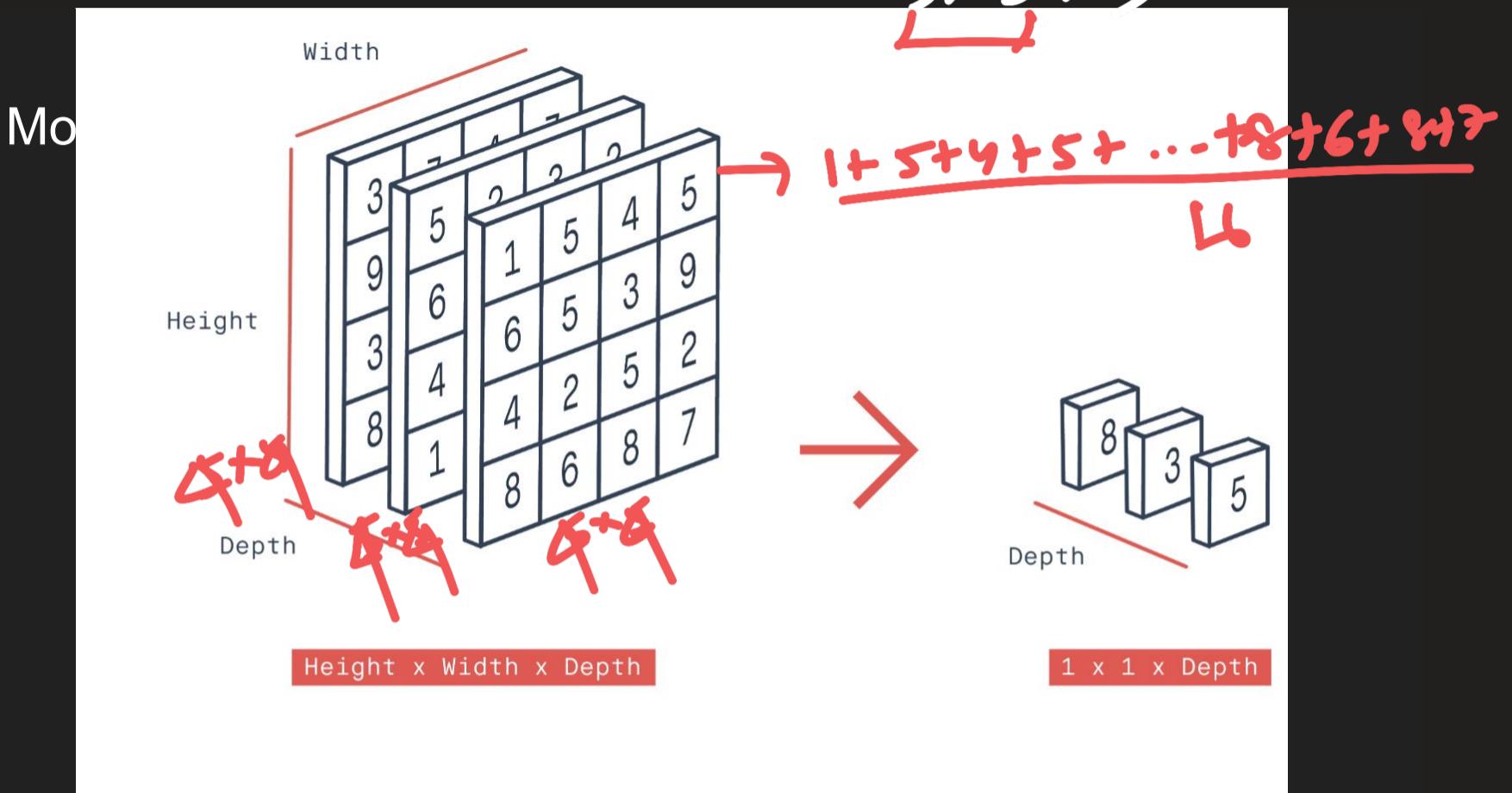


$[]_{H \times W \times C} \rightarrow \text{flatten} \rightarrow D(\text{ReLU}) \rightarrow D(\text{Softmax})$

Global Average Pooling

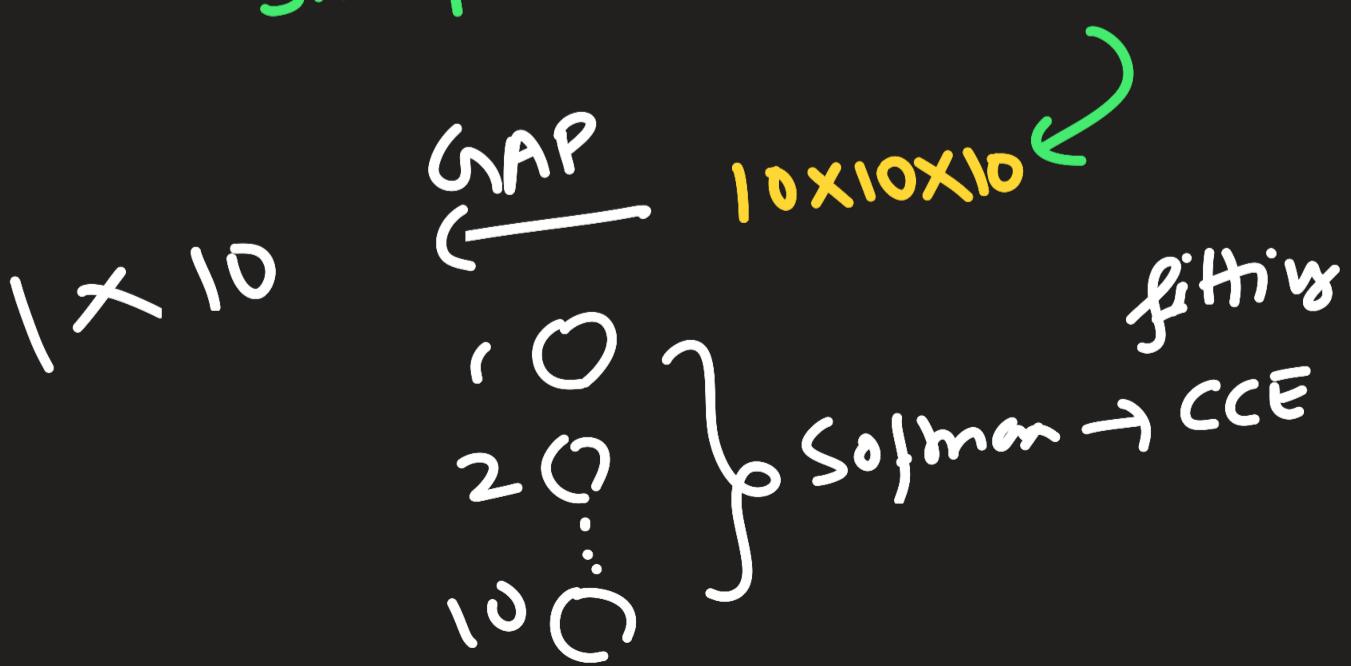
$I/P \rightarrow [\text{Conv, ReLU,} \atop \text{AvgPool}] \rightarrow [\text{Conv, ReLU,} \atop \text{MaxPool}] \rightarrow H \times W \times C$

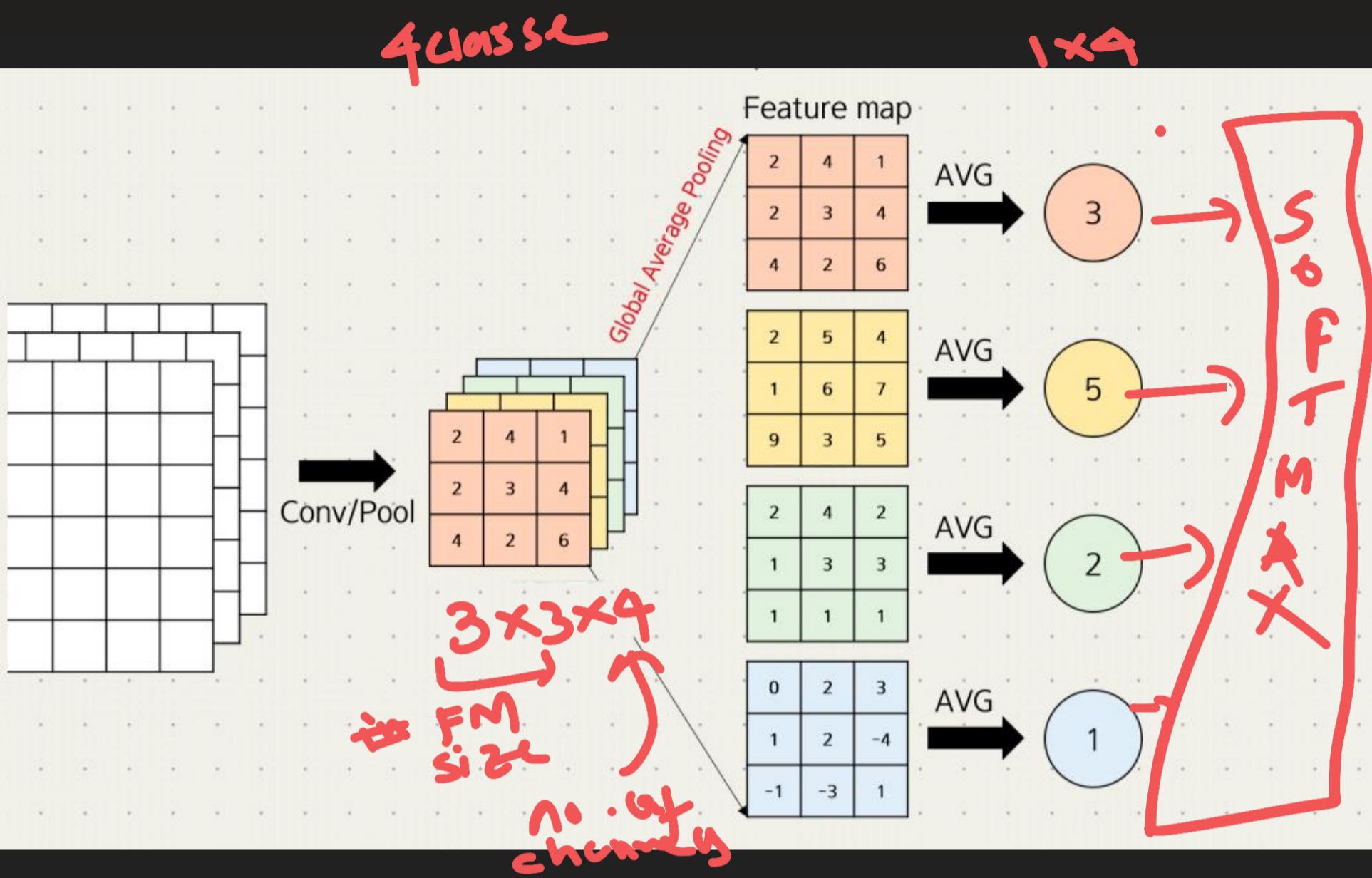
$\underbrace{5 \times 5 \times 3}$



$10 \quad \text{classes}$

$I/P \quad 128 \times 128 \times 3 \rightarrow C_{\text{Block}_1} \rightarrow \dots \rightarrow C_{\text{Block}_N}$





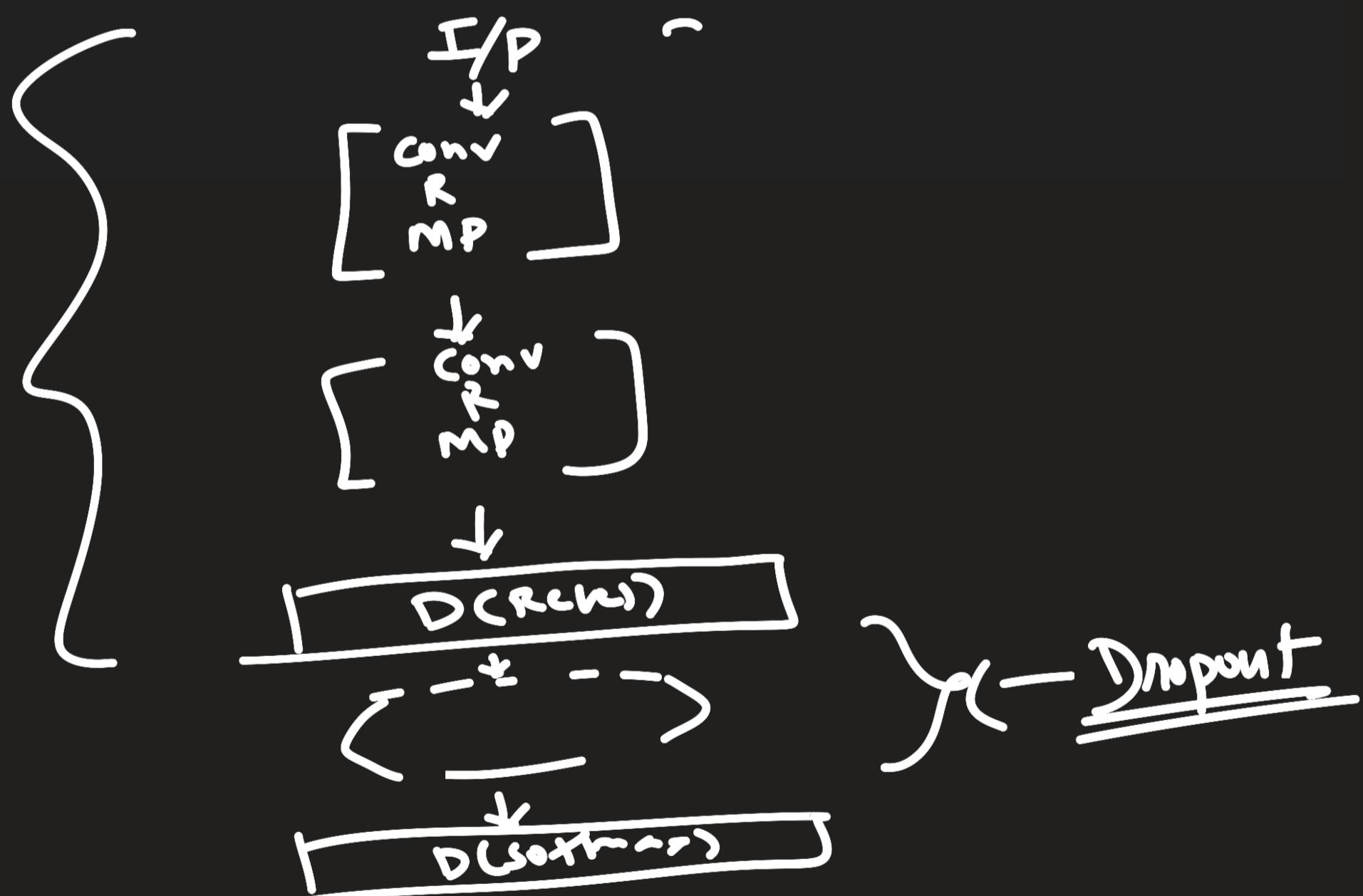
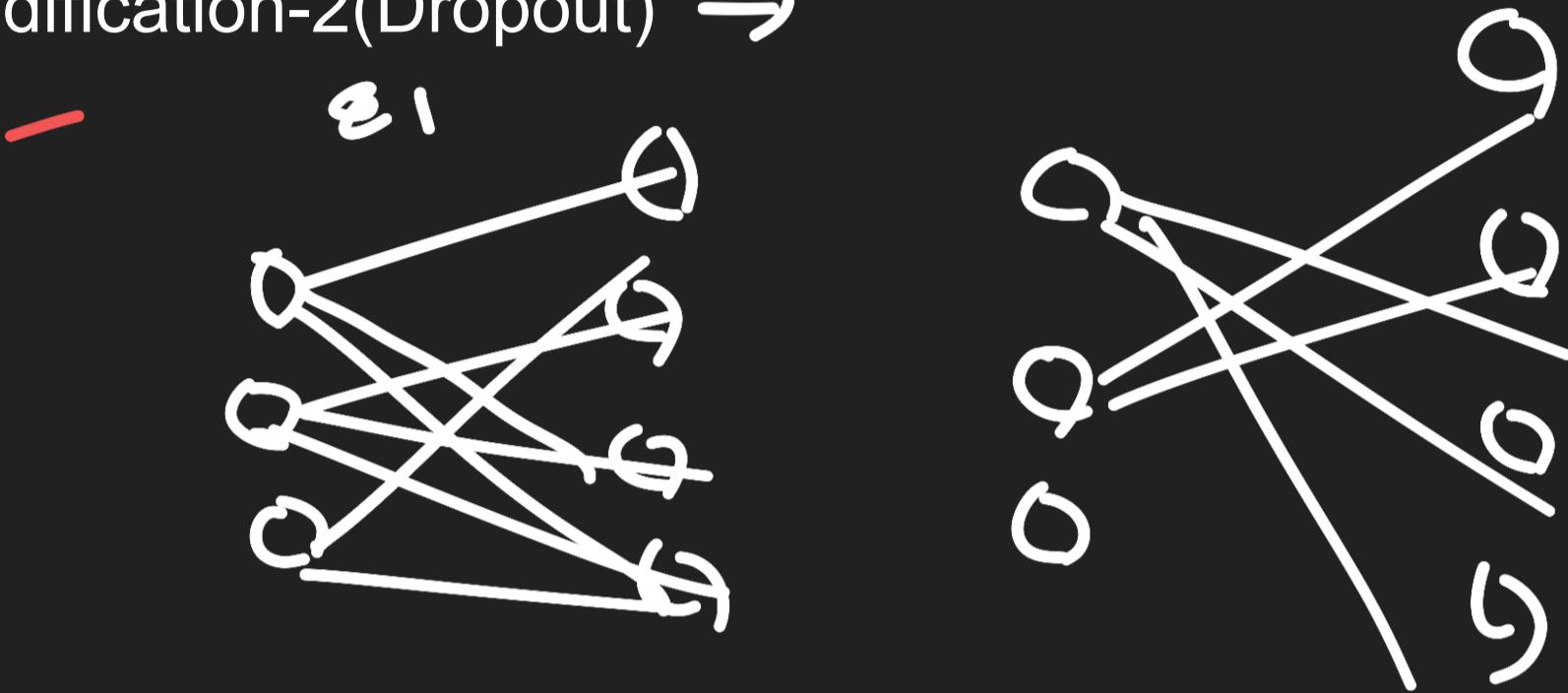
$\text{argmax} ($

1 2 ... 10

GAP $\hookrightarrow 1 \times 10$

$3 \times 3 \times 10 \xrightarrow{\text{flatten}} []_{10}$

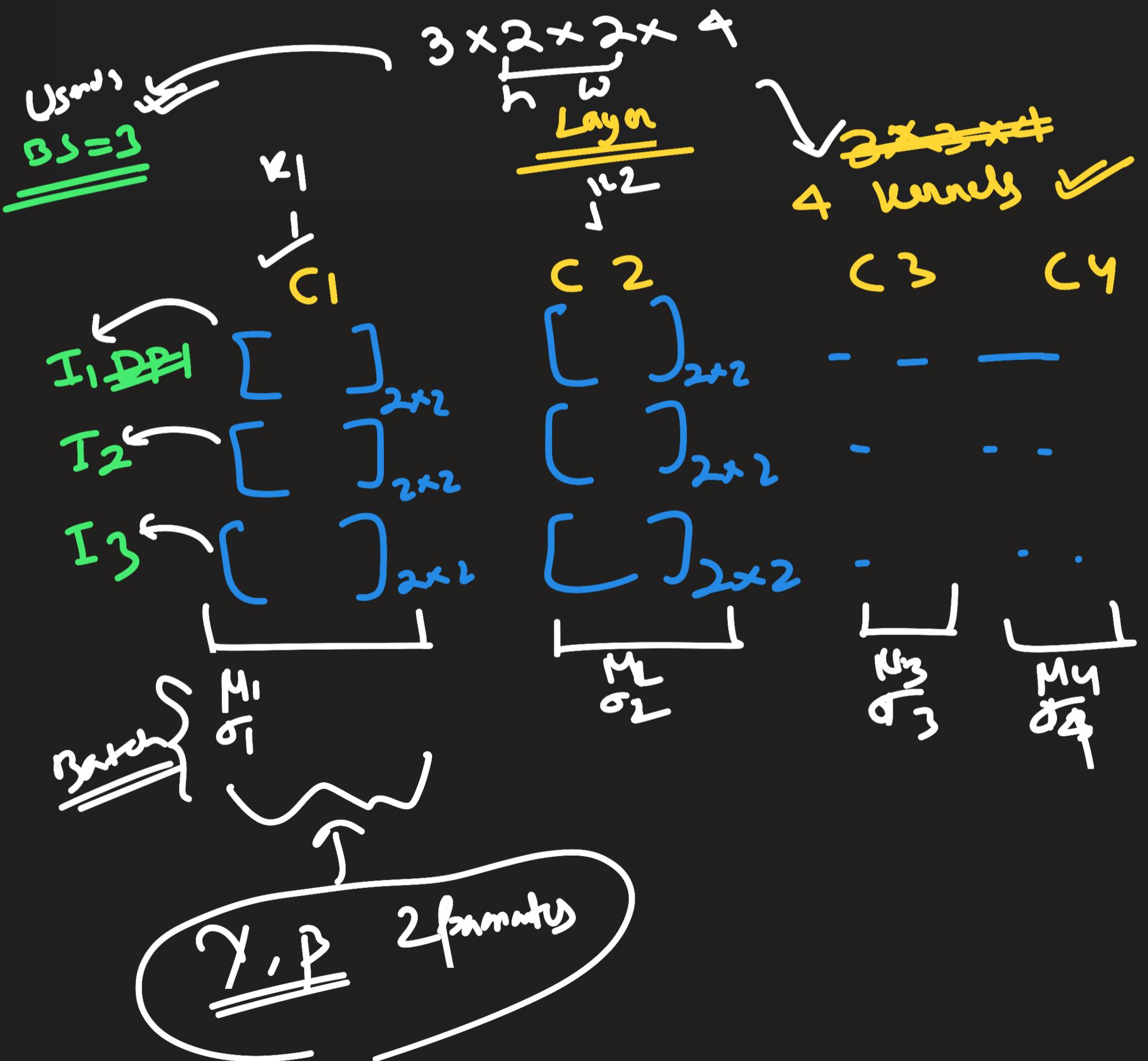
Modification-2(Dropout) →



Modification-3(Batch Norm)

$[]$
 $5 \times 5 \times 3$

$$\text{BS} = \underline{\underline{8/16/32}}$$



$$\hat{x} = \frac{x - \mu}{\sigma}$$

$$\gamma = \sigma$$

$$\beta = \mu$$

$$\gamma = 1$$

$$\beta = 0$$

$$\gamma \hat{x} + \beta$$

$$= \sigma \cdot \frac{x - \mu}{\sigma} + \mu$$

no need of normalization

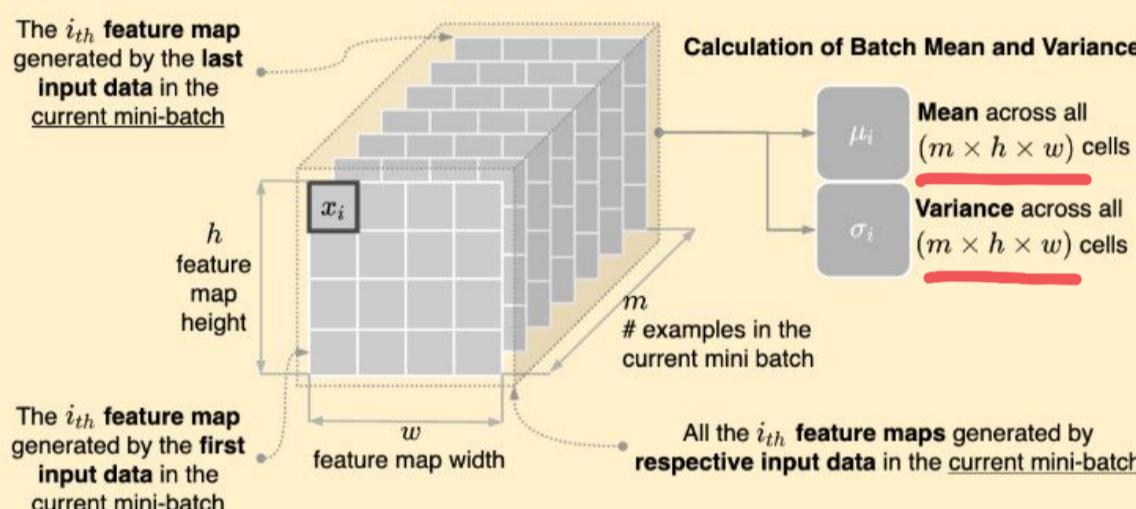
{

$$1. \text{ Computing the mean of your minibatch: } \mu_B^{(k)} \leftarrow \frac{1}{m} \sum_{i=1}^m x_{B_i}^{(k)}$$

$$2. \text{ Computing the variance of your minibatch: } \sigma_B^{2(k)} \leftarrow \frac{1}{m} \sum_{i=1}^m (x_{B_i}^{(k)} - \mu_B^{(k)})^2$$

$$3. \text{ Normalizing the value: } \hat{x}_B^{(k)} \leftarrow \frac{x_B^{(k)} - \mu_B^{(k)}}{\sqrt{\sigma_B^{2(k)} + \epsilon}}$$

$$4. \text{ Scaling and shifting: } y_i \leftarrow \gamma \hat{x}_B^{(k)} + \beta$$



of DP in batch
h
w

$m \times h \times w \times c \leftarrow \# \text{ of filters}$

$\uparrow \quad \uparrow \quad \uparrow \quad \uparrow$

image h image w

of DP in batch

$$\begin{matrix} \gamma \\ \beta \\ \text{EMA } \mu \\ \text{EMA } \sigma \end{matrix}$$

4 pairs
of BN

inference

1 DP

μ, σ

7P

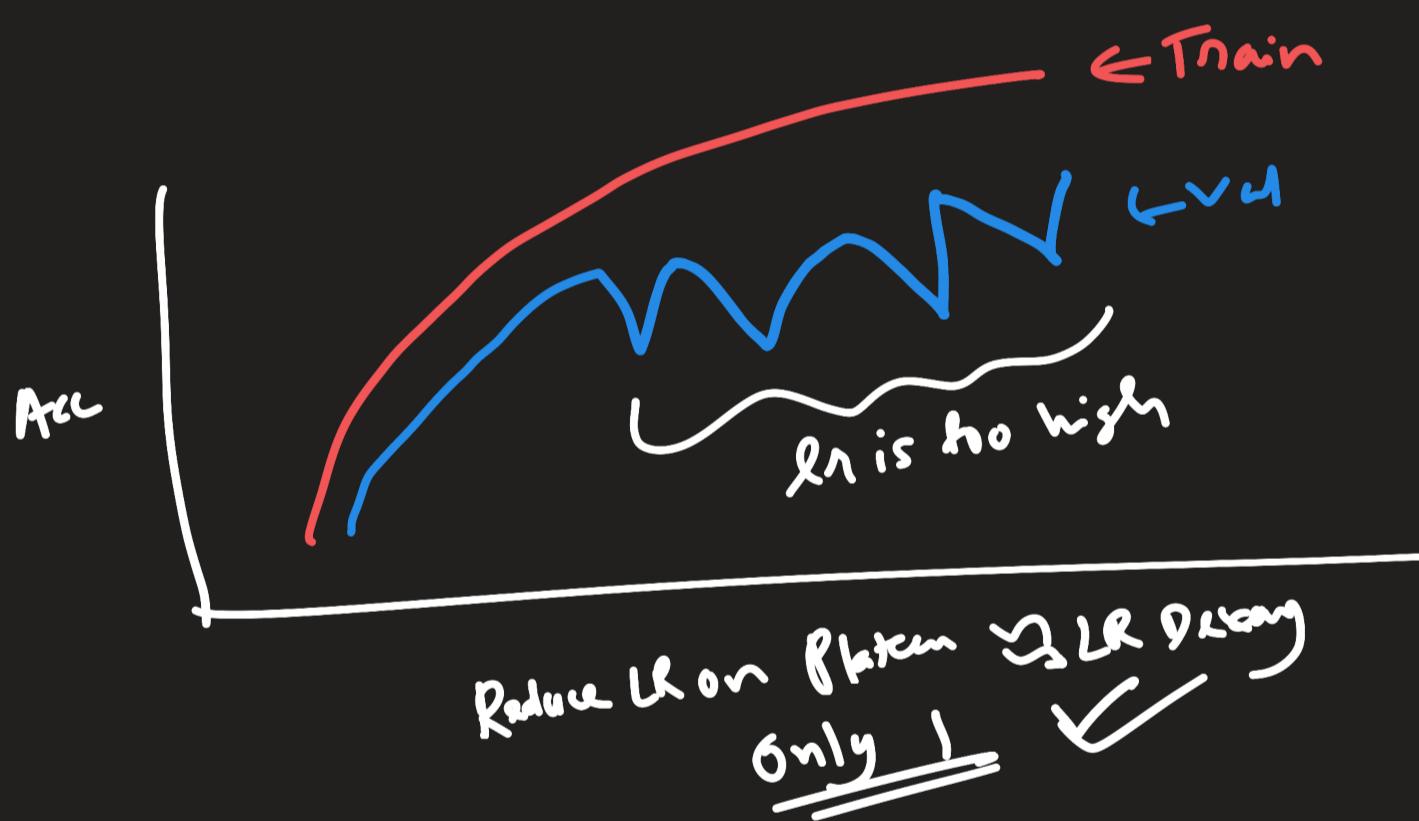
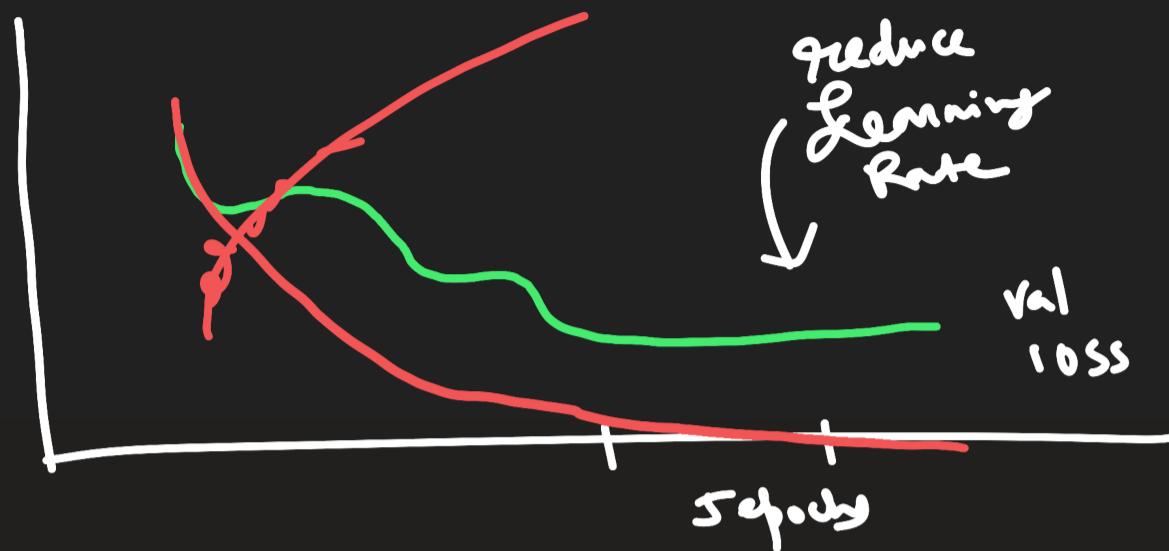
D1 D2

EMA of M, G

D100

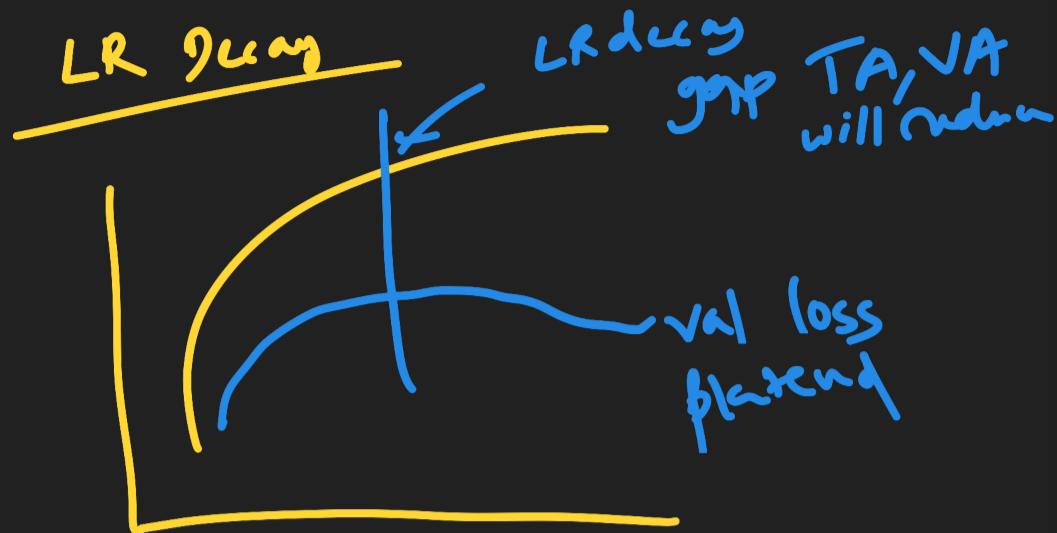
$$\begin{aligned} \check{\beta_1} &= 0.9 * \beta_0 + 6.1 * M \\ \beta_2 &= 0.9 * \beta_1 + 0.5 * M \end{aligned}$$

Modification 4(ReducaLROnPlateau)



- GAP } model
- Batchnorm } model
- L1/L2 regularization } model
- Reduce LR on plateau } optimising
Early stopping
Model Checkpt } optimising
- Data } DATA

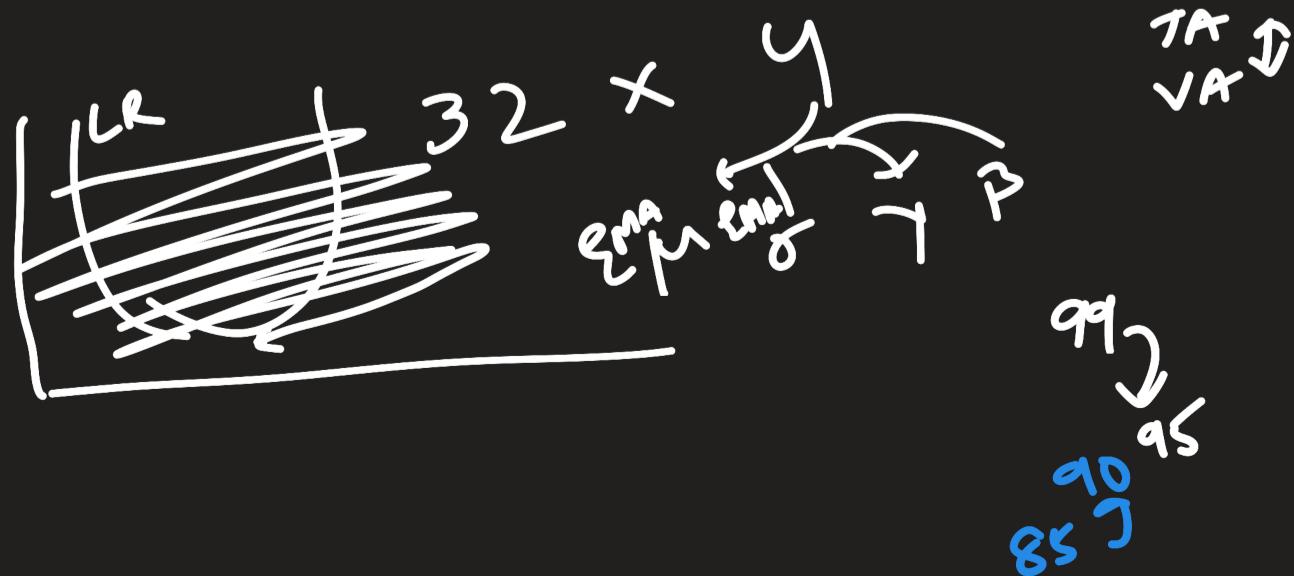
Modification 5-L1/L2



$$\begin{aligned} \text{EMAP}_\mu &= \frac{\alpha I + (1-\alpha) \text{EMAP}_\mu}{\alpha} \\ \text{EMAP}_\sigma &= \frac{\alpha D_P + (1-\alpha) \text{EMAP}_\sigma}{\alpha} \\ \mu_n, \sigma_n &\leftarrow \text{EMAP}_\mu, \text{EMAP}_\sigma \end{aligned}$$

$$\begin{aligned} \text{Inferential } \text{EMAP}_\mu &= \frac{x - \bar{M}}{\sigma} \\ \hat{x} &= \frac{x - \bar{M}}{\sigma} \\ \text{Actual op} &= \gamma \hat{x} + \beta \\ \gamma &= \frac{\sigma}{\sqrt{n}} \rightarrow \gamma \text{ from Train Data} \end{aligned}$$

Oscillations



Data Augmentation

