

Optimizers in Neural Network:

NN → trained by — gradient descent

→ local minima → Global min ✓
→ saddle points

Optimizers → we can atleast try to reach our global minima with more ~~acc~~ probability

variants of g_D .

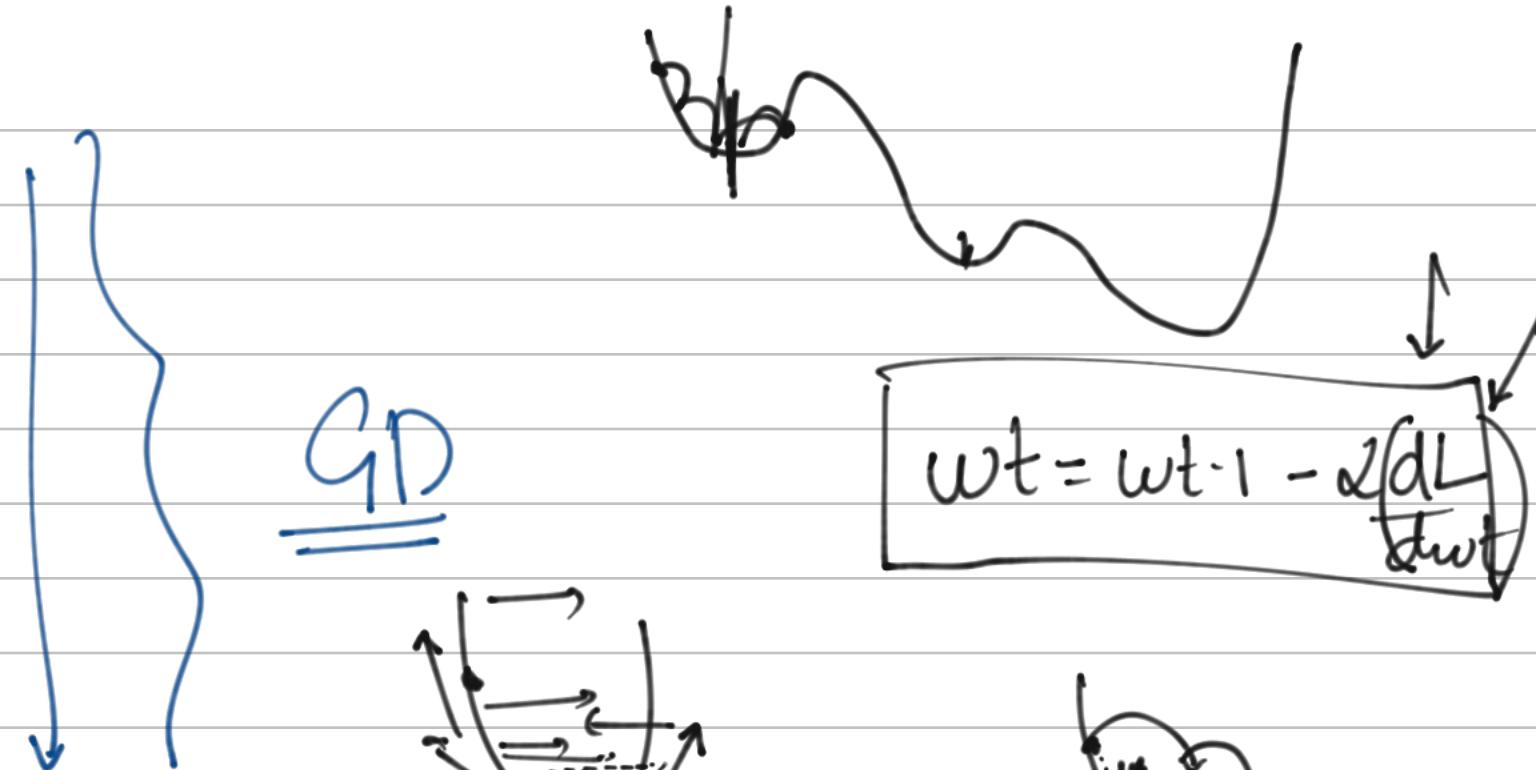
(g_D equation) → modify →

→ Momentum based gradient descent

→ Adagrad ✓

→ RMS Prop ✓

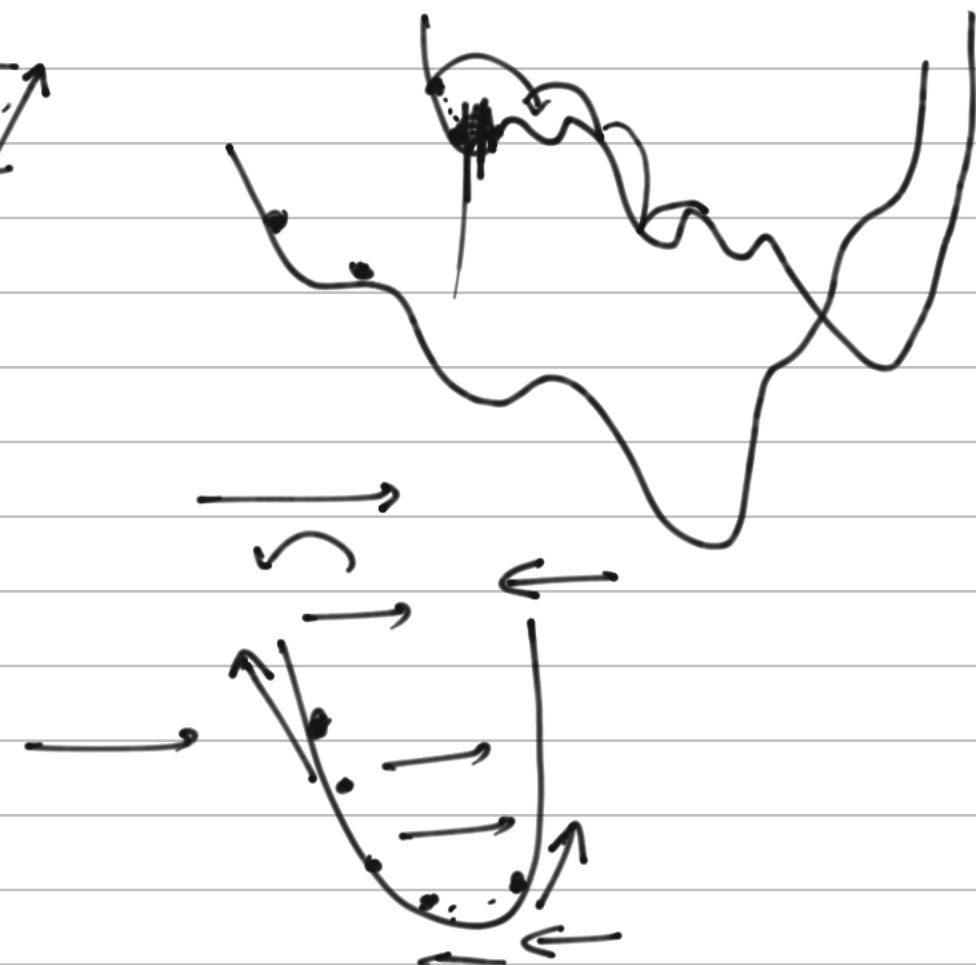
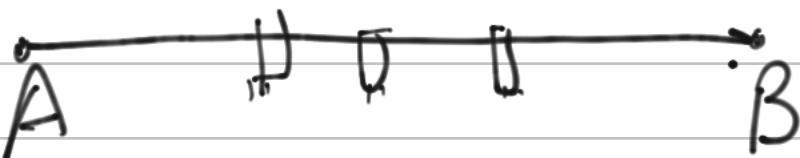
→ (Adam) ✓✓



GD

$$w_t = w_{t-1} - \alpha \frac{\partial L}{\partial w_t}$$

Momentum Based Gradient Descent: optimizer → better GD



Momentum:

GD with momentum

Hyperparameter

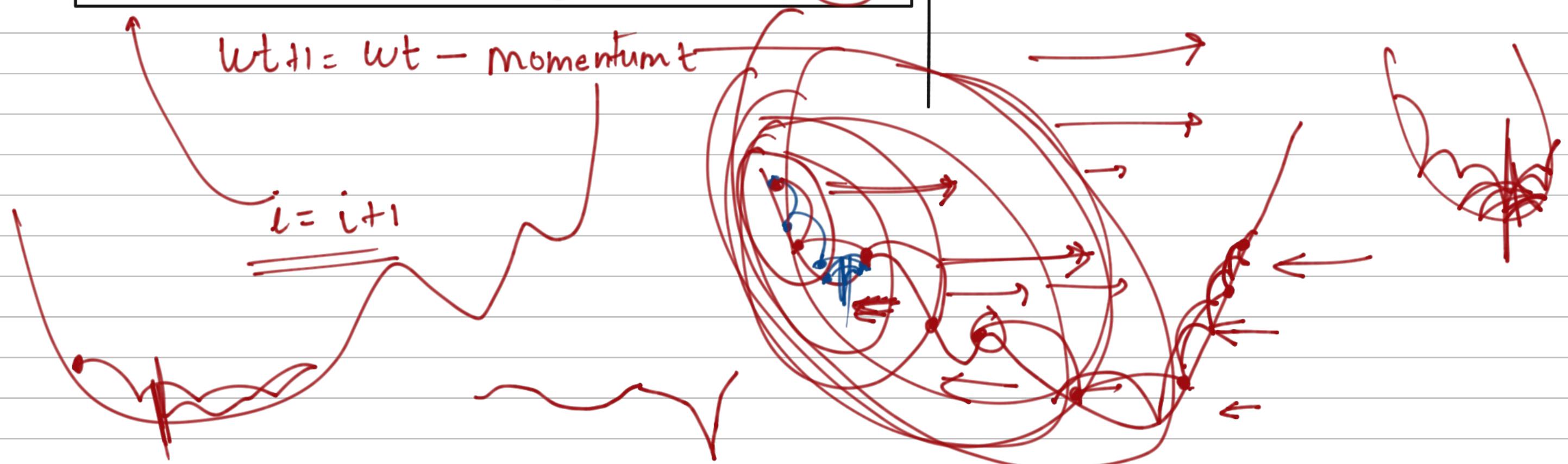
Historical + point grad.

$$\text{momentum}_t = \gamma \text{momentum}_{t-1} + (1-\gamma) \frac{\partial L}{\partial w_t}$$

$$w_{t+1} = w_t - \alpha \frac{\partial L}{\partial w_t}$$

$$w_{t+1} = w_t - \text{momentum}_t$$

$$i = i + 1$$

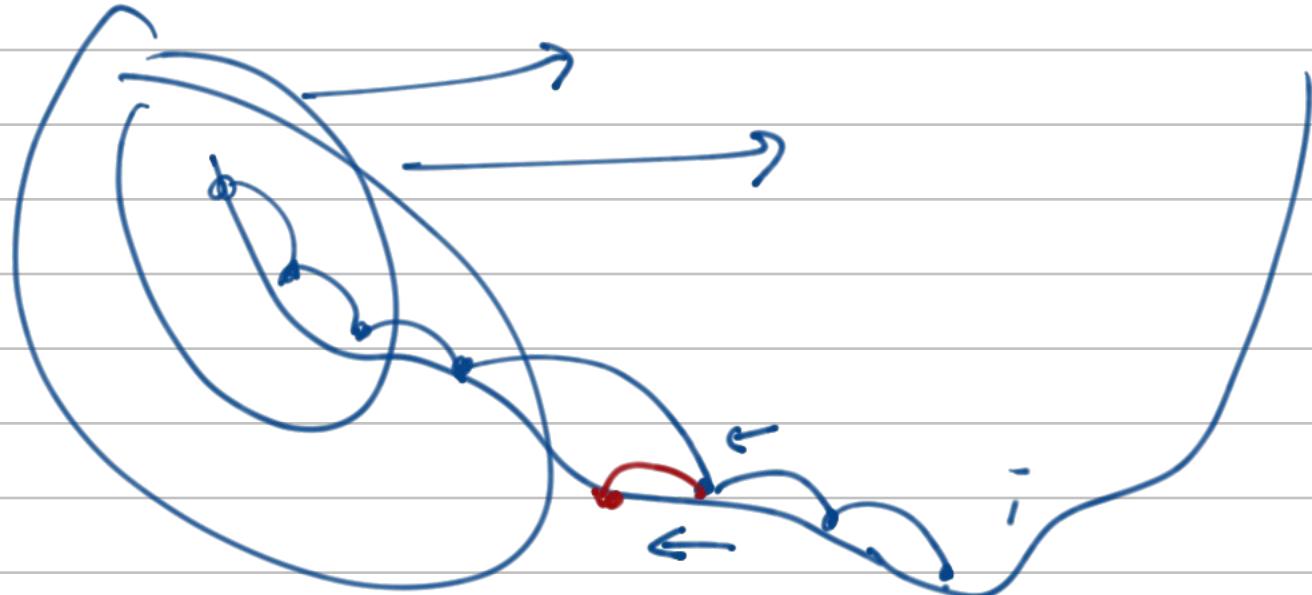


$\text{momentum}_0 = 0$

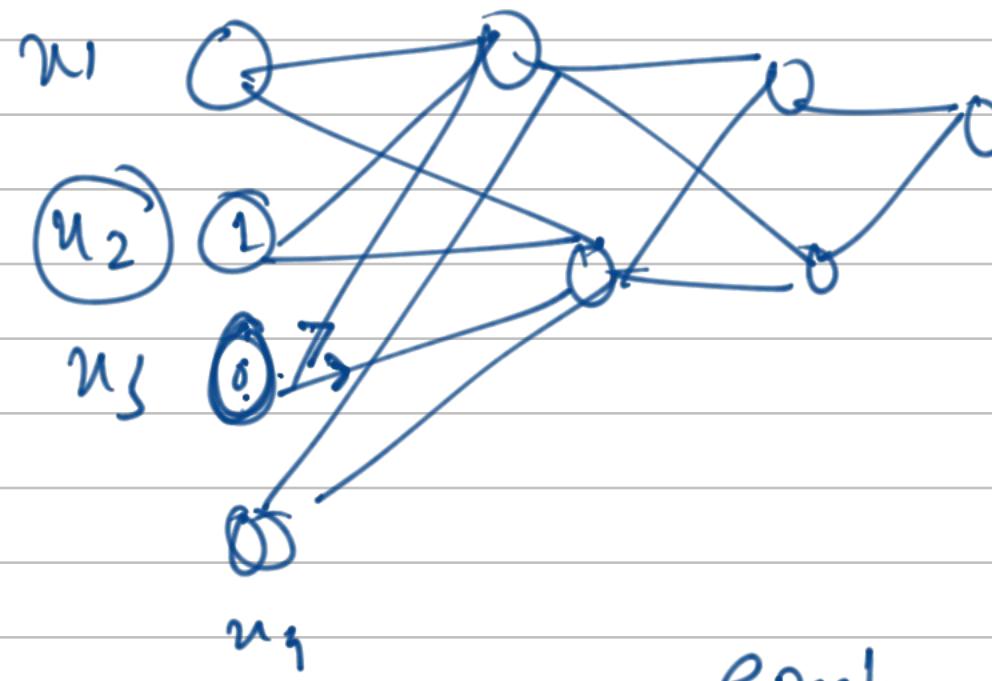
$\text{momentum}_t = \sqrt{\text{momentum}_{t-1} + (1-\gamma) \frac{\partial L}{\partial w_t}}$, point gradient

Accumulator

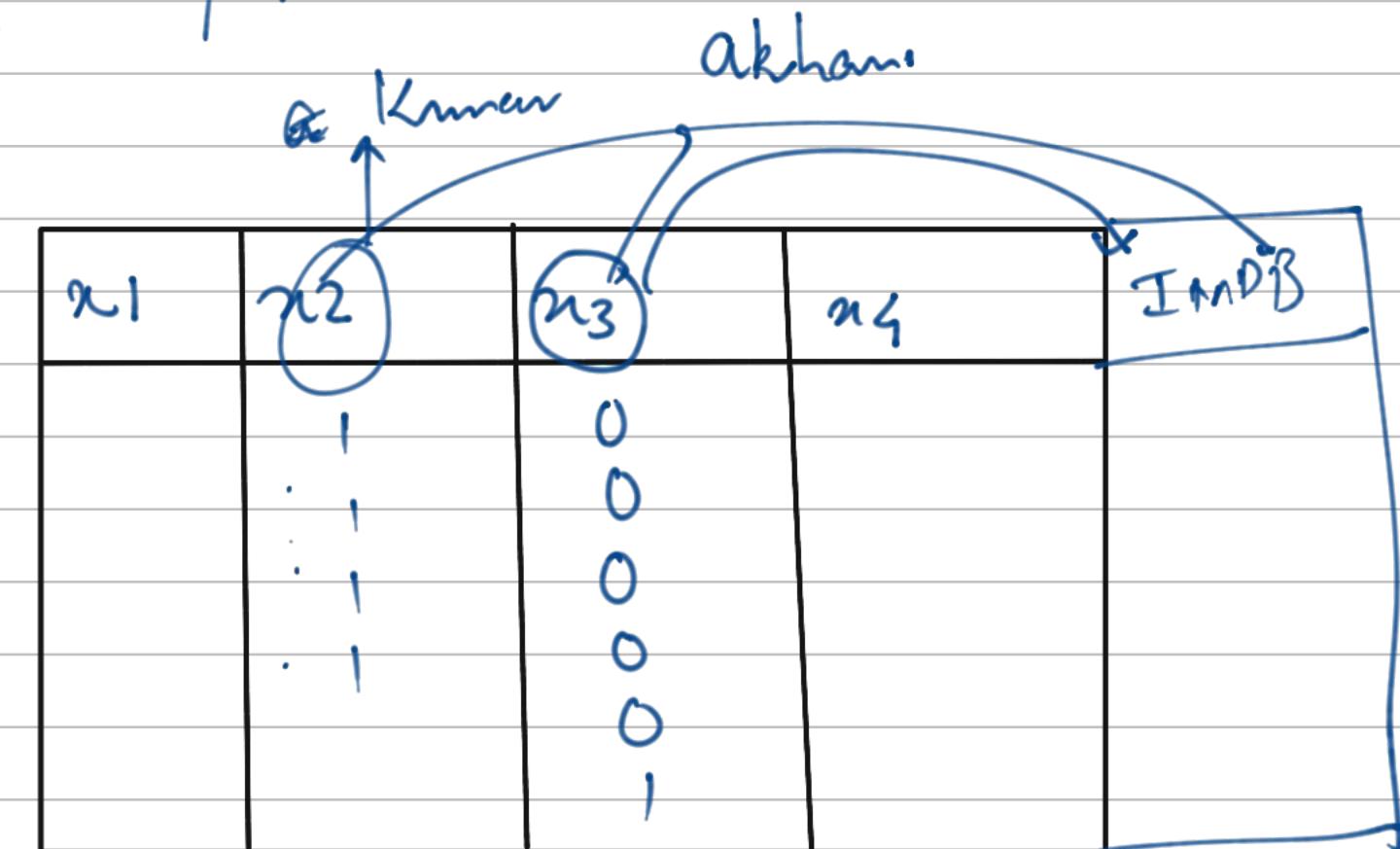
$w_{t+1} = w_t - (\text{momentum}_t)$



Adagrad → Adaptive Gradient → Optimizer

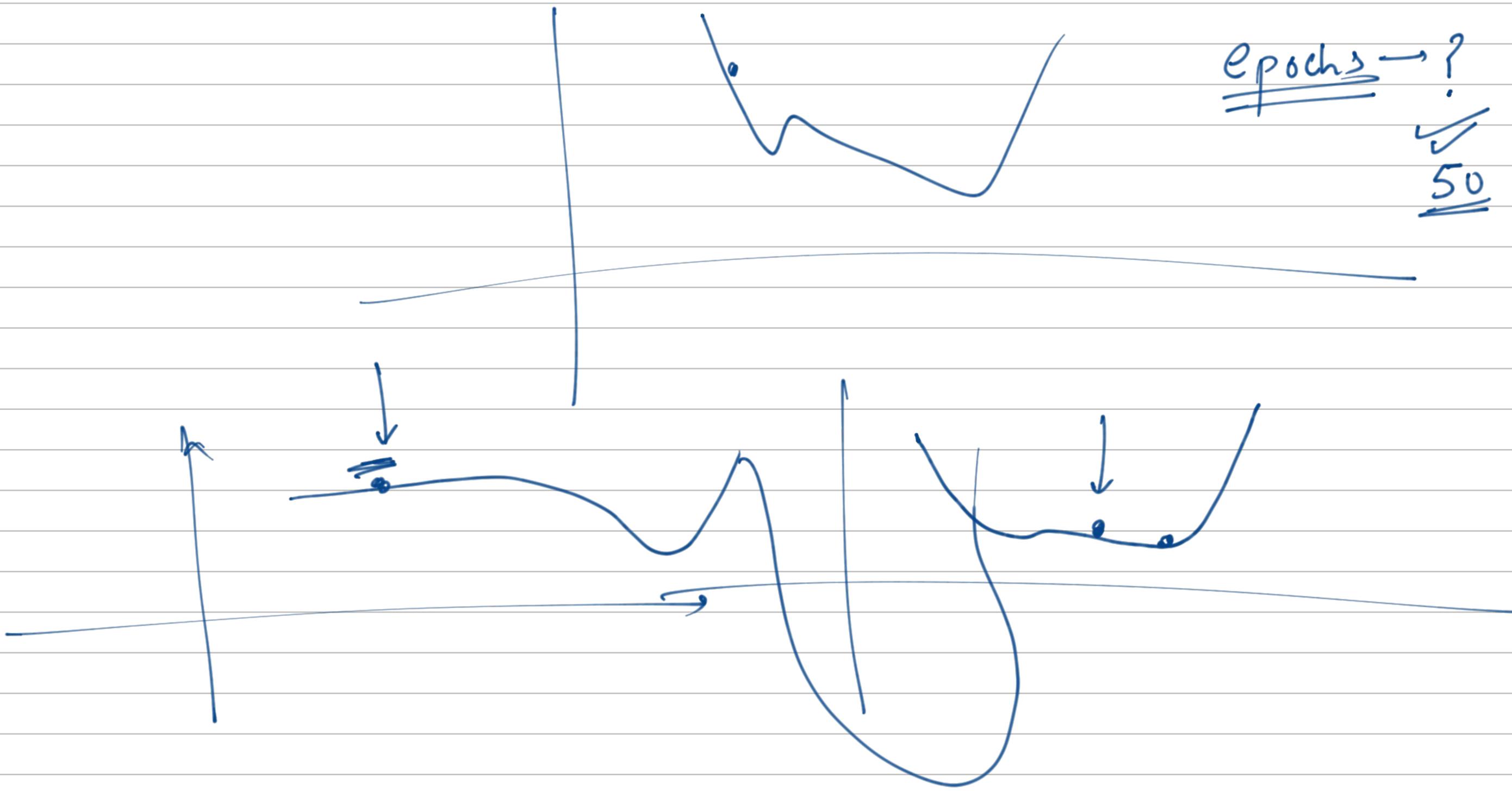


epoch

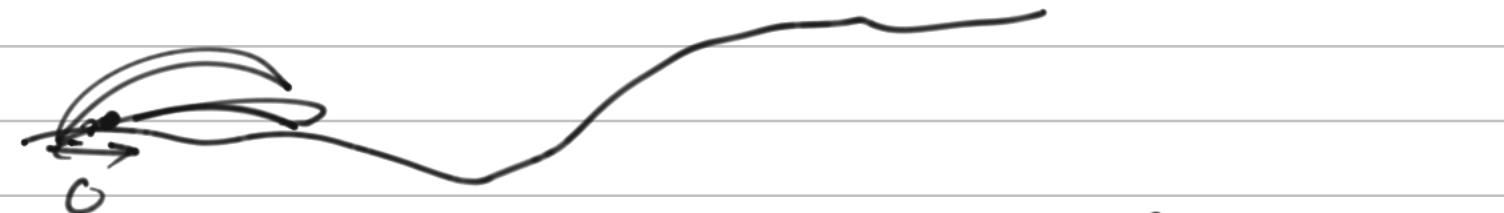


weights associated to u_3 will not have equal opportunity to get trained as much as u_2

All weights are randomly initialized.



Adagrad:



$$V_0 = 0$$

$$w_t + \frac{\partial L}{\partial w_t} = w_t - \frac{\partial L}{\partial w_t} \cdot \frac{1}{V_t + \epsilon}$$

$$V_t = V_{t-1} + \left(\frac{\partial L}{\partial w_t} \right)^2$$

people/wts who have
done very big steps

Savare

B
D
imp

~~RmsProp:~~

$$v_t = \beta v_{t-1} + (1-\beta) \left(\frac{\partial L}{\partial w_t} \right)^2$$

$$w_{t+1} = w_t - \frac{\alpha}{\sqrt{v_t + \epsilon}} \times \left(\frac{\partial L}{\partial w_t} \right)$$

momentum - ?

Combination of RmsProp + momentum \rightarrow Adam
Adaptive moments

Adam \rightarrow

Adaptive

moments

$$m_t = \beta_1 m_{t-1} + (1 - \beta_1) \times \frac{\partial L}{\partial w_t}$$

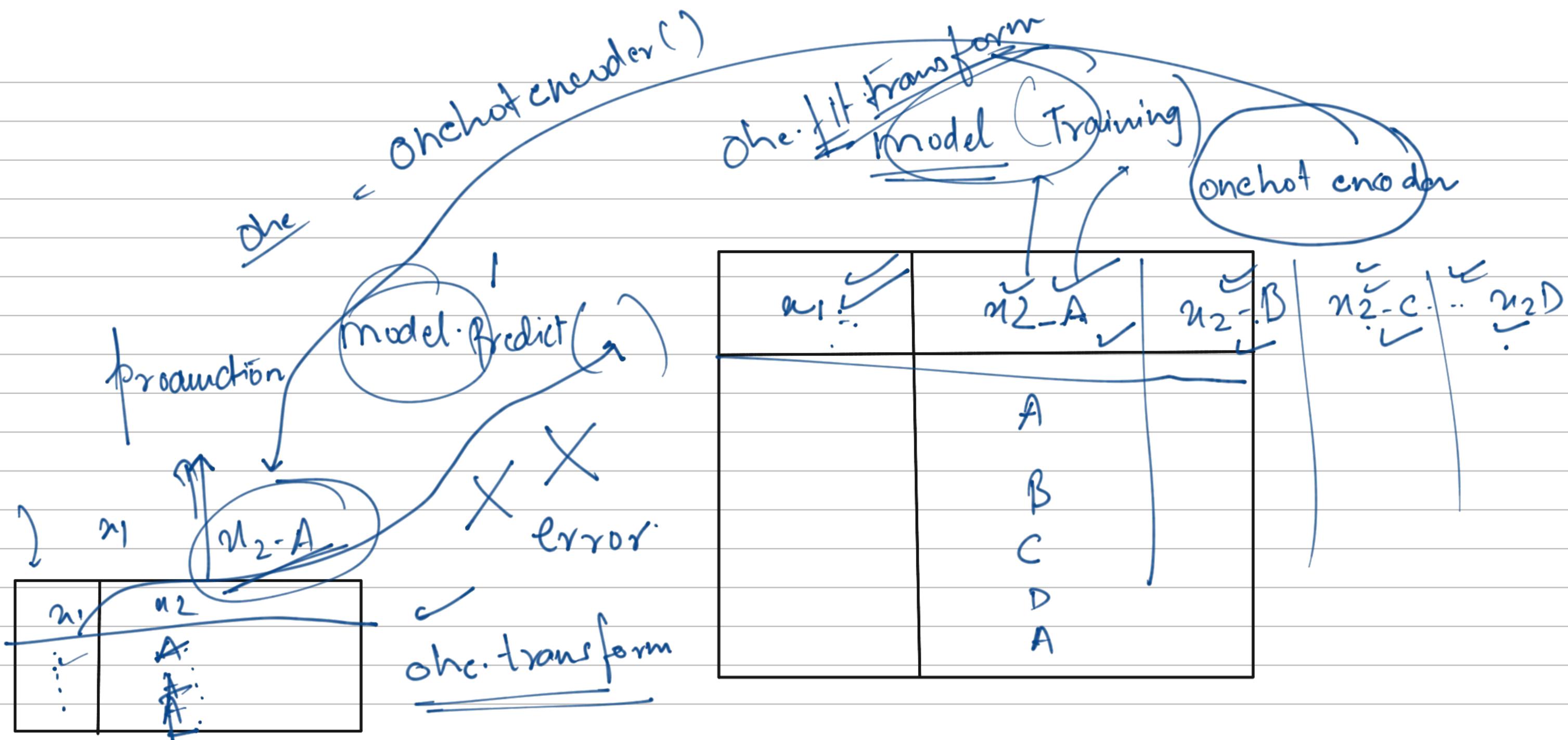
Velocity

$$v_t = \beta_2 v_{t-1} + (1 - \beta_2) \times \left(\frac{\partial L}{\partial w_t} \right)^2$$

$$w_{t+1} = w_t - \frac{d}{\sqrt{v_t + \epsilon}} \times m_t$$

$$\beta_1 = 0.9 \quad \beta_2 = 0.999$$

momentum



n_1	n_2	n_2-A	n_2-B	n_2-C	n_2-D
0	0	1	0	0	0
1	1	0	1	0	0

One-hot encoder.