NOME: ANTÔNIO ANDERSON COSTA

MATRÍCULA: 422029

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$$f(x,y) = 0,2(x^2-y^2)$$

Colocando em coordenadas polares:

$$J_{1} = \begin{bmatrix} \frac{\partial x}{\partial \alpha} & \frac{\partial x}{\partial \beta} \\ \frac{\partial y}{\partial \alpha} & \frac{\partial y}{\partial \beta} \end{bmatrix} \rightarrow J_{1} = \begin{bmatrix} R\cos\beta - \alpha R \operatorname{sen}\beta \\ R \operatorname{sen}\beta & \alpha R \cos\beta \end{bmatrix}$$

$$|J_1| = (R \cos \beta, \propto R \cos \beta) - (-R \operatorname{sen} \beta, \propto R \operatorname{sen} \beta) =$$

$$= \propto R^2 (\cos^2 \beta + \operatorname{sen}^2 \beta) = \propto R^2$$

$$A = R \int_{0}^{2\pi} \int_{0}^{1} \sqrt{(0.4 \times (\alpha, \beta))^{2} + (0.4 \times (\alpha, \beta))^{2} + 1}, \propto dx d\beta$$

Colocendo en coordenades de Geuss-Legendre.

$$\left| \int_{Z} \right| = \frac{\pi}{Z}$$

$$A = \frac{R^2 \pi}{2} \int_{-1}^{1} \sqrt{(0,4x(\alpha(\eta_{i}\theta),\beta(\eta_{i}\theta)))^2 + (0,4y(\alpha(\eta_{i}\theta),\beta(\eta_{i}\theta)))^2 + 1}} \propto (\eta_{i}\theta) d\eta d\theta$$

(γ, θ)	$\mathbf{W}_{i}\mathbf{W}_{j}$	g(@)	ww*g(@)	*800π
(-√0.6 , -√0.6 )	25/81	0.232385	0.071724	180.261392
(0, -√0.6)	40/81	4.031129	1.990681	5003.126777
(√0.6, -√0.6)	25/81	12.627985	3.897526	9795.551409
(-√0.6, 0)	40/81	0.232385	0.114758	288.418227
(0, 0)	64/81	4.031129	3.185089	8005.002837
(√0.6,0)	40/81	12.627985	6.236042	15672.882286
(-√0.6, √0.6)	25/81	0.232385	0.071724	180.261392
(0, √0.6)	40/81	4.031129	1.990681	5003.126777
(√0.6, √0.6)	25/81	12.627985	3.897526	9795.551409
				53924.182506

$$\alpha(\gamma\;,\;\theta)^*(x(\alpha(\gamma\;,\;\theta),\;\beta(\gamma\;,\;\theta))^2\;+\;y(\alpha(\gamma\;,\;\theta),\;\beta(\gamma\;,\;\theta))^2\;+\;1)^{0,5}\;=g(@)$$

SOMA: 53924.182506