### CSE 311: Data Communication

**Instructor:** 

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### Messages/Signals: Definition

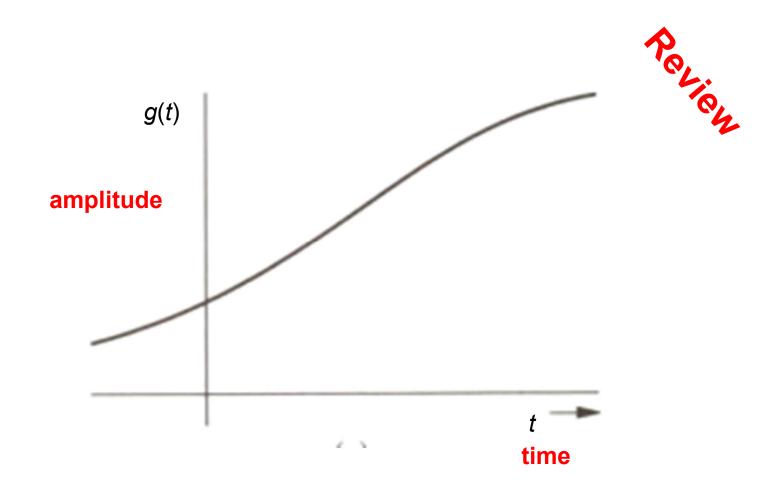
- A signal is a set of information or data.
- A signal is a function of independent variables that carry some information.
- A signal is a physical quantity that varies with time, space or any other independent variable by which information can be conveyed.

### **Example of Signals**



- Voice signal
- Telephone or television signal
- Monthly sales figure
- Opening or closing stock prices
- Charge density over a surface
- In this course we deal with signals that are functions of time.

### Signal representation: Time Domain



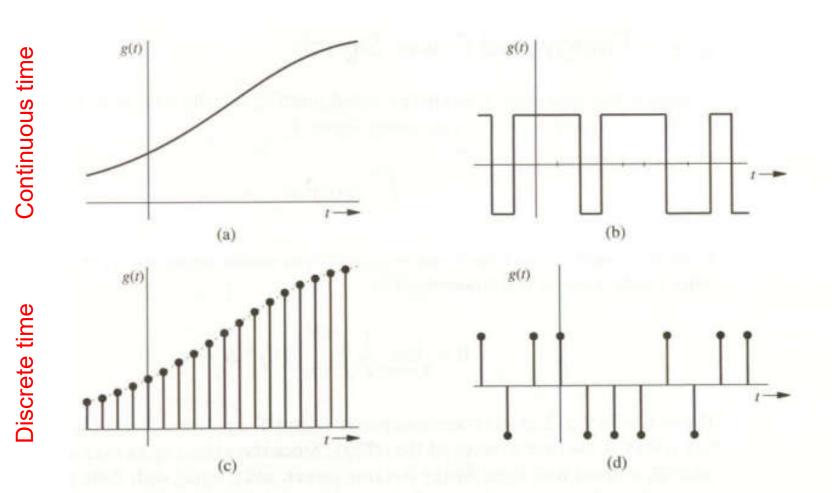
### Classification of Signals

- Based on continuity in time axis
  - Continuous time
  - Discrete time
- Based on continuity in amplitude axis
  - Continuous amplitude
  - Discrete amplitude

### Classification of Signals



Discrete amplitude



### **Analog and Digital Signal**

### **Analog Signal**

- Continuous amplitude, i.e., takes any value in a continuous range.
- May be both continuous and discrete time.

### **Digital Signal**

- <u>Discrete amplitude</u>, i.e., amplitude can take only a finite number of values.
- Values need not be always integer.
- Not necessarily always binary, rather M-ary.
- May be both continuous and discrete time.

### Analog and Digital Signal: Examples

**Analog** 

**Digital** 

**Thermometer** 





Clock





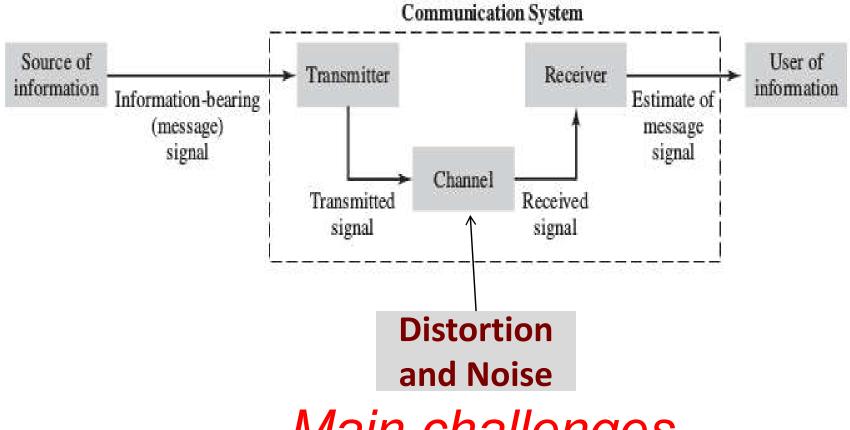
Blood Pressure Monitor





# Components of Communication systems

Perion



Main challenges

# Challenges of Communication systems

### Perien

#### 1. Distortion

- -systematic undesirable changes in signals
- -Linear or non-linear

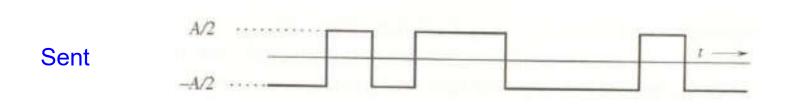
#### Noise

- Unwanted signal that interfere with the transmitted signal
- Random signals from internal or external sources

- 1. Quality, e.g., enhanced noise immunity
- 2. Economics

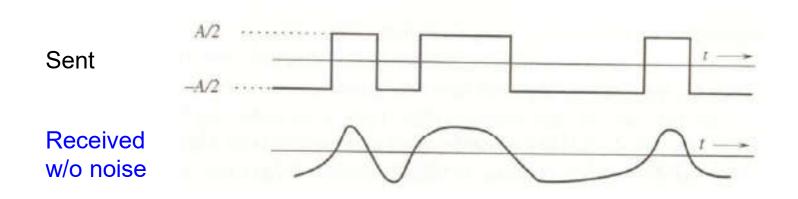
### 1. noise immunity

Represented by binary or M-ary pulses



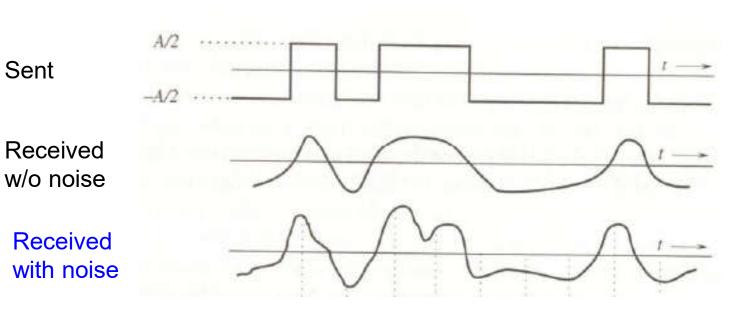
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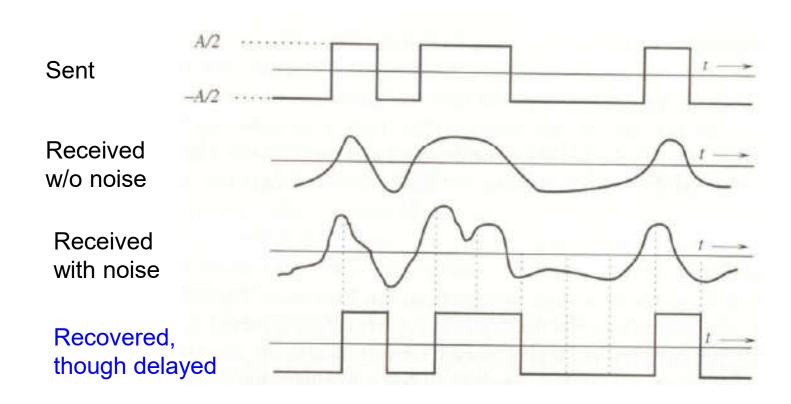
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### 1. noise immunity

Recovered despite small distortion and noises

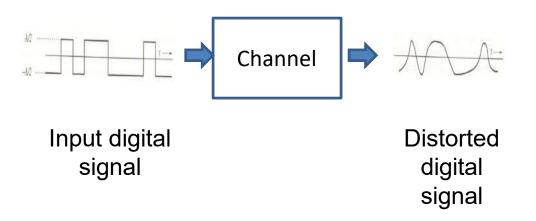


# Repeater's Role in Digital Message/Signal

- Distortion and noise are unavoidable in channel
- Repeaters and nodes regenerates digital pulses

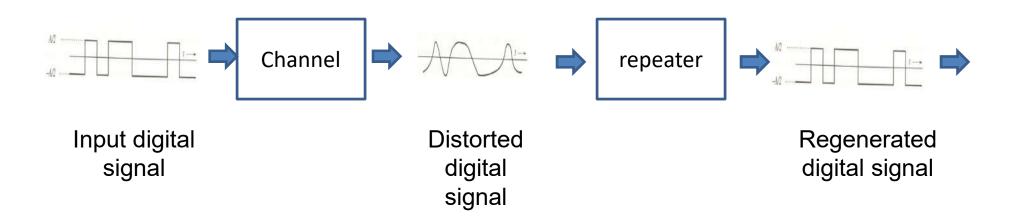
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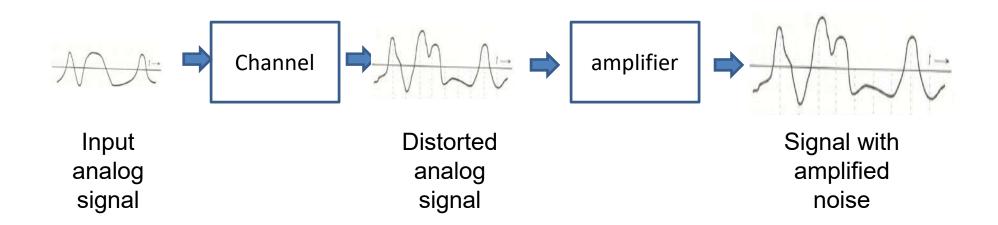


### Repeater's Role in Analog Message/Signal

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- Repeaters are filters and amplifiers in analog signals
- Amplifier amplifies both signal and noise

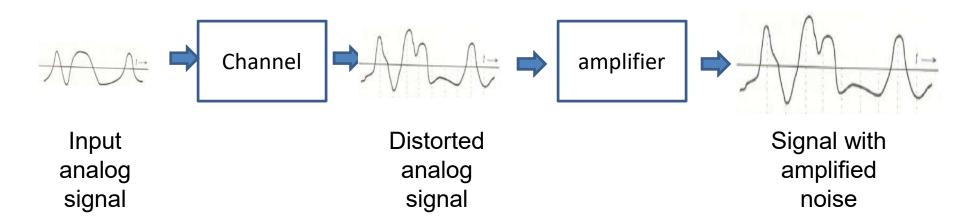
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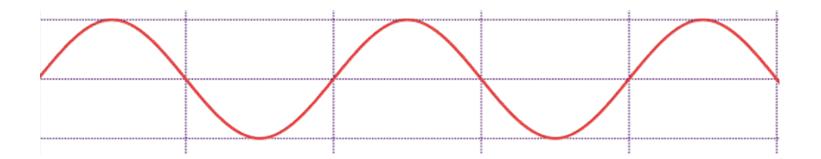
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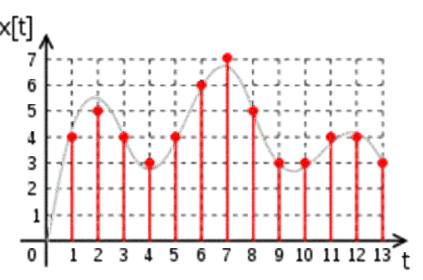
Noise accumulates along the path! No improvement at all !!

 A/D conversion enables digital communication to convey analog signals

- A/D conversion enables digital communication to convey analog signals
- Analog signal characteristics
  - values are continuous
  - defined over continuous/discrete time



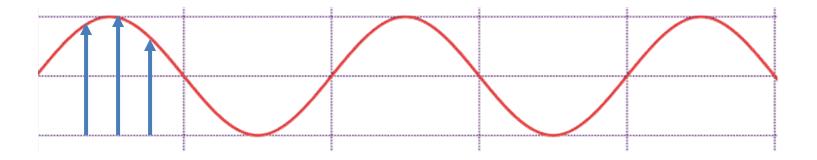
- A/D conversion enables digital communication to convey analog signals
- Digital signal characteristic's
  - values are a finite discrete set
  - defined over preferably discrete time x[t]



- 2 major steps
  - Sampling
  - Quantization

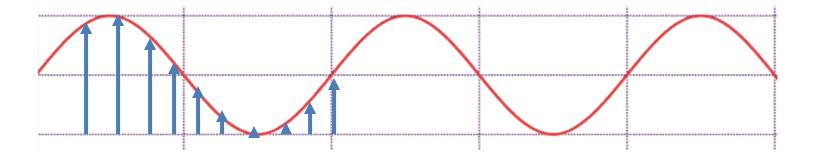
### Sampling

- Governed by Nyquist 's Sampling theory
- Selects points for sampling



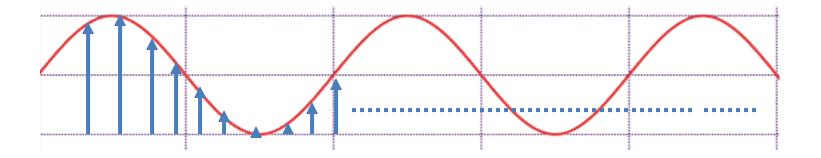
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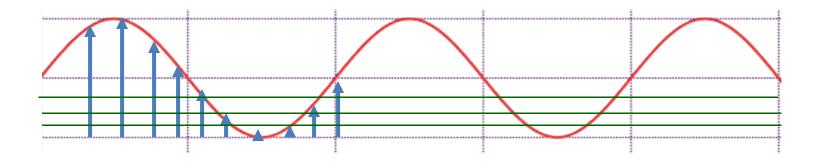
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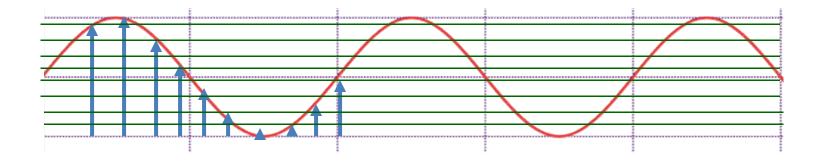
#### Quantization

- Values replaced by a set of L distinct values
- Usually  $L = 2^k$

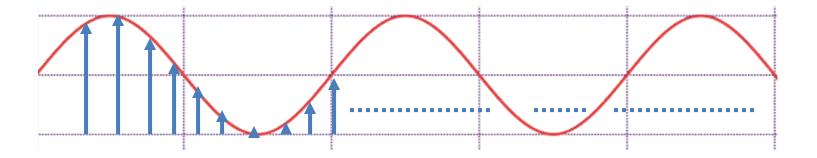


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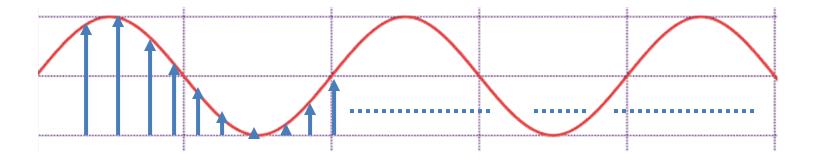


Increasing sampling rate retains original shape

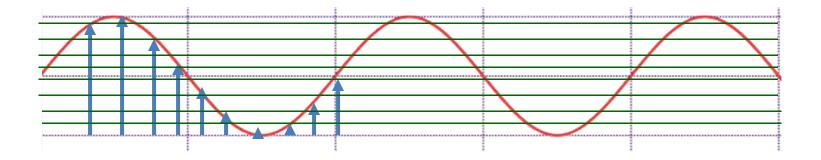


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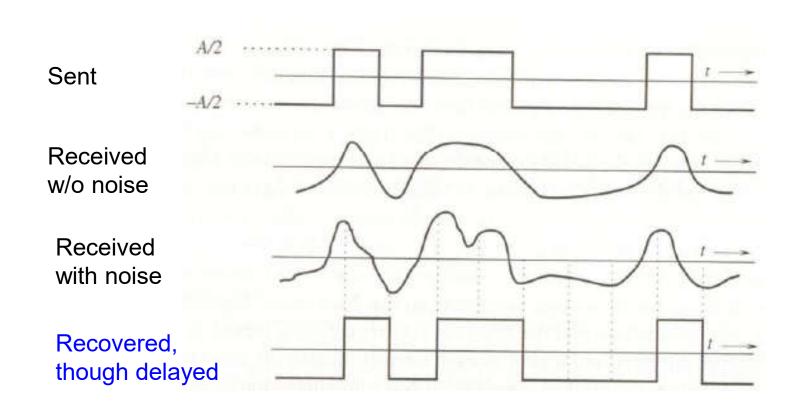
Remember Nyquist's theorem!



- Increasing Quantization level L
  - increases accuracy
  - more noise immunity
  - but requires higher channel bandwidth

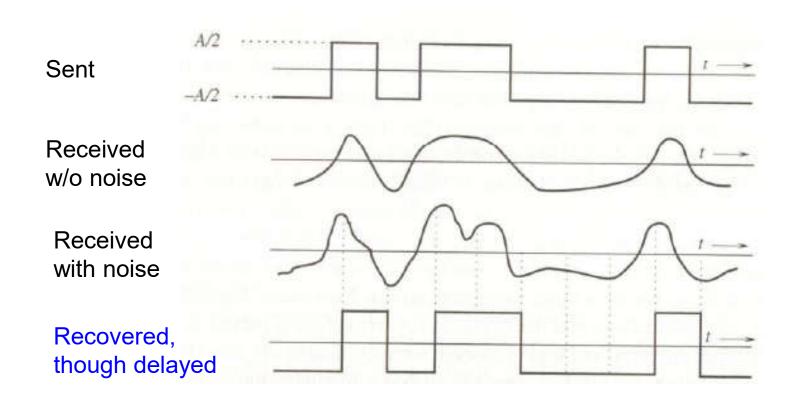


Recall this figure

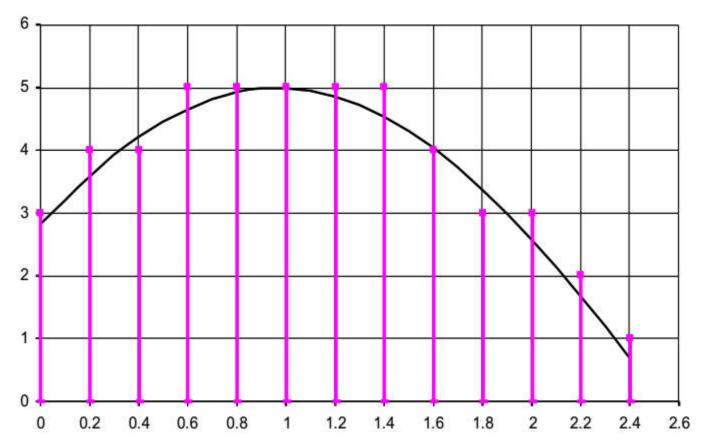


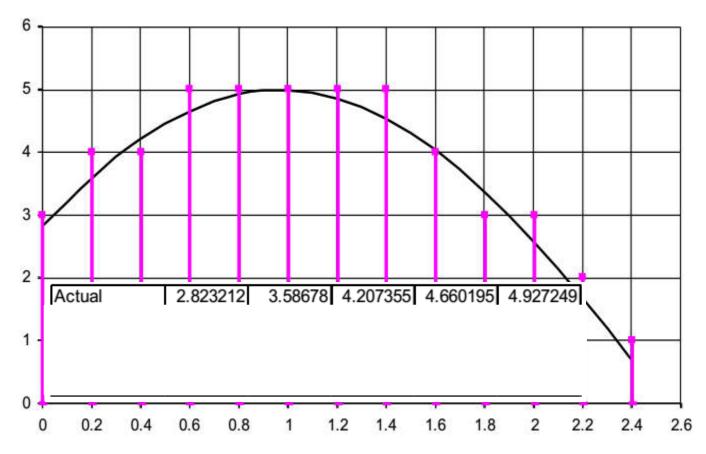
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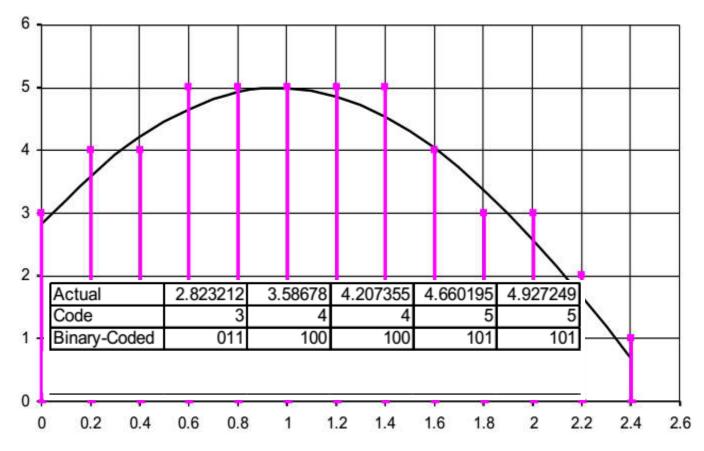
- Detection is easy when A >> noise
- Usually A >> 5-10 times of noise

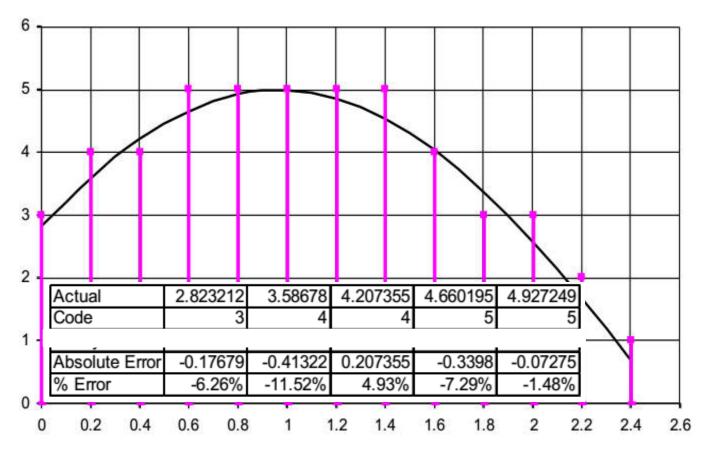


Problem: quantization error is unavoidable



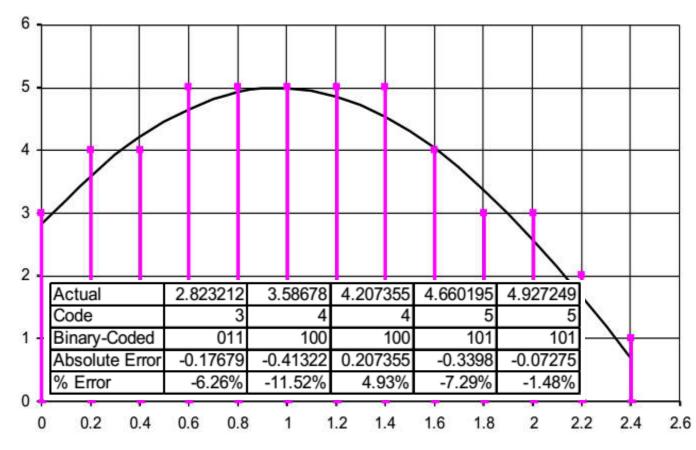






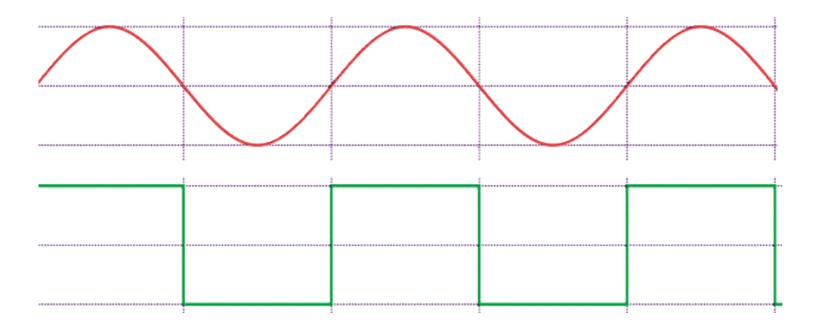
Problem: quantization error is unavoidable

Quantization error can be minimized increasing *L* 



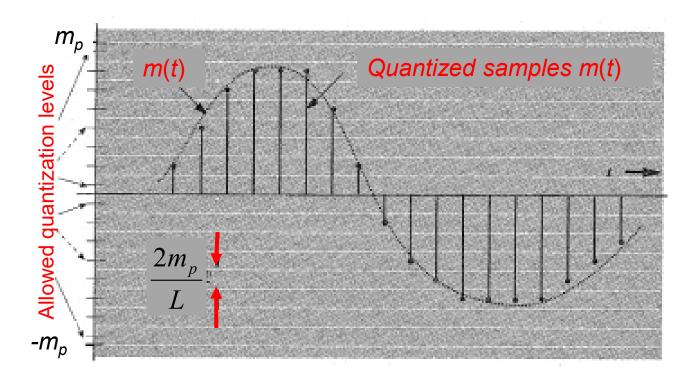
• Assume, No. of quantization level, L = 2

- Assume, No. of quantization level, L = 2
  - Easy to represent or transmit



If No. of quantization level, L >> 2

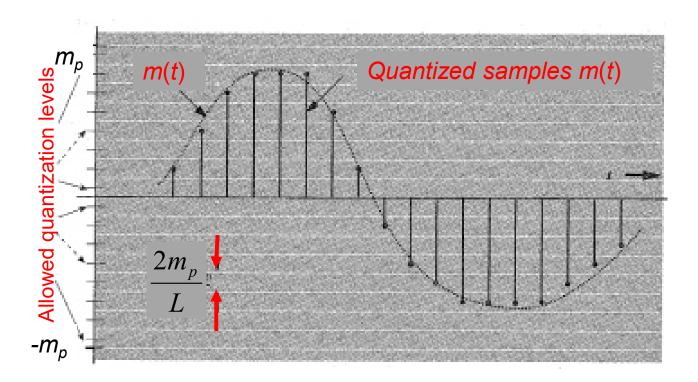
If No. of quantization level, L >> 2



Each sample is represented by one of *L* levels

- If No. of quantization level, L >> 2
  - Solution is PCM
  - Each quantized value is represented by a sequence of binary pulses.

• Assume, L = 16



- Assume, L = 16
  - Each quantized value is represented by a sequence of FOUR binary pulses.

Digit	Binary equivalent	Pulse code waveform
0	0000	200
- 1	0001	HI 100 100
2	0010	H H H
3	0011	88 NO.
4	0100	W 20 W
5	0101	N ST
6	0110	12 M
7	0111	- N N N
8	1000	_38L_
9	1001	<u>88 88 88.</u>
10	1010	<u> </u>
. 11	1011	-5 - 3 - 5
. 12	1100	_N N N
13	1101	<u> </u>
14	1110	06 18 18 <sub>38</sub>
15	1111	_10 M 10 M