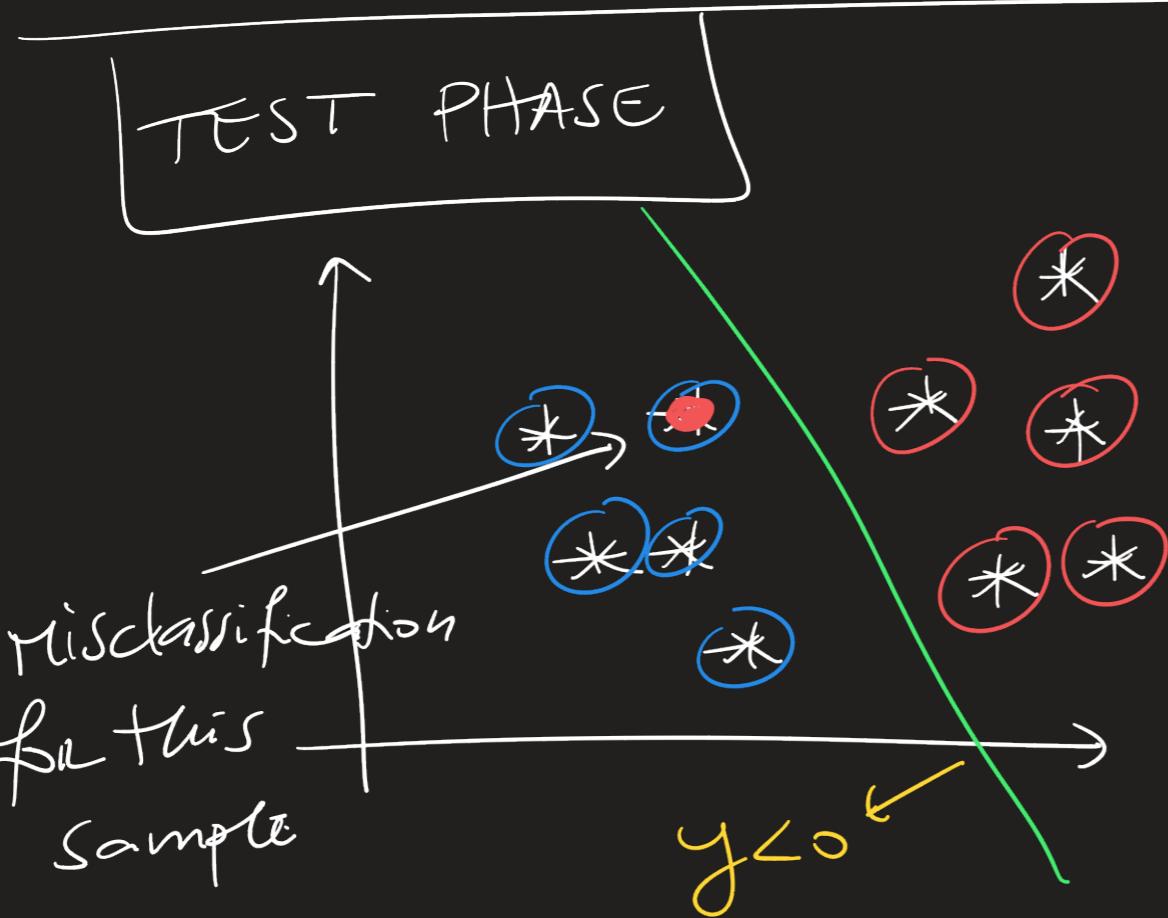
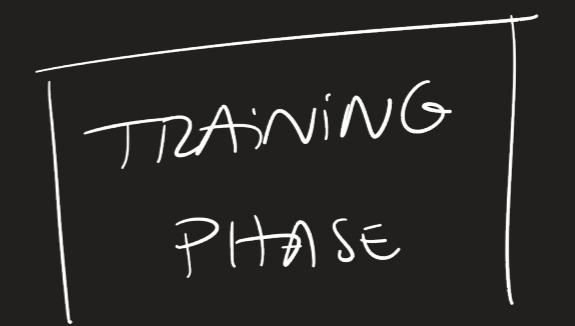


classes or target labels
 \circ : MACAW (LABEL 1)
 \times : CONURE (LABEL 0)

If $y > 0$: predict 1
If $y < 0$: predict 0

LINEAR discriminator
classifier
 $y(x_1, x_2)$



$$\text{DATASET } X = \{(x_i, t_i)\}_{i=1}^N, x_i \in \mathbb{R}^2, t_i \in \{0, 1\}$$

100%

TRAINING
SET

- used to choose system configurations
- used to tune hyperparameters of model

TEST
SET

- used to evaluate performance of final trained model
- it must not be used during training to avoid data leakage.

70%
80%

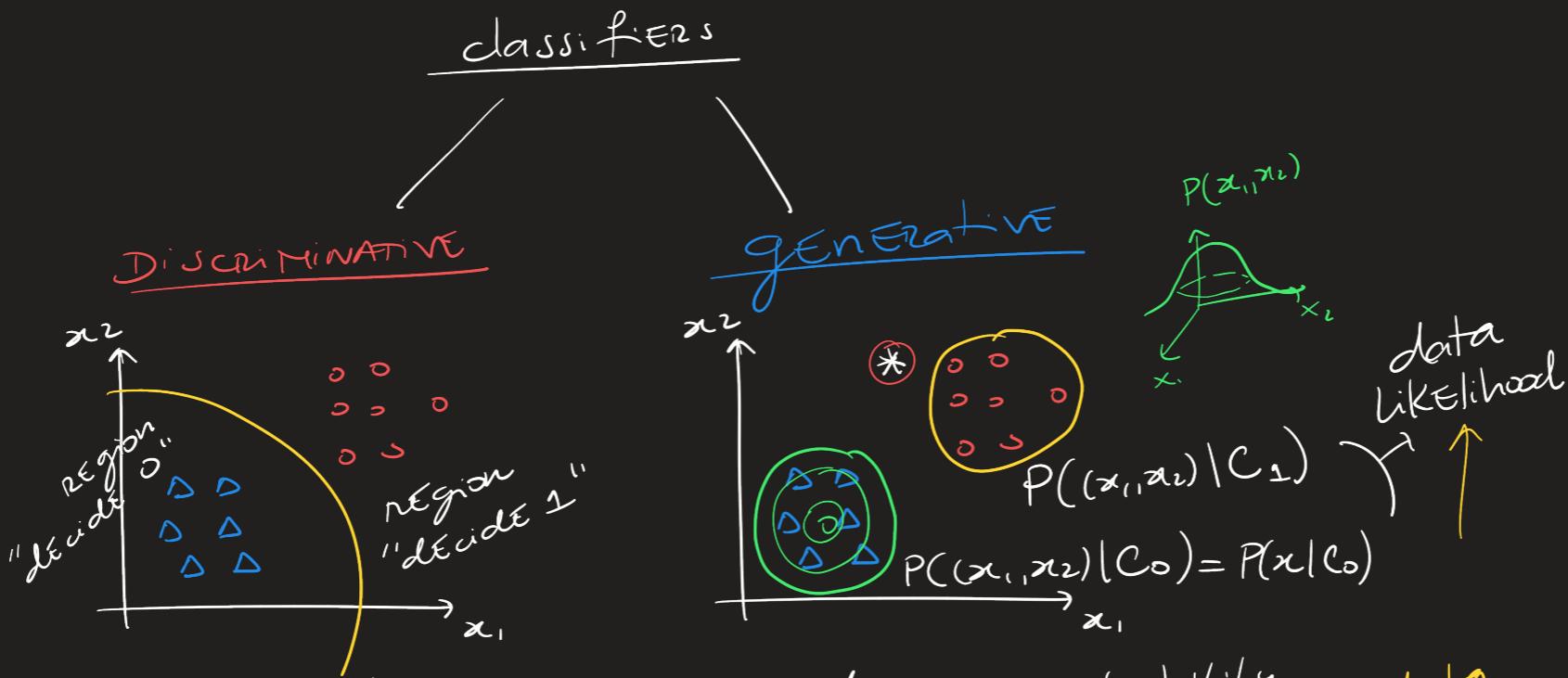
30%
20%

TRAIN
FOLD

- used to train the model's parameters

VALIDATION
FOLD

- used during training to check the model's generalization ability.



discriminate / separate
feature space
into class regions

probabilistic
discriminative
classifier

e.g. Logistic
REGRESSION

Models a probability distribution for each class.

$$P(C_0 | *) + P(C_1 | *) = 1 \quad \begin{matrix} \nearrow \text{data likelihood} \\ \searrow \text{(class) prior prob.} \end{matrix}$$

$$P(C_0 | *) = \frac{P(*) | C_0)}{P(*) | C_0)} \quad \begin{matrix} \nearrow \text{Evidence prob.} \\ \searrow \text{Bayes' theorem} \end{matrix}$$

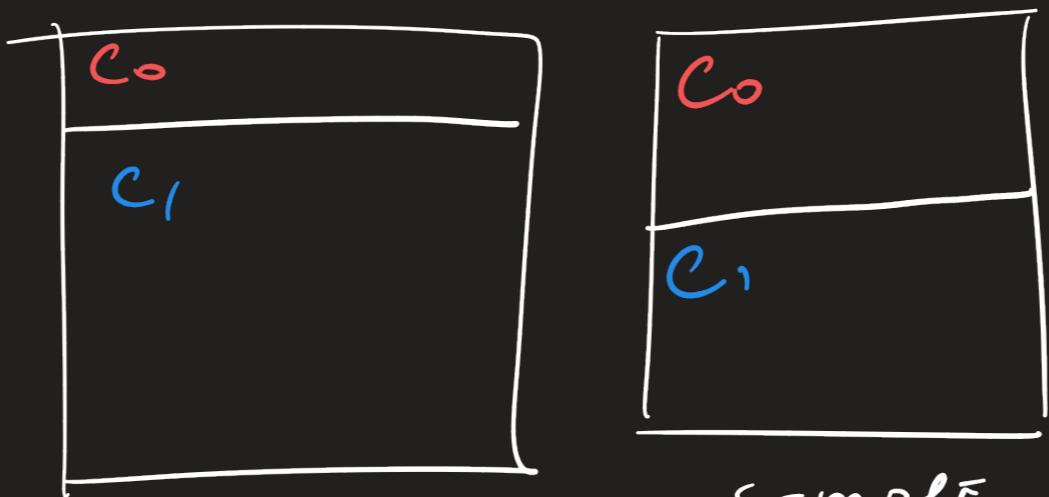
If $P(C_0 | *) > P(C_1 | *)$:
decide $* \in C_0$

Otherwise:
decide $* \in C_1$

Evidence \in prob.

$$P(*) = \underbrace{P(*|C_0)}_{\downarrow} \cdot P(C_0) + \underbrace{P(*|C_1)}_{\downarrow} \cdot P(C_1)$$

Law of Total probability.

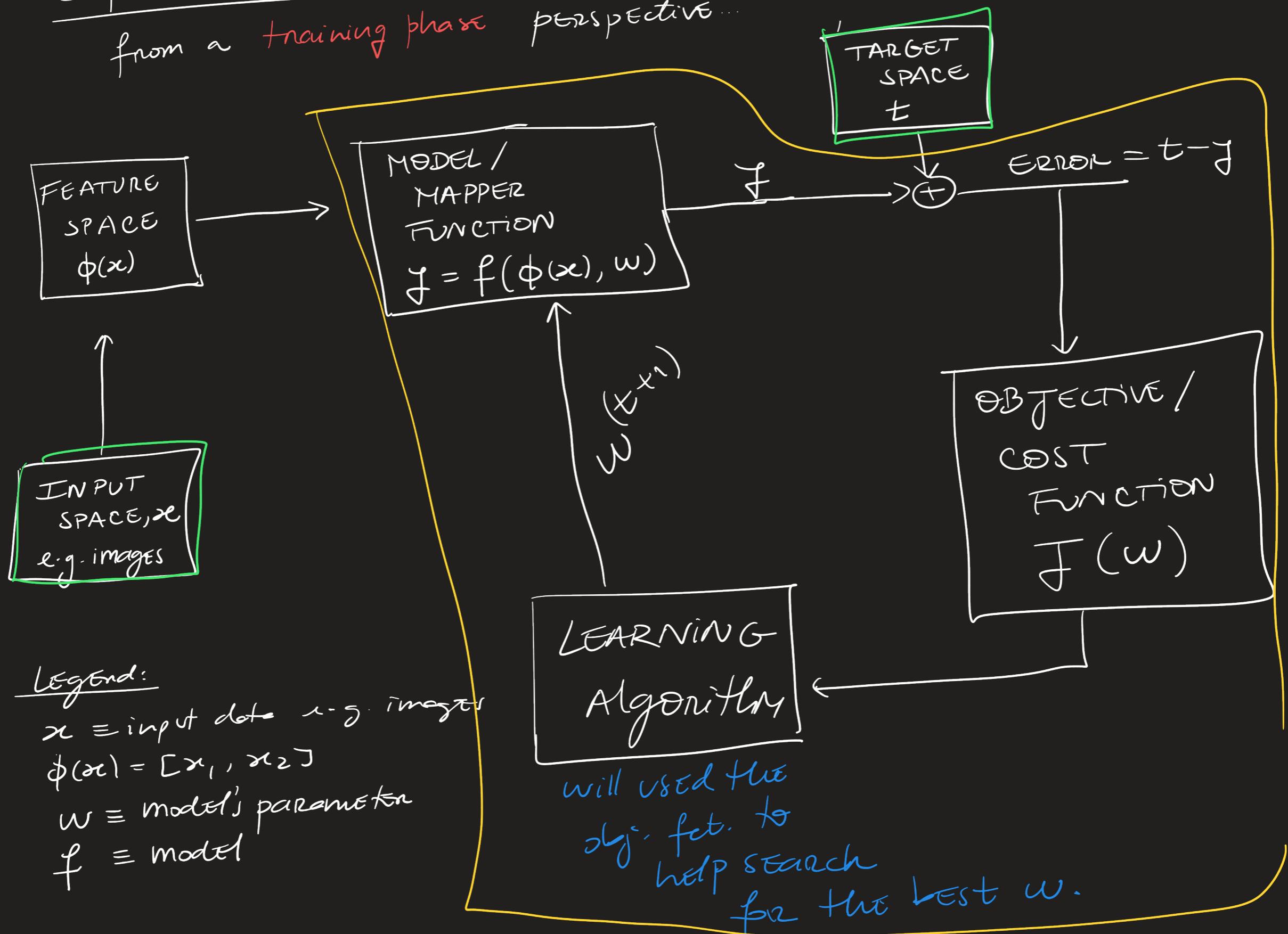


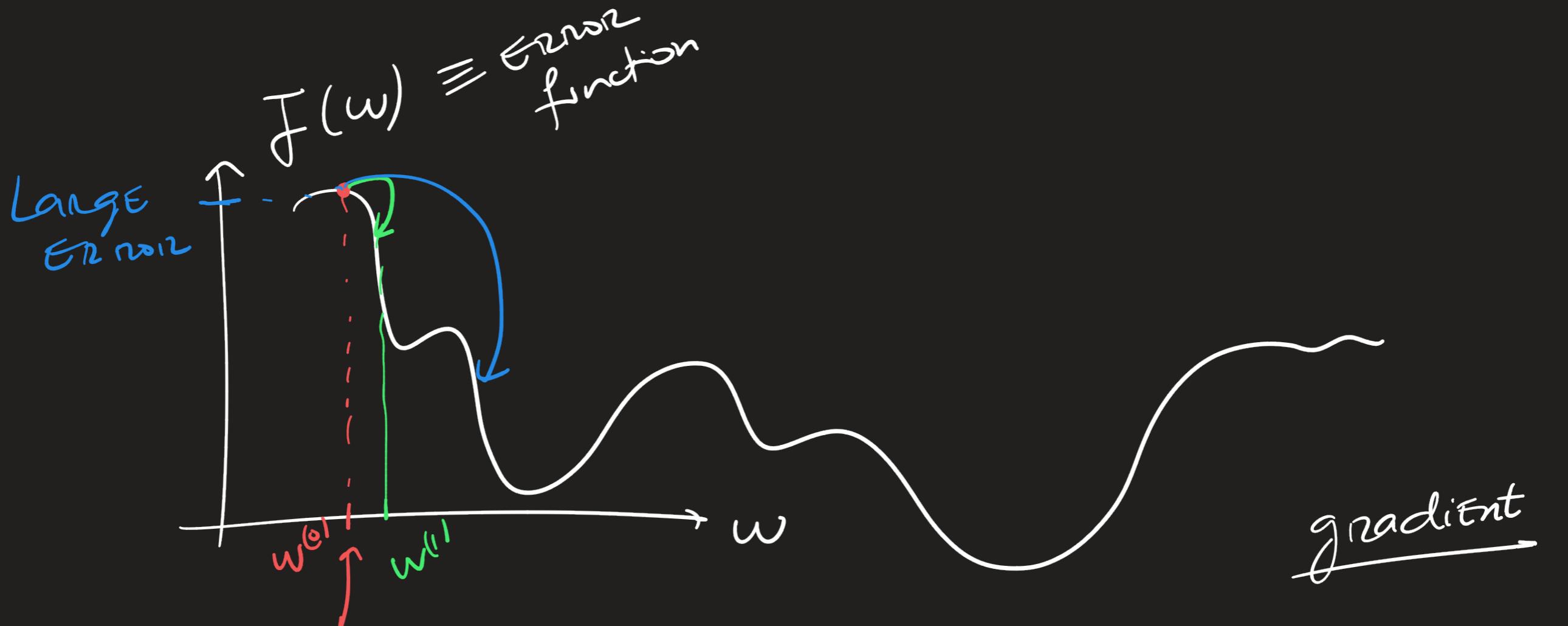
$$= G(*|\mu_0, \Sigma_0) \cdot P(C_0) + G(*|\mu_1, \Sigma_1) \cdot P(C_1)$$

for example

Supervised Learning Flowchart

from a training phase perspective





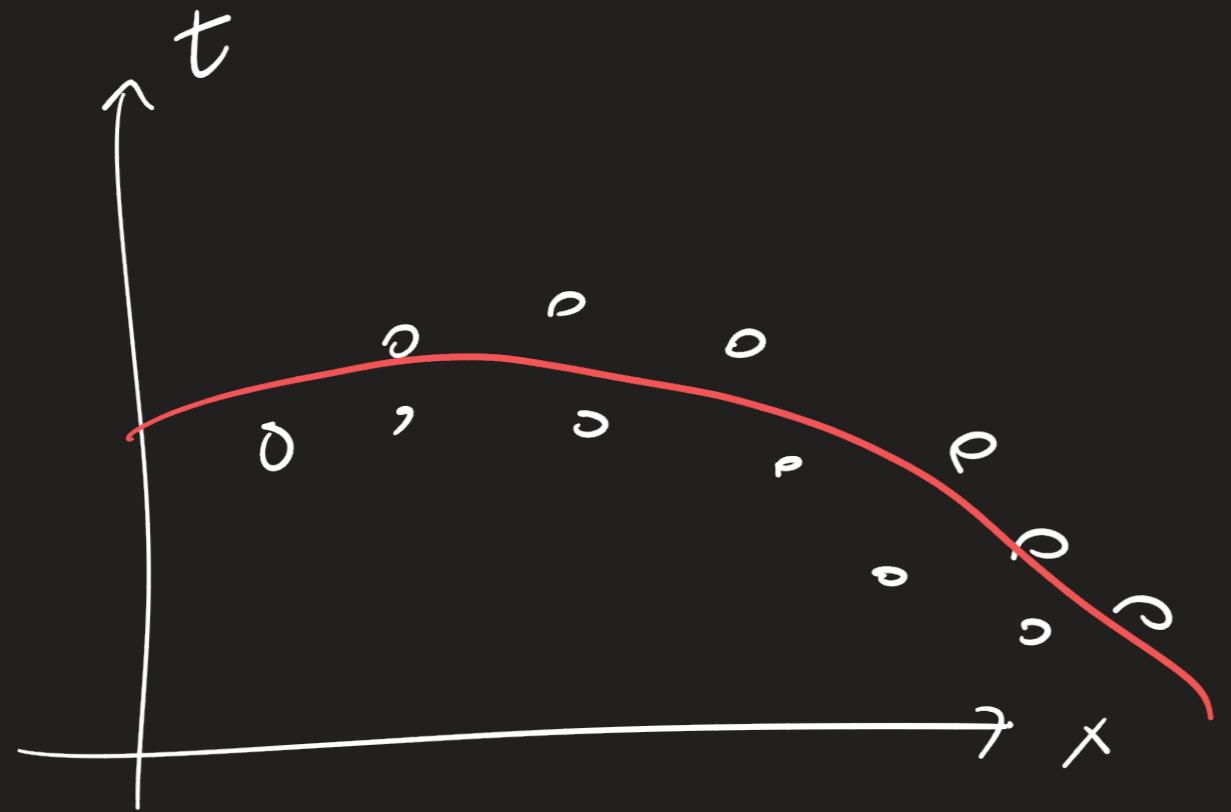
initial parameters

Gradient DESCENT

example of a learning algorithm.

$$w^{(1)} = w^{(0)} - \gamma \nabla J(w^{(0)})$$

↑
learning rate



Regression task
↳ Supervised
Learning.