

Stata Session 1. Data Input

cd p:\econ382

[Set as the main folder the folder of your choice. The folder should be created before running this command]

log using log1.txt, text replace

[Create a log file in a text format. From now on all the output will be saved in this file]

set more off

[Continue running the output if it is too long to appear on one screen]

display 2+2

[can be used to calculate any expression]

How to open data: File - Open - choose the file in a .dta format

edit

[Open Data Editor]

browse

[Open Data Browser]

clear

[Clear the dataset used]

help clear

[help command returns a help window for this command]

How to input data:

1) Open Data Editor, Copy from the source and paste into the Data Editor. Save in .dta format.

2) Manual input

input unemp

210

220

350

end

[This allows you to manually create a variable unemployment]

3) Import from the Excel. To do that, save the Excel file in a .csv format. Then go File - Import - Spreadsheet - Choose the .csv format - Choose the file - Ok.

In some version, there is an option to import directly from Excel. File - Import - Excel Spreadsheet.

Stata Session 2. Data Management

list

list year

list year unemp

[List values of variables; lists all variables if specific variables are not indicated]

rename unemp unemployment

[Rename the variable unemp, the new name is unemployment]

su

sum

summarize

su lfp

[Summarize variables, returns mean, standard deviation, number of values, minimum and maximum values]

su, detail

[Returns more statistics, such as percentiles, and etc.]

help operator

[Opens the list of algebraic operators, including the relational ones:

> greater than

< less than

>= > or equal

<= < or equal

== equal

!= not equal

~= not equal

Relational operators are used only for conditions, for example "if var<6"]

su if year>2005

su if year==2005 [su if year=2005 is a wrong command!]

su if year!=2005

describe

describe lfp

[Describes the variable, shows the label, storage type, and etc.]

label var lfp "Labor force participation rate in the U.S."

label var unemp "Unemployment rate in the U.S."

[Changes the label of a variable]

tab year

[Shows frequency distribution for a variable]

sort lfp

sort year

[Sort the values of the variable]

gen unempsq=unemp^2

```
gen percentlfp=lfp/100  
gen uselessvariable= lfp+ unemployment  
gen smallunemp=1 if unemployment<=5  
gen k=6
```

[Generate a new variable on the basis of the existing ones, any numbers, and any algebraic operations. Be careful, save the data that includes new important variables.]

[If a variable contains missing values, then they are denoted with .]

```
replace smallunemp=2 if smallunemp==.  
replace uselessvariable=1000 if year<2003  
[Replaces some values of the variables]
```

```
drop unempsq  
drop percentlfp uselessvariable smallunemp  
[Drop variables]
```

```
drop if unemployment>8  
[Drop observations]
```

Stata Session 3 Part 1. Simple Regression

twoway (scatter Consumption Income)

[Creates a scatter plot, the first variable is dependent (Y scale), the second is independent (X scale)]

twoway (lfit Consumption Income)

[Creates a linear prediction fit plot for two variables]

twoway (lfit Consumption Income) (scatter Consumption Income)

[Creates a graph with a scatterplot and a predicted fit line]

reg Consumption Income

regress Consumption Income

[Runs a regression of the Consumption on Income; the first variable is dependent (Y), the second is independent (X)]

reg Consumption Income if Income>=150

[Runs a regression on a restricted sample; the observation with Income<150 are not included in the analysis]

Stata Session 3 Part 2. Multiple Regression

[Use Child Mortality dataset]

reg cm flr

reg cm flr pgnp

reg cm flr pgnp tfr

[Regress variable cm on different sets of independent variables]

[Use Education Expenditure dataset]

reg educ gdp pop

[Regress variable educ on the variables gdp and pop]

[How to get the distribution values or probabilities:

Standard normal distribution:

normal() - left-tail area

invnormal() - the value for a left-tail area

t distribution:

ttail() - right-tail area

invttail() - the value for the right-tail area

Chi-square distribution:

chi2() - left-tail area

chi2tail() - right-tail area

invchi2() - the value for a left-tail area

invchi2tail() - the value for the right-tail area

F distribution:

F() - left-tail area

Ftail() - right-tail area

invF() - the value for a left-tail area

invFtail() - the value for the right-tail area]

[for example, to find $P(Z < -2)$]

display normal(-2)

[to find the upper 30% value of Z]

display invnormal(0.7)

[to find $P(t(18 \text{ df}) > 1)$]
display ttail(18,1)

[to find the upper 30% value of $t(18 \text{ df})$]
display invttail(18,0.3)

[to find $P(\text{chisq}(10 \text{ df}) < 6)$]
display chi2(10,6)
[or]
display (1-chi2tail(10,6))

[to find the upper 30% value of $\text{Chisq}(10 \text{ df})$]
display invchi2(10,0.7)
[or]
display invchi2tail(10,0.3)

[to find $P(F(5 \text{ df}, 10 \text{ df}) > 7)$]
display (1-F(5,10,7))
[or]
display Ftail(5,10,7)

[to find the upper 30% value of $F(5, 10 \text{ df})$]
display invF(5,10,0.7)
[or]
display invFtail(5,10,0.3)

Stata Session 4. Functional Forms of Regressions

[Use *Math SAT Score* dataset]

reg y x

[regress y on x]

predict yhat

[using the results of the last regression, compute predicted values of y, or yhats; save as a new variable named yhat]

predict res, residuals

[using the results of the last regression, compute residuals; save as a new variable named res]

gen manualres=y-yhat

[Suppose we want to check if the residuals found by Stata are in fact the residuals from our model. We can generate a new variable manualres, that equals (y-yhat). If we compare the variables res and manualres, we will see that they have the same values]

drop manualres

[Now that once we have residuals, we may try to check if they are normally distributed. The most apparent way to do it is to create a histogram of values. We can do it by going

Graphics – Histogram – Choose variable res – Choose number of bins – Choose frequency on Y-axis.]

reg y x

[Regress y on x (linear in x model)]

gen lny=ln(y)

gen lnx=ln(x)

reg lny lnx

[Regress lny on lnx (example of double log model)]

reg y lnx

[Regress y on lnx (example of lin-log model)]

reg lny x

[Regress lny on x (example of log-lin model)]

[Use *Production Function for Mexican Economy* dataset]

gen lngdp=ln(gdp)

gen lnlabor=ln(labor)

gen lncapital=ln(capital)

reg lngdp lnlabor lncapital

[This is another example of the model where both dependent variable and independent variables are in log form (double-log or “log-linear” model)]

[Use *Population Growth* dataset]

gen lnuspopulation=ln(uspopulation)

reg lnuspopulation time

[This is another example of log-lin model]

[NOTE: Log-lin and log-linear models are not the same! Log-linear is the same as double-log.]

[Use *Inflation and Unemployment* dataset]

reg inflrate unrate

gen unrateinv=1/unrate

reg inflrate unrateinv

[This is an example of a reciprocal model; comparing it with the linear model]

[Use *Hourly Wage and Age* dataset]

gen agesq=age^2

reg wage age agesq

[This is an example of polynomial model]

[Use *Political Instability and Size Interaction* dataset]

gen sizepins=size*pins

reg lnprod size pins sizepins

[This is an example of a model with an interaction term]

[Use again *Math SAT Score* dataset]

reg y x, nocons

[This is an example of regression through the origin (no constant regression)]

gen xthous=x/1000

label var xthous "Annual family income, thousands of dollars"

reg y xthous

[We are changing the units of measurement for the x variable. Now we can compare this model to the original one]

reg y x

egen standardized_y=std(y)

egen standardized_x=std(x)

[Generate standardized variables. This is the same as if we generated variables $(y-ybar)/st.dev(y)$ and $(x-xbar)/st.dev(x)$, where the means and the standard deviations could be taken from the summary report]

reg standardized_y standardized_x, nocons

[Run a regression of standardized variables]

set mem 1g

[This increases Stata store memory so that we can use large data file]

[Open *PUMS_NYC* dataset]

[Numeric (or quantitative) variables examples:

Age (age, years),

income (total personal income, dollars),

JWMNP (travel time to work, minutes).]

[For numeric variables, summary statistics is useful]

su Age income JWMNP

[For numeric variables, frequencies are not very useful]

tab Age

tab income

tab JWMNP

[Categorical (or qualitative) variables examples:

SEX (sex; 1=male, 2=female),

boroughs (borough of the person's home; 1=the Bronx, 2=Manhattan, 3=Staten Island, 4=Brooklyn, 5=Queens),

MAR (marital status; 1=married, 2=widowed, 3=divorced, 4=separated, 5=never married).]

[For categorical variables, summary statistics makes no sense]

su SEX boroughs MAR

[For categorical variables, frequencies are useful]

tab SEX

tab boroughs

tab MAR

[Binary (or logic, or indicator, or dummy) variables examples:

africanamerican (africanamerican race; 1=yes, 0=no),

kids_under6 (the person has kids under 6 years; 1=yes, 0=no),

foreign_born (the person was born outside the US; 1=yes, 0=no).]

[For binary variables, both the summary statistics and the frequency tabulation are useful]

su africanamerican kids_under6 foreign_born

tab africanamerican

tab kids_under6

tab foreign_born

[So binary variables have the features of both quantitative and qualitative variables]

	Numeric variables	Binary Variables	Categorical variables
Summary Statistics (su)	+	+	-
Frequencies (tab)	-	+	+

[We can create dummy variables using any variables.

Consider first how to create dummies out of categorical variables. We will use SEX (male=1, female=2)]

gen male=1 if SEX==1

replace male=0 if SEX==2

(or, instead, **replace male=0 if male==.**)

[Now we will create dummies out of boroughs (1=the Bronx, 2=Manhattan, 3=Staten Island, 4=Brooklyn, 5=Queens)]

gen bronx=1 if boroughs==1

replace bronx=0 if bronx==.

gen manhattan=1 if boroughs==2

replace manhattan=0 if manhattan==.

gen statenisland=1 if boroughs==3

replace statenisland=0 if statenisland==.

[and so on.]

[There is a special command that automatically creates dummies for each category of categorical variable]

tab boroughs, gen(b)

tab MAR, gen(marst)

[Now consider how to create dummies out of numeric variables. We may be interested in using such variables in some cases. We will use the variable Age]

gen young=1 if Age<=25

replace young=0 if young==.

[We can have more groups]

gen old=1 if Age>65

replace old=0 if old==.

gen midage=1 if young==0&old==0

replace midage=0 if midage==.

[Recall that "&" means "and" (intersection), "|" means "or" (union)]

[We may create a dummy for more than one category of a qualitative variable]

gen brq=1 if boroughs==4|boroughs==5

replace brq=0 if brq==.

[Use *PUMS_NYC* dataset]

reg income male

[Regress dependent variable on one dummy]

reg income male Age

[Regress dependent variable on one dummy and one quantitative variable]

reg income male africanamerican

[Regress dependent variable on two dummies]

reg income b1-b4

[Regress dependent variable on several dummies that represent one categorical variable. The variable b5 is excluded to avoid multicollinearity.]

reg income b1 b3 b4 b5

[The same case as the previous one; now b2 is excluded]

reg income Age WKEXREL male africanamerican nativeamerican asianamerican Hispanic kids_under6 foreign_born marst1-marst4

[Regress dependent variable on many quantitative and qualitative variables]

gen formanh= foreign_born* b2

[This generates the interaction term for foreign_born and Manhattan]

reg income foreign_born b2 formanh

[Regress dependent variable on two dummies and their interaction]

gen agemale=Age*male

[This generates the interaction term for Age and male]

reg income male Age agemale

[Regress dependent variable on one quantitative variable, one dummy, and on their interaction]

[Use *Refrigerator Sales* dataset]

reg refrigerator_sales quarter2 quarter3 quarter4

[This is an example of seasonal analysis]

[Use again *PUMS_NYC* dataset]

gen manhattan=1 if boroughs==2
replace manhattan=0 if manhattan==.

gen male=1 if SEX==1
replace male=0 if male==.

tab educ_indx, gen(ed)

reg manhattan ed2-ed6 Age male

[This is an example of a linear probability model, where the dependent variable is binary. We are predicting the probability that a person lives in Manhattan given his age, gender and level of education.]

Stata Session 6. Heteroscedasticity

[Use *Los Angeles Restaurants* dataset]

reg price food service

predict pricehat

[Using the results of the last regression, compute predicted values of dependent variable, or yhats; save as a new variable named pricehat]

predict res, residuals

[Using the results of the last regression, compute residuals; save as a new variable named res]

gen ressq=res^2

[Generate squares of residuals; save as a new variable named ressq]

histogram res

histogram ressq

[Create histogram of residuals or squared residuals distribution]

twoway (scatter ressq food)

twoway (scatter ressq service)

[Create residual plot: squared residuals versus explanatory variable, to detect a possible heteroscedasticity]

reg ressq food

reg ressq service

reg ressq pricehat

[Breusch-Pagan test: regress squared residuals on the X-variable; if more than one X are correlated with residuals, then regress squared residuals on Yhat (since Yhat is a linear combination of X's.)]

[If F-test is significant, then there may be heteroscedasticity.]

gen lnressq=ln(ressq)

gen lnpricehat=ln(pricehat)

reg lnressq lnpricehat

[Park test: regress log of squared residuals on X-variable (or Yhat)]

[If the coefficient on the explanatory variable used is significant, then there may be heteroscedasticity.]

gen absres=abs(res)

gen rootpricehat=sqrt(pricehat)

gen pricehatinv=1/pricehat

reg absres pricehat

reg absres rootpricehat

reg absres pricehatinv

[Glejser test in three versions: regress absolute value of residuals on X, or square root of X, or X inverse]

[If the coefficient on the explanatory variable used is significant, then there may be heteroscedasticity.]

gen foodsq=food^2

gen servicesq=service^2

gen foodservice=food*service

reg ressq food service foodsq servicesq foodservice

[White's test: regress squared residuals on X's, their squares and cross-products.]

[If $n \cdot R$ -squared is higher than $\text{Chi-Sq}(k-1)$, then there may be heteroscedasticity.]

reg price food service, robust

[Run a regression, but estimate standard errors using White's heteroscedasticity correction.]

twoway scatter (ressq pricehat)

[Create a residual plot to check if there is linear or a quadratic relationship between squared residuals and X's]

[If the relationship is linear]

gen y=price/rootpricehat

gen x1=1/rootpricehat

gen x2=food/rootpricehat

gen x3=service/rootpricehat

reg y x1 x2 x3, nocons

[Perform a square root transformation of the original regression to stabilize the variance of disturbances.]

[At this point we can try to check if we got rid of heteroscedasticity, using any of the methods. We predict residuals and test them for relationship with X's.]

predict yhat

predict r, residuals

gen rsq=s^2

reg rsq yhat

[If the F-test is not significant, then we actually got rid of heteroscedasticity.]

[If the relationship is not linear]

gen y=price/pricehat

gen x1=1/pricehat

gen x2=food/pricehat

gen x3=service/pricehat

reg y x1 x2 x3, nocons

[Perform a square root transformation of the original regression to stabilize the variance of disturbances.]

[At this point we can try to check if we got rid of heteroscedasticity, using any of the methods. We predict residuals and test them for relationship with X's.]

predict yhat

predict r, residuals

gen rsq=s^2

reg rsq yhat

[If the F-test is not significant, then we actually got rid of heteroscedasticity.]

gen lnprice=ln(price)

gen lnfood=ln(food)

gen lnservice=ln(service)

reg lnprice lnfood lnservice

[Respecification of the original regression. May be used if the log-linear functional form is also acceptable, which is not always the case.]

Stata Session 7. Autocorrelation

[Use *Dividends and Corporate Profits* dataset.]

```
reg div prof
predict res, residuals
egen time=seq( )
```

[Create a sequence variable (1, 2, 3, 4, etc.) named *time*.]

```
twoway (scatter res time)
```

[Plot residuals against time to assess the possible autocorrelation]

```
tset time
```

[Declare data to be time series data. This step is necessary in order to run the next command.]

```
gen reslag=res[t-1]
```

[Generate a lagged variable for *res* named *reslag* (The first value of *reslag* is the second value of *res*; the second value of *reslag* is the third value of *res*, and etc.).]

```
twoway (scatter res reslag)
```

[Plot residuals against one period lagged residuals to assess the possible autocorrelation]

```
estat dwatson
```

[Perform Durbin-Watson test for autocorrelation.]

```
gen x=res - reslag
```

```
gen xsq=x^2
```

```
egen xx=sum(xsq)
```

```
display 70377.805/118661.179
```

[The same test (DW) done manually. The results are the same.]

```
runtest res, thresh(0)
```

[Perform runs test, use the variable *res* and set threshold level at 0. (If this option is not specified, the default threshold is the median value).]

```
gen m=1 if res>0
```

```
replace m=0 if res<0
```

```
tab m
```

[The first steps of the runs test. There is no fast way to find manually number of runs.]

[Model transformations: using different values of rho.]

```
gen divlag=div[t-1]
```

```
gen proflag=prof[t-1]
```

[Generate one period lagged variables for dependent and independent variables]

```
gen rho1=1
```

[Set the first possible estimate of rho as 1]

gen rho2=1- (.5930988/2)

[Find the second possible estimate of rho out of DW test]

reg res reslag

gen rho3=.7288331

[Find the third possible estimate of rho from the residuals regression]

[Run the first transformed regression]

gen divstar1=div- rho1* divlag

replace divstar1=div*sqrt(1-rho1^2) in 1

gen profstar1=prof-rho1*proflag

replace profstar1=prof*sqrt(1-rho1^2) in 1

reg divstar1 profstar1, nocons

[Test it for autocorrelation]

estat dwatson

predict resstar1, residuals

runtest resstar1, thresh(0)

[Run the second transformed regression]

gen divstar2=div- rho2* divlag

replace divstar2=div*sqrt(1-rho2^2) in 1

gen profstar2=prof-rho2*proflag

replace profstar2=prof*sqrt(1-rho2^2) in 1

reg divstar2 profstar2

[Test it for autocorrelation]

estat dwatson

predict resstar2, residuals

runtest resstar2, thresh(0)

[Run the third transformed regression]

gen divstar3=div- rho3* divlag

replace divstar3=div*sqrt(1-rho3^2) in 1

gen profstar3=prof-rho3*proflag

replace profstar3=prof*sqrt(1-rho3^2) in 1

reg divstar3 profstar3

[Test it for autocorrelation]

estat dwatson

predict resstar3, residuals

runtest resstar3, thresh(0)

newey div prof, lag(1)

[Run a regression with Newey-West HAC (heteroscedasticity and autocorrelation) corrected standard errors. Compare to the original OLS regression: standard errors were underestimated.]