

Homework 1

CSC410 - Parallel Computing

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1. The identity values for each operator is as follows:

&&	1
	0
	0
^	0

2. We can do this by declaring a private variable inside the **parallel** block and initializing it with the identity value of the operator we are using. We then use the **critical** pragma before updating the global variable.

3. (a)

```
# pragma omp parallel for num_threads(thread_count) \
    default(none) private(i) shared (a, b, x)
    for(i=0; i<(int) sqrt(x); i++) {
        a[i] = 2.3*i;
        if (i < 10) b[i] = a[i];
    }
```

- (b) This seems to be a sequential program. It looks like the objective is to start from the beginning of the **a** array and set each value to **2.3*i**. The program should stop after the first instance of **a[i] < b[i]** however, if we parallelize this, the flag could be set at the wrong time and cause an early loop termination.

- (c)

```
# pragma omp parallel for num_threads(thread_count) \
    default(none) private(i) shared (a, n)
    for(i=0; i<n; i++)
        a[i] = foo(i);
```

- (d)

```
# pragma omp parallel for num_threads(thread_count) \
    default(none) private(i) shared (a, b, n)
    for(i=0; i<n; i++) {
        a[i] = foo(i);
        if(a[i] < b[i]) a[i] = b[i];
    }
```

- (e) Similar to 3(b), this is not suitable for parallel execution because it could cause an early loop termination when one of the threads executes the **break** statement.

- (f)

```
dotp = 0;
# pragma omp parallel for num_threads(thread_count) \
    default(none) private(i) shared (dotp, a, b, n) \
    reduction(+: dotp)
    for(i=0; i<n; i++)
        dotp += a[i]*b[i];
```

```
(g) # pragma omp parallel for num_threads(thread_count) \
    default(none) private(i) shared (a, k)
    for (i=k; i<2*k; i++)
        a[i] = a[i] + a[i-k];
```

(h) This is similar to problem 3(g) but we need to be careful. Groups of k positions may be filled in parallel but each subsequent group of k positions depend on the preceding group

4. Given that this is an m -stage pipeline and the task has m sub-tasks, when **Task 1** comes in, it is completed after m cycles. However, as the pipeline has now filled up, every cycle that follows completes another task. So the completion times of **Task 2**, **Task 3**, and **Task 4** are $m+1$, $m+2$, and $m+3$ respectively.

Therefore, for an m -stage pipeline executing m sub-tasks that each require 1 unit of time, n tasks can be processed in $m+n-1$ time.

5. If the address of the nodes in a hypercube has n bits, it can have 2^n nodes at most and each node will have n edges.

Perform an **XOR** between u and v . Count all the 1 bits. This gives you the minimum number of steps to reach v . You may start from either end and flip each bit if they are different, keep them same if they match.

```
for each bit of u
    if it differs from the bit of v in the same position
        change the bit // i.e. move to the neighboring node
    // else stay at the same node
```

e.g. $u = 110$, $v = 011$

```
Move to: 111
Move to: 111
Move to: 011
```