```
% Aaron Bruner
% C16480080
% MATLAB 3
clear; clc; close all;
%1.1
xt = 0:19; % Time for x[n]
ht = 0:29; % Time for h[n]
x = ((xt>=0)&(xt<=19));
h = ((ht>=0)&(ht<=29));
figure();
subplot 211;
plot([0,0],[-1,2],'LineStyle','-','Color',[0,0,0],'LineWidth',1);
stem(xt, x, 'Marker','.','Color',[0,0,0.8],'LineWidth',2);
hold off;
axis([-1,20,-1,2]);
title('Plot for Part 1.1 - x[n]');
xlabel('n');
ylabel('x[n]');
subplot 212;
plot([0,0],[-1,2],'LineStyle','-','Color',[0,0,0],'LineWidth',1);
hold on;
stem(ht, h, 'Marker','.','Color',[0,0.8,0],'LineWidth',2);
hold off;
axis([-1,30,-1,2]);
title('Plot for Part 1.1 - h[n]');
xlabel('n');
ylabel('h[n]');
%1.2
xht = xt(1)+ht(1):xt(end)+ht(end);
z = conv(x,h);
fprintf('1.3\n');
fprintf('The peak height is: %i', max(z));
fprintf(' which is repeated %i number of times.\n', nnz(z ==
\max(z(:)));
fprintf(['\nThe gerneral case hypothesize can be written as
follows:' ...
'\nThe peek height for (x * h)[n] given x[n]''s m_1 and h[n]''s m_2
'is always just m_1 for any system. The number of repetitions is ' ...
m_2 - m_1 + 1. n');
figure();
plot([0,0],[-1,22],'LineStyle','-','Color',[0,0,0],'LineWidth',1);
```

```
hold on;
stem(xht, z, 'Marker','.','Color',[0,0,0.8],'LineWidth',2);
hold off;
axis([-1,50,-1,22]);
title('Plot for Part 1.1 - (x * h)[n]');
xlabel('n');
ylabel('(x * h)[n]');
%2.1
s = 0.01; % Sampling Time
t = 0:s:10;
tt = t(1) + t(1) : s : t(end) + t(end);
x = sqrt(t).*exp((-1).*t);
zz = conv(x,x).*s;
figure();
hold on;
plot([0,10],[0,0],'LineStyle','-','Color',
[0,0,0], 'LineWidth',1); %xaxis
plot([0,0],[0,0.5],'LineStyle','-','Color',
[0,0,0], 'LineWidth',1); %yaxis
p1 = plot(t,x,'LineStyle','-','Color',[0.8,0,0],'LineWidth',2);
hold off;
axis([0,10,0,0.5]);
title('Plot For Part 2.1 - x(t)');
xlabel('t');
ylabel('x(t)');
figure();
hold on;
plot([0,10],[0,0],'LineStyle','-','Color',
[0,0,0],'LineWidth',1); %xaxis
plot([0,0],[0,0.25],'LineStyle','-','Color',
[0,0,0], 'LineWidth',1); %yaxis
plot(tt,zz,'LineStyle','-','Color',[0.8,0,0],'LineWidth',2);
hold off;
axis([0,10,0,0.25]);
title('Plot For Part 2.1 - y(t)');
xlabel('t');
ylabel('y(t)');
%2.2
s = 0.01; % Sampling Time
xt = 0:s:20;
c = 0.393;
z = c.*(xt).^2.*exp(-xt);
MSE = sum(abs(zz - z).^2).*s;
E_z = sum(abs(z).^2).*s;
fprintf('\n2.2\nDifference between y(t) and z(t)=%0.4i.\n',MSE);
```

fprintf('MSE divided by the energy of y(t) is 0.9f.\n', (MSE/E\_z)\*100); fprintf('The best value of c is 0.3f.\n', c);

## % clear;

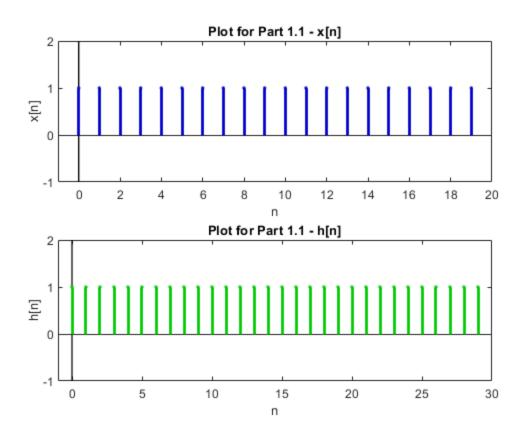
## 1.3

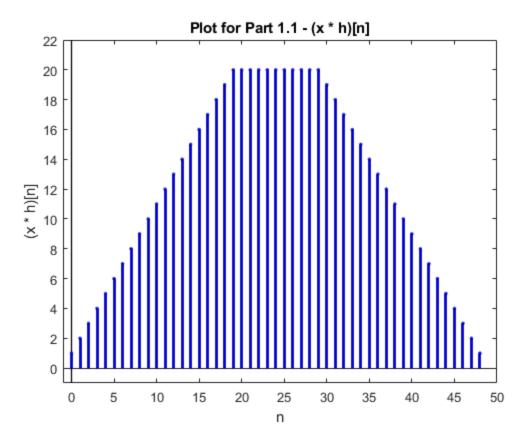
The peak height is: 20 which is repeated 11 number of times.

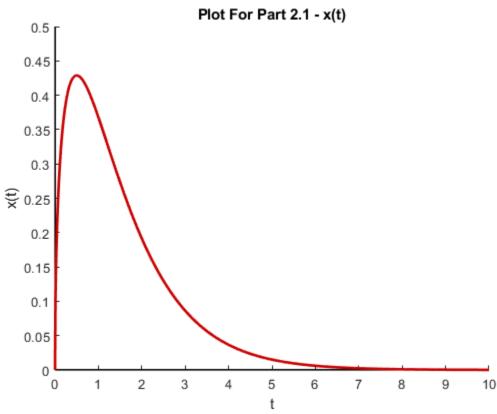
The gerneral case hypothesize can be written as follows: The peek height for (x \* h)[n] given x[n]'s m\_1 and h[n]'s m\_2 is always just m\_1 for any system. The number of repetitions is m\_2 - m\_1 + 1.

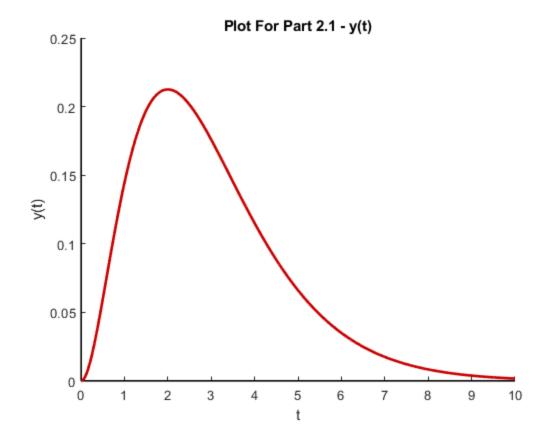
## 2.2

Difference between y(t) and z(t)=1.9934e-07. MSE divided by the energy of y(t) is 0.000172087%. The best value of c is 0.393.









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