```
% Aaron Bruner
% C16480080
% MATLAB 1
clear; clc; close all;
fprintf('========n');
fprintf('\tPart 1\n');
fprintf('=======\n');
n = -100:100;
x = (10*(n.^4+20*n.^3-1000))./(n.^2+100).^2;
xmax = max(x);
xmin = min(x);
nmax = n(x==xmax);
nmin = n(x==xmin);
fprintf('xmax = %0.3f\n', xmax);
fprintf('xmin = %0.3f\n', xmin);
fprintf('nmin = \n');
fprintf(' %0.3f\n', nmin);
fprintf('\n');
fprintf('nmax = \n');
fprintf(' 0.3f\n', nmax);
fprintf('\n');
1b
[garbage, values] = min((x-5).^2);
nzero = n(values);
fprintf('zero = %0.3f\n', nzero);
22
fprintf('========\n');
fprintf('\tPart 2 - Figures\n');
fprintf('========\n');
s = 0.01; % sampling time
ta = -10:s:10;
x = 4.*((ta>=-5)&(ta<-3)) + sqrt(25-ta.^2).*((ta>=-3)&(ta<4)) + ...
  3.*((ta>=4)&(ta<8));
x1 = -2.*x;
figure();
subplot 121;
hold on;
plot([-10,10],[0,0],'LineStyle','-','Color',[0,0,0],'LineWidth',1);
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```
plot([0,0],[-15,15],'LineStyle','-','Color',[0,0,0],'LineWidth',1);
pla = plot(ta,x,'LineStyle','-','Color',[0.8,0,0],'LineWidth',2);
p2a = plot(ta-3,x1,'LineStyle',':','Color',[0,0.8,0]','LineWidth',2);
plot([7,10],[0,0],'LineStyle',':','Color',[0,0.8,0],'LineWidth',2);
hold off;
axis([-10,10,-15,10]);
title('Plot For Q2a');
xlabel('t');
ylabel('x(t)');
legend([pla,p2a],'x(t)','-2x(t+3)','Location','northeast');
응
                    2b
tb = -15:s:15;
x = 4.*((tb>=-5)&(tb<-3)) + sqrt(25-tb.^2).*((tb>=-3)&(tb<4)) + ...
   3.*((tb>=4)&(tb<8));
subplot 122;
hold on;
plot([-15,15],[0,0],'LineStyle','-','Color',[0,0,0],'LineWidth',1);
plot([0,0],[-5,10],'LineStyle','-','Color',[0,0,0],'LineWidth',1);
p1b = plot(tb,x,'LineStyle','-','Color',[0.8,0,0],'LineWidth',2);
p2b = plot(tb*1.25,x*0.5,'LineStyle',':','Color',
[0,0.8,0]','LineWidth',2);
hold off;
axis([-10,15,-5,10]);
title('Plot For Q2b');
xlabel('t');
ylabel('x(t)');
legend([p1b,p2b],'x(t)','0.5*x(0.75*t)','Location','northeast');
20
tc = -10:s:10;
x = 4.*((tc>=-5)&(tc<-3)) + sqrt(25-tc.^2).*((tc>=-3)&(tc<4)) + ...
   3.*((tc>=4)&(tc<8));
figure();
subplot 211;
hold on;
plot([-10,10],[0,0], 'LineStyle','-','Color',[0,0,0],'LineWidth',1);
plot([0,0],[-5,10],'LineStyle','-','Color',[0,0,0],'LineWidth',1);
evenx1 = 0.5.*x;
evenx2 = 0.5.*x(end:-1:1);
even = evenx1 + evenx2;
plc = plot(tc,even, 'LineStyle','-','Color',[0.8,0,0],'LineWidth',2);
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```
hold off;
axis([-10,10,-5,10]);
title('Plot For Q2c - Even Function');
xlabel('t');
ylabel('x(t)');
legend(plc,'Ev{x(t)}','Location','northeast');
subplot 212;
hold on;
plot([-10,10],[0,0],'LineStyle','-','Color',[0,0,0],'LineWidth',1);
plot([0,0],[-5,10],'LineStyle','-','Color',[0,0,0],'LineWidth',1);
oddx1 = 0.5.*xi
oddx2 = 0.5.*-x(end:-1:1);
odd = oddx1 + oddx2;
plc = plot(tc,odd,'LineStyle','-','Color',[0.8,0,0],'LineWidth',2);
hold off;
title('Plot For Q2c - Odd Function');
xlabel('t');
ylabel('x(t)');
legend(plc,'Odd{x(t)}','Location','northeast');
%3
fprintf('=======\n');
fprintf('\tPart 3 - Figures\n');
fprintf('========\n');
s=0.01;
t=-2:s:14;
t2=t(2:end);
x = (2.*t).*((t>=0)&(t<3)) + (18-4.*t).*((t>=3)&(t<6)) + ...
   (t-12).*((t>=6)&(t<12));
y = diff(x)/s;
figure();
hold on;
plot([-2,14],[0,0],'LineStyle','-','Color',[0,0,0],'LineWidth',1);
plot([0,0],[-10,10],'LineStyle','-','Color',[0,0,0],'LineWidth',1);
p1 = plot(t,x,'LineStyle','-','Color',[0.8,0,0],'LineWidth',2);
p2 = plot(t2,y,'LineStyle',':','Color',[0,0.8,0],'LineWidth',2);
hold off;
title('Plot for Q3a - Derivative Signal');
xlabel('t');
ylabel('x(t)');
legend([p1,p2],'Original Function - x(t)',...
   'First Derivative - d/dt x(t)', 'Location', 'northeast');
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```
y = cumsum(x)*s;
figure();
hold on;
plot([-2,14],[0,0],'LineStyle','-','Color',[0,0,0],'LineWidth',1);
plot([0,0],[-10,10],'LineStyle','-','Color',[0,0,0],'LineWidth',1);
p1 = plot(t,x,'LineStyle','-','Color',[0.8,0,0],'LineWidth',2);
p2 = plot(t,y,'LineStyle',':','Color',[0,0.8,0],'LineWidth',2);
hold off;
title('Plot for Q3b - Integral Signal');
xlabel('t');
ylabel('x(t)');
legend([p1,p2],'Original Function - x(t)','Integrated Function
  'Location','southwest');
clear;
Part 1
xmax = 13.490
xmin = -2.753
nmin =
  -9.000
nmax =
  30.000
zero = 8.000
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Part 2 - Figures
Part 3 - Figures
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