

**MIDTERM ASSESSMENT FOR
TIC1002: INTRODUCTION TO COMPUTING AND PROGRAMMING II**8th March 2018

Time Allowed: 1 Hour 15 Minutes

Student Number:

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INSTRUCTIONS TO CANDIDATES:

1. Use a **pen** to write your student number in the space provided above.
2. This assessment paper consists of **SIX (6)** questions.
3. This assessment paper comprises **SIX(6)** printed pages including this front page.
4. Answer all questions directly in the space given after each question. If necessary, use the back of the page. **You may write in pencil.**
5. Marks allocated to each question are indicated. Total marks for the paper is **40**.
6. This is an open book assessment.

EXAMINER'S USE ONLY		
Questions	Possible	Marks
Q1	7	
Q2	5	
Q3	5	
Q4	7	
Q5	7	
Q6	9	
Total	40	

1. [7 marks] Given function `f()` below:

```
void f( int input )
{
    int i, d;
    while (input > 0) {
        d = input % 10;
        for (i = 0; i < d; i++){
            printf("%d", d);
        }
        input /= 10;
    }
}
```

Give the output for the following function calls:

<code>f(5);</code>	55555
<code>f(123);</code>	333221
<code>f(1023);</code>	333221

State the complexity of the code, briefly explain how you arrive at the complexity. Be careful to state the meaning of any variables used in the Big-O notation.

$O(D)$ // where D is the number of digits in input

The outer-loop runs D times

The for-loop runs at most 9 times, so we know that the time needed is always lesser than $10D \rightarrow O(D)$

2. [5 marks] Implement a function `print_power_table(B, E)` such that it prints out **B** rows of number, each row contains **E** numbers. The value at row B_x and column E_y is $B_x^{E_y}$, where rows and columns both start from 1. For example, `print_power_table(3, 4)` give the following output:

1	1	1	1
2	4	8	16
3	9	27	81

```
void print_power_table( int B, int E)
{
    int row, col, value;

    for (row = 1; row <= B; row++){
        value = row;
        for (col = 1; col <= E; col++){
            printf("%d ", value);
            value *= row;
        }
        printf("\n");
    }
}
```

3. [5 marks] Give a **recursive** implementation for the following function. This function returns the **number of odd digits** in the given number **N**. For example, `count_odd(12345)` returns 3 (the digits "1", "3", "5" are odd), `count_odd(2468)` returns 0 (no odd digits).

```
int count_odd( int N )
{
    if (N == 0)
        return 0;

    return (N % 2) + count_odd( N / 10 );
}
```

4. [7 marks] Given the following code:

```
#define MAXROW 10
#define MAXCOL 7

void splash(int canvas[MAXROW][MAXCOL],
            int value, int row, int col)
{
    int size = 0, i, j, pi, pj;

    while (value > 0){
        for (i = row-size; i<=row+size; i++){
            for (j = col-size; j <=col+size; j++){
                pi = (i + MAXROW) % MAXROW;
                pj = (j + MAXCOL) %MAXCOL;
                if (canvas[pi][pj] == 0)
                    canvas[pi][pj] = value;
            }
        }
        size++;
        value--;
    }
}
```

If we execute the following code fragment:

```
int canvas[MAXROW][MAXCOL] = {{0}};

splash(canvas, 3, 1, 5);
```

fill in the values for all **non-zero** locations in the **canvas** [] [] at the end of execution

	0	1	2	3	4	5	6
0	1			1	2	2	2
1	1			1	2	3	2
2	1			1	2	2	2
3	1			1	1	1	1
4							
5							
6							
7							
8							
9	1			1	1	1	1

5. [7 marks] Given the **Frac** (fraction) structure and function:

```
struct Frac {
    int num, den; //numerator and denominator
};

int go(struct Frac Farr[], int N, struct Frac X)
{
    int i;
    for ( i = 0; i < N; i++){
        if ( equal(&Farr[i], &X) ){
            return i;
        }
    }
    return -1;
}
```

Give an implementation of the **equal()** function if we are looking for a fraction that matches **exactly** with the target fraction X, e.g. if we look for 2 / 4, then 1 / 2, 4 / 8 are NOT acceptable, only an exact match 2 / 4 is returned.

```
bool equal( struct Fraction* A, struct Fraction* B)
{
    return (A->num == B->num) &&
           (A->den == B->den);
}
```

Give an implementation of the **equal()** function if we are looking for a fraction that matches **in value** with the target fraction X, e.g. if we look for 2 / 4, then 1 / 2, 4 / 8 or similar fractions are all acceptable. If needed, you can assume the function `int GCD(int X, int Y)` which returns the **greatest common divisor of X and Y** is available.

```
bool equal( struct Fraction* A, struct Fraction* B)
{
    int gcdA = GCD(A->num, A->den);
    int gcdB = GCD(B->num, B->den);
    return (A->num / gcdA == B->num / gcdB) &&
           (A->den / gcdA == B->den / gcdB);
}
```

6. [9 marks] Suppose we have the following two lists:

- The citizen list with **N** citizen names.
- The criminal list with **M** criminal names.

We know that the citizen list is **much larger** than the criminal list and both lists are **unsorted** initially. Suppose we need to find out which of the **M** criminal is in the citizen list, evaluates the following strategies by using time complexity:

Strategy A: Linear Search the citizen list for each criminal.	
Cost to search for one criminal	: $O(\text{_____})$ $O(N)$
Total Cost to search for M criminals:	$O(\text{_____})$ $O(M \times N)$

Strategy B: Bubble Sort the citizen list then binary search for criminal.	
Bubble Sort the citizen list	: $O(\text{_____})$ $O(N^2)$
Cost to search for one criminal	: $O(\text{_____})$ $O(\lg N)$
Total Cost to search for M criminals:	$O(\text{_____})$ $O(M \lg N)$

Suggest a better strategy with what you **have learned in this course so far**. Note that using better sorting algorithms is NOT the expected answer. Briefly describe the strategy and state the time complexity.

Your Strategy: Bubble Sort the criminal list. Then take each citizen and perform binary search in the sorted criminal list.
Analysis:
Bubble Sort the criminal list: $O(M^2)$ Cost for binary search one citizen in the sorted criminal list : $O(\lg M)$ Total Cost for searching through all N citizens: $O(N \lg M)$
As the dominating cost is the sorting, $O(M^2)$ is better than $O(N^2)$ as $M \ll N$ as stated in question.

~~~~ End of Paper ~~~~