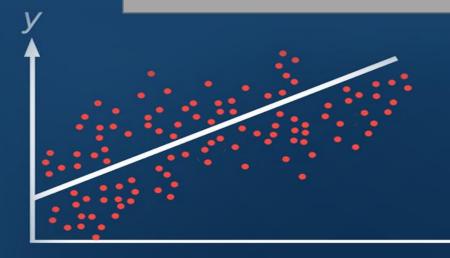


TBA2102 2020/2021 Semester 2 Tutorial 7



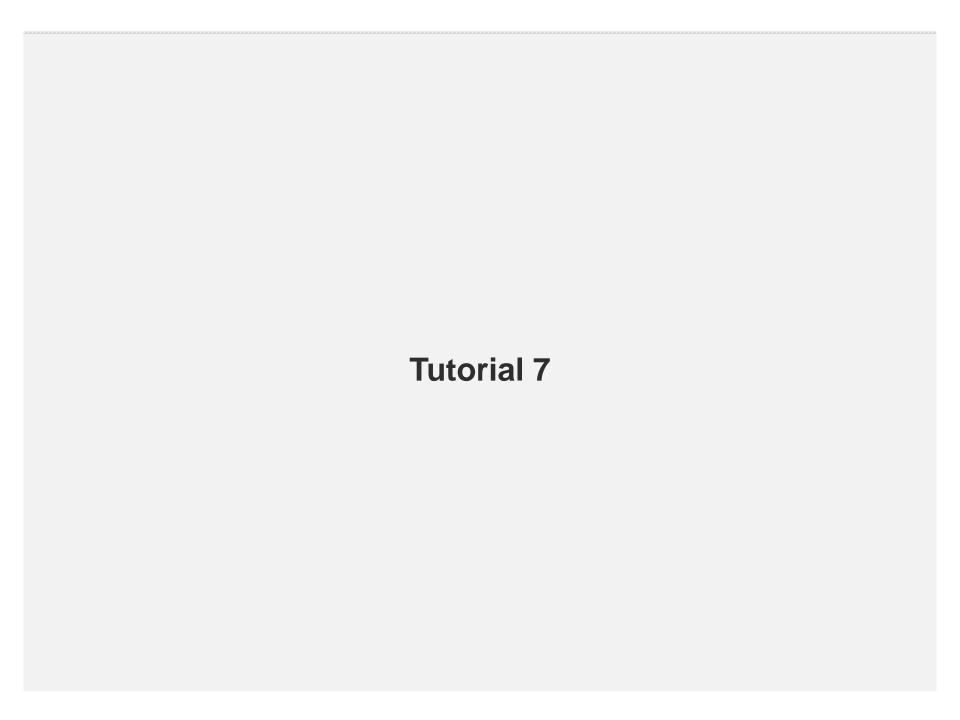
STRUCTURE OF TUTORIALS

Duration:

45 mins

Content:

Tutorial 6 (Qn 2 and 3)



DATASET REQUIRED

Tutorial6_WorldBankData.csv

Note: This dataset comes from a publically available dataset from The World Bank. https://databank.worldbank.org/source/world-development-indicators.

There are 8 variables in this (real) dataset, from 258 countries in 2016/2017:

- Human.Capital.Index: Unitless number that goes from 0 to 1.
- GDP.per.capita.PPP: In \$. This is GDP per capita, but taking into account the purchasing power of the local currency, by comparing how much it costs to buy a basket of goods (e.g. food) compared to the reference currency (USD). (PPP stands for Purchasing Power Parity)
- Health.Expenditure.per.capita. In \$.
- Tertiary.Education.Expenditure.per.student. In \$.
- Population. In people.
- Life.Expectancy.at.birth. In years.
- Diabetes.Prevalence. In units of % of population ages 20 to 79.
- Years.of.Compulsory.Education. In years.

This being a real dataset, there is lots of missing data. Be wary of this!

QUESTION 2A

Now let's consider another set of variables in the same dataset:

- Health.Expenditure.per.capita
- Diabetes.Prevalence, and
- Life.Expectancy.at.birth.
- Design a predictive hypothesis with these three variables.
- Which would be your dependent variable, and which would be your independent variables? Justify your answer.

 $Life.\ Expectancy.\ at.\ birth. = b_0 + b_1 Health. Expenditure. per. capita + b_2 Diabetes. Prevalence$

- Value of life expectancy
- Manipulability of Health. Expenditure.per.capita
- Why not Diabetes.Prevalence?



Plot the bivariate relationships between these three variables.

- In other words, plot x-y scatterplots. There are 3 variables, so you'll need 3 scatterplots.
- For the Health.Expenditure.per.capita variable, please also apply the same transformation in (1b) for the scatterplot.

Comment on the relationship between the variables.

QUESTION 2B: DF\$LOGHEALTHEXPENDITURE, DF\$DIABETES.PREVALENCE

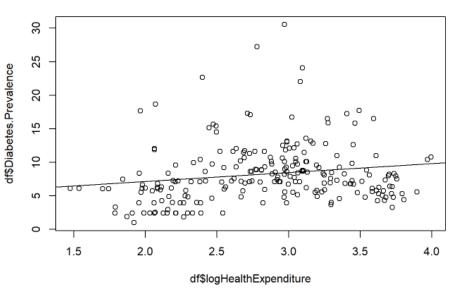
log transform Health.Expenditure.per.capita
df\$logHealthExpenditure<-log10(df\$Health.Expenditure.per.capita)

? (df\$logHealthExpenditure, df\$Diabetes.Prevalence)</pre>

What is the nature of this relationship?

We can draw best fit line with the function.





abline(lm(Diabetes.Prevalence ~ logHealthExpenditure, data=df))

QUESTION 2B: LOGHEALTHEXPENDITURE, DF\$LIFE.EXPECTANCY.AT.BIRTH

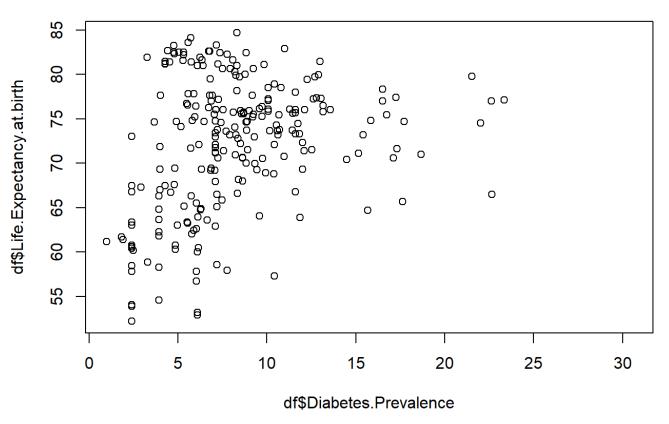
plot(df\$logHealthExpenditure, df\$Life.Expectancy.at.birth)



What is the nature of this relationship?

QUESTION 2B: DF\$DIABETES.PREVALENCE, DF\$LIFE.EXPECTANCY.AT.BIRTH

plot(df\$Diabetes.Prevalence, df\$Life.Expectancy.at.birth)



 What is the nature of this relationship?

QUESTION 2C

- Run a multiple regression predicting Life. Expectancy.at.birth using the other 2 variables.
- Interpret the coefficients, spelling out what the numbers mean.

Comment on your answers.

QUESTION 2C

```
##
## Call:
## lm(formula = Life.Expectancy.at.birth ~ log10(Health.Expenditure.per.capita) +
      Diabetes.Prevalence, data = df)
##
## Residuals:
                                                                                      t-distribution or z-
       Min
                 10 Median
                                           Max
                                                                                      distribution?
## -15.0787 -1.4875 0.6018 2.0976 10.0565
##
## Coefficients:
##
                                        Estimate Std. Error
## (Intercept)
                                       39.61736
                                                  1.33051
## log10 (Health.Expenditure.per.capita) 10.77368
                                                  0.45941
                                                             23.45 < 2e-16
## Diabetes.Prevalence
                                                              3.57 0.000438 ***
                                        0.24448
                                                   0.06847
## Signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
                                                                              Based on results
##
                                                                              above? What is the
## Residual standard error: 3.796 on 218 degrees of freedom
     (37 observations deleted due to missingness)
                                                                              result of the F-statistic?
## Multiple R-squared: 0.7388, Adjusted R-squared: 0.7364
##
```

- Interpret the intercept.
- Interpret the coefficient before log10(Health.Expenditure.per.capita).
- What is the nature of the relationship between Diabetes.Prevalence & Life.Expectancy.at.birth?

QUESTION 3

- Let's again return to Human.Capital.Index as our outcome of interest.
- According to the World Bank (see footnote), this index measures the amount
 of capital that a child born today can expect to attain by age 18, and is
 influenced by education and healthcare.

Human. Capital. Index = $\frac{1}{2}$ + β_1 Tertiary. Education. Expenditure. per. student + β_2 Healthcare

QUESTION 3A

A fellow student comes up with a hypothesis that quality of education should affect Human. Capital. Index.

- ➤ But something tells you that this is not so straightforward. What is the danger of putting Tertiary.Education.Expenditure.per.student into a linear model as a regressor?
- ➤ (Hint: Check its distribution by plotting and/or using the summary() function. Is there anything worth noting about this variable?) [2 marks]

Human. Capital. Index = $\beta_0 + \beta_1$ Tertiary. Education. Expenditure. per. student

```
      summary(df$Tertiary.Education.Expenditure.per.student)

      ## Min. 1st Qu. Median Mean 3rd Qu. Max. NA's

      ## 3.121 16.412 27.276 43.677 38.411 334.000 208

      sum(!is.na(df$Tertiary.Education.Expenditure.per.student))
```

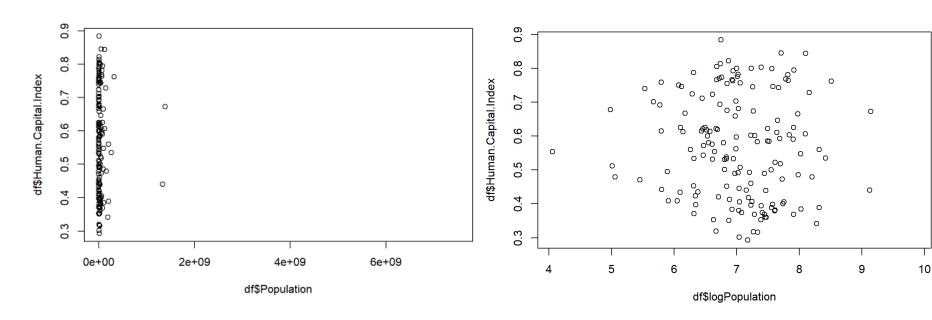
Would you include this variable [Tertiary.Education.Expenditure.per.student] in the model?

QUESTION 3B

- Is there a relationship between country population and its Human Capital Index?
- Is there a need to transform variables?
- Show this visually and using a linear model.

```
df$logPopulation=log10(df$Population)
plot(x=df$Population, y=df$Human.Capital.Index)
```

plot(x=df\$logPopulation, y=df\$Human.Capital.Index)



QUESTION 3B

 Is there a relationship between country population and its Human Capital Index? Is there a need to transform variables? Show this visually and using a linear model.

```
(Human.Capital.Index ~ logPopulation, df)
summary(:
##
## Call:
## lm(formula = Human.Capital.Index ~ logPopulation, data = df)
##
## Residuals:
                                                              t-distribution or z-
        Min
                   10
                       Median
                                                Max
                                                              distribution?
## -0.272186 -0.144511 -0.001899 0.123382 0.313550
##
## Coefficients:
              Estimate Std. Error
## (Intercept) 0.65356 0.11074 5.902 2.19e-08 ***
## logPopulation -0.01231 0.01569 -0.785
## Signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
## Residual standard error: 0.1518 on 155 degrees of freedom
   (101 observations deleted due to missingness)
## Multiple R-squared: 0.003959, Adjusted R-squared: -0.002468
## F-statistic: 0.616 on 1 and 155 DF, p-value: 0.4337
```

- Interpret the intercept.
- Interpret the coefficient before logPopulation

QUESTION 3C

Your manager is interested in factors that predict whether a country is above average on Human. Capital. Index or below average.

- First, do a median-split on Human.Capital.Index. Specifically, create a variable that is 1 (or TRUE) if the country's Human.Capital.Index is greater than or equal to the MEDIAN of all countries, and 0 (or FALSE) otherwise.
- Next, run a generalized linear model to predict whether a country will be above the median on Human.Capital.Index, using the following variables: GDP.per.capita.PPP, Health.Expenditure.per.capita, Life.Expectancy.at.birth and Diabetes.Prevalence.
- Apply transformations using your best judgment. [2 marks] Interpret the output of the model, and discuss the meaning of each of the coefficients. [2 marks]

QUESTION 3C

Number of Fisher Scoring iterations: 7

```
df$HCI.aboveMedian <- (df$Human.Capital.Index >= median(df$Human.Capital.Index, na.rm=T))
        (HCI.aboveMedian ~ log10(GDP.per.capita.PPP) + log10(Health.Expenditure.per.capita) + Life.Expectancy.
at.birth + Diabetes.Prevalence, df,
##
## Call:
## glm(formula = HCI.aboveMedian ~ log10(GDP.per.capita.PPP) + log10(Health.Expenditure.per.capita) +
      Life.Expectancy.at.birth + Diabetes.Prevalence, family = "binomial",
##
      data = df
##
                                                                                    t-distribution or z-
## Deviance Residuals:
      Min
                10 Median
                                  30
                                         Max
                                                                                    distribution?
## -2.4368 -0.1834 0.0396 0.2748
                                     2.5107
## Coefficients:
##
                                       Estimate Std. Error
                                       -42.12004 9.68770 -4.348 1.38e-05 ***
## (Intercept)
## log10(GDP.per.capita.PPP)
                                        6.13016 2.61398 2.345 0.01902 *
## log10(Health.Expenditure.per.capita) -0.95825 2.24115 -0.428 0.66896
                                        0.28392 0.10454 2.716 0.00661 **
## Life.Expectancv.at.birth
## Diabetes.Prevalence
                                       -0.11529 0.09372 -1.230 0.21862
## ---
## Signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
##
## (Dispersion parameter for binomial family taken to be 1)
##
      Null deviance: 206.390 on 148 degrees of freedom
## Residual deviance: 67.554 on 144 degrees of freedom
    (109 observations deleted due to missingness)
                                                     Interpret the intercept.
## AIC: 77.554
##
                                                       Interpret the coefficient before all the predictors
```



THANK YOU.

SEE YOU NEXT WEEK.