

Exposure Doesn't Pay the Bills

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Outline

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Intro and Motivation

- YouTube's 2021 Q3 Ad Revenue is \$7.2B¹
- Streaming Platforms are driven by **content creators**
- Content creation can be a full time job
- We should explore the evolution of quality and popularity
- Creators make content, but algorithm decides who sees it

[1] Source

Related Literature

Branding

- Klein and Leffler (1981)
- Shapiro (1983)

Superstar

- Rosen (1981)
- Macdonald (1988)

Related Literature, cont.

Streaming

- Thomes (2013)
- Aguiar & Waldfogel (2018)

My Niche

- Artist's optimal behavior
- Role of algorithmic uncertainty
- Time component

The Model

What should a model describe?

Consumer Behavior:

- Artist discovery
- Consumption based on quality

Streaming Platform:

- Algorithmic consumer-artist matching
- Useful but imperfect matching

Artist/Content Creator:

- Quality-quantity trade-off under audience uncertainty
- Maximize royalties from streams

Consumer behavior

- No ex-ante knowledge of an artist, require algorithmic exposure
- If consumer knows about an artist they consume based on quality, $n(z)$
- Consumer forgets about an artist with probability δ every period.
- All consumers the same

Artist Behavior

- Artist decides a quality, z , and quantity, m subject to cost
 - All releases same quality in one period
- Artist gets royalty r for every stream
- Artist can't choose audience size directly
- More releases \rightarrow more chances to go viral

Algorithmic Behavior

- Can't measure quality directly, can use consumer streams
 - Use last period's streams, n_{t-1}
- For every release by an artist, algorithm shows:
 - $I(n_{t-1}) + \varepsilon_{it}$, iid mean zero

Putting the pieces together:

Total Audience size:

$$A_t(m) = (1 - \delta)A_{t-1} + mI(n_{t-1}) + \sum_{i=1}^m \varepsilon_{it}$$

Per-period revenue:

$$rA_t(m)n(z) - C(m, z; \kappa)$$

The Artist's problem:

$$\max_{m,z} \left\{ E (A_t(m)n(z) - C(m, z; \kappa)) \right.$$

s. t.

$$A_t(m) = (1 - \delta)A_{t-1} + mI(n_{t-1}) + \left. \sum_{i=1}^m \varepsilon_{it} \right\}$$

Initial Findings & Next Steps

A nice result from a binary choice case

1 piece at quality \bar{z} , or 2 pieces at \underline{z}

$$\begin{cases} 2, & \frac{n(\bar{z})}{n(\underline{z})} < \left(1 + \frac{I_0}{I_0 + (1-\delta)A_0}\right) \\ 1, & \frac{n(\bar{z})}{n(\underline{z})} > \left(1 + \frac{I_0}{I_0 + (1-\delta)A_0}\right) \end{cases}$$

Established artists choose high quality, new artists choose
more exposure

Next Steps

- Solve this in the two-period case (then ∞ -period)
- Further explore how κ reveals itself in the distribution of successful artists

Thanks, Questions?

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