

Exposure Doesn't Pay the Bills: Artistic Production under Algorithmic Uncertainty in Streaming Markets

Aaron Graybill

05 April 2022

Outline

1. Intro and Motivation
2. Model
3. Findings
4. Questions

Intro and Motivation

- YouTube's 2021 Q3 Ad Revenue is \$7.2B¹
- Streaming Platforms are driven by **content creators**
- Content creation can be a full time job
- Creators make content, but algorithm decides who sees it

[1] Source

Motivation, continued. My Niche in the Literature

- Artist's problem on streaming platforms
 - Choose ideal quantity and quality each period
- Role of algorithmic uncertainty on producers
- Effect of time on quality

The Model

What should a model describe?

Consumer Behavior:

- Artist discovery
- Consumption based on quality

Artist/Content Creator:

- Maximize royalties from streams
- Quality-quantity trade-off under audience uncertainty

Streaming Platform:

- Algorithmic consumer-artist matching
- Useful but imperfect matching

Putting the pieces together

Audience Evolution

$$\mathcal{A}(m, n, A, \varepsilon)$$

Consumer demand

$$\nu(z)$$

Putting the pieces together:

Per-period revenue:

$$\mathcal{A}(m, n, A, \varepsilon) \nu(z) r$$

Subject to:

$$f(m, z) = \kappa$$

Insights from a binary-choice one period model

- There is a strategy cutoff dependent on A :
 - Established artists choose high quality, new artists choose more exposure
- If algorithm is very favorable to new artists, both may choose high quality
- *This doesn't rely on functional form assumptions*

Dynamic Problem and Main Results

Solving Dynamically Using Recursion:

$$V(n_{-1}, A_{-1}) = \max_{m,z} \{E[Anr + \rho V(n, A)]\}$$

s.t.

$A = \mathcal{A}(m, n_{-1}, A_{-1}, \varepsilon)$, Audience Evolution

$n = \nu(z)$, Consumer Demand

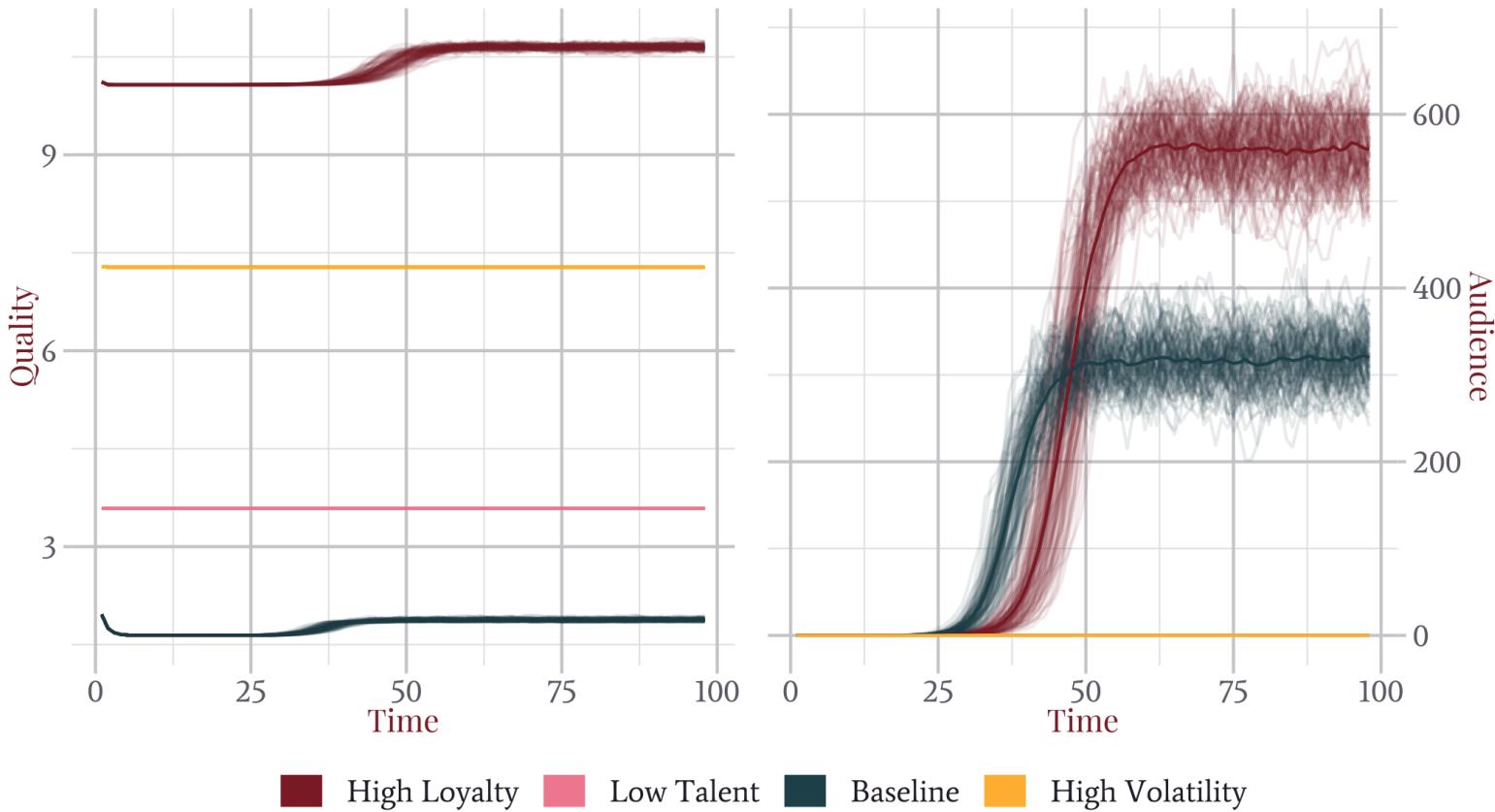
$f(m, z) = \kappa$, Tradeoff

Solving for v and optimal m, z :

$$V(n_{-1}, A_{-1}) = \max_{m,z} \{E[A_nr + \rho V(n, A)]\}$$

- In this form, we have preexisting solving techniques!
- Solutions computed numerically
- Calibrated baseline for boundedness, interior solutions
 - Should not interpret magnitude of numbers, only differences from baseline

Three variations from the baseline:



Conclusion

- Quality does not determine audience
- Successful artists shift from lower to higher quality
 - After they "go viral"
- Agents who do not understand the algorithm will not maintain audience
- Talent can also filter out artists
- Future research:
 - How does talent influence distribution of revenue
 - Fit with data

Thanks, Questions?

Aguiar, L. and J. Waldfogel (2018). "Quality Predictability and the Welfare Benefits from New Products: Evidence from the Digitization of Recorded Music". In: *Journal of Political Economy* 126.2.
<http://www.journals.uchicago.edu/doi/full/10.1086/696229>, pp. 492–524. ISSN: 0022-3808. DOI: 10.1086/696229.

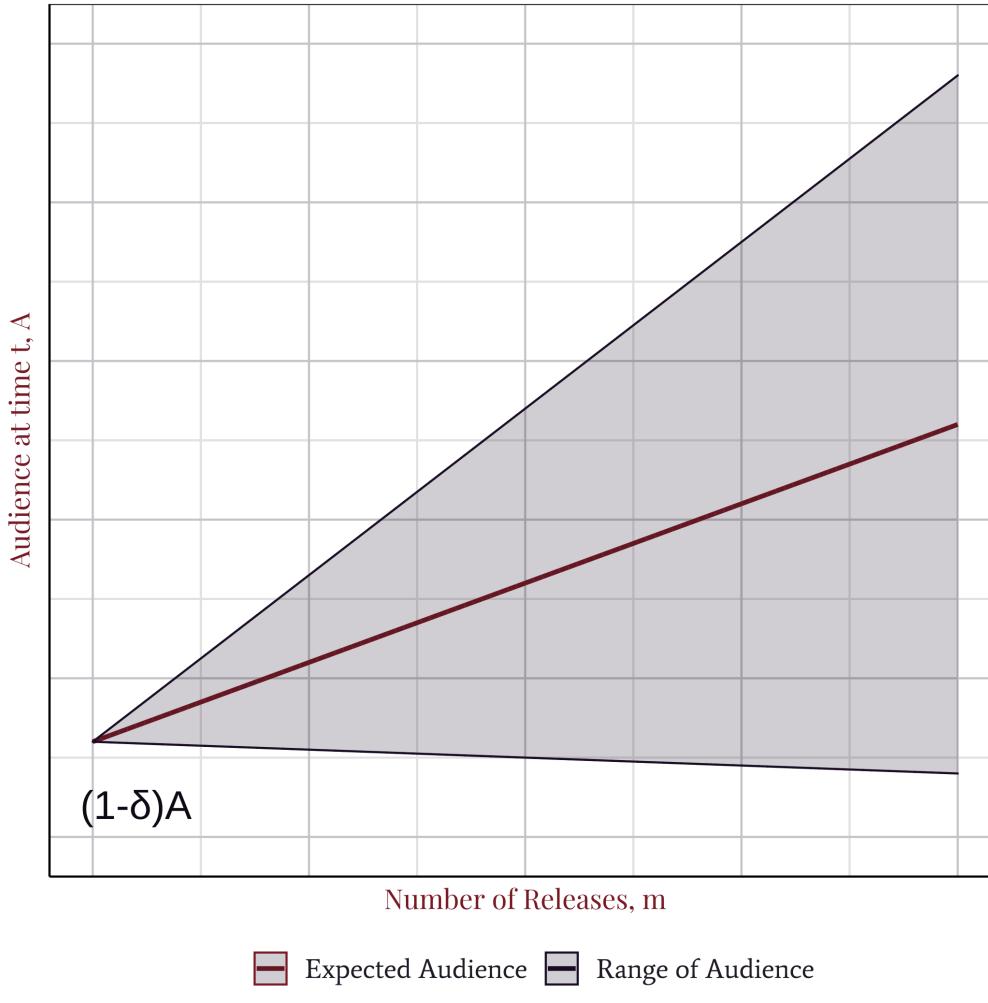
Klein, B. and K. Leffler (1981). "The Role of Market Forces in Assuring Contractual Performance". In: *The Journal of Political Economy*.

MacDonald, G. M. (1988). "The Economics of Rising Stars". In: *The American Economic Review* 78.1.
<https://www.jstor.org/stable/1814704>, pp. 155–166. ISSN: 0002-8282.

Shapiro, C. (1983). "Premiums for High Quality Products as Returns to Reputations". In: *The Quarterly Journal of Economics* 98.4. <https://www.jstor.org/stable/1881782>, pp. 659–679. ISSN: 0033-5533. DOI: 10.2307/1881782.

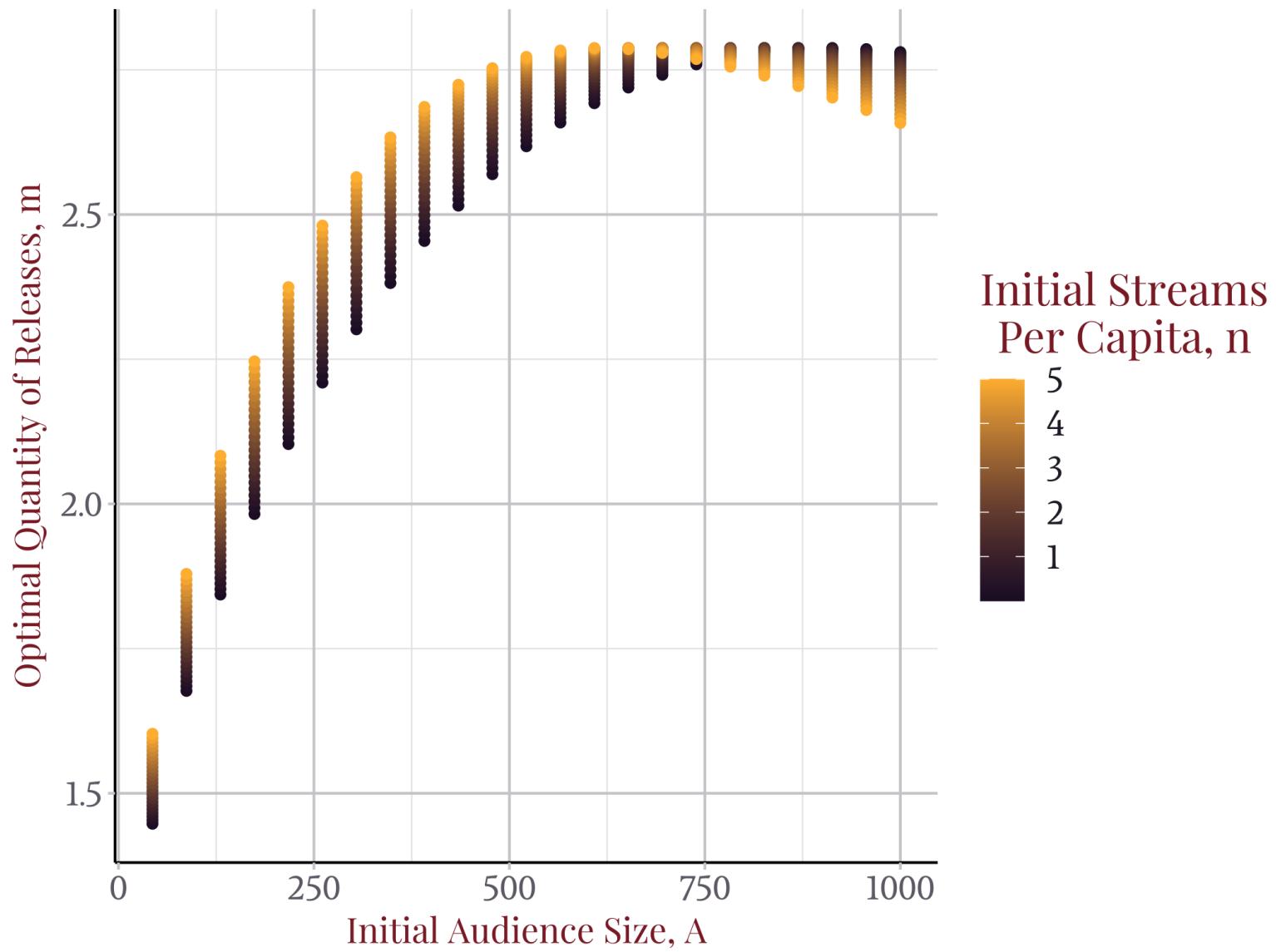
Thomes, T. P. (2013). "An Economic Analysis of Online Streaming Music Services". In: *Information Economics and Policy* 25.2. <https://www.sciencedirect.com/science/article/pii/S0167624513000103>, pp. 81–91. ISSN: 0167-6245.
DOI: 10.1016/j.infoecopol.2013.04.001.

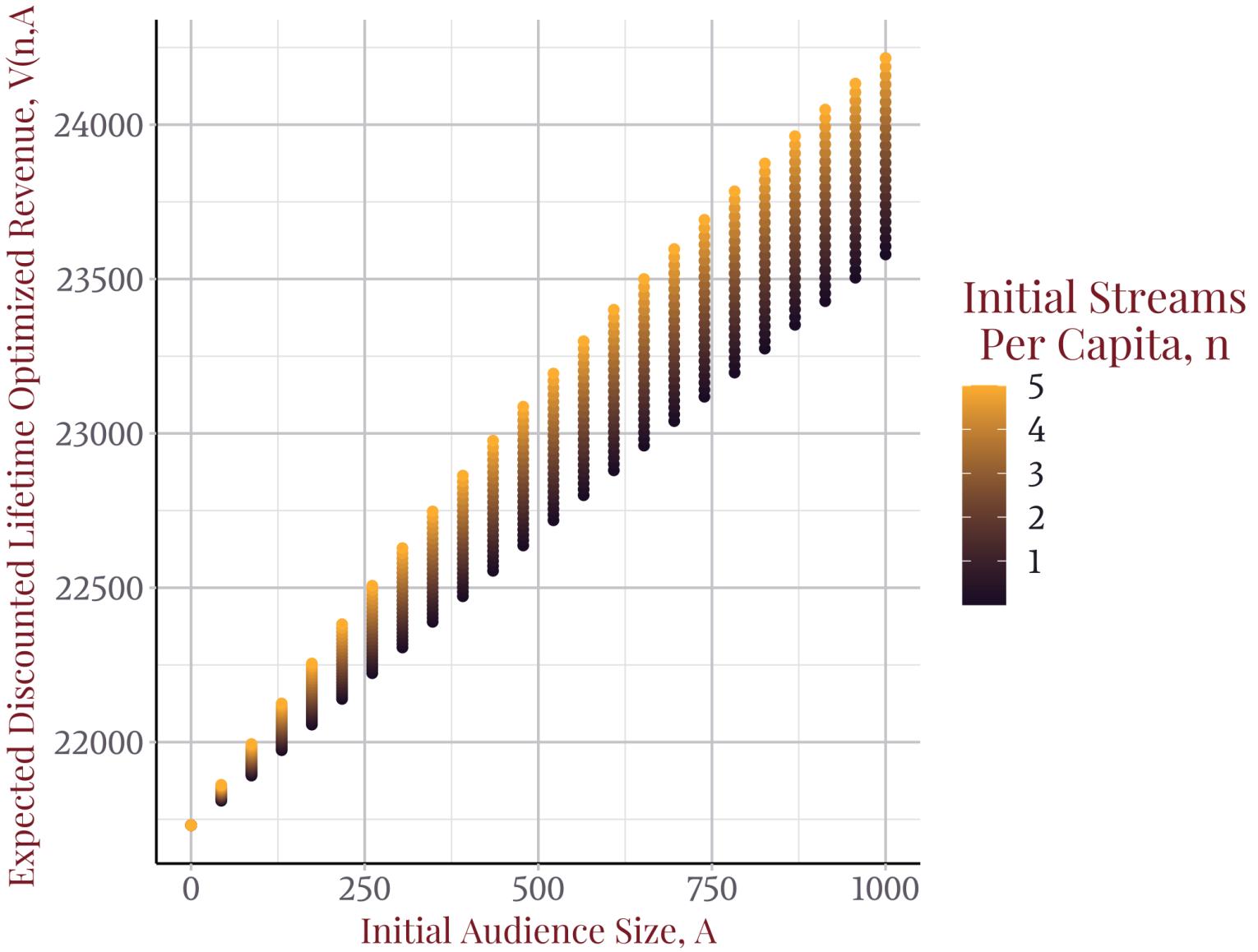
Visualizing Audience Uncertainty:

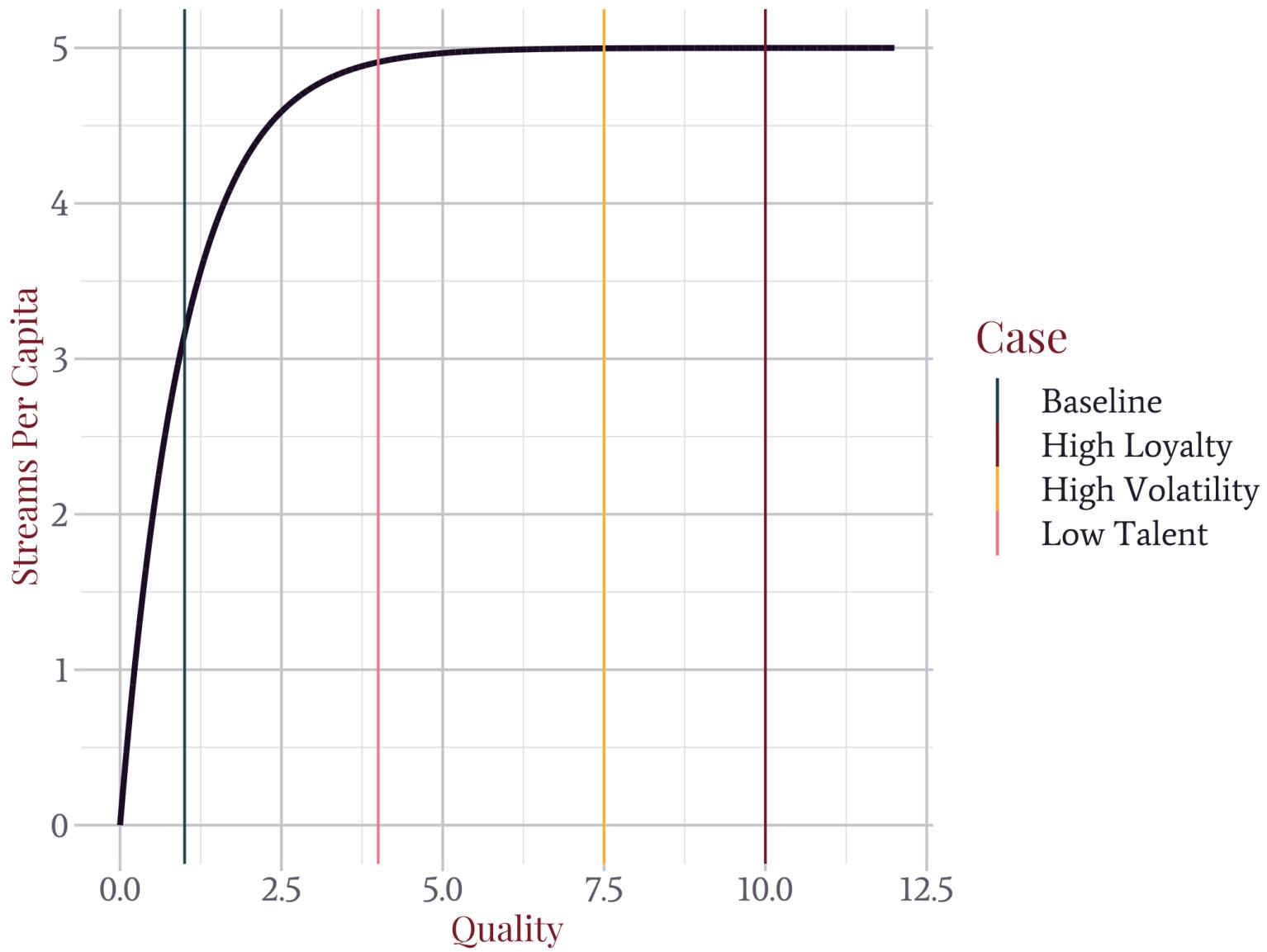


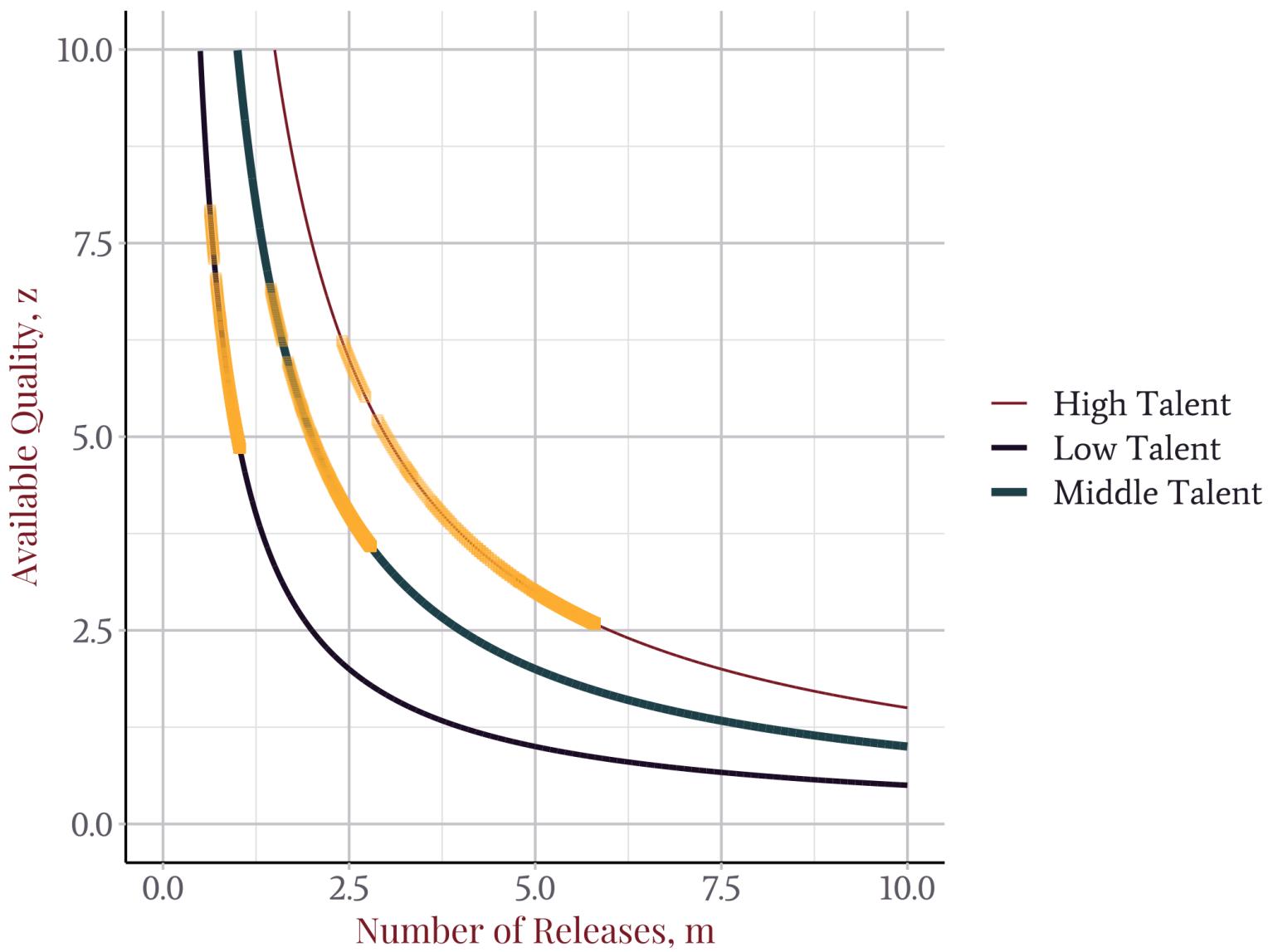
Functional Forms

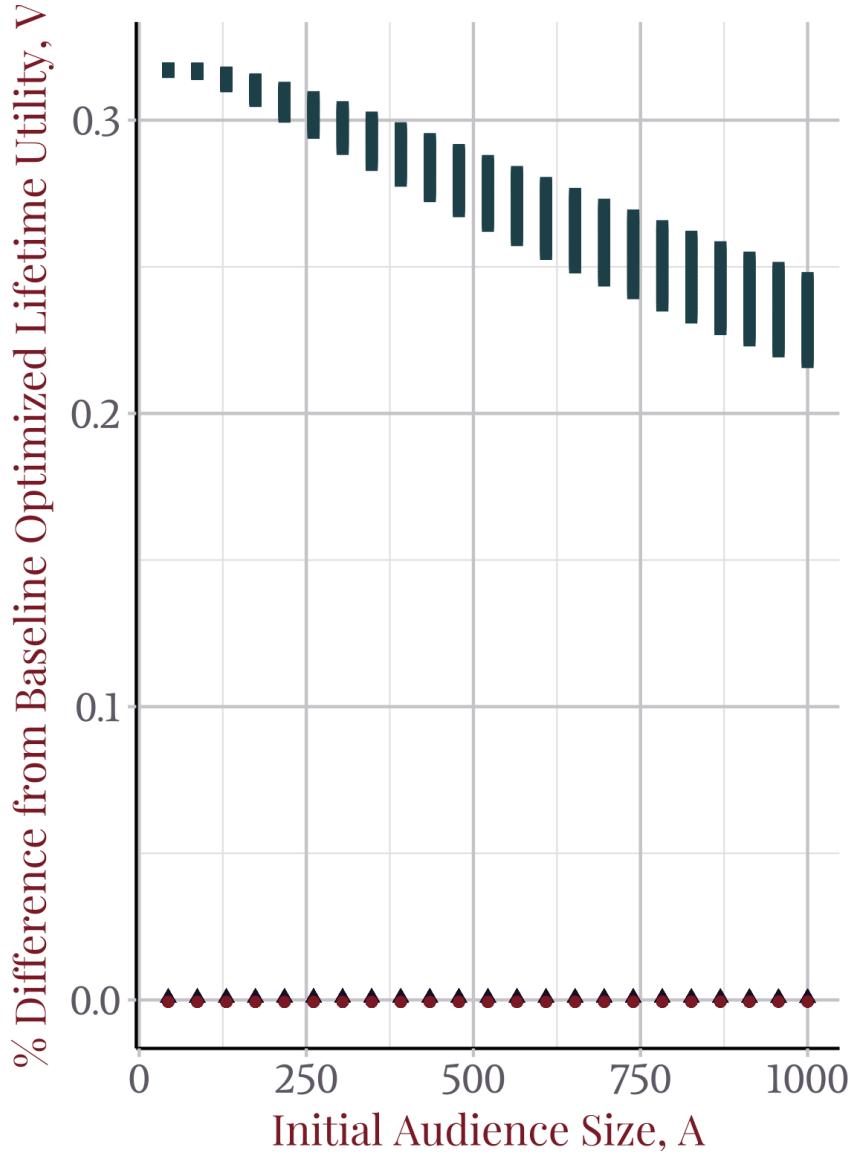
$$\begin{aligned}\mathcal{A}(m, n, A, \varepsilon) &= \frac{\bar{A}}{1 + ce^{-\alpha n - \beta m - \gamma \varepsilon}}, c = \frac{\bar{A} - (1 - \delta)A}{(1 - \delta)A} \\ f(m, z) &= mz \\ n(z) &= \bar{n}(1 - e^{-\lambda z}) \\ \varepsilon &\sim N(0, \sigma^2)\end{aligned}$$

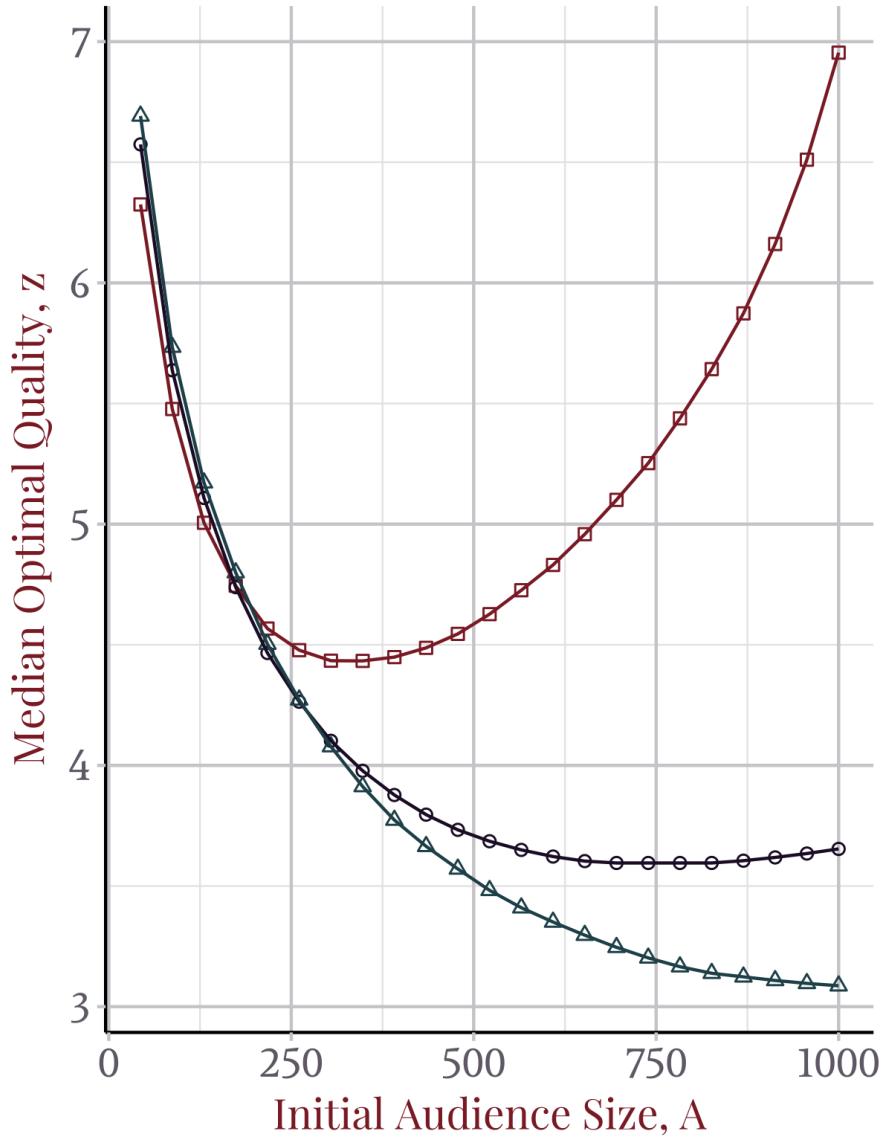












Audience Depreciation, \square

- Low, .1
- Baseline, .7
- ▲ High, .85