



Plane Change Manoeuvre Problems



Problem No. 01

A **satellite** is in a 322 km altitude **circular orbit**. Find 'ΔV' required to shift **plane** by 5°, 20°.



Solution No. 01

The **applicable** velocity impulses are as **follows**.

For 5° , $\Delta V = 672.9 \text{ m/s}$,

For 20° , $\Delta V = 2678.8 \text{ m/s}$,



Problem No. 02

Determine ‘ ΔV ’, if the previous task is to be carried out after satellite has been placed in **Geo-synchronous orbit.**



Solution No. 02

Solution corresponding to GSO orbit is as given below.

For 5° , $\Delta V = 267.5 \text{ m/s}$,

For 20° , $\Delta V = 1065.1 \text{ m/s}$,



Problem No. 03

A spacecraft is in **6578 km** radius polar **orbit**. Calculate the velocity **impulses** required to **put** it in the **equatorial** plane, using direct & **parabolic** change strategies.



Solution No. 03

The **direct** and parabolic manoeuvre **results** are as follows.

Orbital velocity: 7784 m/s

$\Delta V_{\text{Direct}} : 11,008 \text{ m/s}$

$\Delta V_{\text{Parabolic}} : 6,437 \text{ m/s}$



Problem No. 04

A spacecraft is in a **circular orbit** of 552 km altitude. Determine total Δv for an **elliptic** orbit with same perigee and **2208** km altitude apogee with a **10° plane** change.



Solution No. 04

The **velocity** impulses for the three **cases** are as follows.

$$\text{Case-1: } \Delta v = \Delta v_1 + \Delta v_2 = 396 + 1391 = 1787 \text{ m/s}$$

$$\text{Case-2: } \Delta v = \Delta v_1 + \Delta v_2 = 396 + 1123 = 1519 \text{ m/s}$$

$$\text{Case-3: } \Delta v = \sqrt{v_1^2 + v_2^2 - 2v_1v_2 \cos 10^\circ} = 1413 \text{ m/s}$$