

# **VISVESVARAYA TECHNOLOGICAL UNIVERSITY**

“JnanaSangama”, Belgaum -590014, Karnataka.



## **LAB REPORT on**

## **Artificial Intelligence (23CS5PCAIN)**

*Submitted by*

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*in partial fulfillment for the award of the degree of*  
**BACHELOR OF ENGINEERING**  
*in*  
**COMPUTER SCIENCE AND ENGINEERING**



**B.M.S. COLLEGE OF ENGINEERING**

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**Bull Temple Road, Bangalore 560019**  
(Affiliated To Visvesvaraya Technological University, Belgaum)  
**Department of Computer Science and Engineering**



**CERTIFICATE**

This is to certify that the Lab work entitled “Artificial Intelligence (23CS5PCAIN)” carried out by **Aarusha GP (1BM23CS005)**, who is bonafide student of **B.M.S. College of Engineering**. It is in partial fulfillment for the award of **Bachelor of Engineering in Computer Science and Engineering** of the Visvesvaraya Technological University, Belgaum. The Lab report has been approved as it satisfies the academic requirements in respect of an Artificial Intelligence (23CS5PCAIN) work prescribed for the said degree.

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Github Link:

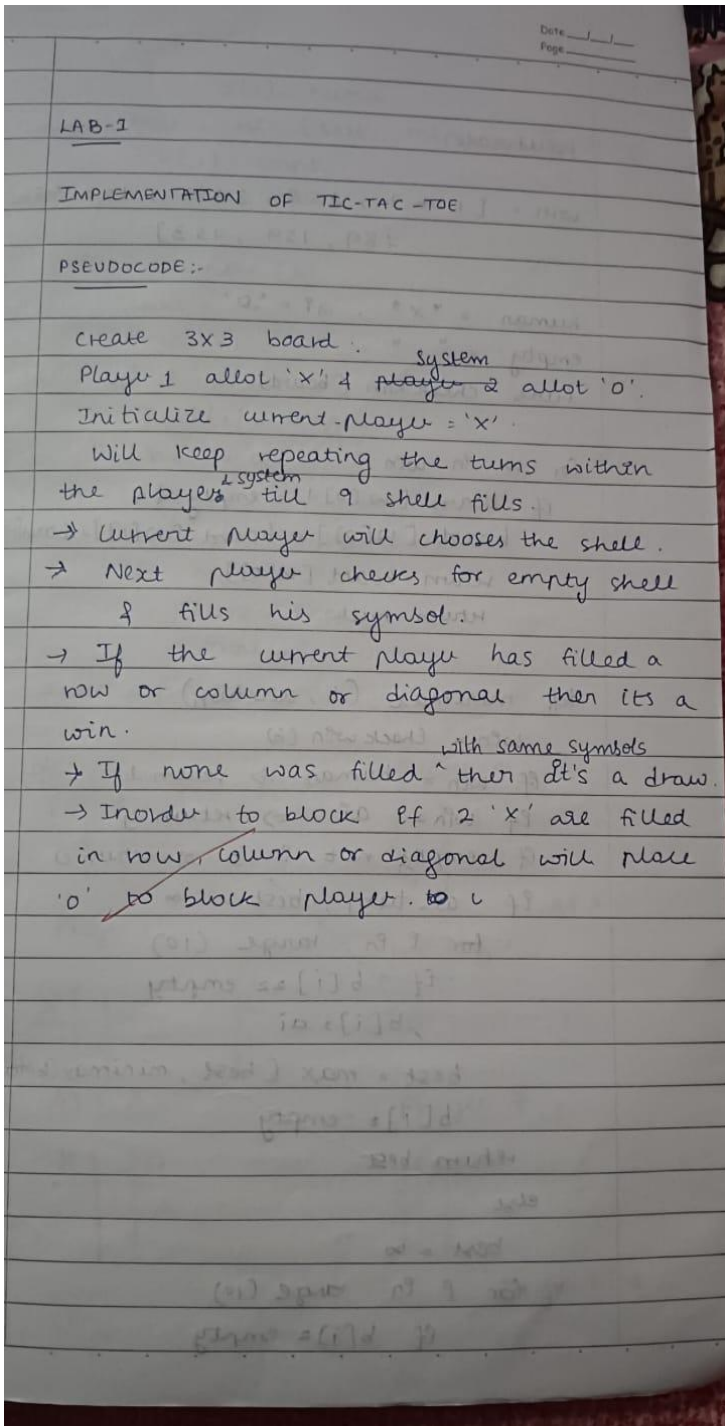
<https://github.com/aarushagp/AI-LAB->

### Program 1

Implement Tic - Tac - Toe Game

Implement vacuum cleaner agent

Algorithm:



b[i] = human  
 best = min [best, minimax (b, false)]  
 b[i] = empty  
 return best

def ai\_move (b)

score = -∞

move = -1

for i in range (10)

if b[i] = empty

b[i] = a

best = minimax (b, false)

b[i] = empty

if best > score

score = best

move = i

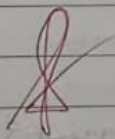
return max

o/p:-


Player 1

X		

AI = 3



Player = 4

X		O
X		

AI = 2

X	O	O
X		

Player 7

X		O

X	O	O
X		
X		

Player wins.

Pseudocode:-

win = [1, 4, 7, 2, 5, 8, 3, 6, 9, 1, 2, 3, 4, 5, 6,  
7, 8, 9, 1, 5, 9, 7, 5, 3]

human = 'x', ai = 'o'

empty = '.'

func checkWin (board)

for w in win

if board[w[0]] != empty &&

board[w[0]] == board[w[1]] == board[w[2]]

return board[w[0]]

return null

def minimax (b, ai-turn)

win = checkWin (b)

if win == human => return 1

if win == ai => return -1

if empty not in b => return 0

if ai-turn, best = -∞

for i in range (10)

if b[i] == empty

b[i] = ai

best = max (best, minimax (b, false))

b[i] = empty

return best

else

best = ∞

for i in range (10)

if b[i] == empty



FUNCTION move():

rooms\_list = [A, B, C, D]

current\_index = index of agent's current location in rooms\_list

next\_index = (current\_index + 1) mod length of rooms\_list

agent's location = rooms\_list[next\_index]

PRINT "Moving to room " + agent's location

FUNCTION run(steps):

FOR step FROM 1 TO steps DO

PRINT "step " + step

DISPLAY environment state (agent location & rooms status)

CALL clean()

CALL move()

WAIT for 1 second (optional)

PRINT final environment state

PRINT total number of cleaned rooms (score)

MAIN:

create environment

create vacuum agent linked to environment

CALL run() with desired number of steps (e.g., 8)

END

o/p:- Room 0,0 was dirty, now cleaned

Room 0,1 already clean

Room 1,1 is cleaned

Room 1,0 already cleaned

All rooms cleaned.

Code:

Tic tac toa game:-

```
import math

def print_board(board):
    print("\n")
    for row in board:
        print(" | ".join(row))
        print("-" * 9)
    print("\n")

def check_winner(board, player):
    for row in board:
        if all(cell == player for cell in row):
            return True

    for col in range(3):
        if all(board[row][col] == player for row in range(3)):
            return True

    if all(board[i][i] == player for i in range(3)):
        return True
    if all(board[i][2 - i] == player for i in range(3)):
        return True

    return False

def is_full(board):
    return all(cell != ' ' for row in board for cell in row)

def get_human_move(board):
    while True:
        try:
            move = input("Enter your move (row and column: 1 1): ")
            row, col = map(int, move.split())
            row -= 1
            col -= 1

            if row not in range(3) or col not in range(3):
                print("Please enter values between 1 and 3.")
                continue

            if board[row][col] != '':
```



```
    print("That cell is already taken. Try again.")
    continue

    return row, col
except ValueError:
    print("Invalid input. Enter row and column numbers separated by a space.")
```

```

def minimax(board, depth, is_maximizing, human, computer):
    if check_winner(board, computer):
        return 1
    elif check_winner(board, human):
        return -1
    elif is_full(board):
        return 0

    if is_maximizing:
        best_score = -math.inf
        for i in range(3):
            for j in range(3):
                if board[i][j] == '':
                    board[i][j] = computer
                    score = minimax(board, depth + 1, False, human, computer)
                    board[i][j] = ''
                    best_score = max(score, best_score)
        return best_score
    else:
        best_score = math.inf
        for i in range(3):
            for j in range(3):
                if board[i][j] == '':
                    board[i][j] = human
                    score = minimax(board, depth + 1, True, human, computer)
                    board[i][j] = ''
                    best_score = min(score, best_score)
        return best_score

```

```

def get_best_move(board, human, computer):
    best_score = -math.inf
    move = None

    for i in range(3):
        for j in range(3):
            if board[i][j] == '':
                board[i][j] = computer
                score = minimax(board, 0, False, human, computer)
                board[i][j] = ''
                if score > best_score:
                    best_score = score
                    move = (i, j)
    return move

```

```

def play_game():

```

```

board = [[' ' for _ in range(3)] for _ in range(3)]
human = 'X'
computer = 'O'
current_player = human # Human starts first

print("Welcome to Tic-Tac-Toe (You vs Unbeatable Computer)!")
print_board(board)

while True:
    if current_player == human:
        row, col = get_human_move(board)
    else:
        print("Computer is making a smart move...")
        row, col = get_best_move(board, human, computer)

    board[row][col] = current_player
    print_board(board)

    if check_winner(board, current_player):
        if current_player == human:
            print("🏆 You win!")
        else:
            print("🤖 Computer wins!")
        break

    if is_full(board):
        print("It's a draw!")
        break

    # Switch turns
    current_player = computer if current_player == human else human

if __name__ == "__main__":
    play_game()

```

Vacuum cleaner agent:-

```

def display_state(vacuum_location, rooms):
    print("\nCurrent State:")
    print(f'Vacuum is in Room {vacuum_location}')
    print(f'Room states: Left = {rooms["R"]} | Right = {rooms["L"]}')

def vacuum_simulation():
    # Initial setup

```

```

rooms = {
    'L': input("Is Left room dirty or clean? (Dirty/Clean): ").strip().capitalize(),
    'R': input("Is Right room dirty or clean? (Dirty/Clean): ").strip().capitalize()
}

vacuum_location = input("Where should the vacuum start? (L/R): ").strip().upper()
if vacuum_location not in ['R', 'L']:
    print("Invalid input. Defaulting to 'L'")
    vacuum_location = 'L'

print("\n--- Vacuum Cleaner Simulation Started ---")

while True:
    display_state(vacuum_location, rooms)

    # Check if both rooms are clean
    if rooms['L'] == 'Clean' and rooms['R'] == 'Clean':
        print("✓ All rooms are clean! Job done.")
        break

    action = input("Enter action (left / right / pick / exit): ").strip().lower()

    if action == 'exit':
        print("Simulation ended by user.")
        break

    if action == 'pick':
        if rooms[vacuum_location] == 'Dirty':
            print(f"□ Picking dust in Room {vacuum_location}")
            rooms[vacuum_location] = 'Clean'
        else:
            print(f"Room {vacuum_location} is already clean.")
    elif action == 'left':
        vacuum_location = 'L' # Moving to right if user says left
        print("Vacuum moves to Room R (user chose 'left')")
    elif action == 'right':
        vacuum_location = 'R' # Moving to left if user says right
        print("Vacuum moves to Room L (user chose 'right')")
    else:
        print("✗ Invalid action. Try again.")

print("Simulation complete.")

if __name__ == "__main__":
    vacuum_simulation()

```

Output:-

```
IDLE Shell 3.13.7
File Edit Shell Debug Options Window Help

-----
Enter your move (row and column: 1 1): 2 1
O | X |
X | X |
--| O |
-----

Computer is making a smart move...

O | X |
X | X | O
--| O |
-----

Enter your move (row and column: 1 1): 3 1
O | X |
X | X | O
X | O |
-----

Computer is making a smart move...

O | X | O
X | X | O
X | O |
-----

Enter your move (row and column: 1 1): 3 3
O | X | O
X | X | O
X | O | X
-----

It's a draw!
>>>
```

```
^ Is Left room dirty or clean? (Dirty/Clean): dirty
Is Right room dirty or clean? (Dirty/Clean): dirty
Where should the vacuum start? (L/R): L

--- Vacuum Cleaner Simulation Started ---

Current State:
Vacuum is in Room L
Room states: Left = Dirty | Right = Dirty
Enter action (left / right / pick / exit): right
Vacuum moves to Room R (user chose 'right')

Current State:
Vacuum is in Room R
Room states: Left = Dirty | Right = Dirty
Enter action (left / right / pick / exit):
❌ Invalid action. Try again.

Current State:
Vacuum is in Room R
Room states: Left = Dirty | Right = Dirty
Enter action (left / right / pick / exit): pick
🧹 Picking dust in Room R

Current State:
Vacuum is in Room R
Room states: Left = Clean | Right = Dirty
Enter action (left / right / pick / exit):
```

**Program 2**

Solve 8 puzzle problems

Implement Iterative deepening search algorithm

Implement Depth first search algorithm

Algorithm:

LAB-2.

1) 8-PUZZLE USING MISPLACED TILES:-

Algorithm Solve8Puzzle (start-state, goal-state)

Input: start-state, goal-state

Output: sequence of moves from start-state to goal-state.

1. Initialize:

open-list  $\leftarrow$  priority queue.

closed-list  $\leftarrow$  empty set

$g(\text{start-state}) \leftarrow 0$

$h(\text{start-state}) \leftarrow \text{MisplacedTiles}(\text{start-state}, \text{goal-state})$

$f(\text{start-state}) \leftarrow g + h$

Add start-state to open-list

2. While open-list is not empty:

current-node  $\leftarrow$  node with lowest  $f$  in open-list

Remove current-node from open-list

Add current-node.state to closed-list

If current-node.state = goal-state:

Return path from start-state to goal-state

For each valid move from current-node:

new-state  $\leftarrow$  result of move

If new-state  $\in$  closed-list:

continue



$g(\text{new-state}) \leftarrow g(\text{current-node}) + 1$   
 $h(\text{new-state}) \leftarrow \text{MisplacedTiles}(\text{new-state}, \text{goal-state})$   
 $f(\text{new-state}) \leftarrow g + h$   
 Add new-state to open-list

3. If open-list is empty:  
Print "No solution exists."

End Algorithm

Function MisplacedTiles (state, goal-state):

count  $\leftarrow 0$

For i from 0 to 8:

If state[i]  $\neq$  goal-state[i] and  
state[i]  $\neq 0$ :

count  $\leftarrow$  count + 1;

Return count

O/p: 7

## 1) 8 PUZZLE USING MANHATTAN DISTANCE:-

Algorithm: Solve 8 Puzzle - Manhattan (start state to goal-state)

Input: start state, goal state

Output: sequence of moves from start-state to goal-state

## 1. Initialize:

open-list  $\leftarrow$  priority queue

closed-list  $\leftarrow$  empty set

$g(\text{start-state}) \leftarrow 0$

$h(\text{start-state}) \leftarrow \text{Manhattan Distance}(\text{start-state}, \text{goal-state})$

$f(\text{start-state}) \leftarrow g + h$

Add start-state to open-list

## 2. While open-list is not empty:

current-node  $\leftarrow$  node in open-list with lowest  $f$

Remove current-node from open-list

Add current-node.state to closed-list

If current-node.state = goal-state:

Return path from start-state to goal-state

For each valid move (up, down, left, right):

new-state  $\leftarrow$  result of move

If new-state  $\in$  closed-list:  
continue

$g(\text{new-state}) \leftarrow g(\text{current-node}) + 1$   
 $h(\text{new-state}) \leftarrow \text{ManhattanDistance}(\text{new-state}, \text{goal-state})$   
 $f(\text{new-state}) \leftarrow g(\text{new-state}) + h(\text{new-state})$

Add new-state to open-list

3. If open-list is empty:

Print "No solution exists"

End Algorithm

Function ManhattanDistance (state, goal-state):

Distance  $\leftarrow 0$

For each tile in state:

If tile  $\neq 0$ :

current-position  $\leftarrow$  index of tile in state

goal-position  $\leftarrow$  index of tile in goal-state

row-diff  $\leftarrow | \text{current-row} - \text{goal-row} |$

col-diff  $\leftarrow | \text{current-col} - \text{goal-col} |$

distance  $\leftarrow \text{distance} + \text{row-diff} + \text{col-diff}$

Return distance

o/p:-

(1, 2, 3)  
(4, 5, 6)  
(0, 7, 8)

$g=0$   $f=0+2=2$   
 $h=2$

(1, 2, 3)  
(4, 5, 6)  
(7, 0, 8)

(1, 2, 3)

(4, 5, 6)

(7, 8, 0)

$g=3$

$h=0$

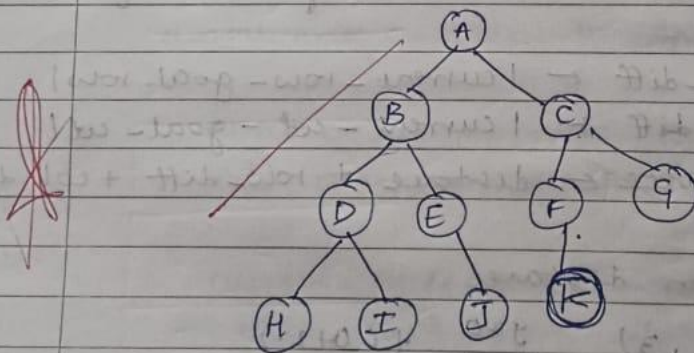
$f=2$

$g=1$   $h=1$   $f=2$



2) # IDDFS:-

```
def iddfs (root, goal, graph, max-depth):
    def dfs (node, depth, path):
        if node == goal:
            return path
        if depth == 0:
            return None
        for child in graph.get (node, []):
            result = dfs (child, depth-1, path + [child])
            if result:
                return result
        return None
    for l in range (max-depth+1):
        result = dfs (root, l, [root])
        if result:
            return result
    return None
```



Depth 0: A

Depth 1: B, C

Depth 2: D, E, F, G

Depth 3: K found ✓

Path = A → C → F → K

Code:

IDS:-

```
GOAL_STATE = (1, 2, 3, 4, 5, 6, 7, 8, 0)
```

```
MOVES = {  
    'UP': -3,  
    'DOWN': 3,  
    'LEFT': -1,  
    'RIGHT': 1  
}
```

```
def is_valid_move(pos, move):  
    if move == 'UP' and pos < 3:  
        return False  
    if move == 'DOWN' and pos > 5:  
        return False  
    if move == 'LEFT' and pos % 3 == 0:  
        return False  
    if move == 'RIGHT' and (pos + 1) % 3 == 0:  
        return False  
    return True
```

```
def move_tile(state, move):  
    new_state = list(state)  
    idx = new_state.index(0)  
    if not is_valid_move(idx, move):  
        return None  
    swap_idx = idx + MOVES[move]  
    new_state[idx], new_state[swap_idx] = new_state[swap_idx], new_state[idx]  
    return tuple(new_state)
```

```
def get_successors(state):  
    successors = []  
    for move in MOVES:  
        new_state = move_tile(state, move)  
        if new_state:  
            successors.append(new_state)  
    return successors
```

```
def dls(state, depth):  
    stack = [(state, [])]  
    visited = set()  
  
    while stack:  
        curr_state, path = stack.pop()
```

```

    if curr_state in visited:
        continue
    visited.add(curr_state)

    if curr_state == GOAL_STATE:
        return path + [curr_state]

    if len(path) >= depth:
        continue

    for succ in get_successors(curr_state):
        stack.append((succ, path + [curr_state]))

return None

def ids(start_state, max_depth=50):
    for depth in range(max_depth + 1):
        result = dls(start_state, depth)
        if result:
            return result
    return None

def print_path(path):
    print("Number of steps:", len(path) - 1)
    for state in path:
        for i in range(0, 9, 3):
            print(state[i:i+3])
        print()

def get_user_input():
    print("Enter the initial 8-puzzle state row by row.")
    print("Use digits 0-8 exactly once (0 is the blank). Example input for one row: 1 2 3")
    user_values = []

    while len(user_values) < 9:
        try:
            row_input = input(f"Row {len(user_values)//3 + 1}: ").strip()
            row = list(map(int, row_input.split()))
            if len(row) != 3:
                print("Please enter exactly 3 numbers.")
                continue
            user_values.extend(row)
        except ValueError:
            print("Invalid input. Please enter numbers only.")

    if sorted(user_values) != list(range(9)):
        print("The puzzle must contain all digits from 0 to 8 exactly once.\nLet's try again.")

```

```

    return get_user_input()

print("\n✔ Puzzle input accepted!\n")
return tuple(user_values)

if __name__ == "__main__":
    start_state = get_user_input()
    print("==== Solving 8-puzzle with IDS ====")
    solution = ids(start_state)
    if solution:
        print_path(solution)
    else:
        print("No solution found within depth limit.")

```

DFS:-

```

from collections import deque

GOAL_STATE = (1, 2, 3, 4, 5, 6, 7, 8, 0)

MOVES = {
    'UP': -3,
    'DOWN': 3,
    'LEFT': -1,
    'RIGHT': 1
}

def is_valid_move(pos, move):
    if move == 'UP' and pos < 3:
        return False
    if move == 'DOWN' and pos > 5:
        return False
    if move == 'LEFT' and pos % 3 == 0:
        return False
    if move == 'RIGHT' and (pos + 1) % 3 == 0:
        return False
    return True

def move_tile(state, move):
    new_state = list(state)
    idx = new_state.index(0)
    if not is_valid_move(idx, move):
        return None
    swap_idx = idx + MOVES[move]
    new_state[idx], new_state[swap_idx] = new_state[swap_idx], new_state[idx]
    return tuple(new_state)

```



```

def get_successors(state):
    successors = []
    for move in MOVES:
        new_state = move_tile(state, move)
        if new_state:
            successors.append(new_state)
    return successors

def bfs(start_state):
    queue = deque([(start_state, [])])
    visited = set()

    while queue:
        state, path = queue.popleft()
        if state in visited:
            continue
        visited.add(state)

        if state == GOAL_STATE:
            return path + [state]

        for succ in get_successors(state):
            queue.append((succ, path + [state]))

    return None

def print_path(path):
    print("Number of steps:", len(path) - 1)
    for state in path:
        for i in range(0, 9, 3):
            print(state[i:i+3])
        print()

def get_user_input():
    print("Enter the initial 8-puzzle state row by row.")
    print("Use digits 0-8 exactly once (0 is the blank). Example input for one row: 1 2 3")
    user_values = []

    while len(user_values) < 9:
        try:
            row_input = input(f"Row {len(user_values)//3 + 1}: ").strip()
            row = list(map(int, row_input.split()))
            if len(row) != 3:
                print(" Please enter exactly 3 numbers.")
                continue
            user_values.extend(row)
        except ValueError:

```

```

        print(" Invalid input. Please enter numbers only.")

    if sorted(user_values) != list(range(9)):
        print("The puzzle must contain all digits from 0 to 8 exactly once.")
        return get_user_input()

    print("\n Puzzle input accepted!\n")
    return tuple(user_values)

if __name__ == "__main__":
    start_state = get_user_input()
    print("=== Solving 8-puzzle with BFS ===")
    result = bfs(start_state)
    if result:
        print_path(result)
    else:
        print("No solution found.")

```

Output:-

```

Output
* Enter the initial 8-puzzle state row by row.
Use digits 0-8 exactly once (0 is the blank). Example input for one row: 1 2 3
Row 1: 1 2 3
Row 2: 4 5 6
Row 3: 7 0 8

✅ Puzzle input accepted!

=== Solving 8-puzzle with IDS ===
Number of steps: 1
(1, 2, 3)
(4, 5, 6)
(7, 0, 8)

(1, 2, 3)
(4, 5, 6)
(7, 8, 0)

=== Code Execution Successful ===

```

```

Output
* Enter the initial 8-puzzle state row by row.
Use digits 0-8 exactly once (0 is the blank). Example input for one row: 1 2 3
Row 1: 1 2 3
Row 2: 4 5 6
Row 3: 7 0 8

✅ Puzzle input accepted!

=== Solving 8-puzzle with BFS ===
Number of steps: 1
(1, 2, 3)
(4, 5, 6)
(7, 0, 8)

(1, 2, 3)
(4, 5, 6)
(7, 8, 0)

=== Code Execution Successful ===

```

**Program 3**

Solve 8 puzzle problems

Implement A\* search algorithm

Algorithm:

1) ~~A\*~~ 8 puzzle using A\*.

Pseudocode :-

A\* (start, goal):

open = priority queue with start

parent[start] = null

g[start] = 0

f[start] = g[start] + h(start)

while open not empty:

current = node in open with smallest f

if current == goal:

return path from parent

remove current from open for each

neighbour of current:

temp\_g = g[current] + 1

if neighbour not visited OR

temp\_g < g[neighbour]:

parent[neighbour] = current

g[neighbour] = temp\_g

f[neighbour] = g[neighbour] + h[neighbour]

Add neighbour to open with priority f[neighbour]

return "No solution"

Ex:

Start state

1	2	3
0	4	6
7	5	8

$g(\text{cost so far}) = 0$   
 $h(\text{heuristic}) = 2 + 1 + 1 = 3$

$f = g + h$   
 $= 0 + 3 = 3 //$

1	2	3
4	0	6
7	5	8

$g = 0 + 1$   
 $h = 1 + 1 = 2$   
 $f = g + h$   
 $= 1 + 2 = 3 //$

1	2	3
4	5	6
7	0	8

$g = 0 + 1 + 1 = 2$   
 $h = 1$   
 $f = g + h$   
 $= 2 + 1 = 3 //$

Goal state

1	2	3
4	5	6
7	8	0

$g = 3$   
 $h = 0$   
 $f = g + h$   
 $= 3 + 0 = 3 //$

~~10/9/25~~

Time complexity  $\Rightarrow A^* < IDDFS < BFS < DFS$   
 0.015s 0.07s 0.083 0.200

Code:-

```
# A* Search Algorithm Implementation in Python

from queue import PriorityQueue

def a_star_search(graph, heuristic, start, goal):
    # Priority queue to store (f_score, node, path)
    pq = PriorityQueue()
    pq.put((0, start, [start]))

    # Dictionary to store g_scores (cost from start)
    g_score = {node: float('inf') for node in graph}
    g_score[start] = 0

    while not pq.empty():
        f, current, path = pq.get()

        # Goal check
        if current == goal:
            print("Path found:", ' → '.join(path))
            print("Total cost:", g_score[goal])
            return

        # Explore neighbors
        for neighbor, cost in graph[current]:
            tentative_g = g_score[current] + cost

            if tentative_g < g_score[neighbor]:
                g_score[neighbor] = tentative_g
                f_score = tentative_g + heuristic[neighbor]
                pq.put((f_score, neighbor, path + [neighbor]))

    print("No path found!")

# Example usage
if __name__ == "__main__":
    # Define the graph as adjacency list
    # Each node: [(neighbor, cost), ...]
    graph = {
        'A': [('B', 1), ('C', 3)],
        'B': [('D', 1), ('E', 5)],
        'C': [('F', 2)],
        'D': [('G', 3)],
        'E': [('G', 1)],
```

'F': [('G', 5)],  
'G': []



```

}

# Define heuristic values (estimated cost to reach goal)
heuristic = {
    'A': 7,
    'B': 6,
    'C': 5,
    'D': 4,
    'E': 2,
    'F': 1,
    'G': 0
}

start_node = 'A'
goal_node = 'G'

print("A* Search Algorithm")
print("-----")
print(f'Finding path from {start_node} → {goal_node}\n')

a_star_search(graph, heuristic, start_node, goal_node)

```

Output:-

```

A* Search Algorithm
-----
Finding path from A → G

Path found: A → B → D → G
Total cost: 5

=== Code Execution Successful ===

```

#### **Program 4**

Implement Hill Climbing search algorithm to solve N-Queens problem

Algorithm:-

LAB-4

Hill climbing for N-queens:-

$$\Delta E = e^{\frac{\Delta E}{KT}}$$

	Q1		
			Q2
Q3			
		Q4	

Algorithm:-

- 1) Start with random board.
- 2) Compute  $h = (\text{number of attacking pairs})$ .

Repeat (1-2)  $\Delta E = (E - E')$  until

- a) Generate all neighbouring boards.
- b) Choose neighbour with minimum  $h$ .
- c)  $E = (E - \Delta E)$ ,  $E' = (E - \Delta E)$

Function HILL CLIMBING (problem) returns a state

that is local maximum

current  $\leftarrow$  Make\_node (problem, Initial state)

loop do

neighbour  $\leftarrow$  a highest valued successor of current

if neighbour.value  $\leq$  current.value

then return current state

state loop current  $\leftarrow$  neighbour.

Ex: 0 1 2 3

0			Q
1		Q	
2			Q
3	Q		

col: 0 1 2 3  
row: 3 1 2 0

For  $Q(0,3)$  vs  $Q(1,1)$

rows  $\neq (3-1) = 2$ ,  $|0-1| = 1$ , no attacks.

$Q(0,3)$  vs  $Q(2,2)$

rows  $= (0-2) = 2$ ,  $|3-2| = 1$ , no attack

$Q(0,3)$  vs  $Q(3,0)$

$= (3-0) = 3$ ,  $(0-3) = 3$  = equal diagonal attack.

$Q(1,1)$  vs  $Q(2,2)$

equal - yes diagonal attack

$Q(1,1)$  &  $Q(3,0)$ : no attack

$Q(2,2)$  &  $Q(3,0)$ : no attack

There are 2 attacks we have.

Therefore  $[3, 1, 2, 0]$  not a goal state.

3, 0, 2

Code:-

```
import random

def generate_board(N):
    """Generate a random board: board[i] = row of queen in column i"""
    return [random.randint(0, N-1) for _ in range(N)]

def compute_heuristic(board):
    """Compute number of pairs of queens attacking each other"""
    h = 0
    N = len(board)
    for i in range(N):
        for j in range(i+1, N):
            if board[i] == board[j]:          # same row
                h += 1
            elif abs(board[i] - board[j]) == j - i: # same diagonal
                h += 1
    return h

def get_neighbors(board):
    """Generate all neighbors by moving one queen in its column"""
    neighbors = []
    N = len(board)
    for col in range(N):
        for row in range(N):
            if board[col] != row:
                new_board = list(board)
                new_board[col] = row
                neighbors.append(new_board)
    return neighbors

def hill_climbing(N, max_restarts=100):
    for restart in range(max_restarts):
        board = generate_board(N)
        steps = 0
        while True:
            h = compute_heuristic(board)
            if h == 0:
                print(f'Solution found in {steps} steps after {restart} restarts!')
                return board
```

```

    neighbors = get_neighbors(board)
    h_values = [compute_heuristic(nb) for nb in neighbors]
    min_h = min(h_values)
    if min_h >= h: # no improvement
        break    # local maxima, do random restart
    # move to the neighbor with minimum heuristic
    board = neighbors[h_values.index(min_h)]
    steps += 1
print("No solution found")
return None

# Example usage
N = 8
solution = hill_climbing(N)
if solution:

    print("Board (column: row):", solution)

```

Output:-

```

Solution found in 3 steps after 10 restarts!
Board (column: row): [3, 7, 0, 4, 6, 1, 5, 2]

=== Code Execution Successful ===

```

## **Program 5**

Simulated Annealing

Algorithm



## Simulated Annealing

### Algorithm:-

Initialize a random state

Set initial temperature  $T$

Repeat until

while  $T > 0$  do

$next \leftarrow$  a random neighbour of current

$\Delta E \leftarrow next.cost - curr.cost$

    if  $\Delta E > 0$  then

$curr \leftarrow next$

    else

$curr \leftarrow next$  with  $p = e^{-\Delta E/T}$

    end if

    decrease  $T$

end while

return  $curr$

o/p: Enter no. of queens : 8

Solution found at step 623

Position format

3 1 7 4 6 0 2 5

Heuristic = 0

o/p:- no. of queens : 4

Threshold : 1.00

optimal sol: [1, 1, 0, 3]

Threshold : 1.00

optimal sol: [1, 0, 2, 3]

Threshold : 1.00

optimal sol: [0, 3, 0, 2]

Threshold : 1.00

optimal sol: [2, 0, 3, 1]

Code:-

```
import random
import math

def generate_board(N):
    """Generate a random board: board[i] = row of queen in column i"""
    return [random.randint(0, N-1) for _ in range(N)]

def compute_heuristic(board):
    """Compute number of pairs of queens attacking each other"""
    h = 0
    N = len(board)
    for i in range(N):
```

```

    for j in range(i+1, N):
        if board[i] == board[j]:           # same row
            h += 1
        elif abs(board[i] - board[j]) == j - i: # same diagonal
            h += 1
    return h

def get_random_neighbor(board):
    """Generate a neighbor by moving one queen in its column to a random row"""
    N = len(board)
    col = random.randint(0, N-1)
    row = random.randint(0, N-1)
    while board[col] == row:
        row = random.randint(0, N-1)
    new_board = list(board)
    new_board[col] = row
    return new_board

def simulated_annealing(N, max_steps=100000, initial_temp=1000, cooling_rate=0.99):
    board = generate_board(N)
    current_h = compute_heuristic(board)
    T = initial_temp

    for step in range(max_steps):
        if current_h == 0:
            print(f'Solution found in {step} steps!')
            return board
        neighbor = get_random_neighbor(board)
        neighbor_h = compute_heuristic(neighbor)
        delta_h = neighbor_h - current_h

        if delta_h < 0:
            # Better neighbor, move to it
            board = neighbor
            current_h = neighbor_h
        else:
            # Worse neighbor, move with probability  $e^{(-\Delta H/T)}$ 
            probability = math.exp(-delta_h / T)
            if random.random() < probability:
                board = neighbor
                current_h = neighbor_h

```

```
# Cool down the temperature
T *= cooling_rate

print("No solution found")
return None

# Example usage
N = 8
solution = simulated_annealing(N)
if solution:
    print("Board (column: row):", solution)
```

Output:-

```
Solution found in 671 steps!
Board (column: row): [6, 3, 1, 7, 5, 0, 2, 4]

=== Code Execution Successful ===
```

### **Program 6**

Propositional Logic

Algorithm:-

## Q. Propositional logic (Truth table enumeration Method)

Input:-

a knowledge base (KB) & query ( $\alpha$ )

Algorithm:-

function TT-ENTAILS? (KB,  $\alpha$ ) returns true or false

inputs: KB, the knowledge base, a sentence in propositional logic  $\alpha$ , the query, a sentence in propositional logic

symbols  $\leftarrow$  a list of the proposition symbols

In KB  $\& \alpha$  return true

return TT-CHECK-ALL (KB,  $\alpha$ , symbols, 1)

function TT-CHECK-ALL (KB,  $\alpha$ , symbols, model)

returns true or false

if Empty? (symbols) then

if PL-TRUE? (KB, model) then

return PL-TRUE? ( $\alpha$ , model)

else return false // which KB is false,

if falsity return true

else do

$P \leftarrow$  FIRST (symbols)

rest  $\leftarrow$  REST (symbols)

return TT-CHECK-ALL (KB,  $\alpha$ , rest, model

[8, 0, 1, 1] // 1000 (00.1: 1000, P: true)

[8, 0, 0 and 1000 (00.1: 1000, P: false)

[8, 0, 0, 0 return TT-CHECK-ALL (KB,  $\alpha$ , rest, model

[1, 0, 0, 0] // 1000 (00.1: 1000, P: false)

(i)	P	Q	R	$Q \rightarrow P$	$P \rightarrow Q$	$Q \vee R$	KB
	T	T	T	T	F	T	F
	T	T	F	T	F	T	F
	T	F	T	T	T	T	F
	T	F	F	T	T	T	T
	F	T	T	F	T	F	F
	F	T	F	F	T	T	F
	F	F	T	T	T	T	F
	F	F	F	T	T	F	T

models where KB is true: [(false, false, true), (true, false, true)]

KB $\models R$	KB $\models R \rightarrow P$	KB $\models Q \rightarrow R$
No	No	No
No	No	No
True	No	No
No	True	True
No	No	No
No	No	No
True	No	No
No	False	True
	No	No

i) Does KB entail R? Yes

ii) Does KB entail  $R \rightarrow P$ ? No

iii) Does KB entail  $Q \rightarrow R$ ? Yes

iv) Output comparison shows the same.



output for the question :

$$\alpha = A \vee B \quad KB = (A \vee C) \wedge (B \vee \neg C)$$

A	B	C	A ∨ C	B ∨ ¬C	KB	α
F	F	F	F	T	F	F
F	F	T	T	F	F	F
F	T	F	F	T	F	T
F	T	T	T	T	T	T
T	F	F	T	T	T	T
T	F	T	T	F	F	T
T	T	F	T	T	T	T
T	T	T	T	T	T	T

Models where KB is True :  $\{(F, T, T), (T, F, F), (T, T, F), (T, T, T)\}$

Entailment:

$$KB \models \alpha \text{ ? True.}$$



Code:-

```
from itertools import product
```

```
# Define the propositional variables
```

```
variables = ['P', 'Q', 'R']
```

```
# Define all possible truth assignments
```

```
assignments = list(product([True, False], repeat=len(variables)))
```

```
# Function to evaluate the KB sentences
```

```
def evaluate_KB(P, Q, R):
```

```

s1 = (not Q) or P    #  $Q \rightarrow P$ 
s2 = (not P) or (not Q) #  $P \rightarrow \neg Q$ 
s3 = Q or R         #  $Q \vee R$ 
KB_true = s1 and s2 and s3
return KB_true, s1, s2, s3

# Function to evaluate a statement
def evaluate_statement(statement, P, Q, R):
    # statement is a lambda function
    return statement(P, Q, R)

# Statements to check entailment
statements = {
    "R": lambda P,Q,R: R,
    "R -> P": lambda P,Q,R: (not R) or P,
    "Q -> R": lambda P,Q,R: (not Q) or R
}

# Loop through all assignments
print(f'{'P':^5} {'Q':^5} {'R':^5} {'KB':^5} {'R':^5} {'R->P':^7} {'Q->R':^7}')
for values in assignments:
    P, Q, R = values
    KB_true, s1, s2, s3 = evaluate_KB(P, Q, R)
    R_val = evaluate_statement(statements["R"], P, Q, R)
    RtoP_val = evaluate_statement(statements["R -> P"], P, Q, R)
    QtoR_val = evaluate_statement(statements["Q -> R"], P, Q, R)

    print(f'{'P':s:^5} {'Q':s:^5} {'R':s:^5} {'KB_true':s:^5} {'R_val':s:^5} {'RtoP_val':s:^7} {'QtoR_val':s:^7}')

# Check entailment
def check_entailment(statement_func):
    for values in assignments:
        P,Q,R = values
        KB_true, _, _, _ = evaluate_KB(P,Q,R)
        if KB_true and not statement_func(P,Q,R):
            return False
    return True

print("\nEntailment results:")
for name, func in statements.items():
    print(f'KB entails {name}? {check_entailment(func)}')

```

Output:-

P	Q	R	KB	R	R->P	Q->R
True	True	True	False	True	True	True
True	True	False	False	False	True	False
True	False	True	True	True	True	True
True	False	False	False	False	True	True
False	True	True	False	True	False	True
False	True	False	False	False	True	False
False	False	True	True	True	False	True
False	False	False	False	False	True	True

Entailment results:

KB entails R? True

KB entails R -> P? False

KB entails Q -> R? True

=== Code Execution Successful ===

### **Program 7**

Implement unification in first order logic

Algorithm:-

unification Algorithm:-

Step 1: If  $\varphi_1$  or  $\varphi_2$  is a variable or constant, then:

- a) If  $\varphi_1$  or  $\varphi_2$  are identical, then return NIL.
- b) Else if  $\varphi_1$  is a variable,
  - a. then if  $\varphi_1$  occurs in  $\varphi_2$ , then return Failure
  - b. Else return  $\langle \varphi_2 / \varphi_1 \rangle$

- c) Else if  $\varphi_2$  is a variable,
  - a. If  $\varphi_2$  occurs in  $\varphi_1$ , then return Failure,
  - b) Else return  $\langle \varphi_1 / \varphi_2 \rangle$ .

d) Else return Failure

Step 2: If the initial predicate symbol in  $\varphi_1$  &  $\varphi_2$  are not same, return Failure

Step 3: If  $\varphi_1$  &  $\varphi_2$  have different number of arguments, then return Failure.

Step 4: Set substitution set (SUBST) to NIL

Step 5: For  $i = 1$  to the number of elements

a) call unify function with  $i$ th element of  $\varphi_1$  &  $i$ th element of  $\varphi_2$ , & put the result into S.

b) If  $S = \text{failure}$  then return failure.

c) If  $S \neq \text{NIL}$  then do,

a) Apply S to the remainder of both

L1 p. 12.

b) SUBST = APPEND (S, SUBST)

step 6: Return SUBST.

12/11

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Code:-

```
# -----  
# Unification Algorithm in First-Order Logic  
# -----
```

```
class Term:
```

```
    def __init__(self, name, args=None):  
        self.name = name  
        self.args = args or []
```

```
    def is_variable(self):
```

```

    return self.args == [] and self.name[0].isupper()

def is_constant(self):
    return self.args == [] and self.name[0].islower()

def _repr_(self):
    if not self.args:
        return self.name
    else:
        return f'{self.name}({','.join(map(str, self.args))})'

# Occurs check: prevents infinite recursion like X = f(X)
def occurs_check(var, term, subs):
    if var == term:
        return True
    elif term.is_variable() and term.name in subs:
        return occurs_check(var, subs[term.name], subs)
    elif term.args:
        return any(occurs_check(var, t, subs) for t in term.args)
    return False

# Apply substitution to a term
def apply(subs, term):
    if term.is_variable() and term.name in subs:
        return apply(subs, subs[term.name])
    elif term.args:
        return Term(term.name, [apply(subs, t) for t in term.args])
    else:
        return term

# Unification function
def unify(x, y, subs=None):
    if subs is None:
        subs = {}

    x = apply(subs, x)
    y = apply(subs, y)

```



```

if x == y:
    return subs
elif x.is_variable():
    if occurs_check(x, y, subs):
        return None
    subs[x.name] = y
    return subs
elif y.is_variable():
    if occurs_check(y, x, subs):
        return None
    subs[y.name] = x
    return subs
elif x.name == y.name and len(x.args) == len(y.args):
    for a, b in zip(x.args, y.args):
        subs = unify(a, b, subs)
        if subs is None:
            return None
    return subs
else:
    return None

# ----- Example Test Cases -----

if __name__ == "__main__":
    tests = [
        ("Unify X with a", Term("X"), Term("a")),
        ("Unify f(X,b) with f(a,Y)", Term("f", [Term("X"), Term("b")]), Term("f", [Term("a"),
Term("Y")])),
        ("Unify f(X) with X (occurs check fail)", Term("f", [Term("X")]), Term("X")),
        ("Unify g(X,h(Y)) with g(h(Z),h(a))", Term("g", [Term("X"), Term("h", [Term("Y")])]),
Term("g", [Term("h", [Term("Z")]), Term("h", [Term("a")])])),
        ("Unify p(X,X) with p(a,b) (should fail)", Term("p", [Term("X"), Term("X")]), Term("p",
[Term("a"), Term("b")])),
    ]

    for desc, t1, t2 in tests:
        print("Test:", desc)
        result = unify(t1, t2)
        if result is None:
            print(" ✗ Unification failed")

```

else:

```
    print(" ✓ Substitution:")
    for k, v in result.items():
        print(f"    {k} -> {v}")
    print()
```

Output:-

```
Test: Unify X with a
✓ Substitution:
  X -> a

Test: Unify f(X,b) with f(a,Y)
✓ Substitution:
  X -> a
  Y -> b

Test: Unify f(X) with X (occurs check fail)
✓ Substitution:
  X -> f(X)

Test: Unify g(X,h(Y)) with g(h(Z),h(a))
✓ Substitution:
  X -> h(Z)
  Y -> a

Test: Unify p(X,X) with p(a,b) (should fail)
✗ Unification failed

=== Code Execution Successful ===
```

## **Program 8**

Forward Reasoning Algorithm

Algorithm:-

## Forward Reasoning

function FOL-FC-ASK (KB,  $\alpha$ ) returns a substitution or false

inputs: KB, the knowledge Base, a set of first-order definite clauses  $\alpha$ , the query, an atomic sentence

local variables: new, the new sentences inferred on each iteration

repeat until new is empty

new  $\leftarrow \{\}$

for each rule in KB do

$(P_1 \wedge \dots \wedge P_n \Rightarrow q) \leftarrow$  standardize-variable

for each  $\theta$  such that  $\text{SUBST}(\theta, P_1 \wedge \dots \wedge P_n)$   
 $= \text{SUBST}(\theta, P'_1 \wedge \dots \wedge P'_n)$

for some  $P'_1, \dots, P'_n \in \text{KB}$

$q' \leftarrow \text{SUBST}(\theta, q)$

if  $q'$  does not unify with some sentence already in KB or new then

add  $q'$  to new

$\phi \leftarrow \text{UNIFY}(q', \alpha)$

if  $\phi$  is not fail then return  $\phi$

add new to KB

return false

Code:-

```
# Facts as tuples (Predicate, Arguments)
facts = [
    ('American', 'Robert'),
    ('Enemy', 'CountryA', 'America'),
    ('Sells', 'Robert', 'Missile1', 'CountryA'),
    ('Sells', 'Robert', 'Missile2', 'CountryA')
]
```

```
# Rule: American sells weapons to hostile nation -> Criminal
def infer_criminal(facts):
    new_facts = []
    for fact in facts:
        if fact[0] == 'American':
            person = fact[1]
            for sell in facts:
                if sell[0] == 'Sells' and sell[1] == person:
                    weapon, country = sell[2], sell[3]
```

```

        for enemy in facts:
            if enemy[0] == 'Enemy' and enemy[1] == country and enemy[2] == 'America':
                criminal_fact = ('Criminal', person)
                if criminal_fact not in facts and criminal_fact not in new_facts:
                    new_facts.append(criminal_fact)
    return new_facts

# Forward chaining
while True:
    new_facts = infer_criminal(facts)
    if not new_facts:
        break
    facts.extend(new_facts)

# Result
for f in facts:
    print(f)

```

Output:-

```

('American', 'Robert')
('Enemy', 'CountryA', 'America')
('Sells', 'Robert', 'Missile1', 'CountryA')
('Sells', 'Robert', 'Missile2', 'CountryA')
('Criminal', 'Robert')

=== Code Execution Successful ===

```

## Program 9

### Resolution in FOL

Algorithm:-

Resolution in FOL

Algorithm

Given the KB or premises

- John likes all kind of food  
 $\forall x: \text{food}(x) \rightarrow \text{likes}(\text{John}, x)$
- Apple and vegetables are food  
 $\text{food}(\text{Apple}) \wedge \text{food}(\text{vegetables})$
- Anything anyone eats & not killed is food  
 $\forall x \forall y: \text{eats}(x, y) \wedge \neg \text{killed}(x) \rightarrow \text{food}(y)$
- Anil eats peanuts & still alive  
 $\text{eats}(\text{Anil}, \text{peanuts}) \wedge \text{alive}(\text{Anil})$
- Harry eats everything that Anil eats  
 $\forall x: \text{eats}(\text{Anil}, x) \rightarrow \text{eats}(\text{Harry}, x)$
- Anyone who is alive implies not killed  
 $\forall x: \neg \text{killed}(x) \rightarrow \text{alive}(x)$
- Anyone who is not killed implies alive  
 $\forall x: \text{alive}(x) \rightarrow \neg \text{killed}(x)$

prove that resolution that:  
 John likes peanuts  
 $\text{likes}(\text{John}, \text{peanuts})$

$\Rightarrow$  Eliminate implications and move negation inward

- $\forall x: \text{food}(x) \vee \text{likes}(\text{John}, x)$
- $\text{food}(\text{Apple}) \wedge \text{food}(\text{vegetables})$
- $\forall x \forall y: \neg \text{eats}(x, y) \vee \text{killed}(x) \vee \text{food}(y)$
- $\text{eats}(\text{Anil}, \text{peanuts}) \wedge \text{alive}(\text{Anil})$
- $\forall x: \text{eats}(\text{Anil}, x) \vee \text{eats}(\text{Harry}, x)$
- $\forall x: \neg \text{killed}(x) \vee \text{alive}(x)$
- $\forall x: \neg \text{alive}(x) \vee \neg \text{killed}(x)$

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Remove variables & Drop universe

- $\neg \text{food}(x) \vee \text{likes}(\text{John}, x)$
- $\text{food}(\text{Apple})$
- $\text{food}(\text{vegetables})$
- $\neg \text{eats}(y, z) \vee \text{killed}(y) \vee \text{food}(z)$
- $\text{eats}(\text{Anil}, \text{peanuts})$
- $\text{alive}(\text{Anil})$
- $\neg \text{eats}(\text{Anil}, w) \vee \text{eats}(\text{Harry}, w)$
- $\text{killed}(g) \vee \text{alive}(g)$
- $\neg \text{alive}(F) \vee \neg \text{killed}(F)$
- $\text{likes}(\text{John}, \text{peanuts})$

$\neg \text{likes}(\text{John}, \text{peanuts})$        $\neg \text{food}(z) \vee \text{likes}(\text{John}, z)$

$\neg \text{food}(\text{peanuts})$        $\neg \text{eats}(y, z) \vee \text{killed}(y) \vee \text{food}(z)$

$\neg \text{eats}(y, \text{peanuts}) \vee \text{killed}(y)$        $\text{eats}(\text{Anil}, \text{peanuts})$

$\text{killed}(\text{Anil})$        $\neg \text{alive}(F) \vee \neg \text{killed}(F)$

$\neg \text{alive}(\text{Anil})$        $\text{alive}(\text{Anil})$

Hence proved

18/11/2025 22:04

Code:-

# Resolution Proof for "John likes peanuts"

# Facts and rules (simulated as Python logic)

def proof():

# Premises

john\_likes\_food = lambda y: food(y) # John likes all kinds of food if it's food

eats = {

    ('anil', 'peanuts'): True,

}

alive = {

    'anil': True

}

# Rules

def is\_food(y):

    # Apple and vegetables are food

    if y in ['apple', 'vegetables']:

        return True

```

# Rule: Anything anyone eats and not killed is food
for (x, item) in eats:
    if item == y and not killed(x):
        return True
    return False

def killed(x):
    # If alive(x) then not killed(x)
    if alive.get(x, False):
        return False
    # If not alive(x) then possibly killed(x)
    return True

def food(y):
    return is_food(y)

# Negated goal: assume John does NOT like peanuts
goal = "¬likes(john,peanuts)"
print(f'Assume negated goal: {goal}')

# Step 1: Anil eats peanuts and is alive
print("1. eats(anil, peanuts) is True")
print("2. alive(anil) is True")

# Step 2: From 'alive(anil)' => 'not killed(anil)'
not_killed_anil = not killed('anil')
print(f'3. From alive(anil), we infer not killed(anil): {not_killed_anil}')

# Step 3: From 'Anil eats peanuts' and 'not killed(anil)' => 'food(peanuts)'
food_peanuts = eats(['anil', 'peanuts']) and not_killed_anil
print(f'4. From eats(anil,peanuts) and not killed(anil), we infer food(peanuts): {food_peanuts}')

# Step 4: From 'food(peanuts)' => 'John likes peanuts'
if food_peanuts:
    likes_john_peanuts = True
else:
    likes_john_peanuts = False
print(f'5. From food(peanuts), John likes peanuts: {likes_john_peanuts}')

# Step 5: Contradiction with negated goal
if likes_john_peanuts:
    print("6. Contradiction with negated goal ¬likes(john,peanuts).")
    print("✓ Therefore, John likes peanuts is PROVED by resolution.")
else:
    print("✗ Could not prove John likes peanuts.")

proof()

```



Output:-

```
Assume negated goal: ¬likes(john,peanuts)
1. eats(anil, peanuts) is True
2. alive(anil) is True
3. From alive(anil), we infer not killed(anil): True
4. From eats(anil,peanuts) and not killed(anil), we infer food(peanuts): True
5. From food(peanuts), John likes peanuts: True
6. Contradiction with negated goal ¬likes(john,peanuts).
✅ Therefore, John likes peanuts is PROVED by resolution.
```

```
=== Code Execution Successful ===
```

### **Program 10**

Alpha beta pruning

Algorithm:-

## ADVERSARIAL SEARCH:-

Alpha-beta pruning:-

PSEUDOCODE:

function ALPHA-BETA-SEARCH (state) returns an action

$V \leftarrow \text{MAX-VALUE}(\text{state}, -\infty, +\infty)$

return the action in ACTIONS (state) with value  $V$

function MAX-VALUE (state,  $\alpha, \beta$ ) returns a utility value

if TERMINAL-TEST (state) then return UTILITY (state)

$V \leftarrow -\infty$

for each  $a$  in ACTIONS (state) do

$V \leftarrow \text{MAX}(V, \text{MIN-VALUE}(\text{RESULT}(s, a), \alpha, \beta))$

if  $V \geq \beta$  then return  $V$

$\alpha \leftarrow \text{MAX}(\alpha, V)$

return  $V$

function MIN-VALUE (state,  $\alpha, \beta$ ) returns a utility value

if TERMINAL-TEST (state) then return UTILITY (state)

$V \leftarrow +\infty$

for each  $a$  in ACTIONS (state) do

$V \leftarrow \text{MIN}(V, \text{MAX-VALUE}(\text{RESULT}(s, a), \alpha, \beta))$

if  $V \leq \alpha$  then return  $V$

$\beta \leftarrow \text{MIN}(\beta, V)$

return  $V$ .

~~The Tax for~~

## Application of Alpha-beta Pruning (Tic-tac-toe)

```

def play_game():
    state = [' ']*9
    print_board(state)

    while True:
        human_move(state)
        print_board(state)

        if terminal_test(state):
            if win(state):
                print("Congrats! You win")
            else:
                print("It's a draw!")
            break
        print("Computer's move")
        computer_move(state)
        print_board(state)

        if terminal_test(state):
            if win(state):
                print("Computer wins")
            else:
                print("It's a draw!")
            break

def human_move():
    while True:
        try:
            move = int(input("Enter ur move (0-8):"))
            if state[move] == ' ':

```

```

state['move'] = 'x'
break
else:
    print("Invalid move, fly again!")
except (ValueError, IndexError):
    print("Invalid input, please enter a number b/w 0-3.")

def computer_move(state):
    move = alpha_beta_search(state)
    state['move'] = 'O'

def alpha_beta_search(state):
    return max_value(state, -float('inf'), float('inf'))

def max_value(state, alpha, beta):
    if terminal_test(state):
        return utility(state)
    v = -float('inf')
    best_move = None
    for action in actions(state):
        move_value = min_value(result(state, action), alpha, beta)
        if move_value > v:
            v = move_value
            best_move = action
        if v >= beta:
            return best_move
    alpha = max(alpha, v)
    return best_move

def min_value(state, alpha, beta):
    if terminal_test(state):
        return utility(state)

```

```

v = float('inf')
for action in actions(state):
    move_value = max_value(result(state, action), v)
    if move_value < v:
        v = move_value
    if v <= alpha:
        return v
beta = min(beta, v)
return v

```

```

def terminal_test(state):
    return win(state) or draw(state)

```

```

def utility(state):
    if win(state):
        return 1
    elif draw(state):
        return 0
    else:
        return -1

```

```

def actions(state):
    return [position for position in range(7) if
            state[position] == '1']

```

```

def result(state, action):
    new_state = state[:]
    new_state[action] = 'x' if state.count('x') <=
        state.count('o') else 'o'
    return new_state

```



```
def win (state):
    win_conditions = [
        [0, 1, 2], [3, 4, 5], [6, 7, 8]
        [0, 3, 6], [1, 4, 7], [2, 5, 8]
        [0, 4, 8], [2, 4, 6]
    ]
    for condition in win_conditions:
        if state [condition [0]] == state [condition [1]] == state [condition [2]] != ' ':
            return True
    return False

def draw (state):
    return ' ' not in state & not win (state)

def print_board (state):
    print (" \n")
    for i in range (3):
        print (f" {state [i*3]} | {state [i*3+1]} | {state [i*3+2]} \n")
        if i < 2:
            print (" ---+---+--- \n")
    print (" \n")

if __name__ == "__main__":
    play_game ()
```

o/p: 


Enter ur move (0-8): 1

i) 

	X	

ii) computer move

0	X	

iii) Enter ur move (0-8): 5

0	X	
		X

8/12/11

iv) computer's move:

0	X	0
		X

v) ur move (0-8):

0	X	0
X	0	X
X	X	

vi) Enter ur move (0-8):

0	X	0
X		X

vii) computer's move

0	X	0
X	0	X
X	X	X

viii) computer move

0	X	0
X	0	X
X	X	X

computer win



Code:-

# Alpha-Beta Pruning in Python

# Minimax function with Alpha-Beta Pruning

```
def alpha_beta(depth, node_index, maximizing_player, values, alpha, beta, max_depth):
    # Base case: when we reach the maximum depth (leaf node)
    if depth == max_depth:
        return values[node_index]

    if maximizing_player:
        best = float('-inf')

        # Traverse left and right children
        for i in range(2):
            val = alpha_beta(depth + 1, node_index * 2 + i, False, values, alpha, beta, max_depth)
            best = max(best, val)
            alpha = max(alpha, best)

            # Alpha-Beta Pruning condition
            if beta <= alpha:
                break
        return best

    else:
        best = float('inf')

        # Traverse left and right children
        for i in range(2):
            val = alpha_beta(depth + 1, node_index * 2 + i, True, values, alpha, beta, max_depth)
            best = min(best, val)
            beta = min(beta, best)

            # Alpha-Beta Pruning condition
            if beta <= alpha:
                break
        return best
```

```
# Example usage:
if __name__ == "__main__":
    # Example game tree (values at leaf nodes)
    values = [3, 5, 6, 9, 1, 2, 0, -1]
    max_depth = 3 # since  $2^3 = 8$  leaf nodes

    print("Leaf node values:", values)
    optimal_value = alpha_beta(0, 0, True, values, float('-inf'), float('inf'), max_depth)
    print("\nThe optimal value (best achievable score) is:", optimal_value)
```

Output:-

```
Leaf node values: [3, 5, 6, 9, 1, 2, 0, -1]

The optimal value (best achievable score) is: 5

=== Code Execution Successful ===
```