

- Elasticity and
- Its Application

# Our Scenario

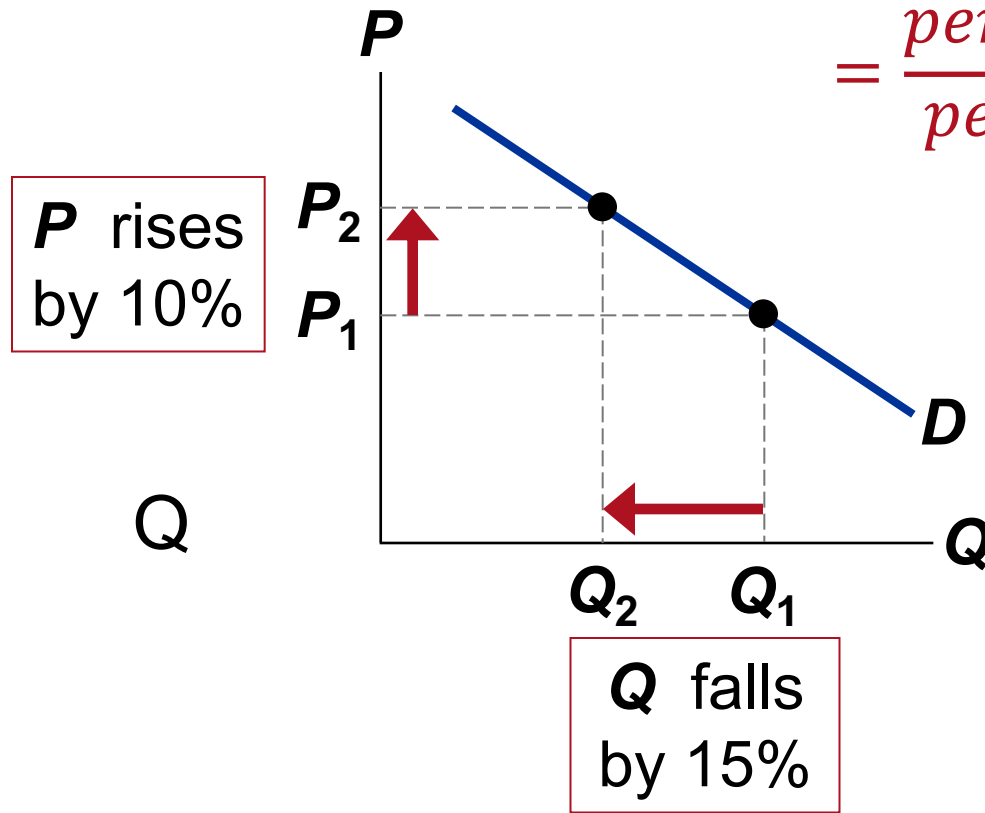
You maintain the social media accounts for local businesses. You charge  $P = \$2,000$  per business, and currently maintain the social media accounts for  $Q = 12$  businesses per year.

- Your costs are rising (including the opportunity cost of your time). You consider raising the price to \$2,500.
- The law of demand: if you raise your price, you will not have as many accounts to maintain.
  - How many fewer accounts?
  - How much will your revenue fall, or might it increase?

# The Elasticity of Demand

- **Elasticity**
  - Measure of how much buyers and seller respond to changes in market conditions
  - Measure of the responsiveness of  $Q^d$  or  $Q^s$  to a change in one of its determinants
- **Price elasticity of demand**
  - How much the quantity demanded of a good responds to a change in its price
  - Loosely speaking, it measures the price-sensitivity of buyers' demand

# The Price Elasticity of Demand



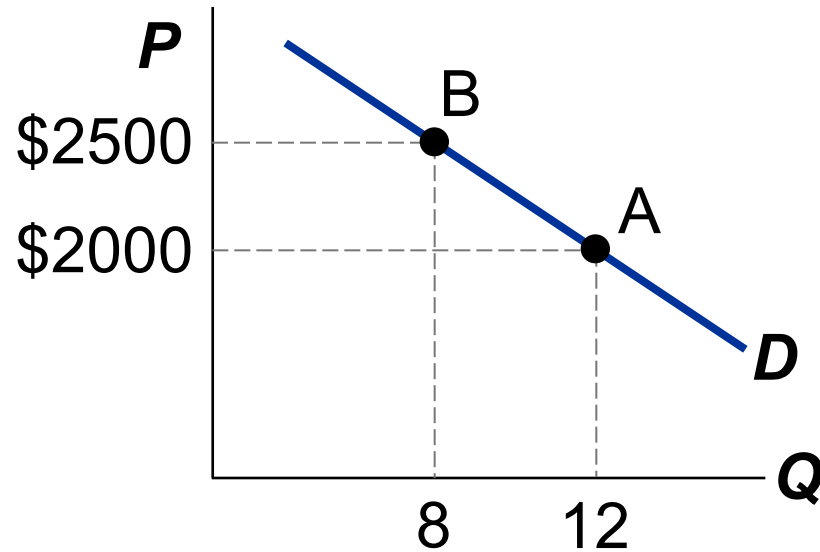
$$\begin{aligned}\text{Price elasticity of demand is} \\ &= \frac{\text{percentage change in } Q^d}{\text{percentage change in } P} \\ &= \frac{15\%}{10\%} = 1.5\end{aligned}$$

Along a D curve,  $P$  and  $Q$  move in opposite directions, which would make **price elasticity negative**.

We will drop the minus sign and report all price elasticities as **positive numbers** (absolute values).

# Calculating Percentage Changes

Demand for maintaining social media accounts



Going from B to A:

- % change in P = - 20%
- % change in Q = 50%

Price elasticity =  $50/20 = 2.5$

Standard method of computing the percentage (%) change in a variable:

$$= \frac{\text{end value} - \text{start value}}{\text{start value}} \times 100$$

Going from A to B:

- the % change in P = 25%
- the % change in Q = - 33%

Price elasticity =  $33/25 = 1.33$

**We get different values!**

# The Price Elasticity of Demand

- Midpoint method

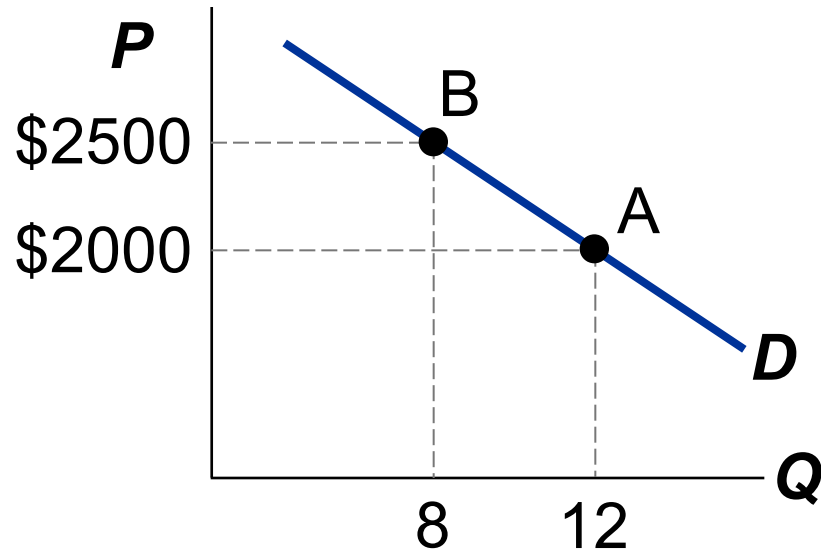
- The midpoint is the number halfway between the start and end values
  - The average of those values

$$\text{percentage change} = \frac{\text{end value} - \text{start value}}{\text{midpoint}} \times 100$$

$$\text{Price elasticity of demand} = \frac{(Q_2 - Q_1) / [(Q_2 + Q_1) / 2]}{(P_2 - P_1) / [(P_2 + P_1) / 2]}$$

# Our Scenario: Calculating Percentage Changes

Demand for maintaining  
social media accounts



Using the midpoint method  
of computing percentage  
changes:

$$\text{Price elasticity} = \frac{40\%}{22.2\%} = 1.8$$

$$\% \text{ change in } P = \frac{\$2,500 - \$2,000}{\$2,250} \times 100 = 22.2\%$$

$$\% \text{ change in } Q = \frac{12 - 8}{10} \times 100 = 40\%$$

## Active Learning 1: Calculate an elasticity

Use the following information to calculate the price elasticity of demand for iPhones:

- if  $P = \$400$ ,  $Q^d = 10,600$
- if  $P = \$600$ ,  $Q^d = 8,400$

- A. Use the midpoint method to calculate percentage change in price
- B. Use the midpoint method to calculate percentage change in quantity
- C. Calculate the price elasticity of demand



# Active Learning 1: Answers

Using the midpoint method to calculate percentage changes:

A. % change in  $P$  =

$$[(\$600 - \$400)/\$500] \times 100 = 40\%$$

B. % change in  $Q^d$  =

$$[(8,400 - 10,600)/9,500] \times 100 = -23.16\%$$

C. Price elasticity of demand =

$$= \% \text{ change in } Q^d / \% \text{ change in } P$$

$$= 23.16 / 40 = 0.58 \text{ (ignoring the minus sign)}$$

# Determinants of Price Elasticity of Demand

We look at a series of examples comparing two common goods.

- In each example:
  - Suppose prices of both goods rise by 20%
  - Which good has the highest price elasticity of demand? Why?
  - What lesson we learn about the determinants of price elasticity of demand?

## EXAMPLE 1: Cheerios vs. Airfare

Prices of both of these goods rise by 20%.  
For which good does  $Q^d$  drop the most?  
Why?

- Cheerios has many close substitutes, so buyers can easily switch if the price rises
- Traveling by airplanes has no close substitutes, so a price increase would not affect demand very much

Price elasticity is higher when close substitutes are available.

## EXAMPLE 2: Mountain Dew vs. Soda (pop)

Prices of both of these goods rise by 20%.

For which good does  $Q^d$  drop the most? Why?

- For a narrowly defined good, Mountain Dew, there are many substitutes
- There are fewer substitutes available for broadly defined goods (soda / pop)

Price elasticity is higher for narrowly defined goods than for broadly defined ones.

## EXAMPLE 3: Insulin vs. Rolex watches

Prices of both of these goods rise by 20%.  
For which good does  $Q^d$  drop the most?  
Why?

- Insulin is a necessity to diabetics. A rise in price would cause little or no decrease in quantity demanded
- A Rolex watch is a luxury. If the price rises, some people will forego it.

Price elasticity is higher for luxuries than for necessities.

## EXAMPLE 4: Gasoline, Short Run vs. Long Run

The price of gasoline rises 20%. Does  $Q^d$  drop more in the short run or the long run? Why?

- There's not much people can do in the short run, other than ride the bus or carpool.
- In the long run, people can buy smaller cars or live closer to work.

Price elasticity is higher in the long run.

# The Variety of Demand Curves – 1

- Demand is elastic
  - Price elasticity of demand  $> 1$
- Demand is inelastic
  - Price elasticity of demand  $< 1$
- Demand has unit elasticity
  - Price elasticity of demand  $= 1$

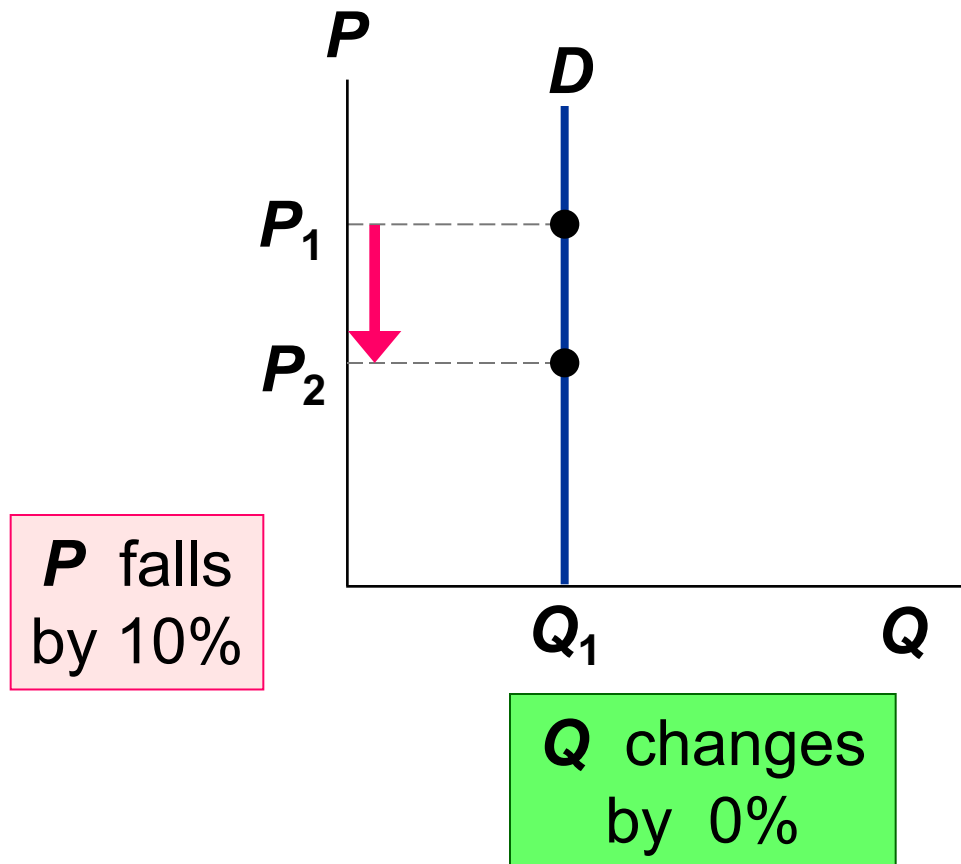
# The Variety of Demand Curves – 2

- Demand is perfectly inelastic
  - Price elasticity of demand = 0
  - Demand curve is vertical
- Demand is perfectly elastic
  - Price elasticity of demand = infinity
  - Demand curve is horizontal
- The flatter the demand curve
  - The greater the price elasticity of demand



# Perfectly Inelastic Demand

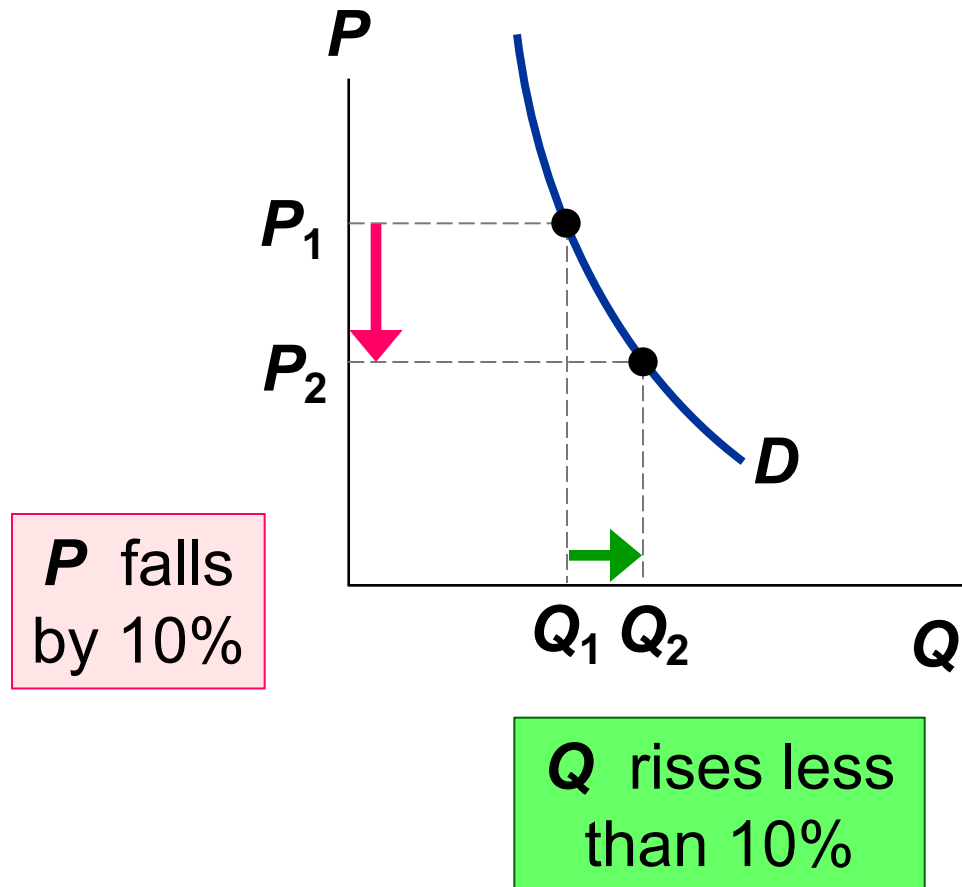
$$\text{Price elasticity of demand} = \frac{\% \text{ change in } Q}{\% \text{ change in } P} = \frac{0\%}{10\%} = 0$$



- $D$  curve:  
Vertical
- Consumers' price sensitivity:  
None
- Elasticity:  
0

# Inelastic Demand

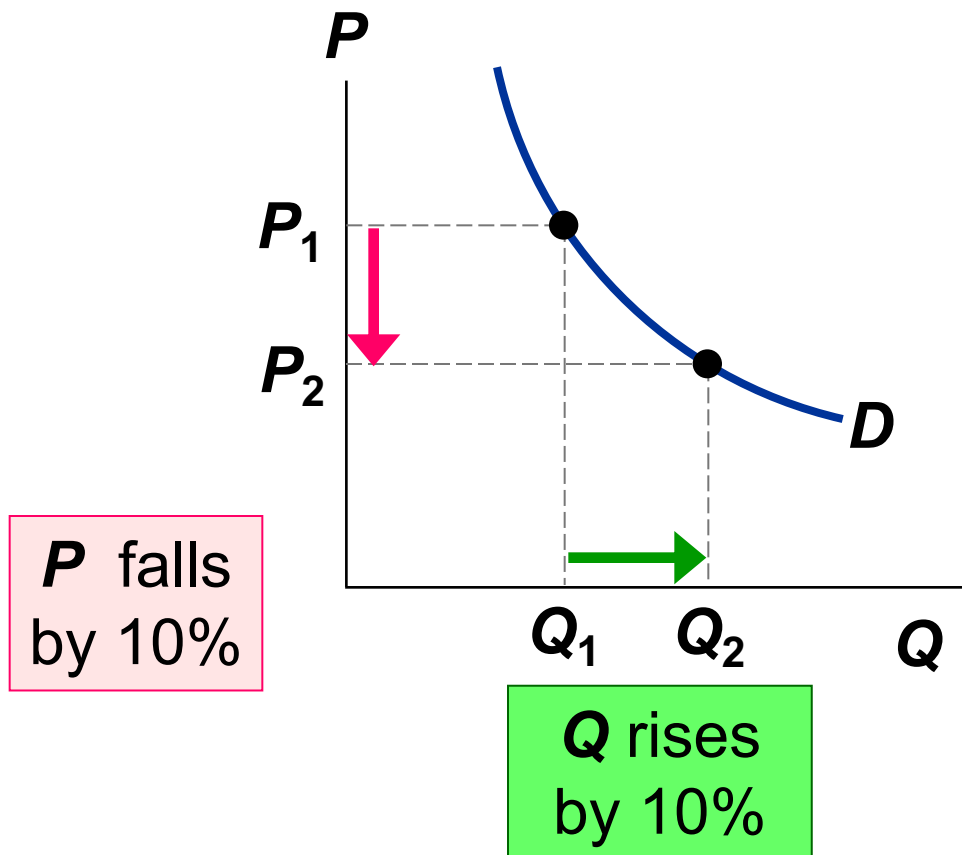
$$\text{Price elasticity of demand} = \frac{\% \text{ change in } Q}{\% \text{ change in } P} = \frac{<10\%}{10\%} < 1$$



- **D** curve  
relatively steep
- Consumers' price sensitivity:  
relatively low
- Elasticity:  
<1

# Unit Elastic Demand

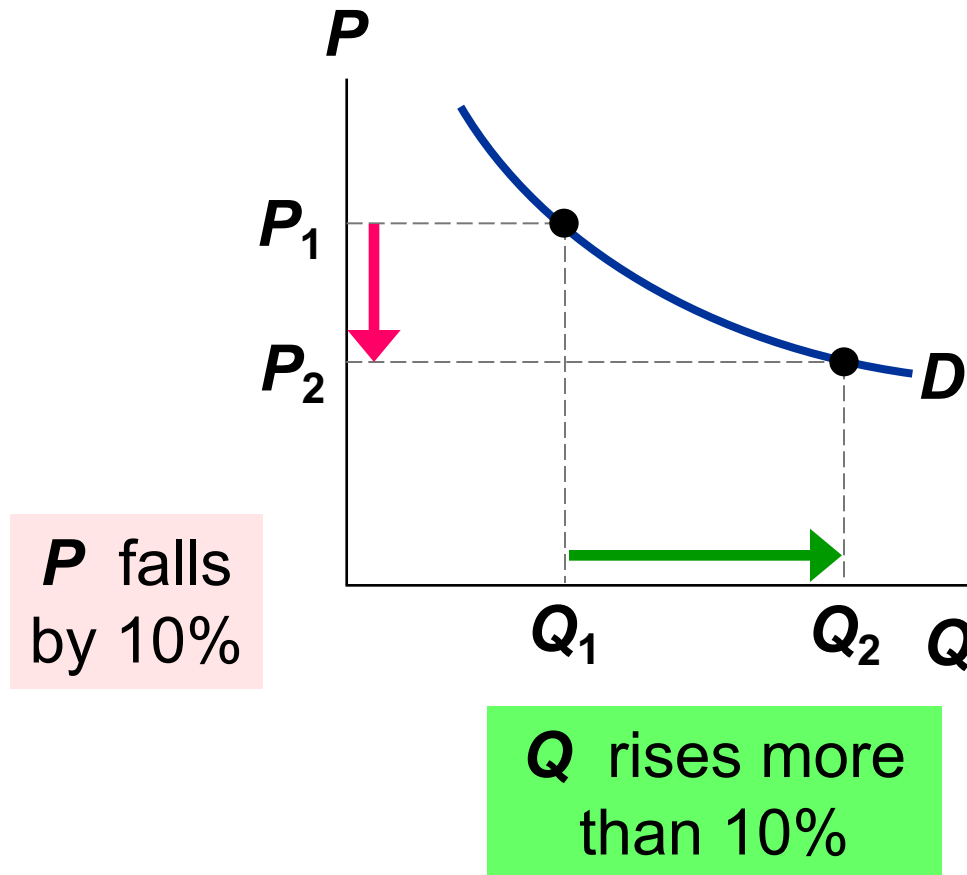
$$\text{Price elasticity of demand} = \frac{\% \text{ change in } Q}{\% \text{ change in } P} = \frac{10\%}{10\%} = 1$$



- $D$  curve  
intermediate  
slope
- Consumers' price sensitivity:  
intermediate
- Elasticity:  
 $=1$

# Elastic Demand

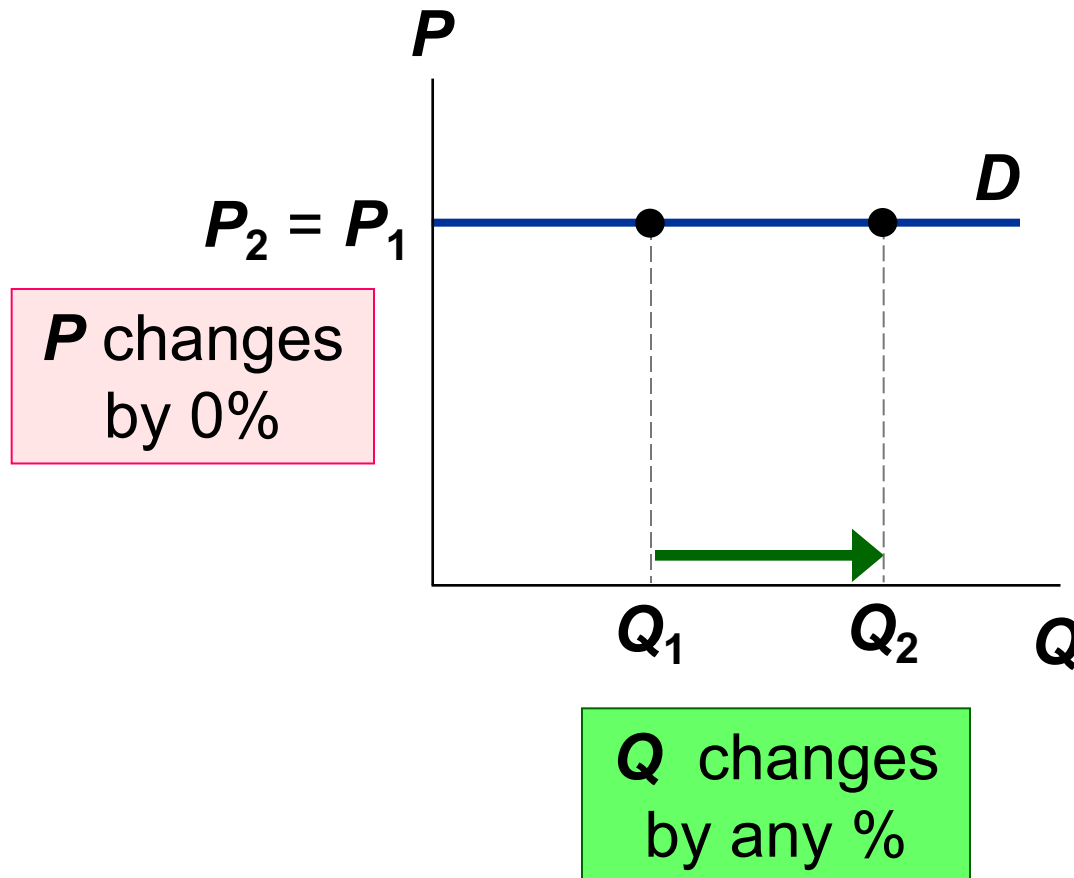
$$\text{Price elasticity of demand} = \frac{\% \text{ change in } Q}{\% \text{ change in } P} = \frac{>10\%}{10\%} > 1$$



- **D** curve  
relatively flat
- Consumers' price sensitivity:  
relatively high
- Elasticity:  
>1


# Perfectly Elastic Demand

$$\text{Price elasticity of demand} = \frac{\% \text{ change in } Q}{\% \text{ change in } P} = \frac{\text{any } \%}{0\%} = \text{infinity}$$

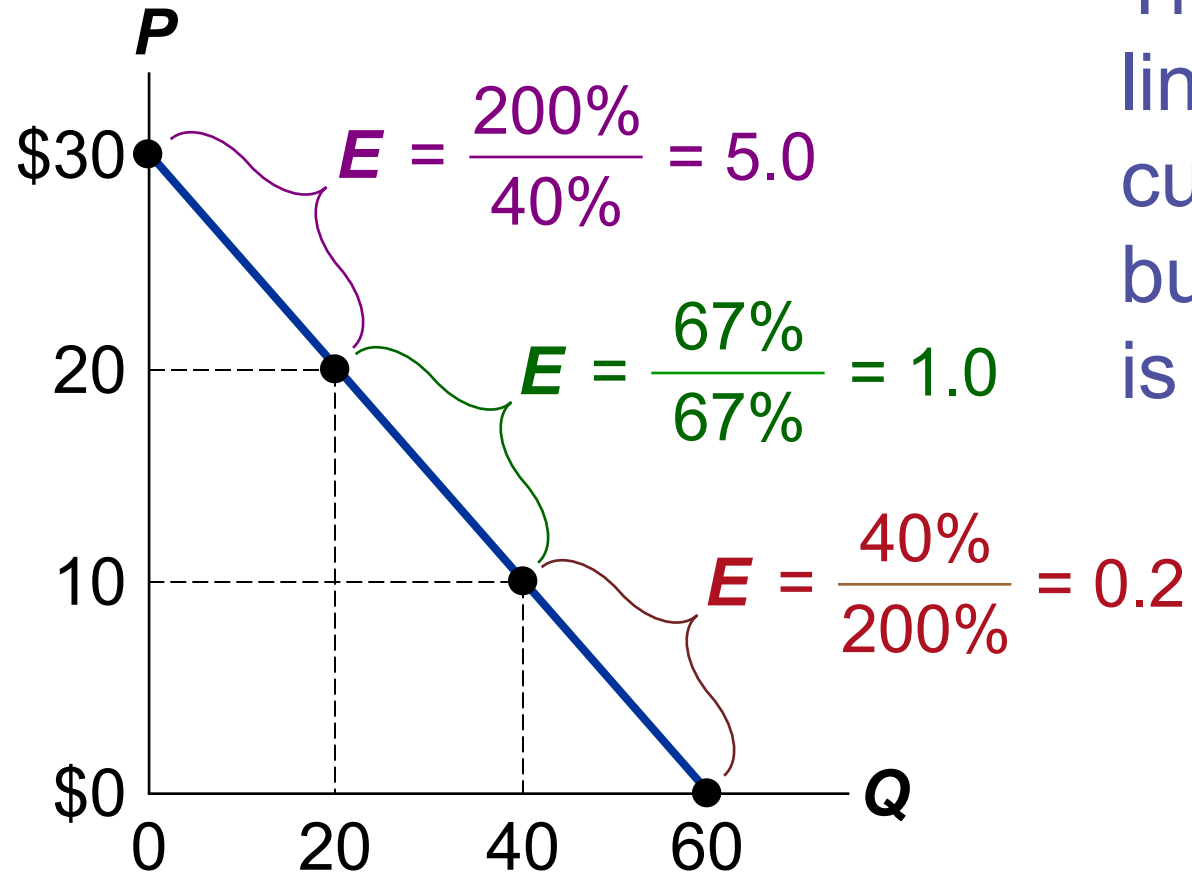


- $D$  curve  
horizontal
- Consumers' price sensitivity:  
extreme
- Elasticity:  
infinity

# A Few Elasticities from the Real World

Eggs	0.1	 Very inelastic (quantity demanded responds little to price changes)
Healthcare	0.2	
Cigarettes	0.4	
Rice	0.5	
Housing	0.7	
<b>Chicken</b>	1.6	Very elastic (quantity demanded responds strongly to price changes)
Peanut Butter	1.7	
Restaurant Meals	2.3	
Cheerios	3.7	
Mountain Dew	4.4	

# Elasticity Along a Linear Demand Curve



The slope of a linear demand curve is constant, but its elasticity is not.

# Our Scenario: Total Revenue

Continuing our scenario, if you raise your price from \$2,000 to \$2,500, would your revenue rise or fall?

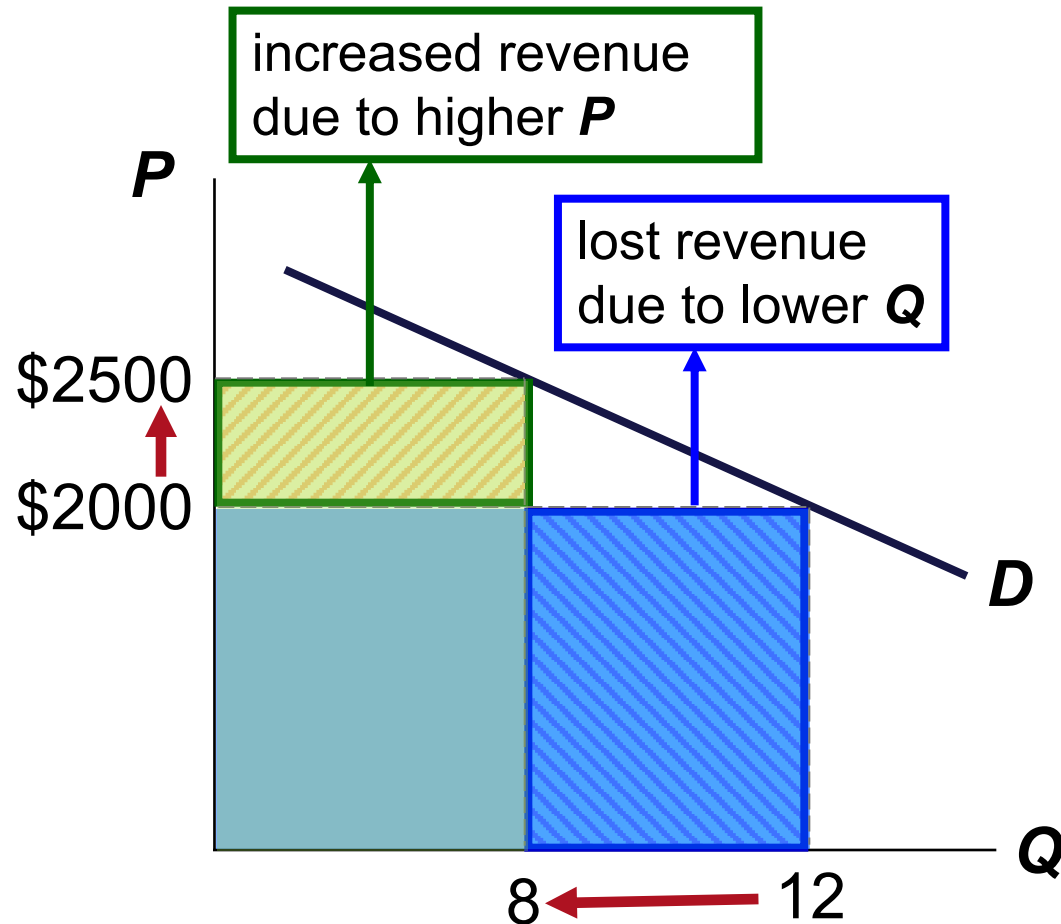
$$\text{Total Revenue } (TR) = P \times Q$$

- A price increase has two effects on revenue:
  - Higher revenue: because of the higher ***P***
  - Lower revenue: you maintain fewer accounts (lower ***Q***)
- Which of these two effects is bigger?
  - It depends on the price elasticity of demand



# Our Scenario: Elastic Demand ( $E = 1.8$ )

Demand for maintaining social media accounts



Price elasticity of demand = 1.8

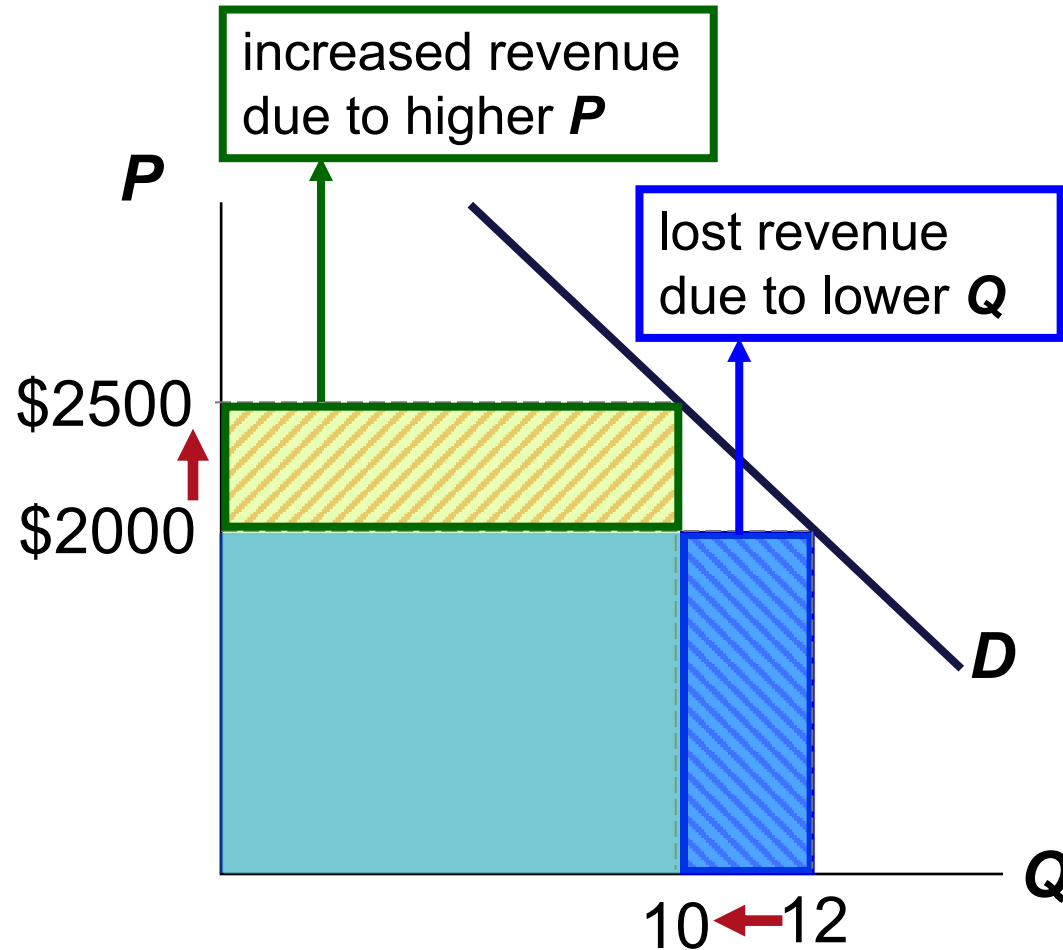
- If  $P = \$2,000$ ,  
 $Q = 12$ , then  $TR = \$24,000$

- If  $P = \$2,500$ ,  
 $Q = 8$ , then  $TR = \$20,000$

When  $D$  is elastic,  
a price increase  
causes revenue to fall.

# Our Scenario: Inelastic Demand ( $E = 0.82$ )

Demand for maintaining social media accounts



Price elasticity of demand = 0.82

- If  $P = \$2,000$ ,  $Q = 12$ , then  $TR = \$24,000$
- If  $P = \$2,500$ ,  $Q = 10$ , then  $TR = \$25,000$

When  $D$  is inelastic, a price increase causes revenue to rise.

# Price Elasticity and Total Revenue

- For a price increase, if demand is elastic
  - **$TR$**  decreases: the fall in  **$Q$**  is proportionately greater than the rise in  **$P$** .
    - The extra revenue from selling units at a higher price is smaller than the decline in revenue from selling fewer units
- For a price increase, if demand is inelastic
  - **$TR$**  increases: the fall in  **$Q$**  is proportionately smaller than the rise in  **$P$** .
    - The extra revenue from selling units at a higher price more than offsets the decline in revenue from selling fewer units

## Active Learning 2: Elasticity and total revenue

- A. Pharmacies raise the price of insulin by 10%.
  - Does total expenditure on insulin rise or fall?
- B. As a result of a fare war, the price of a luxury cruise falls 20%.
  - Does luxury cruise companies' total revenue rise or fall?

## Active Learning 2: Answers, A

A. Pharmacies raise the price of insulin by 10%.

– Does total expenditure on insulin rise or fall?

- Expenditure = total revenue =  $P \times Q$
- Insulin is a necessity
- Since demand for insulin is inelastic,  $Q$  will fall less than 10%, so expenditure rises.

## Active Learning 2: Answers, B

- B.** As a result of a fare war, the price of a luxury cruise falls 20%.
- Does luxury cruise companies' total revenue rise or fall?
  - Revenue =  $P \times Q$
  - The fall in  $P$  reduces revenue, but  $Q$  increases, which increases revenue. Which effect is bigger?
  - Since demand is elastic,  $Q$  will increase more than 20%, so revenue rises.

# Does Drug Interdiction Increase or Decrease Drug-related Crime?

## 1. Policy: Drug Interdiction

Increase the number of police officers devoted to the war on drugs

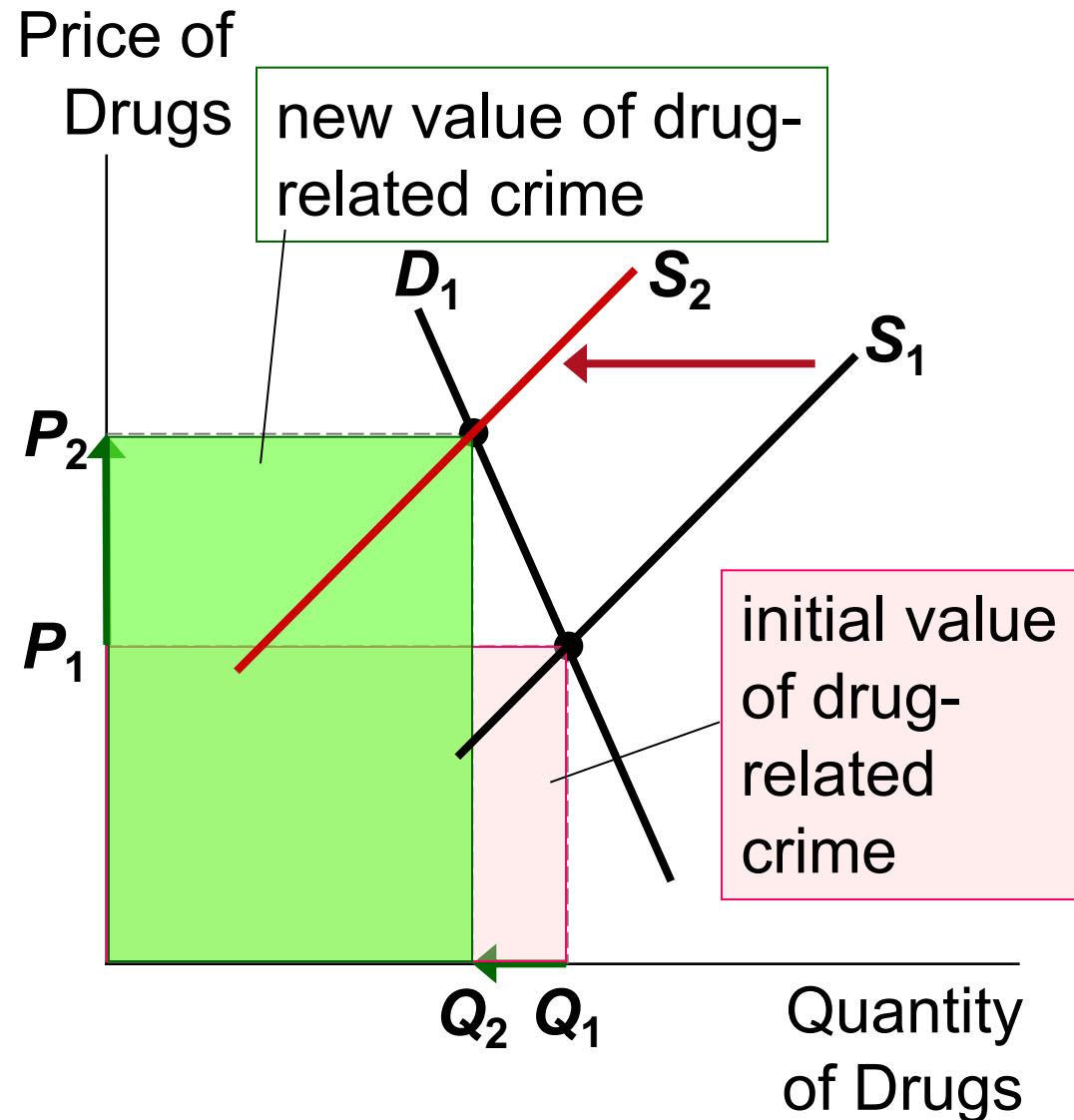
- Illegal drugs: supply curve shifts left
  - Higher price and lower quantity
- Amount of drug-related crimes
  - Inelastic demand for drugs
  - Higher drugs price: higher total revenue
  - Increase drug-related crime

# Policy 1: Drug Interdiction

Interdiction reduces the supply of drugs.

- Demand for drugs is inelastic:  $P$  rises proportionally more than  $Q$  falls.

Result: an increase in total spending on drugs, and in drug-related crime.





# Does Drug Interdiction Increase or Decrease Drug-related Crime?

## 2. Policy: Drug Education

- Reduce demand for illegal drugs
- Left shift of demand curve
- Lower quantity
- Lower price
- Reduce drug-related crime

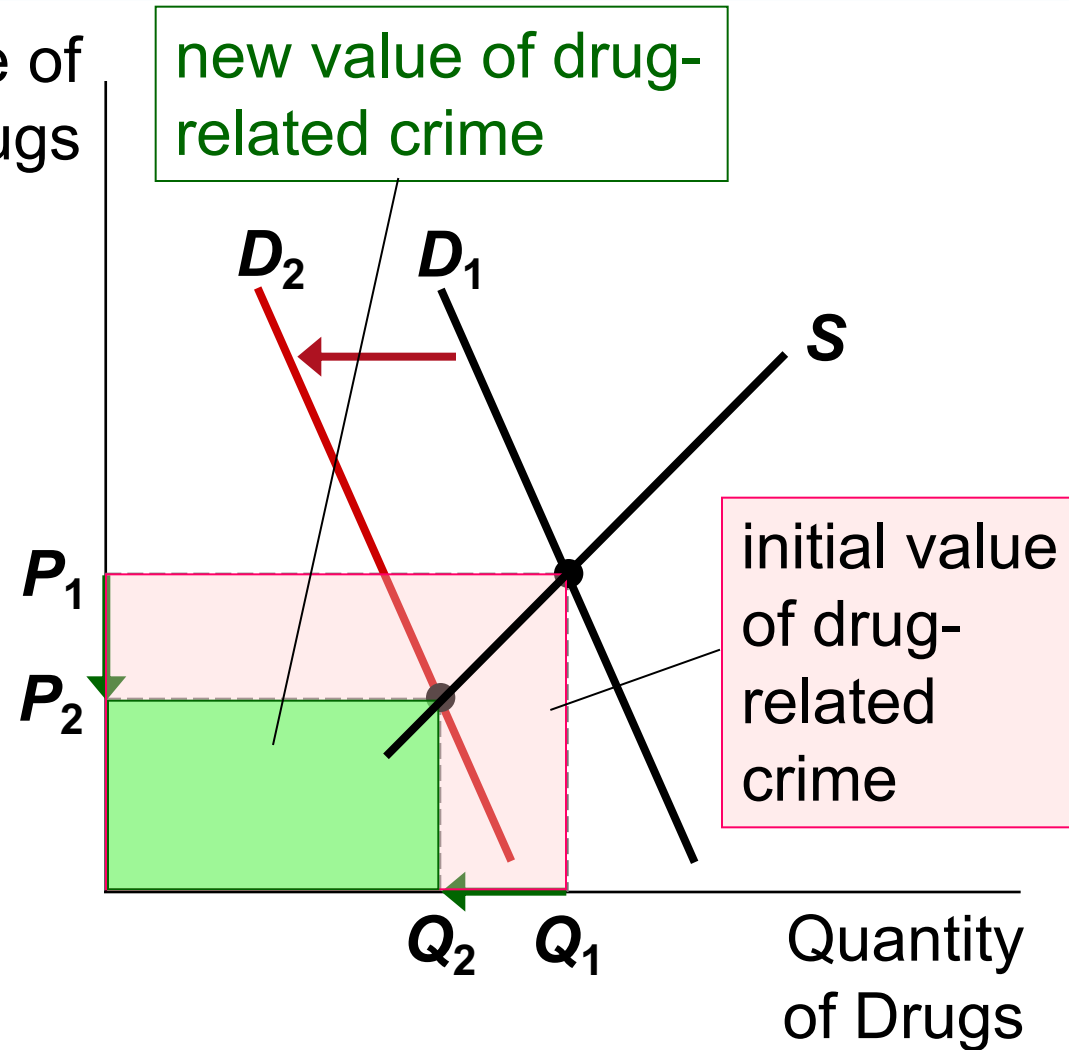
## Policy 2: Drug Education

Education reduces the demand for drugs.

- **$P$**  and  **$Q$**  fall.

**Result:**

A decrease in total spending on drugs, and in drug-related crime.



# Income Elasticity of Demand

- **Income elasticity of demand**
  - How much the quantity demanded of a good responds to a change in consumers' income
    - Percentage change in quantity demanded divided by the percentage change in income
  - **Normal goods**: income elasticity  $> 0$
  - **Inferior goods**: income elasticity  $< 0$

# Cross-Price Elasticity of Demand

- Cross-price elasticity of demand
  - How much the  $Q^d$  of one good responds to a change in the price of another good
    - Percentage change in  $Q^d$  of the first good divided by the percentage change in price of the second good
  - **Substitutes**: cross-price elasticity  $> 0$
  - **Complements**: cross-price elasticity  $< 0$

# The Price Elasticity of Supply

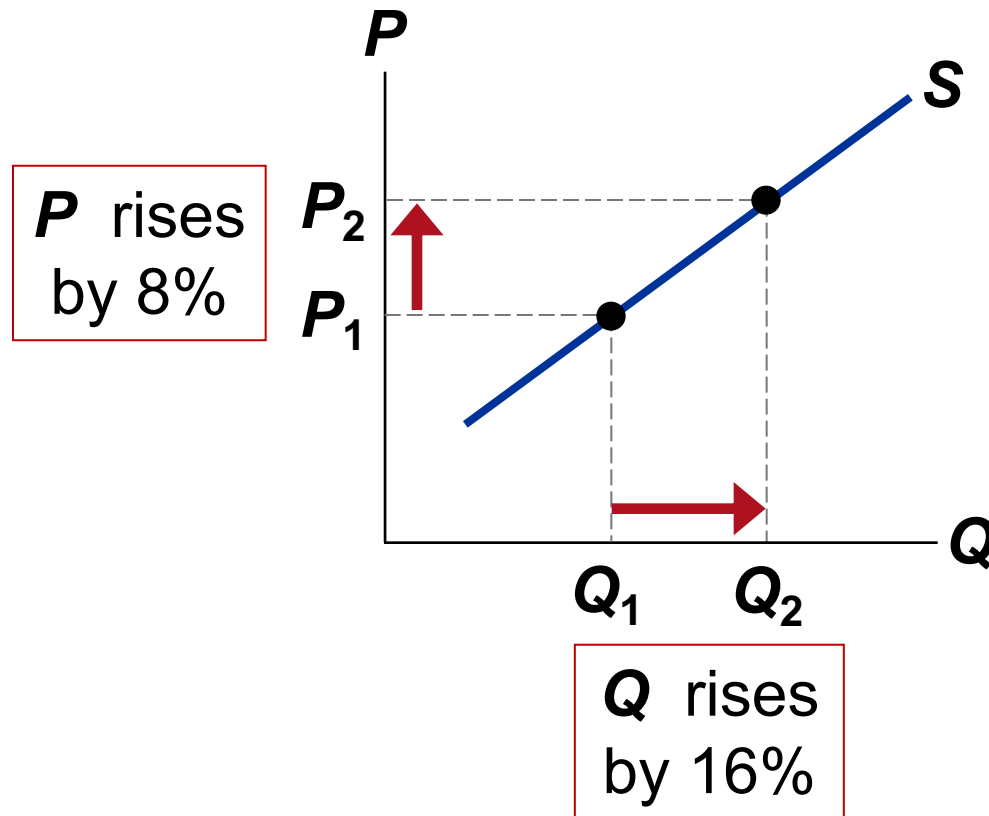
- **Price elasticity of supply**

- How much the quantity supplied of a good responds to a change in its price
  - Percentage change in quantity supplied divided by the percentage change in price
- Loosely speaking, it measures sellers' price-sensitivity
  - **Elastic supply**: the quantity supplied responds substantially to price changes
  - **Inelastic supply**: if the quantity supplied responds only slightly

# Calculating Price Elasticity of Supply

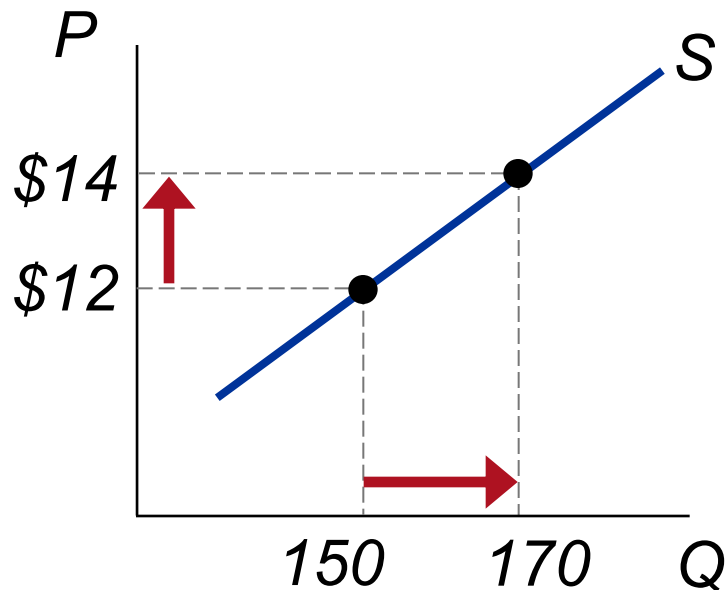
$$\text{Price elasticity of supply} = \frac{\text{percentage change in } Q^s}{\text{percentage change in } P}$$
$$= \frac{16\%}{8\%} = 2$$

Again, we use the midpoint method to compute the percentage changes.



## EXAMPLE 5: Price elasticity of supply

The price of pizza increased from \$12 to \$14 per pie, and increased the quantity produces in your town from 150 to 170 pies per day.



$$\% \text{ change in } P = \frac{\$14 - \$12}{\$13} \times 100$$

$$= 15.4\%$$

$$\% \text{ change in } QS = \frac{170 - 150}{160} \times 100$$

$$= 12.5\%$$

*Price elasticity of supply =*

$$\frac{\% \text{ change in } QS}{\% \text{ change in } P} = \frac{12.5}{15.4} = 0.8$$

# The Variety of Supply Curves – 1

- Supply is unit elastic
  - Price elasticity of supply = 1
- Supply is elastic
  - Price elasticity of supply > 1
- Supply is inelastic
  - Price elasticity of supply < 1



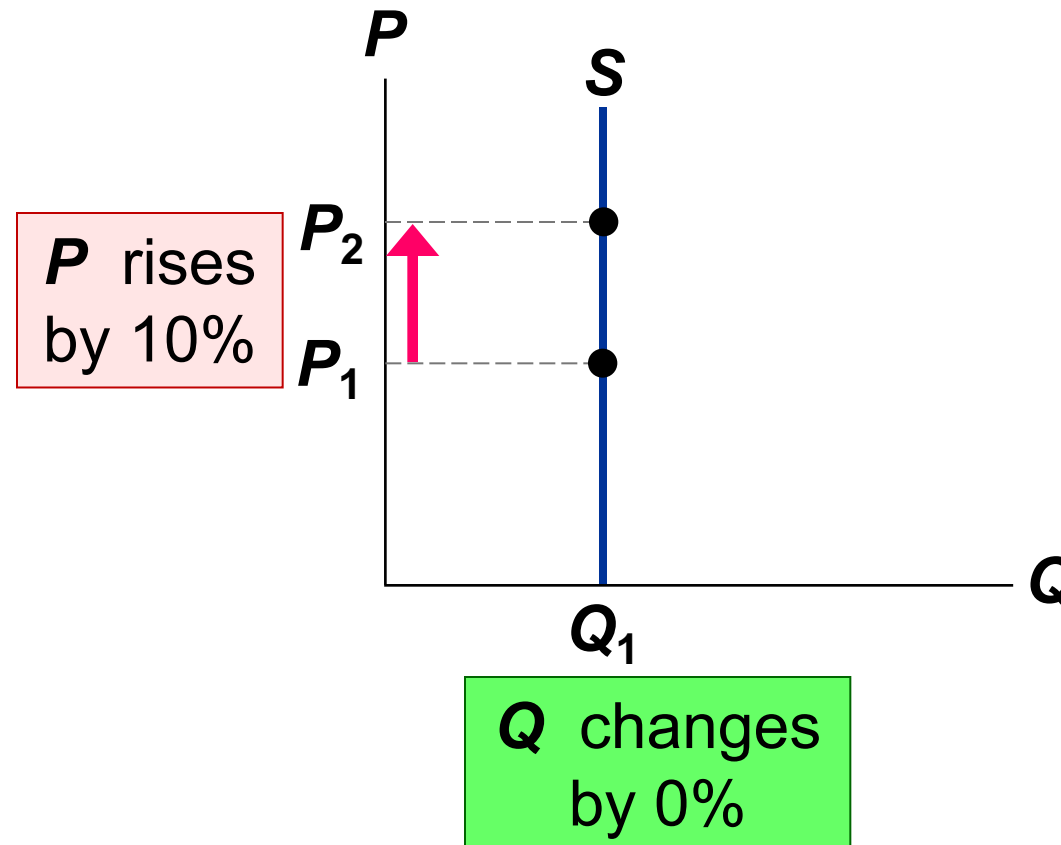
# The Variety of Supply Curves – 2

- Supply is perfectly inelastic
  - Price elasticity of supply = 0
  - Supply curve is vertical
- Supply is perfectly elastic
  - Price elasticity of supply = infinity
  - Supply curve is horizontal
- The flatter the supply curve
  - The greater the price elasticity of supply

# Perfectly Inelastic Supply

$$\text{Price elasticity of supply} = \frac{\% \text{ change in } Q}{\% \text{ change in } P} = \frac{0\%}{10\%} = 0$$

- **S** curve:  
vertical
- Sellers' price sensitivity:  
none
- Elasticity:  
0



# Inelastic Supply

$$\text{Price elasticity of supply} = \frac{\% \text{ change in } Q}{\% \text{ change in } P} = \frac{< 10\%}{10\%} < 1$$

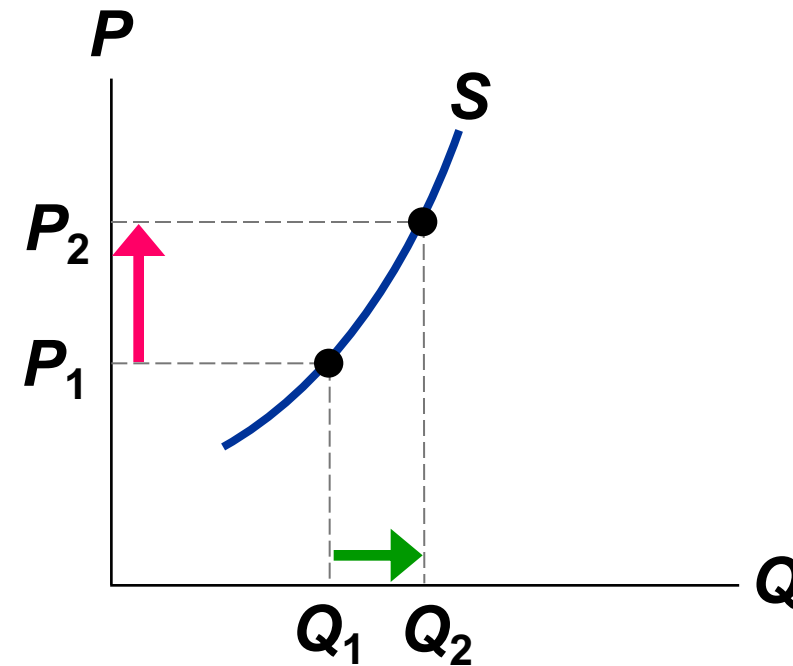
- **S** curve:  
relatively steep

- Sellers' price sensitivity:

$P$  rises  
by 10%

relatively low

- Elasticity:  
 $< 1$

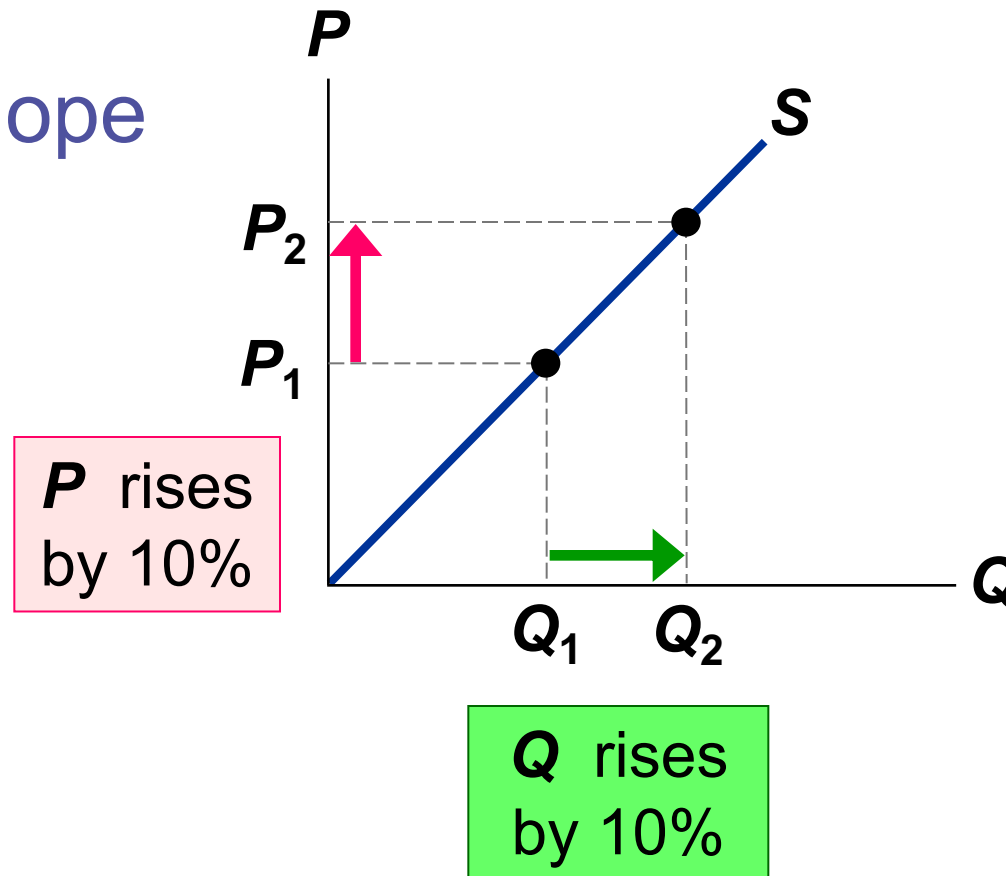


$Q$  rises less  
than 10%

# Unit Elastic Supply

$$\text{Price elasticity of supply} = \frac{\% \text{ change in } Q}{\% \text{ change in } P} = \frac{10\%}{10\%} = 1$$

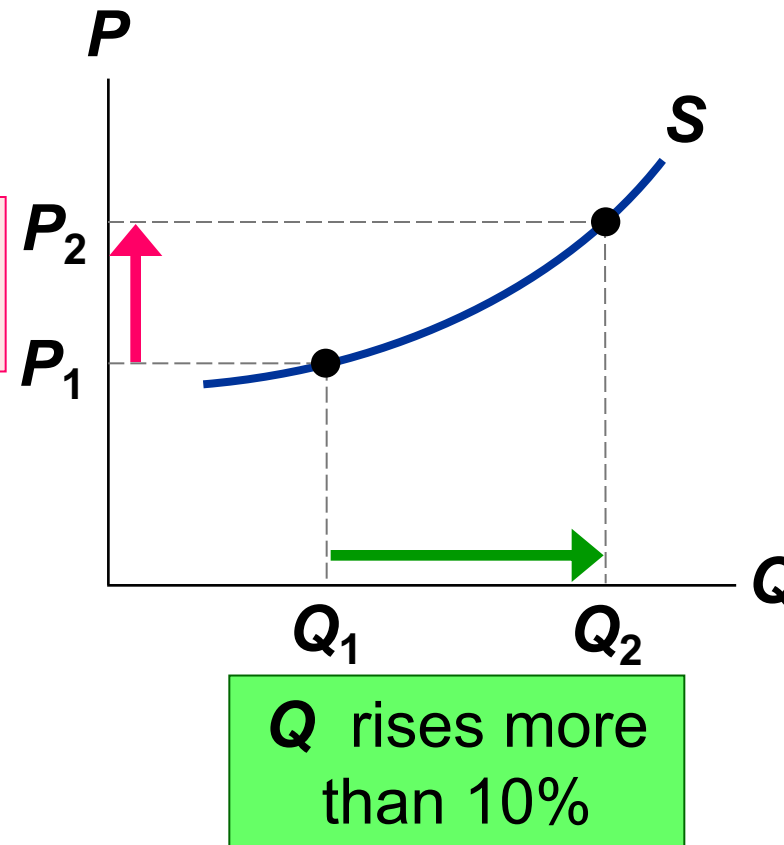
- **S** curve:  
intermediate slope
- Sellers' price sensitivity:  
intermediate
- Elasticity:  
= 1



# Elastic Supply

$$\text{Price elasticity of supply} = \frac{\% \text{ change in } Q}{\% \text{ change in } P} = \frac{> 10\%}{10\%} > 1$$

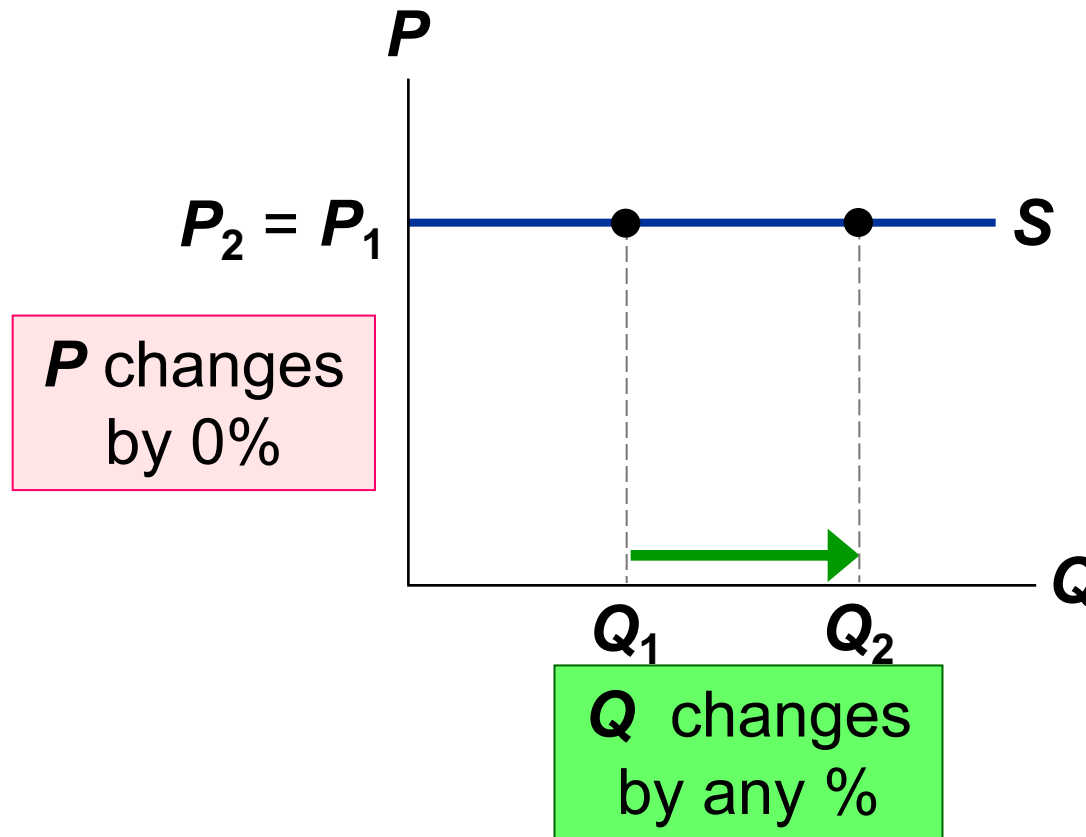
- **S** curve:  
relatively flat
- Sellers' price sensitivity:  
relatively high
- Elasticity:  
> 1



# Perfectly Elastic Supply

$$\text{Price elasticity of supply} = \frac{\% \text{ change in } Q}{\% \text{ change in } P} = \frac{\text{any } \%}{0\%} = \text{infinity}$$

- **S** curve:  
horizontal
- Sellers' price sensitivity:  
extreme
- Elasticity:  
infinity



# The Determinants of Supply Elasticity

- Greater price elasticity of supply
  - The more easily sellers can change the quantity they produce
- Price elasticity of supply is greater in the long run than in the short run
  - In the long run: firms can build new factories, or new firms may be able to enter the market

## Active Learning 3: Elasticity and changes in equilibrium

Assume the supply of parking spots is inelastic and the supply of wheat is elastic. Suppose population growth causes demand for both goods to double (at each price,  $Q^d$  doubles).

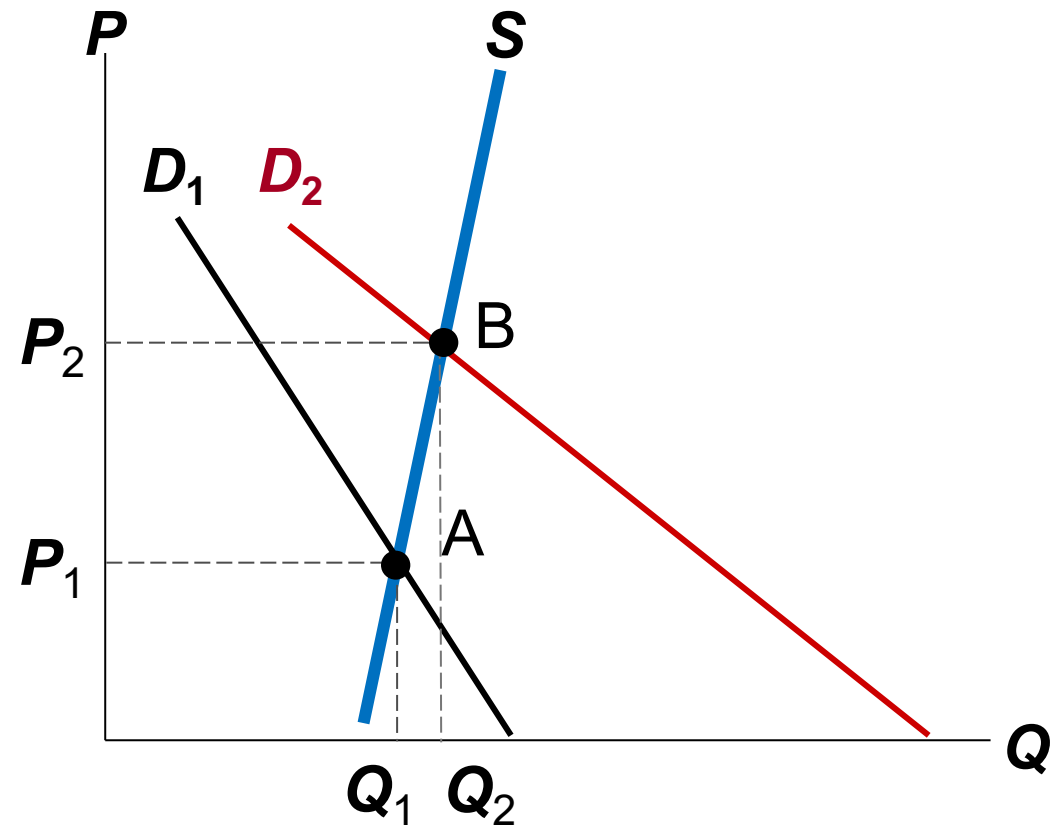
- For which product will  $P$  change the most?
  - For which product will  $Q$  change the most?
- A. Draw a graph with the new equilibrium in the market for parking
- B. Draw a graph with the new equilibrium in the market for wheat



# Active Learning 3A: Parking spots

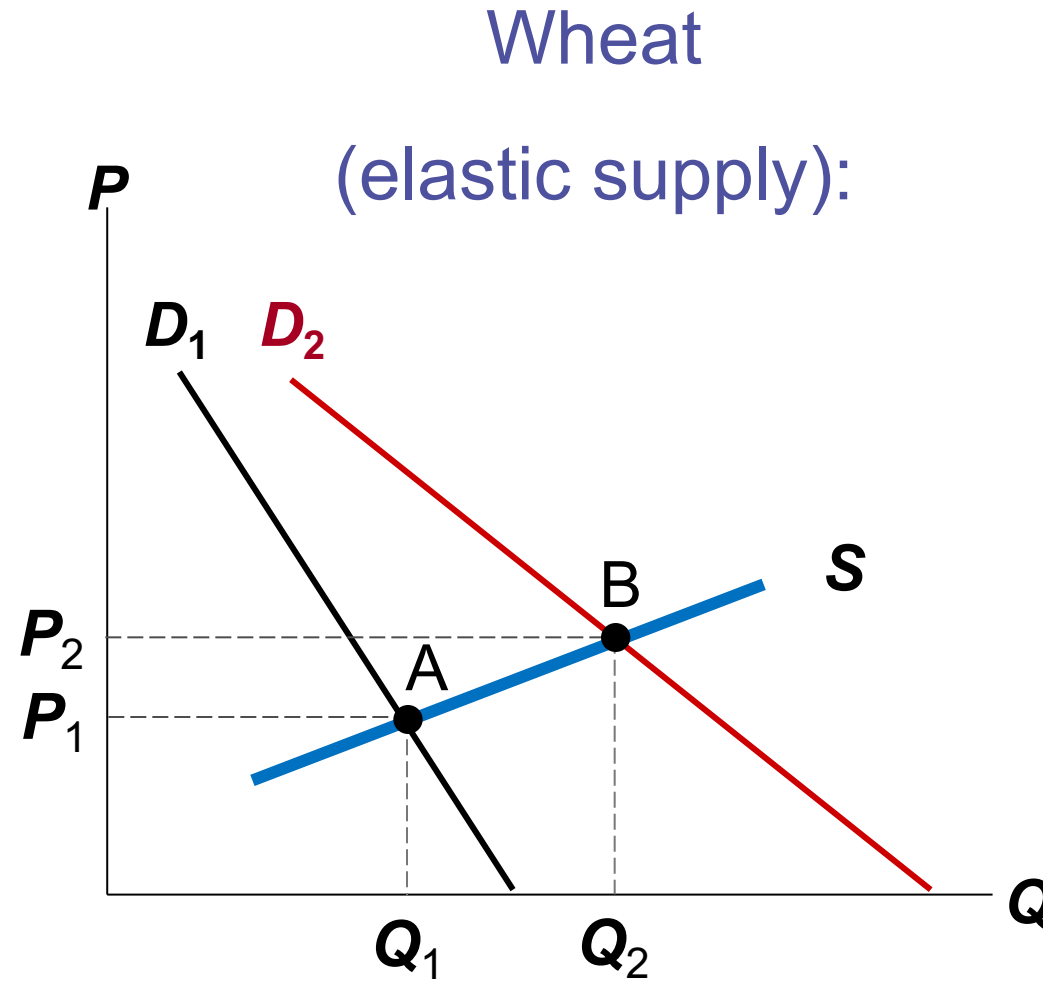
When **supply** is *inelastic*, an increase in demand has a bigger impact on price than on quantity.

Parking spots  
(inelastic supply):

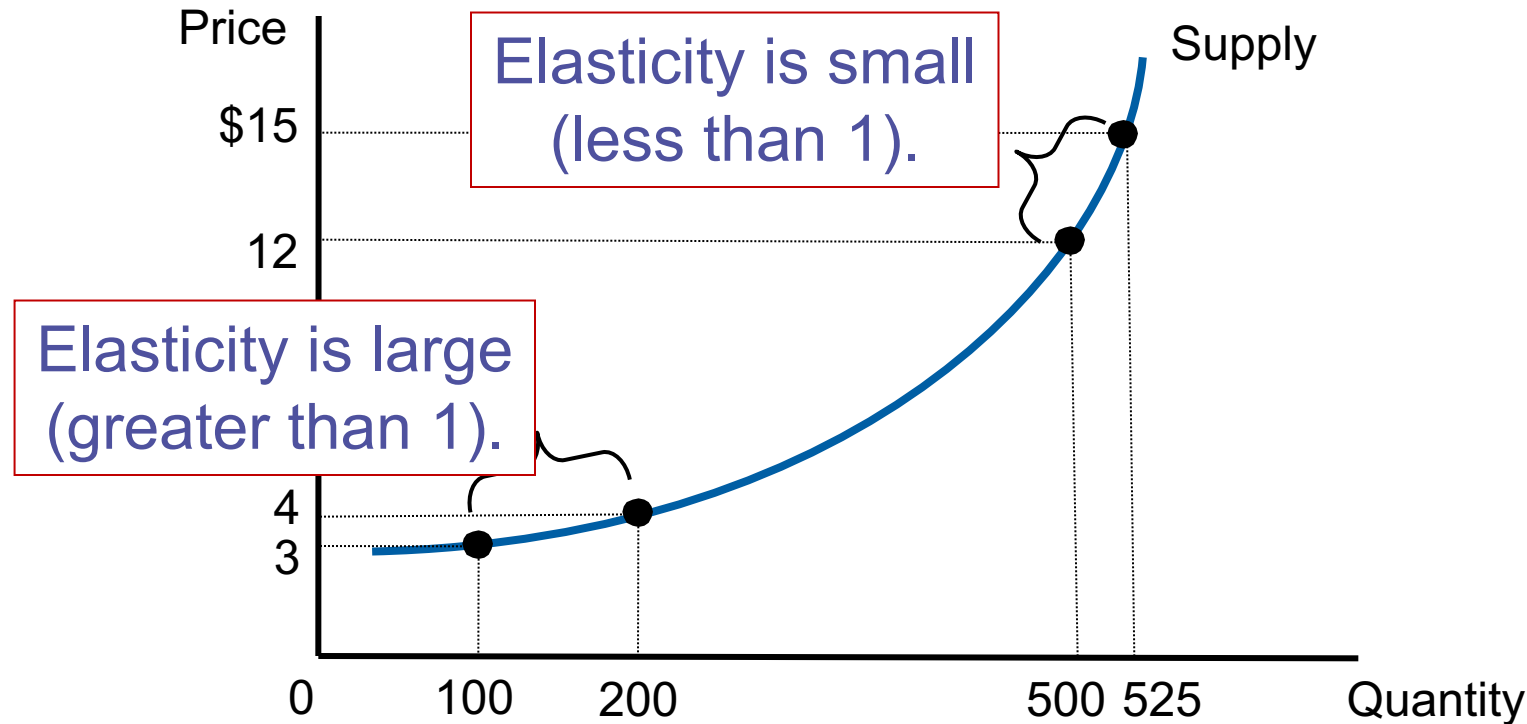


# Active Learning 3B: Wheat

When **supply** is *elastic*, an increase in demand has a bigger impact on quantity than on price.



# How the Price Elasticity of Supply can Vary



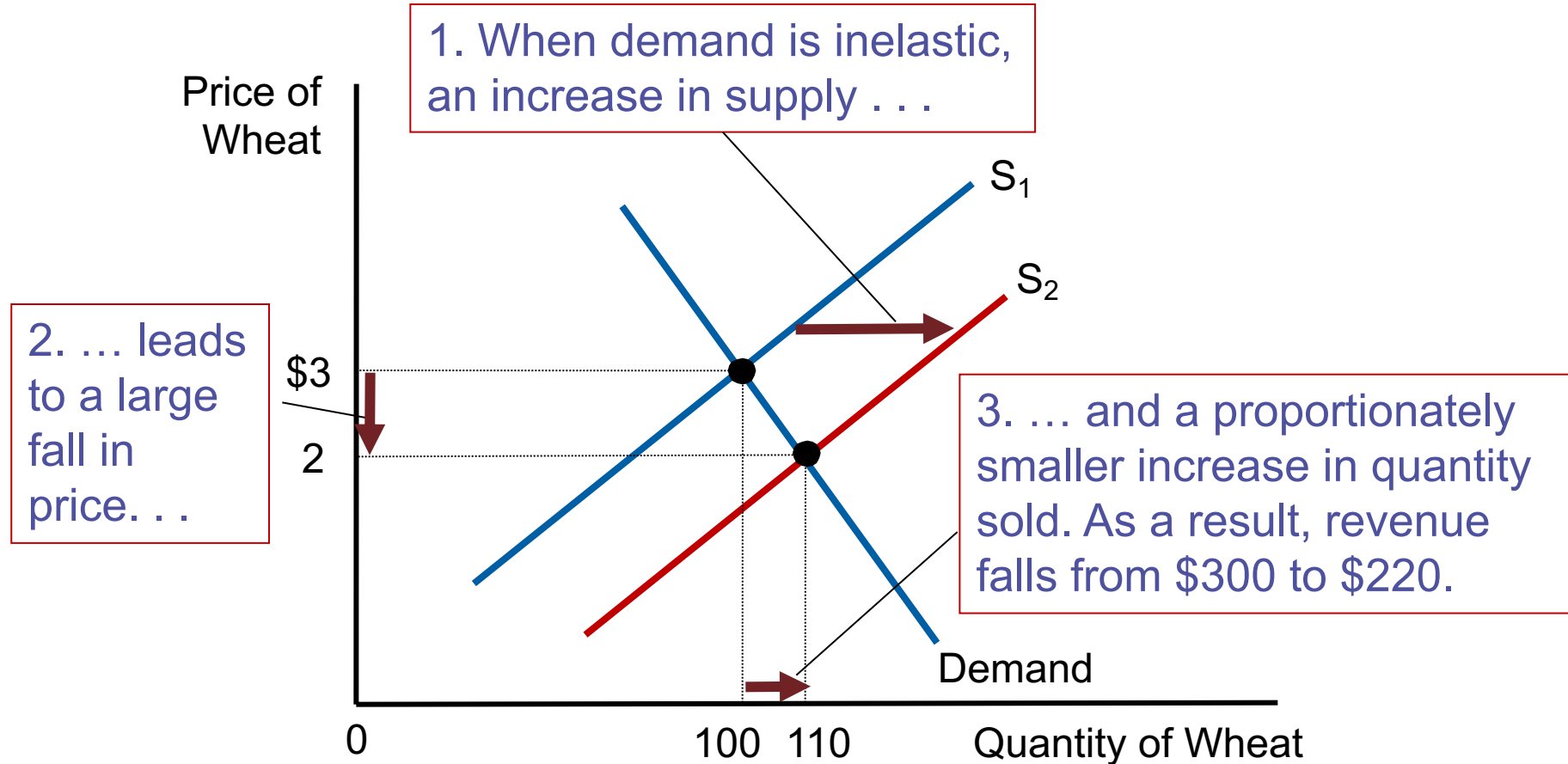
- Supply often becomes less elastic as  $Q$  rises, due to capacity limits.

# More Applications – 1

## 1. Can Good News for Farming Be Bad News for Farmers?

- New hybrid of wheat: 20% increased production per acre
  - Supply curve shifts to the right
  - Higher quantity and lower price
  - Demand is inelastic: total revenue falls
- Paradox of public policy: induce farmers not to plant crops

# A Supply Increase in the Market for Wheat



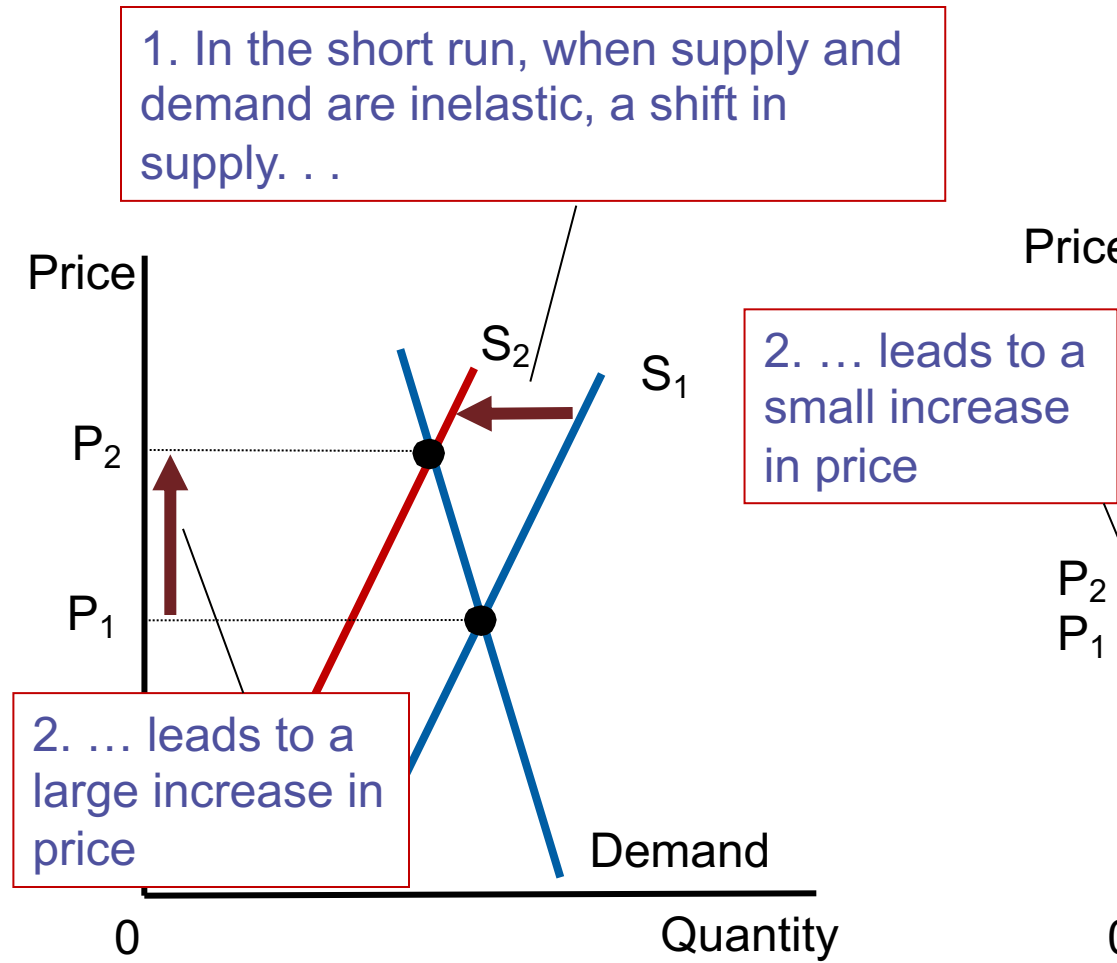
# More Applications – 2

## 2. Why Has OPEC Failed to Keep the Price of Oil High?

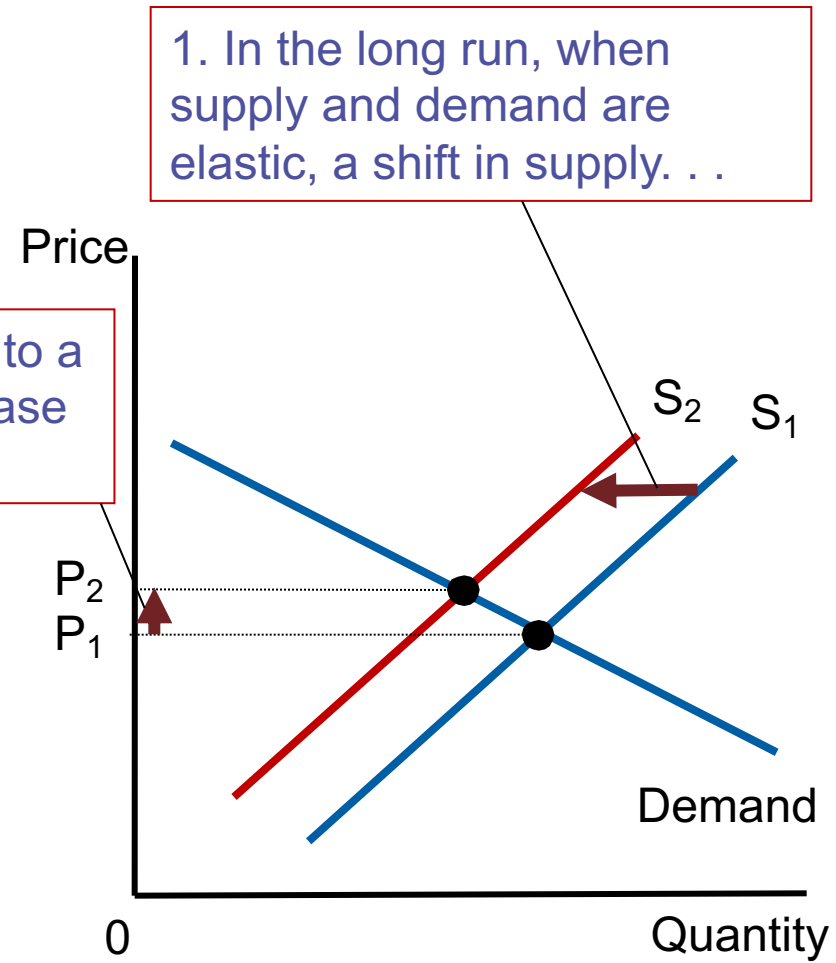
- Increase in prices 1973-1974, 1979-1981
- Short-run: supply and demand are inelastic
  - Decrease in supply: large increase in price
- Long-run: supply and demand are elastic
  - Decrease in supply: small increase in price

# A Reduction in Supply in the World Market for Oil

(a) The Oil Market in the Short Run



(b) The Oil Market in the Long Run





# THINK-PAIR-SHARE

In order to reduce teen smoking, the government places a \$2 per pack tax on cigarettes. After one month, the quantity demanded of cigarettes has been reduced only slightly. Discuss the following:

- A. What conclusion can you draw about the one-month demand for cigarettes?
- B. Caleb suggests that the cigarette industry should get together and raise the price of cigarettes further to increase total revenue .
- C. Keisha suggests that only your firm should raise the price of your cigarettes to increase total revenue.



# CHAPTER IN A NUTSHELL

- The price elasticity of demand
  - Measures how much the quantity demanded responds to price changes.
  - Is the percentage change in quantity demanded divided by the percentage change in price.
  - If  $< 1$ , inelastic demand: quantity demanded moves proportionately less than the price
  - If  $> 1$ , elastic demand: quantity demanded moves proportionately more than the price

# CHAPTER IN A NUTSHELL

- Demand tends to be more elastic if
  - Close substitutes are available
  - The good is a luxury rather than a necessity
  - The market is narrowly defined
  - If buyers have substantial time to react to a price change.
- Total revenue ( $P \times Q$ ), total amount paid for a good
  - Moves in the same direction as  $P$  (inelastic  $D$ )
  - Moves in the opposite direction as  $P$  (elastic  $D$ )

# CHAPTER IN A NUTSHELL

- The income elasticity of demand
  - Measures how much the quantity demanded responds to changes in consumers' income
- The cross-price elasticity of demand
  - Measures how much the quantity demanded of one good responds to changes in the price of another
- The tools of supply and demand can be applied to many different kinds of markets (in this chapter: the market for wheat, the market for oil, and the market for illegal drugs)

# CHAPTER IN A NUTSHELL

- The price elasticity of supply
  - Measures how much the quantity supplied responds to changes in the price.
  - Is the percentage change in quantity supplied divided by the percentage change in price
  - If  $< 1$ , inelastic supply: quantity supplied moves proportionately less than the price
  - If  $> 1$ , elastic supply: quantity supplied moves proportionately more than the price
  - Depends on the time horizon under consideration. In most markets, supply is more elastic in the long run than in the short run.