

# GNN FOR GENOME RECOVERY

...metagenomics and deep learning



# Metagenomics

- Study DNA sequencing of microbial communities
- Genome - Collection of all its genetic information, represented in the form of a sequence of DNA base (ATCG)
- Genomes are long
  - 13 million base pairs
- Technological limitations limit complete sequencing of genomes
- Read: Random sequence from sample
  - CGATCTTA
- State-of-the-art read: max 2-30k bases
  - longer --> more error
- String reconstruction



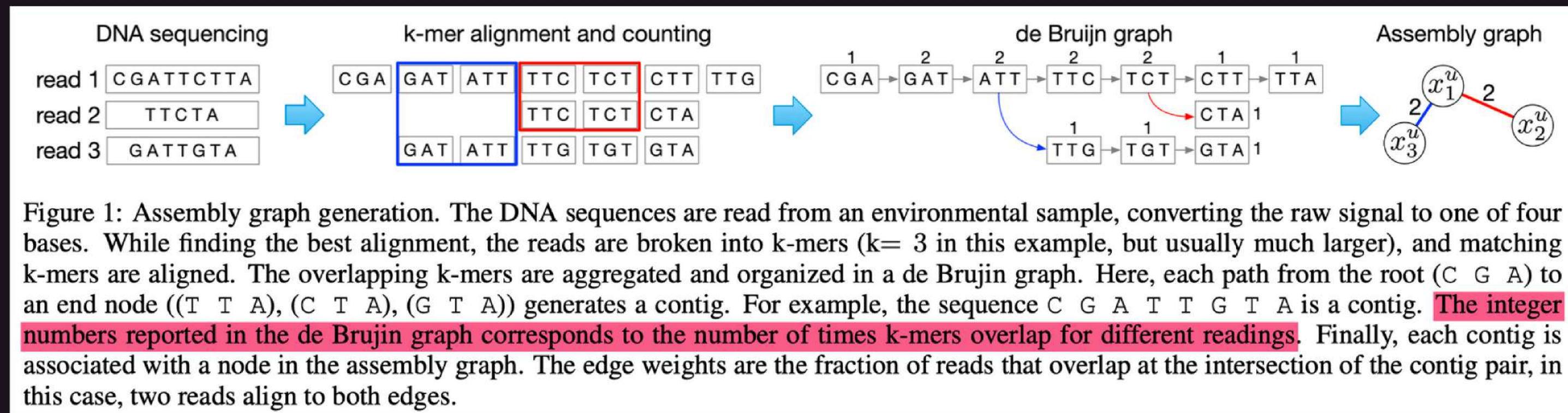
# String reconstruction

- Set of large reads (thanks to high through-put sequencing technologies)
- Try to reconstruct the original string (genome) from these reads
  - Example/Analogy: A pile of (same) newspaper bundled together
  - It exploded and we try to reconstruct the newspaper content from the bits
- Idea: Overlapping bits can be pieced together (somewhat like jigsaw)
- Contigs: Overlapping reads forming long contiguous sequences
- Relatively longer subsequence of the genome
- Still need to piece them together
- NP-complete

# Approach

- ASSUMPTION: Reads from only a single Genome
- Divide each contig into fixed size (k-mer)
  - CGATCTTA: CGA, GAT, ATC, TCT, CTT, TTA (k=3)
- Consider k-mers as nodes
  - Group all same k-mers into one node
- add edge if (k-1) bases overlap
- De-Bruijn Graph
- Every Eulerian walk gives a possible genome sequence





- Figure from paper
- Assembly graphs: just a graph depicting correlation between contigs

# Binning contigs

- Binning: Cluster the similar contigs together
- Single Copy Genes (SCGs): occurs only once in the full genome
- Important info!
  - since two contigs with the same SCG must belong to different genomes and should therefore appear in different clusters/bins
- Aim: to partition contigs into bins that contain a single copy of all the genes in the set of SCGs.



# Related works

- Read coverage: measure of how many times a specific base in the genome is covered by reads
- Abundance: Embed this into a vector
- MetaBAT2: Based on an empirical posterior probability
  - uses abundance and k-mer comp. to compute a pairwise distance matrix for all contig pairs, calculated with a k-mer frequency distance probability and abundance distance probability
- MaxBin2: uses an Expectation-Maximization algorithm to estimate the probability of a contig belonging to a particular bin
- Most commonly used

# Related works contd.

- VAMB: binner based on a variational autoencoder
  - encodes k-mer composition and abundance features in a low dimensional embedding
  - uses this to improve binning (merely an assistive tool)
- GraphBin: uses assembly graph for label propagation
  - only post-processsing, not full binning process



# Papers' idea

- VAEG-BIN
  - use VAE to encode/learn individual contig representation
  - refine/learning more the representation by feeding the VAE output to GNN input
  - VAE --> local feature, GNN --> Overall structure
- Helps in binning since learning distribution of contigs naturally clusters them

# Results

- Compared it with various other state-of-the-art binners
- VAEGBIN outperforms in simulated and real world dataset
- Conclusion: "leveraging the relational information in the assembly graph, we can significantly increase the number of high-quality genomes recovered during the subsequent binning process as compared to the state-of-the-art baseline methods "



# Things to covered

- math

$$J(x_t, x_a; \theta_E, \theta_D) = w_a x_a^T \log(\hat{x}_a + \epsilon) + w_t \|x_t - \hat{x}_t\|^2 - w_{kl} D_{KL}(\mathcal{N}(\mu_z, \sigma_z) || \mathcal{N}(0, I)),$$

$$z_g^u = \alpha_{u,u} \Theta_1 z_\ell^u + \Theta_2 \sum_{v \in \mathcal{N}(u)} \alpha_{u,v} z_\ell^v,$$

$$\begin{aligned} J(z_g^u, z_g^v; \Theta) &= w(u, v) \log(\sigma(\langle z_g^u, z_g^v \rangle)) \\ &+ (1 - w(u, v)) \log(1 - \sigma(\langle z_g^u, z_g^v \rangle)) \\ &+ \mathbb{I}[|\hat{\mathcal{Y}}(u) \cap \hat{\mathcal{Y}}(v)| > 0] e^{-\|z_g^u - z_g^v\|^2}, \quad (2) \end{aligned}$$

$$z_g^u = \alpha_{u,u} \Theta z_\ell^u + \Theta \sum_{v \in \mathcal{N}(u)} \alpha_{u,v} z_\ell^v,$$

where

$$\alpha_{u,v} = \frac{\exp(\text{L-RELU}(a^T(\Theta z_\ell^u || \Theta z_\ell^v)))}{\sum_{k \in \mathcal{N}(u) \cup \{u\}} \exp(\text{L-RELU}(a^T(\Theta z_\ell^u || \Theta z_\ell^k)))},$$

$$\text{COMP}(\mathcal{G}_M, \hat{\mathcal{Y}}) = \frac{1}{|\mathcal{G}_M|} \sum_{\mathcal{G} \in \mathcal{G}_M} \frac{|\mathcal{G} \cap \hat{\mathcal{Y}}|}{|\mathcal{G}|},$$

- implementation/verification of results

**Thank you!**