

College Major Analysis based on economic factors

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Abstract

All parents dream of getting the best education for their children as they believe good education leads to a better future and economic prosperity. However, times have changed and nowadays, college education, which is a big investment of both time and money, no longer guarantees economic success. The main reason for this change boils down to the dichotomy between some college majors and their salary potential after graduation. With the help of some guidance on choosing the right majors, college students would be able to make informed decisions about their career. This in turn would encourage them to take the right steps on improving their future economic outlook. In this project, we have analyzed the data about college majors and financial returns while also factoring in the employment opportunities of specific college majors. Our goal is to understand how big a financial difference choice of college major can make and help students realize their earning potential by educating them about the economic value of choosing the right college major.

Introduction

Many students after finishing high school have either a vague idea about their college major or they enter college with an undeclared major. Many[1] students change their major either after the first semester or at most after the first year they completed because they could not continue in the current major for different reasons such as they did not like the major, they could not get a good GPA and/or they find it difficult for them to process with the current major. Some students change their major multiple times because they

are unsure about their future goals. On the other hand, some students decide to drop out of college to work minimum wage jobs. In all these scenarios, economic factors play a pivotal role in making their decisions. While deciding their majors, there are multiple factors that most of the students fail to consider such as the employment ratio in that field, the number of job opportunities, the median pay, etc. Looking at Fig 1, we see that Psychology is at the top of the list of the top 10 popular majors. Based on that, it is evident that for a lot of students, Psychology is the number one choice of major in college. However, if we look at Fig 2, we can see the unemployment rates for the least ranked majors based on median salary. Out of all the majors in the list, three of the lowest-ranked majors with high unemployment rates are related to Psychology, with Clinical Psychology right at the top of the high unemployment list. This clearly shows and emphasizes the point that a popular major choice doesn't necessarily guarantee job security. Therefore, it is imperative to educate students about economic factors before they decide on their college majors.

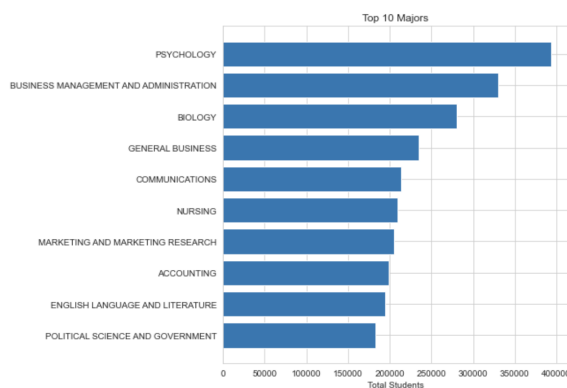


Fig 1: Top 10 ranked majors by Popularity

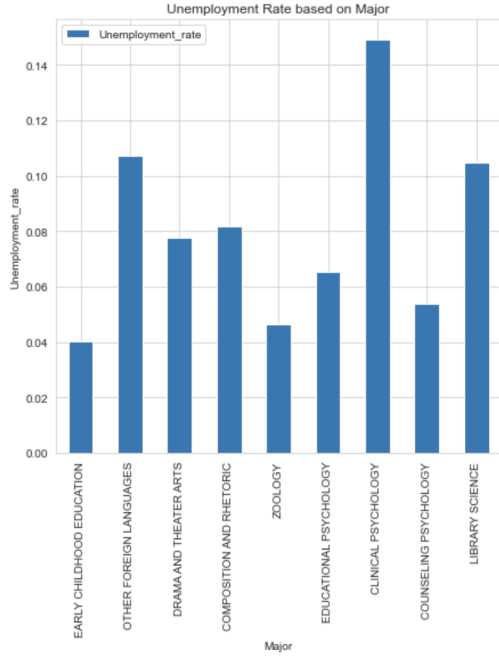


Fig 2: Unemployment rates for the 10 least ranked majors based on median salary

Methods

Dataset

The dataset used in this analysis is from American Community Survey 2010-2012 Public Use Microdata Series. This dataset contains information about college majors. Five CSV's detailing a list of majors were considered for this study, statistical information about graduate students with age less than 28 and more than 25, and a comprehensive file about all ages. It also contains data about women's employment in STEM fields. The dataset was pretty clean and only handling of missing and null values was required as a part of preprocessing. To visualize the data we have used correlation matrix, bar charts, line plots, box plots and scatter plots. Methods such as DBSCAN clustering, Random Forest Regression, and dimensionality methods like Principal Component Analysis, Single value decomposition, Locally linear embedding and Distributed Stochastic Neighbor Embedding are

used for data analysis.

1. Clustering using DBSCAN

i. Introduction

One of the methods that we used for the analysis was Clustering using DBSCAN. For the analysis, `grad-students.csv` file was used as the dataset. DBSCAN is density-based clustering algorithm which groups together points in a space that are close to each other (nearby neighbours) and marks other points that are distant from this clusters as outliers. Since the number of clusters are not pre-defined, DBSCAN generates clusters based on the provided parameters. DBSCAN[2] requires radius and a minimum number of core points to be within the circle defined by the radius as parameters to form a cluster. It then generates the clusters dynamically during runtime and provides us with the number of clusters generated and many other useful attributes that we can use for analysis.

ii. Implementation

There are two major factors to keep in mind while prioritizing economic factors in choosing a major. These two factors are salary and employment opportunity. Both of these factors go hand in hand to ensure both financial success and job security after graduation. Therefore, we decided to perform clustering on the two features: Major Category and Median Salary. This will give us an idea of what average salary to expect from each major and major category.

Looking at Fig 3, we can conclude that most of the majors pay in the range of \$60,000 - \$80,000. We then calculated the employment rate from the data that was available to us and performed clustering on features - Employment Rate and Major Category.

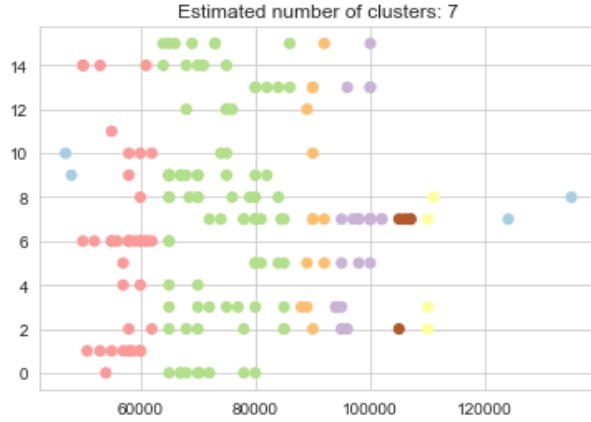


Fig 3: DBSCAN Clustering on Major Category and Median Salary

On the other hand, Fig 4 shows us DBSCAN Clustering on Major Category and Employment Rate. Combining the results of both these plots show us that even though employment rates are pretty high in category 6, it is infeasible considering the median pay. Category 13 (Physical Sciences) seems to be the safest choice with good pay and employment opportunities. But, if one is willing to aim for a high-end salary, category 7 (Engineering) is a good choice as it pays better than every other category but some majors have lower employment than others.

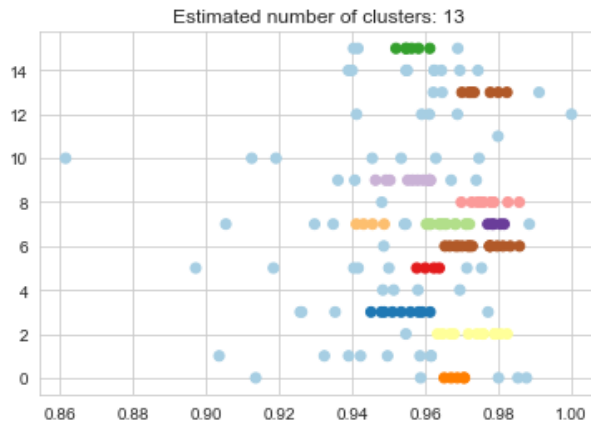


Fig 4: DBSCAN Clustering on Major Category and Employment Rate

2. Random Forest Regression

i. Introduction

Another method that we used in our analysis was Random forest regression. It proved to be an ideal method for ‘recent-grads.csv’ dataset file as we were predicting the values of low-wage jobs in a particular major category based on the unemployment rate, jobs that require a college degree, and jobs that don’t require a college degree. Also, if we look at Fig 5, it is evident that this field displayed high variance based on these factors. A single analysis method or a decision tree would not give accurate results so a supervised learning method on continuous values was selected which is random forest regression.

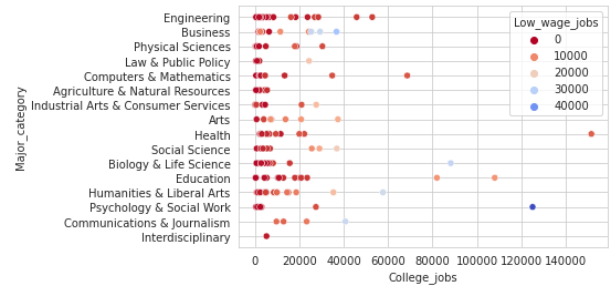


Fig 5: High variance in Low wage jobs based on Major Category and Number of College jobs

ii. Implementation

Our dataset had categorical values namely the field of ‘Major_category’. But, regression model requires numerical values for the algorithm. To handle this, best possible method was to perform one hot encoding[3]. Further to increase the accuracy of the model, Robust Scalar feature scaling was performed. Robust Scaling can handle skewed data as well as outliers optimally as it removes the median and scales the data according to the quantile range(IQR). The IQR is the range between the 1st quartile (25th quantile) and the 3rd quartile (75th quantile). After scaling the data, the dataset was divided into training dataset and testing dataset, and was run over a random forest regressor algorithm to device a model. Further steps could still be taken if the time permits, to improve

the accuracy of the model.

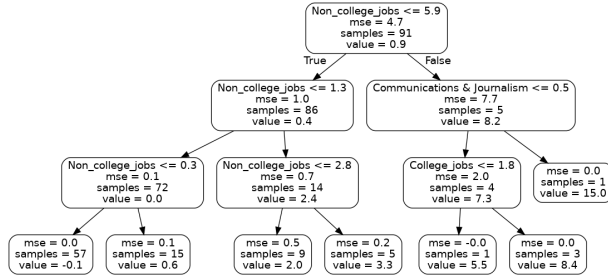


Fig 6: Randomly selected decision tree of depth 3

It is clear from the above decision tree that the number of low-wage jobs is high especially in the field of Communication and Journalism where a college degree isn't required to work.

3. Dimensionality Reduction

i. Introduction

Dimensionality reduction transforms the data from a high-dimensional space into a low-dimensional space, while preserving some meaningful properties of the original data, so that we can derive useful information and it is easy to visualize the data in a lower dimension like 2-D or 3-D. For performing dimensionality reduction we implemented t-SNE[4]. t-SNE stand for t-distributed stochastic neighbor embedding it a statistical technique for visualizing high-dimensional data, it gives each datapoint a location in a two or three-dimensional map.

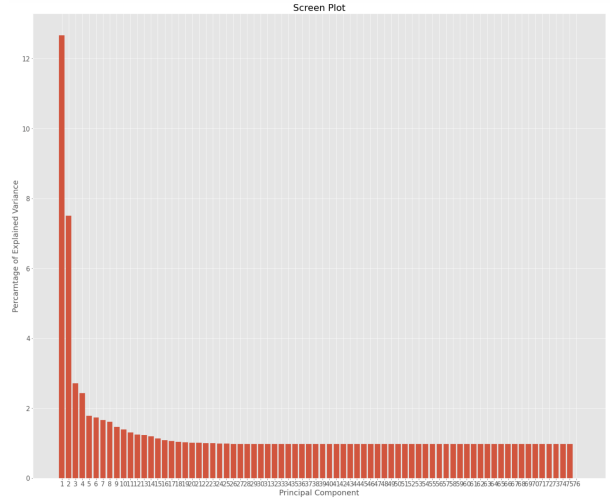


Fig 7 : Plotting the samples after applying t-SNE

ii. Implementation

In the combined dataframe we first discard the purposeless columns which won't be used in our analysis. The t-SNE technique requires numerical data, to overcome this problem we implement one-hot encoding. The t-SNE algorithm gives us an output of an array which helped us in mapping the data in two dimensional space. The result of the t-SNE plot shows us that the data in combined dataframe is even and there is very less overlap within the data.

After applying the PCA algorithm we can see that the majority of the variation is along with the first two components (Fig 7) namely, PC1 and PC2. Hence, a 2D graph using these two components will do a good job representing the original data. If we take a look at Fig 8, we can see that the samples form clusters which indicate that the samples on the right are correlated to each other and the samples on the left are correlated to each other. Also, the separation between the samples indicates how similar they are to each other, the closer the samples are to each other the more similar they are and vice versa. The top ten loading scores for the principal component show us the values which play a role in separating the samples.

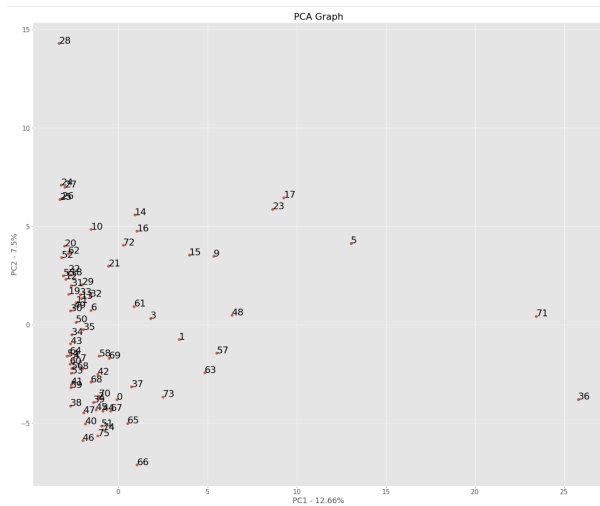


Fig 8 : Plotting the samples after applying k Means clustering

Comparisons

1. K-Means

Before selecting DBSCAN as our preferred algorithm, we tried implementing Clustering using K-Means algorithm. K-Means takes the number of clusters that we want as a parameter, and groups the data accordingly using Euclidean distance between the point and each centroid. The point that is nearest to a centroid is then considered within that cluster. After all points are assigned, the algorithm calculates new centroid using the mean. These steps repeat until the centroids don't change. However, the problem with using K-means for our dataset was that as the number of clusters are defined, we don't have much control over the algorithm on how we want to group our data. Elbow Method also didn't provide the data in the way we desired.

We tried to cluster together college major degrees on the basis of the number of jobs that require a graduate degree in that major. This would give an idea of majors that have high number of jobs or low number of jobs requiring a college degree. Fig 9 shows a plot of college majors data depicting the number of low wage jobs despite the high demand

of graduate degrees in the field. This does not give us a clear idea about how the data is distributed.

<AxesSubplot:xlabel='Rank_scaled', ylabel='College_jobs_scaled'>

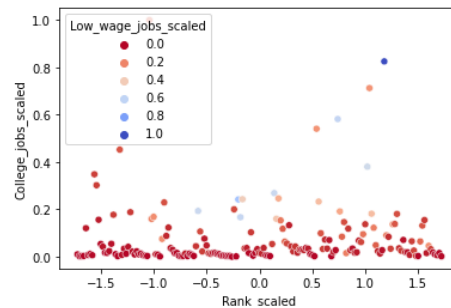


Fig 9 : Plot of college majors data showing the number of low wage jobs despite the high demand of graduates in the field

The range of field 'college_jobs' is very high in the dataset. To scale this data the best method is Min max scaler. Similarly, the field of 'low_wage_jobs' is scaled. Since the distribution of major ranks data is uniform, standard scaler is used. After the data is scaled, K-means algorithm is implemented. Initially, the number of clusters is set to 3 and k-means++ method is initialized to select the centroids in smart way rather than random to improve the accuracy of the model. This model yields below 3 clusters as shown in Fig 10.

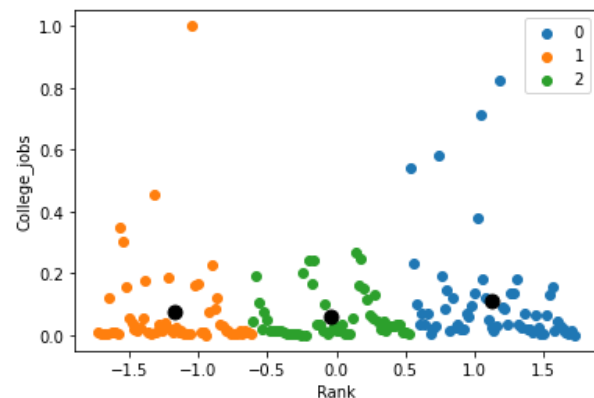


Fig 10 : Three clusters obtained from K-means

Therefore, we decided to research other clustering algorithms, and came across DBSCAN, Random Forest

Regression which turned out to be the right methods for our dataset and we ended up analyzing our data using these methods.

2. PCA

Before selecting the t-SNE algorithm for dimensionality reduction, we implemented Principal Component Analysis. Principal component analysis (PCA) is the process of computing the principal components and using them to perform a change of basis on the data, sometimes using only the first few principal components and ignoring the rest. The result of applying PCA was that the first two principal components caused a variance of 39.8% while the other principal components accounted for the rest this lead to a loss of a lot of data in the analysis and would lead to a very inaccurate analysis. Therefore, we implemented t-SNE as it does not lead to loss of an data when applied and also outliers in the data produce very little change in the data.

Conclusions

In this paper, we provide a statistical and intuitive analysis on how economic factors are affected by different majors using appropriate methods. Using different data mining algorithms like Clustering, Regression and Dimensionality Reduction we further manipulated with the data to extract information which is not directly visible to the user so one can narrow down the options based on his/her preferences.

References

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