

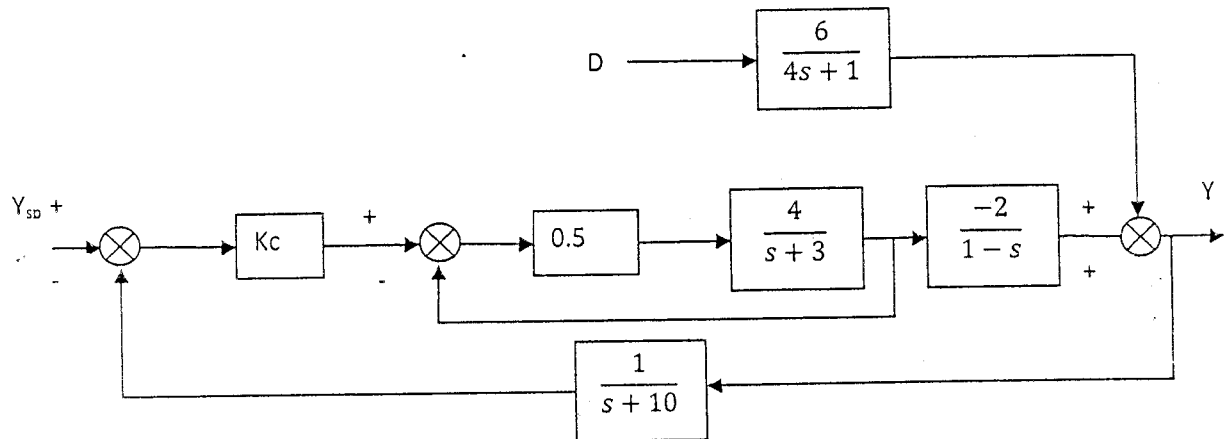


Duration: 1 hour 15 min

Date :08.04.2015

Maximum Marks: [15]

1. The block diagram of a feed back control system is shown in figure. Determine the values of K_c that result in stable closed loop systems using Root Locus method. (3)



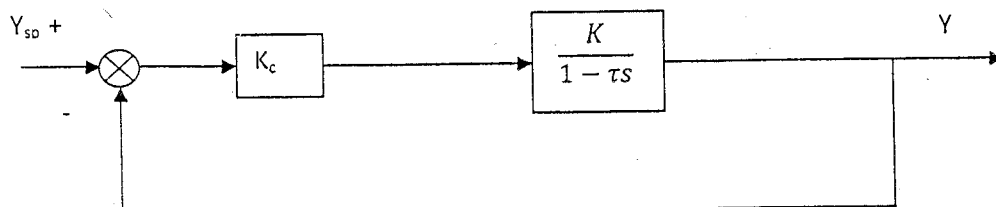
2. Draw the Bode plot for the transfer function (3)

$$\frac{5(s+1)e^{-s}}{s(5s+1)(0.2s+1)}$$

3. The question has been raised whether an open loop unstable process can be stabilized with a proportional – only controller. (3)

- (a) For the process and the controller shown in figure, find the range of K_c values that yield a stable response (Note that τ is positive)

$$K_c \left(1 + \frac{1}{\tau} \right)$$



- (b) Check the gain $Y(s)/Y_{sp}(s)$ to make sure that the process responds in the correct direction if K_c is within the range of part (a).

- (c) For $K=10$ and $\tau=20$, find the value of K_c that yields a pole at $s = -0.1$. What is the offset for these conditions?

4. A closed loop feedback control system consists of a second order process (3)

$$G_p(s) = \frac{K_p}{(\tau_1 s + 1)(\tau_2 s + 1)}$$

And a proportional controller ($G_c(s) = K_c$). The roots of characteristic equation of the closed loop system are -2 and -1 in absence of controller and roots are $-1.5 \pm 0.5i$ when $K_c = 4$

- Determine K_p, τ_1, τ_2
 - Determine limits on K_c so that the response of the system to a unit step input is non-oscillatory
5. Consider two non-interacting system. The liquid level in the tank 2 is controlled by manipulating flow rate F_1 (Inlet flow rate of tank 1) through a proportional controller. $A_1 = 5 \text{ ft}^2$ and $A_2 = 2 \text{ ft}^2$. Initially, the system is at steady state with $F_1 = 1 \text{ ft}^3/\text{min}$ and $h_1 = 4 \text{ ft}$, $h_2 = 3 \text{ ft}$. Find the values of the controller gain which produces (3)
- Critically damped response
 - Underdamped response with a decay ratio of 0.25 for h_2

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