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Name: _____

National University of Computer and Emerging Sciences, Lahore Campus



Course:	Advanced Database Concepts	Course Code:	CS451
Program:	BS(Computer Science)	Semester:	Spring 2018
Duration:	60 Minutes	Total Marks:	30
Paper Date:	13-Apr-18	Weight	12.5%
Section:	CS	Page(s):	5
Exam:	Midterm-II		

Instruction/Notes: Scratch sheet can be used for rough work however, all the questions and steps are to be shown on question paper. You may use backside of paper. **No extra/rough sheets should be submitted with question paper.** You will not get any credit if you do not show proper working, reasoning and steps as asked in question statements.

Q1. (8 points) Assume a relation R (A, B, C) is given; R is stored as an ordered file (un-spanned) on non-key field C and contains 100,000 records. Attributes A, B and C need 10 bytes of storage each (i.e. record size= 30), and blocks have a size of 512 Bytes. Each A value occurs at an average 5 times in the database, each B value occurs 50 times in the database, and each C value occurs 5000 times in the database. Assume there is no index structure exists. Estimate the number of block fetches needed to compute the following queries (where C_a , C_b , C_{c1} and C_{c2} are integer constants):

- SELECT B, C FROM R WHERE A = C_a ;
- SELECT COUNT(*) FROM R WHERE B = C_b ;
- SELECT A, B FROM R WHERE C = C_{c1} ;
- SELECT A, B FROM R WHERE C = C_{c1} OR C = C_{c2} ;

Ans: $bfr=512/30=17$; $b=100,000/17= 5883$

- $O(b) = 5883$
- $O(b) = 5883$
- $O(\log(b) + s/bfr - 1) = O(13 + 5000/17 - 1) = O(13 + 295 - 1) = 307$
- $2 * 307$ (i.e. same cost as of part-c) = 614

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Q2. *(1+1+1+1+4= 8 points)* Consider a disk with block size $B=1024$ bytes. A block pointer is $P=6$ bytes long, and a record pointer is $P_R=7$ bytes long. A file has $r=1,000,000$ EMPLOYEE records of fixed-length. Record length R is 115 bytes long and DEPTCODE field is 15 bytes long.

Suppose the file is ordered by the non-key field DEPTCODE and we want to construct a clustering index on DEPTCODE that uses block anchors (every new value of DEPTCODE starts at the beginning of a new block). Assume there are 500 distinct values of DEPTCODE, and that the EMPLOYEE records are evenly distributed among these values. Calculate:

- a) The index blocking factor (bfr_i).
- b) The number of first-level index entries (r_1) and the number of first-level index blocks (b_1).
- c) The number of levels needed (x) if we make it a multi-level index.
- d) The total number of blocks required by the multi-level index (b_i).
- e) The number of block accesses needed to search for and retrieve all records in the file having a specific DEPTCODE value using the clustering index (assume that multiple blocks in a cluster are either contiguous or linked by pointers).

Ans:

a) the index blocking factor (bfr_i).

Index record size $R_i = (V \text{ DeptCode} + P) = (15 + 6) = 21$ bytes

$bfr_i = fo = \text{floor}(B/R_i) = \text{floor}(1024/21) = 48$

b) the number of first-level index entries (r_1) and the number of first-level index blocks (b_1).

$r_1 = \text{number of distinct Department_code values} = 500$ entries

$b_1 = \text{ceiling}(r_1 / bfr_i) = \text{ceiling}(500/48) = 11$ blocks

c) the number of levels needed (x) if we make it a multi-level index.

We can calculate the number of levels as follows:

$r_2 = \text{number of 1st-level index blocks } b_1 = 11$ entries

$b_2 = \text{ceiling}(r_2 / bfr_i) = \text{ceiling}(11/48) = 1$ block;

Hence, the index has $x = 2$ levels

d) the total number of blocks required by the multi-level index (b_i).

$b_i = b_1 + b_2 = 11 + 1 = 12$ blocks

e) the number of block accesses needed to search for and retrieve all records in the file having a specific DEPTCODE value using the clustering index (assume that multiple blocks in a cluster are either contiguous or linked by pointers).

Number of block accesses to search for the first block in the cluster of blocks $= x + 1 = 2 + 1 = 3$

The $s=2000$ records are clustered in $\text{ceiling}(s/bfr) = \text{ceiling}(2000/48) = 250$ blocks.

Hence, total block accesses needed on average to retrieve all the records with a given DeptCode $= x + 250 = 252$ block accesses

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Q3. (6 points) Suppose you are building an extensible hash index on a table of 100,000 rows. Key values are 8 bytes, a pointer (block/record) to a row is 8 bytes, and a disk block is 2048 bytes. Assume all keys are distinct.

a) What is the (lowest possible) global depth? Provide valid reasons.

b) What is the average occupancy of a bucket, assuming all buckets have a local depth equal to the global depth from part (a)? Justify your answer.

Ans:

a) Bucket entries will be key/pointer pairs, so 16 bytes each. $\text{Floor}(2048/16) = 128$ entries / bucket. $100,000/128 =$ at least 782 buckets needed. Since the directory is always a power of 2 size, it will have at least $2^{10} = 1024$ entries, so the global depth is 10.

b) If all buckets have local depth equal to global depth, then every pointer in the directory points to a unique bucket. Thus, there are 1024 buckets. $1024 * 128 =$ capacity of 131,072. $100,000/131,072 \approx 76.3\%$ occupancy.

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Q4. (2+3+3= 8 points) Assume that you have just built a dense B⁺-tree index on a heap (unordered) file containing 1,000,000 records. The key field for this B⁺-tree index is a 40-byte string, and it is a candidate key. Pointers (Record/block) are 10-byte values. The size of one disk page is 1000 bytes. The index was built in using the bulk-loading algorithm, and the nodes at each level were filled up as much as possible.

- How many levels does the resulting tree have?
- For each level of the tree, how many nodes are at that level?
- How many levels would the resulting tree have with all pages 70 percent full?

Ans: see note book.

order $p = 20$; $(p * 10) + ((p - 1) * 40) \leq 1000$

order $p_{leaf} = 19$; $(p_{leaf} * (40+10)) + 10 \leq 1000$

$b1 = \text{ceiling}(1,000,000/19) = 52,632$

$fo = 20$

$b2 = \text{ceiling}(52632/20) = 2,632$

$b3 = \text{ceiling}(2632/20) = 132$

$b4 = \text{ceiling}(132/20) = 7$

$b5 = 1$

a. $x=5$; OR $x = \text{ceiling}(\log_{fo}(b1)) + 1 = \text{ceiling}(\log_{20} 52632) + 1 = 4 + 1 = 5$ levels

b. $\text{Lev1}(b1)=52632$, $\text{Lev2}(b2)=2632$, $\text{Lev3}(b3)=132$, $\text{Lev4}(b4)=7$, $\text{Lev5}(b5)=1$

Avg no of keys in leaf nodes= $\text{ceiling}(0.70 * p_{leaf}) = .70 * 19 = 14$

Avg fo of internal node= $fo = \text{ceiling}(.70 * p) = .70 * 20 = 14$

$b1 = \text{ceiling}(1,000,000/14) = 71,429$

$b2 = \text{ceiling}(71,429/14) = 5103$

$b3 = \text{ceiling}(5103/14) = 365$

$b4 = \text{ceiling}(365/14) = 27$

$b5 = \text{ceiling}(27/14) = 2$

$b6 = 1$

c. $x=6$ OR $x = \text{ceiling}(\log_{fo}(b1)) + 1 = \text{ceiling}(\log_{14} 71429) + 1 = 5 + 1 = 6$ levels

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