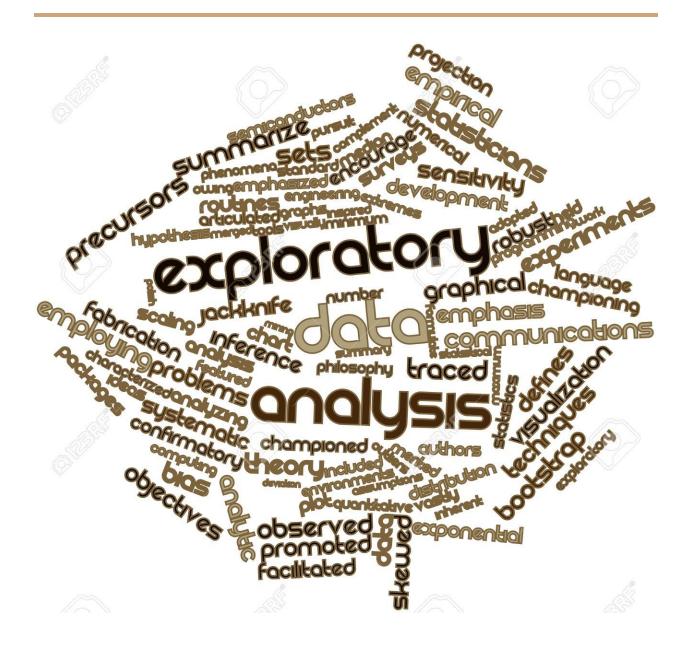
Exploratory Data Analysis



Introduction

When your dataset is represented as a table or a database, it's difficult to observe much about it beyond its size and the types of variables it contains. In this course, you'll learn how to use graphical and numerical techniques to begin uncovering the structure of your data. Which variables suggest interesting relationships? Which observations are unusual?

Contingency table review

In this analysis I will be working with the comics dataset. This is a collection of characteristics on all of the superheroes created by Marvel and DC comics in the last 80 years.

Let's start by creating a contingency table, which is a useful way to represent the total counts of observations that fall into each combination of the levels of categorical variables.

```
> comics
# A tibble: 23,272 × 11
                                    name id align
                                                                 eve
                                                                          hair
                                  <fctr> <fctr> <fctr>
                                                                         <fctr>
                                                             <fctr>
               Spider-Man (Peter Parker) Secret Good Hazel Eyes Brown Hair
2
        Captain America (Steven Rogers) Public Good Blue Eyes White Hair
3 Wolverine (James \\"Logan\\" Howlett) Public Neutral Blue Eyes Black Hair
  Iron Man (Anthony \\"Tony\\" Stark) Public Good Blue Eyes Black Hair
4
5
                     Thor (Thor Odinson) No Dual Good Blue Eyes Blond Hair
             Benjamin Grimm (Earth-616) Public Good Blue Eyes
6
                                                                       No Hair
             Reed Richards (Earth-616) Public Good Brown Eyes Brown Hair
Hulk (Robert Bruce Banner) Public Good Brown Eyes Brown Hair
7
8
              Scott Summers (Earth-616) Public Neutral Brown Eyes Brown Hair
             Jonathan Storm (Earth-616) Public Good Blue Eyes Blond Hair
# ... with 23,262 more rows, and 6 more variables: gender <fctr>, gsm <fctr>,
  alive <fctr>, appearances <int>, first_appear <fctr>, publisher <fctr>
> # Check levels of align
> levels(comics$align)
                         "Good"
                                             "Neutral"
[1] "Bad"
[4] "Reformed Criminals"
> # Check the levels of gender
> levels(comics$gender)
[1] "Female" "Male" "Other"
```

Dropping levels

The contingency table from the last exercise revealed that there are some levels that have very low counts. To simplify the analysis, it often helps to drop such levels.

In R, this requires two steps: first filtering out any rows with the levels that have very low counts, then removing these levels from the factor variable with droplevels(). This is because the droplevels() function would keep levels that have just 1 or 2 counts; it only drops levels that don't exist in a dataset.

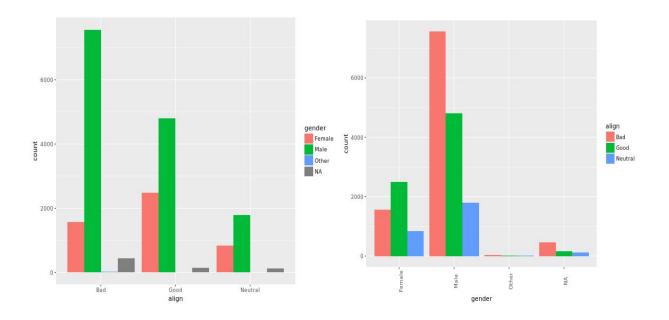
```
1 # Load dplyr
2 library(dplyr)
3
4 # Print tab
5 tab
6
7 # Remove align level
8 comics <- comics %>%
9 filter(align != "Reformed Criminals") %>%
10 droplevels()
```

Side-by-side barcharts

While a contingency table represents the counts numerically, it's often more useful to represent them graphically.

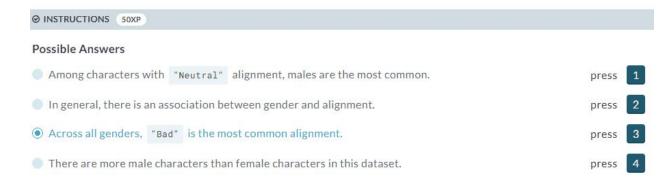
Here you'll construct two side-by-side barcharts of the comics data. This shows that there can often be two or more options for presenting the same data. Passing the argument position = "dodge" to geom_bar() says that you want a side-by-side (i.e. not stacked) barchart.

```
1  # Load ggplot2
2  library (ggplot2)
3
4  # Create side-by-side barchart of gender by alignment
5  ggplot(comics, aes(x = align, fill = gender)) +
6   geom_bar(position = "dodge")
7
8  # Create side-by-side barchart of alignment by gender
9  ggplot(comics, aes(x = gender, fill = align)) +
10  geom_bar(position = "dodge") +
11  theme(axis.text.x = element_text(angle = 90))
```



Bar chart interpretation

Which of the following interpretations of the bar charts to you right is not valid?



Counts vs. proportions

Conditional proportions

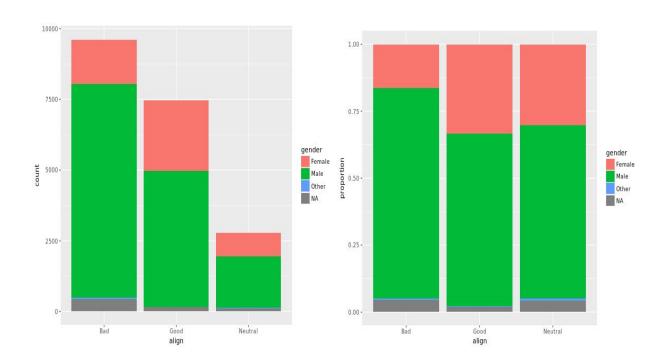
What proportion of all female characters are good?

```
> tab <- table(comics$align, comics$gender)</pre>
> options(scipen = 999, digits =3)
> prop.table(tab)
            Female
                       Male
                               Other
  Bad
          0.082210 0.395160 0.001672
  Good
          0.130135 0.251333 0.000888
  Neutral 0.043692 0.094021 0.000888
> prop.table(tab,2)
          Female Male Other
           0.321 0.534 0.485
  Bad
  Good
          0.508 0.339 0.258
  Neutral 0.171 0.127 0.258
```

Bar charts can tell dramatically different stories depending on whether they represent counts or proportions and, if proportions, what the proportions are conditioned on. To demonstrate this difference, you'll construct two barcharts in this exercise: one of counts and one of proportions.

```
# Plot of gender by align
ggplot(comics, aes(x = align, fill = gender)) +
geom_bar()

# Plot proportion of gender, conditional on align
ggplot(comics, aes(x = align, fill = gender)) +
geom_bar(position = "fill") +
ylab("proportion")
```

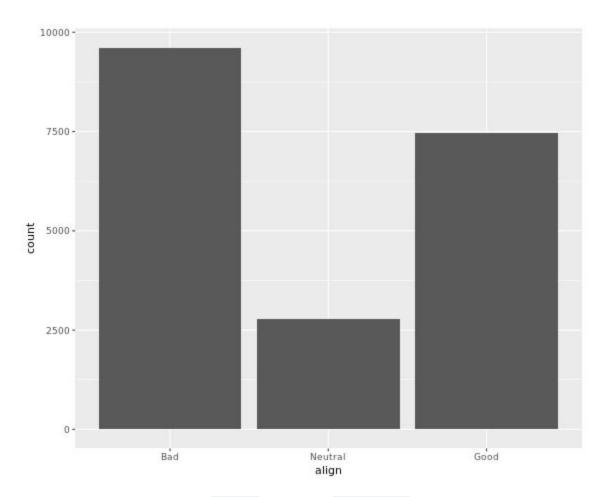


By adding position = "fill" to geom_bar(), you are saying you want the bars to fill the entire height of the plotting window, thus displaying proportions and not raw counts.

Marginal barchart

If you are interested in the distribution of alignment of *all* superheroes, it makes sense to construct a barchart for just that single variable.

You can improve the interpretability of the plot, though, by implementing some sensible ordering. Superheroes that are "Neutral" show an alignment between "Good" and "Bad", so it makes sense to put that bar in the middle.



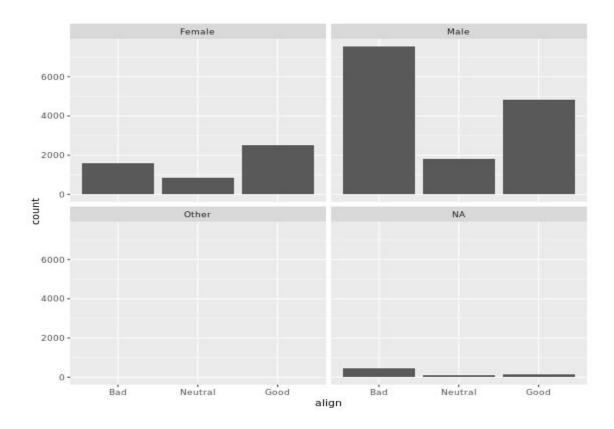
** Reordered the levels of align using the factor() function so that printing them
reads "Bad", "Neutral", then "Good".

Conditional barchart

Now, if you want to break down the distribution of alignment based on gender, you're looking for conditional distributions.

You could make these by creating multiple filtered datasets (one for each gender) or by faceting the plot of alignment based on gender.

```
1 # Plot of alignment broken down by gender
2 ggplot(comics, aes(x = align)) +
3  geom_bar() +
4  facet_wrap(~ gender)
```

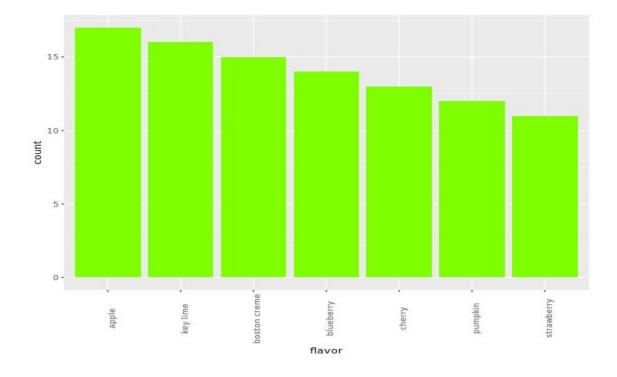


Improve piechart

The piechart is a very common way to represent the distribution of a single categorical variable, but they can be more difficult to interpret than barcharts.

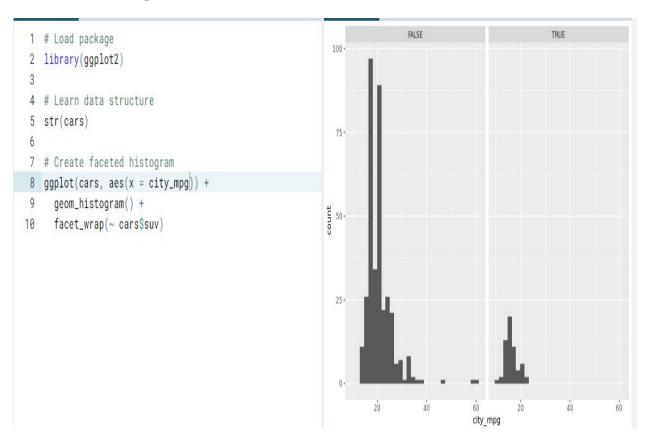
This is a piechart of a dataset called pies that contains the favorite pie flavors of 98 people. Improve the representation of these data by constructing a *barchart* that is ordered in descending order of count.

```
1 # Put levels of flavor in decending order
2 lev <- c("apple", "key lime", "boston creme",
    "blueberry", "cherry", "pumpkin", "strawberry")
3 pies$flavor <- factor(pies$flavor, levels = lev)
4
5 # Create barchart of flavor
6 ggplot(pies, aes(x = flavor)) +
7 geom_bar(fill = "chartreuse") +
8 theme(axis.text.x = element_text(angle = 90))</pre>
```



Exploring numerical data

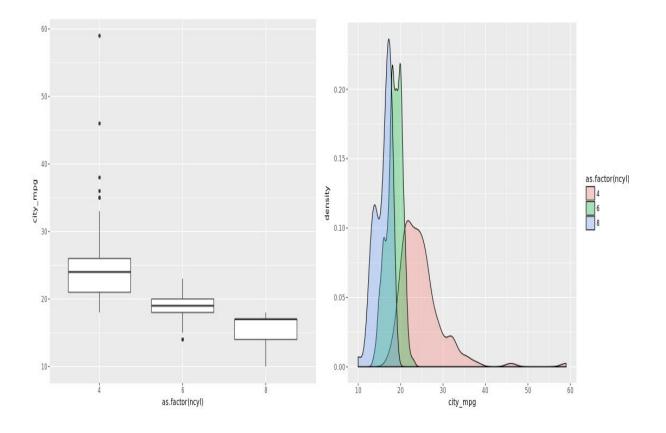
Faceted histogram



Boxplots and density plots

The mileage of a car tends to be associated with the size of its engine (as measured by the number of cylinders). To explore the relationship between these two variables, you could stick to using histograms, but in this exercise you'll try your hand at two alternatives: the box plot and the density plot.

```
1
   # Filter cars with 4, 6, 8 cylinders
 2
   common_cyl <- filter(cars, ncyl %in% c(4,6,8))</pre>
 3
 4 # Create box plots of city mpg by ncyl
   ggplot(common_cyl, aes(x = as.factor(ncyl), y =
   city_mpg)) +
 6
      geom_boxplot()
 7
 8 # Create overlaid density plots for same data
 ggplot(common_cyl, aes(x = city_mpg, fill = as.factor
   (ncyl))) +
10
      geom_density(alpha = .3)
```

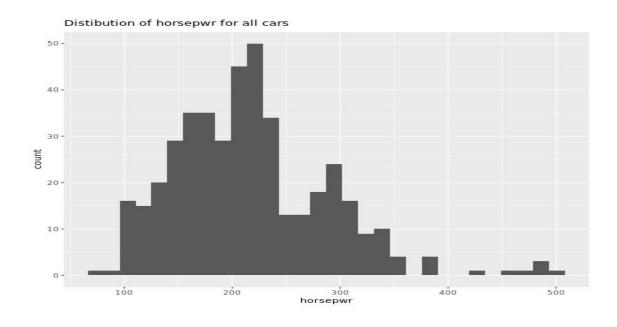


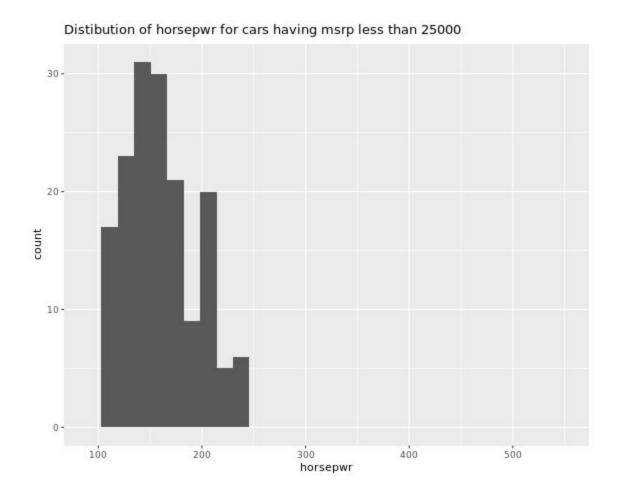
The variability in mileage of 8 cylinder cars seem much smaller than that of 4 cylinder cars.

<u>Distribution of one variable</u> Marginal and conditional histograms

Now, turn your attention to a new variable: horsepwr. The goal is to get a sense of the marginal distribution of this variable and then compare it to the distribution of horsepower conditional on the price of the car being less than \$25,000.

```
1 # Create hist of horsepwr
2 cars %>%
     ggplot(aes(horsepwr)) +
4
     geom_histogram() +
5
     ggtitle("Distibution of horsepwr for all cars")
6
7 # Create hist of horsepwr for affordable cars
8 cars %>%
     filter(msrp < 25000) %>%
     ggplot(aes(horsepwr)) +
10
11
     geom_histogram() +
12
     xlim(c(90, 550)) +
     ggtitle("Distibution of horsepwr for cars having
13
   msrp less than 25000")
```





The highest horsepower car in the less expensive range has just under 250 horsepower.

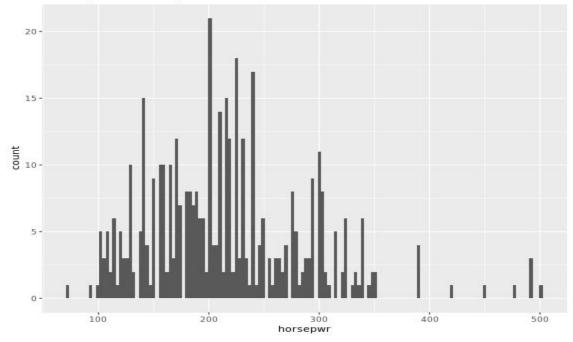
Three binwidths

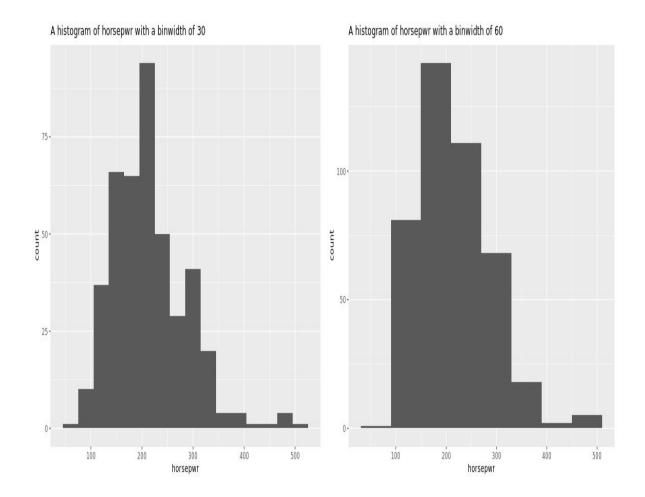
Before you take these plots for granted, it's a good idea to see how things change when you alter the binwidth. The binwidth determines how smooth your distribution will appear: the smaller the binwidth, the more jagged your distribution becomes. It's good

practice to consider several binwidths in order to detect different types of structure in your data.

```
# Create hist of horsepwr with binwidth of 3
2 cars %>%
3
     ggplot(aes(horsepwr)) +
     geom_histogram(binwidth = 3) +
4
     ggtitle("A histogram of horsepwr with a binwidth of
   3")
6
7 # Create hist of horsepwr with binwidth of 30
   cars %>% ggplot(aes(horsepwr)) + geom_histogram
   (binwidth = 30) +
   ggtitle("A histogram of horsepwr with a binwidth of
   30")
10
   # Create hist of horsepwr with binwidth of 60
11
   cars %>% ggplot(aes(horsepwr)) + geom_histogram
12
    (binwidth = 60) +
   ggtitle("A histogram of horsepwr with a binwidth of
   60")
```



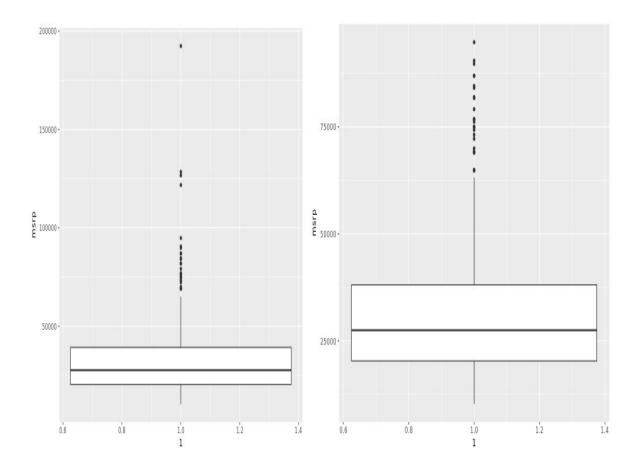




Box plots for outliers

In addition to indicating the center and spread of a distribution, a box plot provides a graphical means to detect outliers. You can apply this method to the msrp column (manufacturer's suggested retail price) to detect if there are unusually expensive or cheap cars.

```
1 # Construct box plot of msrp
2 cars %>%
     ggplot(aes(x = 1, y = msrp)) +
     geom_boxplot()
4
5
6 # Exclude outliers from data
7 cars_no_out <- cars %>%
     filter(msrp < 100000)
8
9
10 # Construct box plot of msrp using the reduced dataset
11 cars_no_out %>%
12
     ggplot(aes(x = 1, y = msrp)) +
     geom_boxplot()
13
```



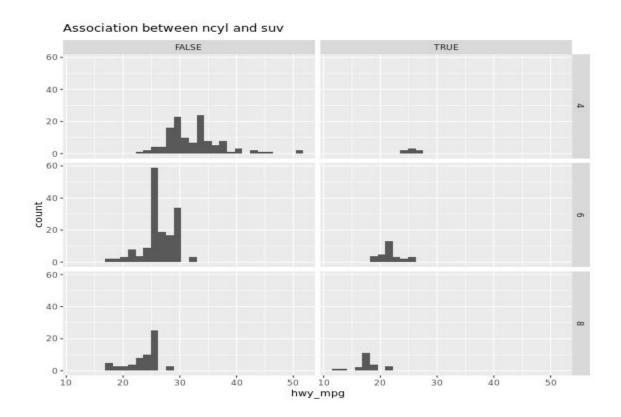
Plot selection

Consider two other columns in the cars dataset: city_mpg and width. Which is the most appropriate plot for displaying the important features of their distributions? Remember, both density plots and box plots display the central tendency and spread of the data, but the box plot is more robust to outliers.

Visualization in higher dimensions 3 variable plot

Faceting is a valuable technique for looking at several conditional distributions at the same time. If the faceted distributions are laid out in a grid, you can consider the association between a variable and two others, one on the rows of the grid and the other on the columns.

```
1 # Facet hists using hwy mileage and ncyl
2 common_cyl %>%
3 ggplot(aes(x = hwy_mpg)) +
4 geom_histogram() +
5 facet_grid(ncyl ~ suv) +
6 ggtitle("Association between ncyl and suv")
```



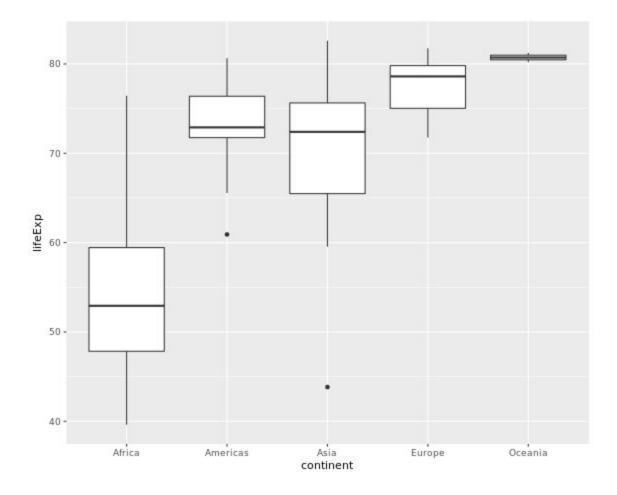
Measures of center

Calculate center measures

Throughout this chapter, you will use data from gapminder, which tracks demographic data in countries of the world over time. To learn more about it, you can bring up the help file with ?gapminder.

For this exercise, focus on how the life expectancy differs from continent to continent. This requires that you conduct your analysis not at the country level, but aggregated up to the continent level. This is made possible by the one-two punch of <code>group_by()</code> and <code>summarize()</code>, a very powerful syntax for carrying out the same analysis on different subsets of the full dataset.

```
# Create dataset of 2007 data
   gap2007 <- filter(gapminder, year == 2007)</pre>
 4 # Compute groupwise mean and median lifeExp
   gap2007 %>%
 5
     group_by(continent) %>%
 7
      summarize(mean(lifeExp),
 8
                median(lifeExp))
 9
   # Generate box plots of lifeExp for each continent
10
11
   gap2007 %>%
      qqplot(aes(x = continent, y = lifeExp)) +
12
     geom_boxplot()
13
```



Measures of variability

- **Standard Deviation** gets affected by skewed values specially outliers.
- **Variance** gets affected by skewed values specially outliers.
- **Range** gets affected by skewed values specially outliers.
- **IQR** Does not get affected by outliers.

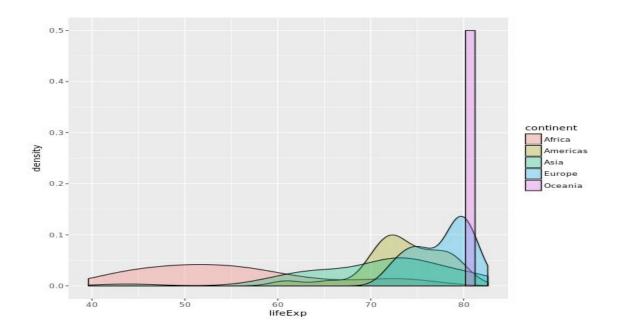
Calculate spread measures

Let's extend the powerful <code>group_by()</code> and <code>summarize()</code> syntax to measures of spread. If you're unsure whether you're working with symmetric or skewed distributions, it's a good idea to consider a robust measure like IQR in addition to the usual measures

of variance or standard deviation.

```
1 # Compute groupwise measures of spread
2
   gap2007 %>%
     group_by(continent) %>%
3
4
     summarize(sd(lifeExp),
5
                IQR(lifeExp),
6
               n())
7
8 # Generate overlaid density plots
   gap2007 %>%
     ggplot(aes(x = lifeExp, fill = continent)) +
10
     geom_density(alpha = 0.3)
```

```
# A tibble: 5 × 4
  continent `sd(lifeExp)` `IQR(lifeExp)` `n()`
     <fctr>
                   <dbl>
                                  <dbl> <int>
    Africa
               9.6307807
                               11.61025
                                           52
  Americas
               4.4409476
                               4.63200
                                           25
3
      Asia
               7.9637245
                               10.15200
                                           33
               2.9798127
                               4.78250
                                           30
4
    Europe
5
    Oceania
               0.7290271
                                0.51550
                                            2
```



Like mean and standard deviation, median and IQR measure the central tendency and spread, respectively, but are robust to outliers and non-normal data.

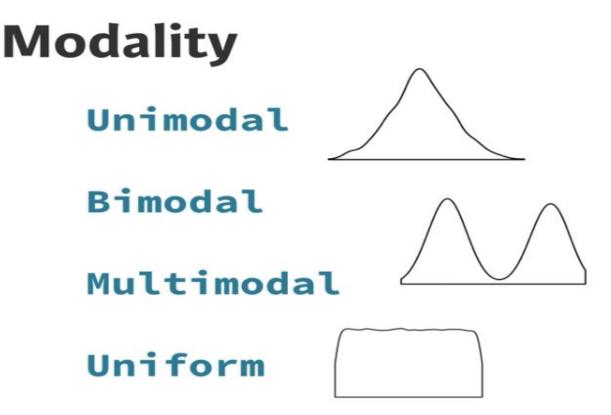
Shape and transformations

There are generally four characteristics of distributions that are of interest.

- 1. The Center
- 2. The **spread** or variability of the distribution
- 3. The **shape** of the distribution which can be described in terms of modality and the skewness.

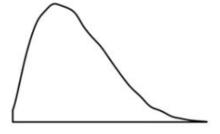
The modality of distribution is the number of prominent humps that shows up in the distribution.

4. Outliers

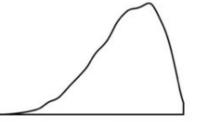


Skew

Right-skewed



Left-skewed

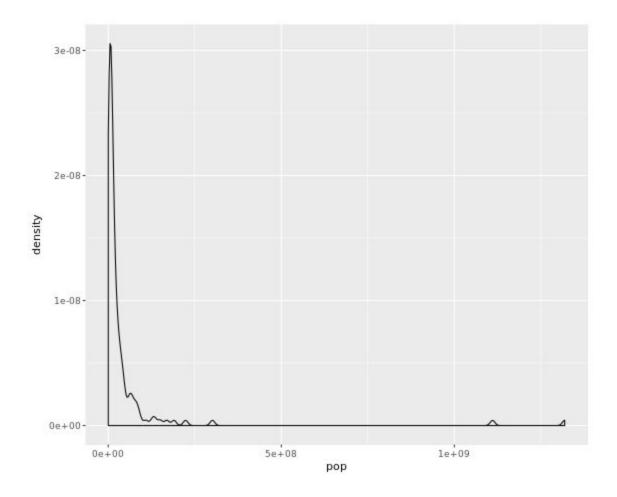


Transformations

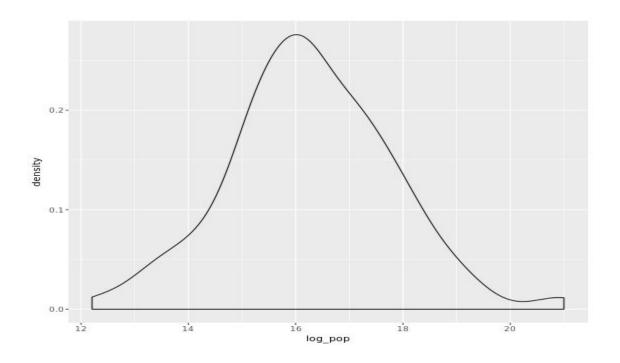
Highly skewed distributions can make it very difficult to learn anything from a visualization. Transformations can be helpful in revealing the more subtle structure.

Here you'll focus on the population variable, which exhibits strong right skew, and transform it with the natural logarithm function $(\log())$ in R).

```
# Create density plot of old variable
gap2007 %>%
ggplot(aes(x = pop)) +
geom_density(alpha = 0.3)
```



```
6 # Transform the skewed pop variable
7 gap2007 <- gap2007 %>%
8 mutate(log_pop = log(pop))
9
10 # Create density plot of new variable
11 gap2007 %>%
12 ggplot(aes(x = log_pop)) +
13 geom_density(alpha = 0.3)
```



Outliers

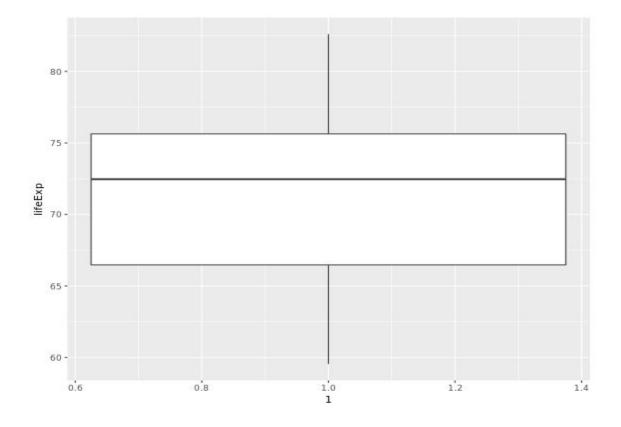
Four important characteristics of a distribution: -

- 1. Center
- 2. Variability
- 3. Shape
- 4. Outliers

Identify outliers

Consider the distribution, shown here, of the life expectancies of the countries in Asia. The box plot identifies one clear outlier: a country with a notably low life expectancy. Do you have a guess as to which country this might be? Test your guess in the console using either min() or filter(), then proceed to building a plot with that country removed.

```
# Filter for Asia, add column indicating outliers
   gap_asia <- gap2007 %>%
2
3
      filter(continent == 'Asia') %>%
4
     mutate(is_outlier = lifeExp < 50)
 5
  # Remove outliers, create box plot of lifeExp
 6
 7
   gap_asia %>%
8
      filter( !is_outlier) %>%
 9
      ggplot(aes(x = 1, y = lifeExp)) +
10
      geom_boxplot()
```



Case Study - Exploratory Data Analysis

Spam and num_char

Is there an association between spam and the length of an email? You could imagine a story either way:

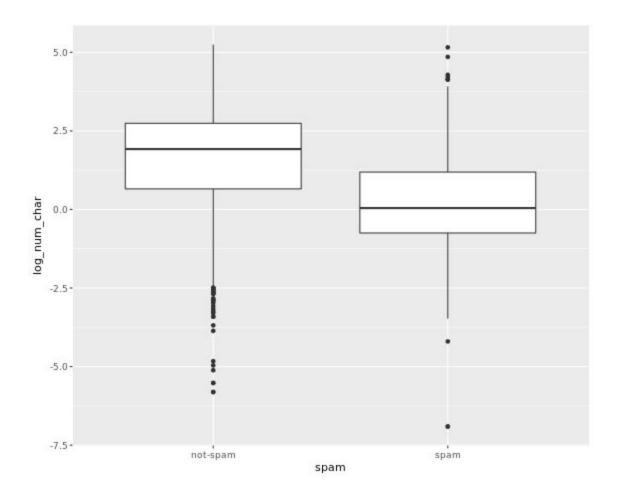
- Spam is more likely to be a short message tempting me to click on a link, or
- My normal email is likely shorter since I exchange brief emails with my friends all the time.

For this analysis email dataset is used.

These data represent incoming emails for the first three months of 2012 for an email account.

- Exploring the association between spam and the length of an email.

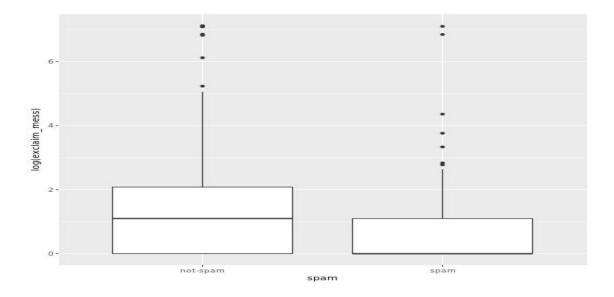
```
1 # Load packages
2 library(ggplot2)
3 library(dplyr)
4 library(openintro)
5
6
7
8 # Compute summary statistics
9 email %>%
     group_by(spam) %>%
10
11
      summarize(median(num_char), IQR(num_char))
12
13 # Create plot
14 email %>%
     mutate(log_num_char = log(num_char)) %>%
15
16
     ggplot(aes(x = spam, y = log_num_char)) +
17 geom_boxplot()
```



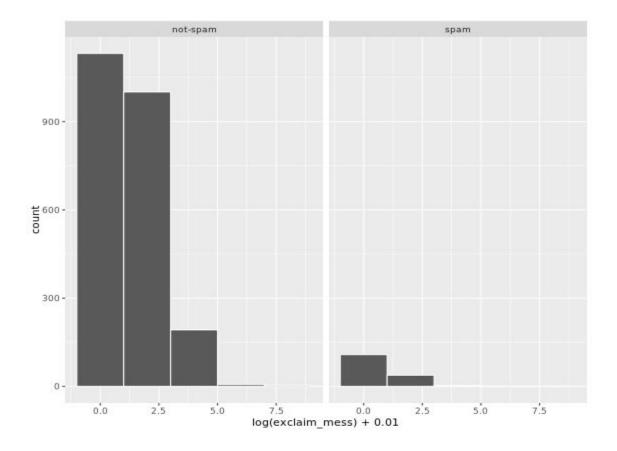
Plot Interpretation - The median length of not-spam emails is greater than that of spam emails.

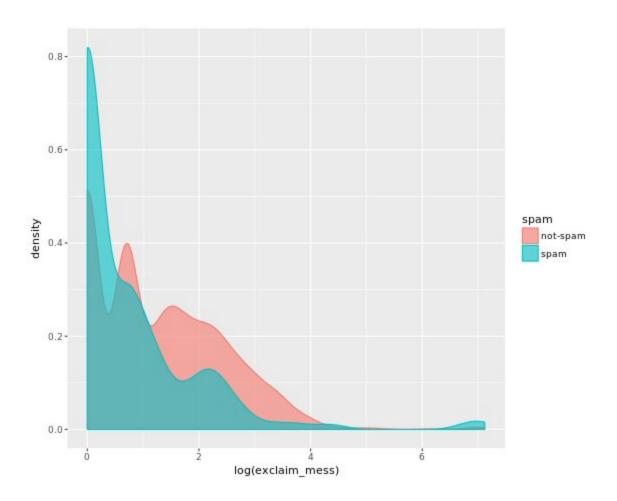
```
1 # Compute center and spread for exclaim_mess by spam
2 email %>% group_by(spam) %>% summarise(median
  (exclaim_mess), IQR(exclaim_mess))
```

```
# Create plot for spam and exclaim_mess
ggplot(email, aes(x = spam, y= log(exclaim_mess))) +
geom_boxplot()
```



9 ggplot(email, aes(log(exclaim_mess)+0.01)) +
 geom_histogram(binwidth=2,colour="white") + facet_grid
 (~ spam)





```
1 # Create plot of proportion of spam by image
2 email %>%
3  mutate(has_image = image > 0) %>%
4  ggplot(aes(x = has_image, fill = spam)) +
5  geom_bar(position = "fill")
6
```

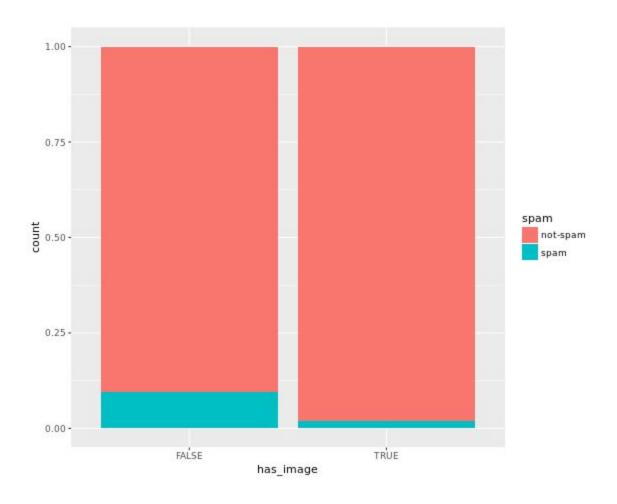


Image and spam interpretation

Which of the following interpretations of the plot is valid?

- An email without an image is more likely to be not-spam than spam.

Data Integrity

In the process of exploring a dataset, you'll sometimes come across something that will lead you to question how the data were compiled. For example, the variable num_char contains the number of characters in the email, in thousands, so it could take decimal values, but it certainly shouldn't take negative values.

You can formulate a test to ensure this variable is behaving as we expect:

email\$num_char < 0

If you run this code at the console, you'll get a long vector of logical values indicating for each case in the dataset whether that condition is TRUE. Here, the first 1000 values all appear to be FALSE. To verify that *all* of the cases indeed have non-negative values for num_char, we can take the *sum* of this vector:

sum(email\$num_char < 0)</pre>

This is a handy shortcut. When you do arithmetic on logical values, R treats TRUE as 1 and FALSE as 0. Since the sum over the whole vector is zero, you learn that every case in the dataset took a value of FALSE in the test. That is, the num_char column is behaving as we expect and taking only non-negative values.

```
> # Test if images count as attachments
> sum(email$image > email$attach)
[1] 0
```

Since image is never greater than attach, we can infer that images are counted as attachments.

Answering questions with chains

When you have a specific question about a dataset, you can find your way to an answer by carefully constructing the appropriate chain of R code. For example, consider the following question:

"Within non-spam emails, is the typical length of emails shorter for those that were sent to multiple people?"

This can be answered with the following chain:

```
email %>%
  filter(spam == "not-spam") %>%
  group_by(to_multiple) %>%
  summarize(median(num_char))
```

The code makes it clear that you are using num_char to measure the length of an email and median() as the measure of what is typical. If you run this code, you'll learn that the answer to the question is "yes": the typical length of non-spam sent to multiple people is a bit lower than those sent to only one person.

This chain concluded with summary statistics, but others might end in a plot; it all depends on the question that you're trying to answer.

Build a chain to answer each of the following questions, both about the variable dollar.

For emails containing the word "dollar", does the typical spam email contain a
greater number of occurrences of the word than the typical non-spam email?
 Create a summary statistic that answers this question.

```
email %>%

filter(dollar > 0) %>%

group_by(spam) %>%

summarize(median(dollar))
```

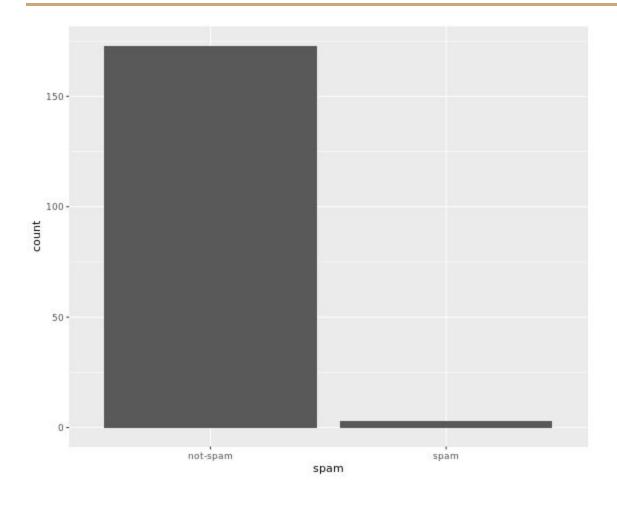
 If you encounter an email with greater than 10 occurrences of the word "dollar", is it more likely to be spam or not-spam? Create a barchart that answers this question.

```
email %>%

filter(dollar > 10) %>%

ggplot(aes(x = spam)) +

geom_bar()
```



What's in a number?

Turn your attention to the variable called number. Read more about it by pulling up the help file with ?email.

To explore the association between this variable and spam, select and construct an informative plot. For illustrating relationships between categorical variables, you've seen

- Faceted barcharts
- Side-by-side barcharts
- Stacked and normalized barcharts.

