

\$UnitSystem SI J Pa K mass deg

"Parameters"

$T_0 = \text{ConvertTemp}(C, K, 25[C])$ "Starting Temperature"
 $T_f = \text{ConvertTemp}(C, K, 2[C])$ "Goal Temperature"
 $T_{f,ice} = \text{ConvertTemp}(C, K, 0[C])$ "Ice's melting Temperature"
 $T_{0,ice} = \text{ConvertTemp}(C, K, -5[C])$ "Ice's starting Temperature"
 $\Delta T = T_f - T_0$ "Delta T"
 $\Delta T_{ice} = T_{f,ice} - T_{0,ice}$ "Ice's delta T"
 $h = \text{Enthalpy_Fusion}(Ice)$ "Enthalpy of Fusion of Ice"
 $c_{ice} = \text{SpecHeat}(Ice, T = T_{0,ice}, P = 101325[Pa])$ "Ice specific heat"
 $\rho_{ice} = \text{Density}(Ice, P = 101325[Pa], T = T_{f,ice})$ "Ice density"
 $V[1] = 30[L] * \text{Convert}(L, m^3)$ "Air volume"
 $V[2] = 7[L] * \text{Convert}(L, m^3)$ "Water volume"
 $V[3] = 5[L] * \text{Convert}(L, m^3)$ "Ethanol volume"
 $\rho[1] = \text{Density}(Air, P = 101325[Pa], T = T_0)$ "Air Density"
 $\rho[2] = \text{Density}(Water, P = 101325[Pa], T = T_0)$ "Water Density"
 $\rho[3] = \text{Density}(Ethanol, P = 101325[Pa], T = T_0)$ "Ethanol Density"
 $m[1] = \rho[1] * V[1]$ "Air mass"
 $m[2] = \rho[2] * V[2]$ "Water mass"
 $m[3] = \rho[3] * V[3]$ "Ethanol mass"
 $c[1] = \text{SpecHeat}(Air, T = T_0)$ "Air specific heat"
 $c[2] = \text{SpecHeat}(Water, P = 101325[Pa], T = T_0)$ "Water specific heat"
 $c[3] = \text{SpecHeat}(Ethanol, P = 101325[Pa], T = T_0)$ "Ethanol specific heat"

"Energy needed"

$E[1] = m[1] * c[1] * \Delta T$
 $E[2] = m[2] * c[2] * \Delta T$
 $E[3] = m[3] * c[3] * \Delta T$
 $E_{net} = E[1] + E[2] + E[3]$

"Mass of ice needed"

$\eta = 0.75$ "Underestimated Efficiency"
 $E_{ice} * \eta = -E_{net}$ "Conservation of Energy"
 $E_{ice} = m_{ice} * (h + c_{ice} * \Delta T_{ice})$ "Energy needed to change the state of ice, plus get it colder"

"Volume of ice for design"

$n = 1.5$ "Volume FOS"
 $\rho_{ice} = m_{ice} / V_i$ "Density formula"
 $V_{ice} = n * V_i$

Parameters

$T_0 = \text{ConvertTemp}(C, K, 25 [C])$ Starting Temperature
 $T_f = \text{ConvertTemp}(C, K, 2 [C])$ Goal Temperature
 $T_{f,ice} = \text{ConvertTemp}(C, K, \text{not defined} [C])$ Ice's melting Temperature
 $T_{0,ice} = \text{ConvertTemp}(C, K, -5 [C])$ Ice's starting Temperature
 $\Delta T = T_f - T_0$ Delta T
 $\Delta T_{ice} = T_{f,ice} - T_{0,ice}$ Ice's delta T
 $h = \text{Enthalpy}_{fusion}(Ice)$ Enthalpy of Fusion of Ice

$$c_{ice} = \mathbf{Cp}(\text{Ice}, T = T_{0,ice}, P = 101325 \text{ [Pa]}) \quad \text{Ice specific heat}$$

$$\rho_{ice} = \rho(\text{Ice}, P = 101325 \text{ [Pa]} \quad T = T_{f,ice}) \quad \text{Ice density}$$

$$V_1 = 30 \text{ [L]} \cdot \left| 0.001 \cdot \frac{\text{m}^3}{\text{L}} \right| \quad \text{Air volume}$$

$$V_2 = 7 \text{ [L]} \cdot \left| 0.001 \cdot \frac{\text{m}^3}{\text{L}} \right| \quad \text{Water volume}$$

$$V_3 = 5 \text{ [L]} \cdot \left| 0.001 \cdot \frac{\text{m}^3}{\text{L}} \right| \quad \text{Ethanol volume}$$

$$\rho_1 = \rho(\text{Air}, P = 101325 \text{ [Pa]} \quad T = T_0) \quad \text{Air Density}$$

$$\rho_2 = \rho(\text{Water}, P = 101325 \text{ [Pa]} \quad T = T_0) \quad \text{Water Density}$$

$$\rho_3 = \rho(\text{Ethanol}, P = 101325 \text{ [Pa]} \quad T = T_0) \quad \text{Ethanol Density}$$

$$m_1 = \rho_1 \cdot V_1 \quad \text{Air mass}$$

$$m_2 = \rho_2 \cdot V_2 \quad \text{Water mass}$$

$$m_3 = \rho_3 \cdot V_3 \quad \text{Ethanol mass}$$

$$c_1 = \mathbf{Cp}(\text{Air}, T = T_0) \quad \text{Air specific heat}$$

$$c_2 = \mathbf{Cp}(\text{Water}, P = 101325 \text{ [Pa]} \quad T = T_0) \quad \text{Water specific heat}$$

$$c_3 = \mathbf{Cp}(\text{Ethanol}, P = 101325 \text{ [Pa]} \quad T = T_0) \quad \text{Ethanol specific heat}$$

Energy needed

$$E_1 = m_1 \cdot c_1 \cdot \Delta T$$

$$E_2 = m_2 \cdot c_2 \cdot \Delta T$$

$$E_3 = m_3 \cdot c_3 \cdot \Delta T$$

$$E_{net} = E_1 + E_2 + E_3$$

Mass of ice needed

$$\eta = 0.75 \quad \text{Underestimated Efficiency}$$

$$E_{ice} \cdot \eta = -E_{net} \quad \text{Conservation of Energy}$$

$$E_{ice} = m_{ice} \cdot (h + c_{ice} \cdot \Delta T_{ice}) \quad \text{Energy needed to change the state of ice, plus get it colder}$$

Volume of ice for design

$$n = 1.5 \quad \text{Volume FOS}$$

$$\rho_{ice} = \frac{m_{ice}}{V_i}$$

Density formula

$$V_{ice} = n \cdot V_i$$

SOLUTION

Unit Settings: SI K Pa J mass deg

$c_{ice} = 2069$ [J/kg-K]

$\eta = 0.75$ [-]

$h = 333606$ [J/kg]

$\rho_{ice} = 916.7$

$T_f = 275.1$ [K]

$V_{ice} = 0.005657$ [m³] {5.657 [L]}

$\Delta T = -23$ [K]

$E_{ice} = 1.189E+06$ [J]

$m_{ice} = 3.457$ [kg]

$T_0 = 298.1$ [K]

$T_{f,ice} = 273.1$ [K]

$\Delta T_{ice} = 5$ [K]

$E_{net} = -891835$ [J]

$n = 1.5$

$T_{0,ice} = 268.1$ [K]

$V_i = 0.003771$

3 potential unit problems were detected.

KEY VARIABLES

$m_{ice} = 3.457$ [kg]

$V_{ice} = 0.005657$ [m³] {5.657 [L]}

Mass of ice needed

Volume for ice needed

Arrays Table: Main

	ρ_i [kg/m ³]	V_i [m ³]	m_i [kg]	c_i [J/kg-K]	E_i [J]
1	1.184	0.03	0.03552	1005	-820.7
2	997	0.007	6.979	4181	-671204
3	785.1	0.005	3.926	2434	-219810