Naive-Bayes

October 14, 2018

```
import numpy as np
       import pandas as pd
       import matplotlib.pyplot as plt
       from sklearn.cross_validation import train_test_split
       from sklearn.neighbors import KNeighborsClassifier
       from sklearn.metrics import accuracy_score
       from sklearn.cross_validation import cross_val_score
       from collections import Counter
       from sklearn.metrics import accuracy_score
       from sklearn import cross_validation
       from sklearn import datasets, neighbors
       from sklearn.model_selection import TimeSeriesSplit
       import pickle
       import scipy
       import time
C:\Users\avinash\Anaconda3\lib\site-packages\sklearn\cross_validation.py:41: DeprecationWarning
 "This module will be removed in 0.20.", DeprecationWarning)
In [2]: #Function to pickle in an object.
       def openPickleFile(name): #name = the pickle file name, this should be passed as a str
           global temp
           temp = pickle.load(open(name + ".pickle", "rb"))
           return temp
In [3]: openPickleFile("y_train")
       y_train = temp
       print(y_train.shape)
       print(y_train.dtype)
(33334,)
object
```

```
In [4]: y_train[y_train == 'positive'] = 1
        y_train[y_train == 'negative'] = 0
        y_train = y_train.astype(float)
        print(y_train.dtype)
float64
In [5]: openPickleFile("y_test")
        y_test = temp
        print(y_test.shape)
        print(y_test.dtype)
(16666,)
object
In [6]: y_test[y_test == 'positive'] = 1
        y_test[y_test == 'negative'] = 0
        y_test = y_test.astype(float)
        print(y_test.dtype)
float64
In [7]: #Function to count no. of unique values in variable of any datatype.
        def unique_count(a):
            unique, inverse = np.unique(a, return_inverse=True)
            count = np.zeros(len(unique), np.int)
            np.add.at(count, inverse, 1)
            return np.vstack(( unique, count)).T
        unique_count(y_train)
Out[7]: array([[0.0000e+00, 4.9490e+03],
               [1.0000e+00, 2.8385e+04]])
```

1 CV using Bernouli Naive-bayes algorithm.

2 1. CV on Standardized data for Unigrams

2.0.1 Simple Cross Validation

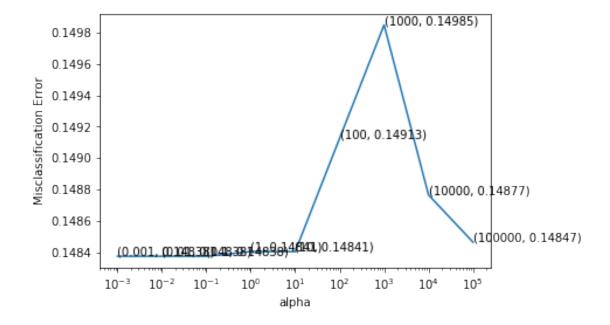
```
In [8]: openPickleFile("X_train_BOW_unigram")
    X_train = temp
    print(X_train.shape)
    print(X_train.dtype)
```

```
(33334, 50)
float64
In [9]: openPickleFile("X_test_BOW_unigram")
        X_{test} = temp
        print(X_test.shape)
        print(X_test.dtype)
(16666, 50)
float64
In [10]: # split the train data set into cross validation train and cross validation test
         time_start = time.time()
         from sklearn.naive_bayes import *
         from sklearn.naive_bayes import BernoulliNB
         X_tr, X_cv, y_tr, y_cv = cross_validation.train_test_split(X_train, y_train, test_size
         alpha = [10**i for i in range(-3,6)]
         for i in alpha:
             # instantiate learning model (alpha = 30)
             clf = BernoulliNB(alpha=i,binarize=0.0,fit_prior=True,class_prior=None)
             #clf = BernoulliNB(alpha=i,binarize=0.1)
             # fitting the model on crossvalidation train
             clf.fit(X_tr, y_tr)
             # predict the response on the crossvalidation train
             pred = clf.predict(X_cv)
             # evaluate CV accuracy
             acc = accuracy_score(y_cv, pred, normalize=True) * float(100)
             print('\nCV accuracy for alpha = %f is %f%%' % (i, acc))
         clf = BernoulliNB(alpha=0.001,binarize=0.1)
         clf.fit(X_tr,y_tr)
         pred = clf.predict(X_test)
         acc = accuracy_score(y_test, pred, normalize=True) * float(100)
         print('\n****Test accuracy for alpha = 0.001 is %f\%',' \% (acc))
         print ('CV for alpha in range(10e-3, 10e+6) done! Time elapsed: {} seconds'.format(times)
CV accuracy for alpha = 0.001000 is 85.137715%
CV accuracy for alpha = 0.010000 is 85.137715%
```

```
CV accuracy for alpha = 0.100000 is 85.137715%
CV accuracy for alpha = 1.000000 is 85.137715%
CV accuracy for alpha = 10.000000 is 85.110445%
CV accuracy for alpha = 100.000000 is 85.101354%
CV accuracy for alpha = 1000.000000 is 85.355877%
CV accuracy for alpha = 10000.000000 is 85.183165%
CV accuracy for alpha = 100000.000000 is 85.183165%
****Test accuracy for alpha = 0.001 is 80.709228%
CV for alpha in range(10e-3, 10e+6) done! Time elapsed: 0.5864310264587402 seconds
In [11]: clf = BernoulliNB(alpha=1e-10)
         clf.fit(X_tr,y_tr)
         clf.predict_proba(X_tr)
Out[11]: array([[0.05066693, 0.94933307],
                [0.09840797, 0.90159203],
                [0.18023902, 0.81976098],
                [0.26654398, 0.73345602],
                [0.07889542, 0.92110458],
                [0.09025971, 0.90974029]])
2.0.2 10 fold cross validation
In [12]: time_start = time.time()
         # creating odd list of K for KNN
         \#myList = list(np.arrange(1,2,0.01))
         \#alpha = list(filter(lambda x: x % 2 != 0, myList))
         \#alpha = list(np.arange(0.1,10,0.1)) \#alpha varies the most in this range.
         alpha = [10**i for i in range(-3,6)]
         # empty list that will hold cv scores
         cv_scores = []
         # perform 10-fold cross validation
         for i in alpha:
             clf = BernoulliNB(alpha=i,binarize=0.1)
             scores = cross_val_score(clf, X_train, y_train, cv=10, scoring='accuracy')
```

```
cv_scores.append(scores.mean())
# changing to misclassification error
MSE = [1 - x for x in cv_scores]
# determining best alpha
optimal_alpha = alpha[MSE.index(min(MSE))]
print('\nThe optimal optimal_alpha is %f.' % optimal_alpha)
\# plot misclassification error vs k
plt.plot(alpha, MSE)
for xy in zip(alpha, np.round(MSE,5)):
    plt.annotate('(%s, %s)' % xy, xy=xy, textcoords='data')
plt.xscale('log')
plt.xlabel('alpha')
plt.ylabel('Misclassification Error')
plt.show()
print("the misclassification error for each alpha value is: ", np.round(MSE,5))
print ('10 fold CV for alpha in range(10e-3, 10e+6) done! Time elapsed: {} seconds'.fo
```

The optimal optimal_alpha is 0.001000.



```
the misclassification error for each alpha value is: [0.14838 0.14838 0.14838 0.14841 0.1484 10 fold CV for alpha in range(10e-3, 10e+6) done! Time elapsed: 6.293203830718994 seconds
```

The accuracy of the Bernoulli for alpha = 0.001000 is 80.739230%

2.1 Precision, recall, F1 score.

```
In [14]: from sklearn.metrics import precision_recall_fscore_support as score
         precision, recall, fscore, support = score(y_test, pred)
         print('precision: {}'.format(precision))
         print('recall: {}'.format(recall))
         print('fscore: {}'.format(fscore))
         print('support: {}'.format(support))
precision: [0.06963788 0.82363402]
recall: [0.00861772 0.97573556]
fscore: [0.01533742 0.89325619]
support: [ 2901 13765]
In [15]: from sklearn.metrics import classification_report
         target_names = ['class 0', 'class 1']
         print(classification_report(y_test, pred, target_names=target_names))
             precision
                         recall f1-score
                                             support
   class 0
                  0.07
                            0.01
                                      0.02
                                                2901
    class 1
                  0.82
                            0.98
                                      0.89
                                               13765
```

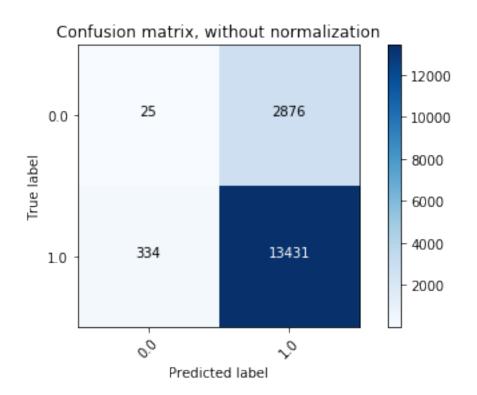
avg / total 0.69 0.81 0.74 16666

2.2 Confusion Matrix

```
In [16]: #Source: http://scikit-learn.org/stable/auto_examples/model_selection/plot_confusion_
         print(__doc__)
         import itertools
         from sklearn.metrics import confusion_matrix
         def plot_confusion_matrix(cm, classes,
                                   normalize=False,
                                   title='Confusion matrix',
                                   cmap=plt.cm.Blues):
             11 11 11
             This function prints and plots the confusion matrix.
             Normalization can be applied by setting `normalize=True`.
             if normalize:
                 cm = cm.astype('float') / cm.sum(axis=1)[:, np.newaxis]
                 print("Normalized confusion matrix")
             else:
                 print('Confusion matrix, without normalization')
             print(cm)
             plt.imshow(cm, interpolation='nearest', cmap=cmap)
             plt.title(title)
             plt.colorbar()
             tick_marks = np.arange(len(classes))
             plt.xticks(tick_marks, classes, rotation=45)
             plt.yticks(tick_marks, classes)
             fmt = '.2f' if normalize else 'd'
             thresh = cm.max() / 2.
             for i, j in itertools.product(range(cm.shape[0]), range(cm.shape[1])):
                 plt.text(j, i, format(cm[i, j], fmt),
                          horizontalalignment="center",
                          color="white" if cm[i, j] > thresh else "black")
             plt.ylabel('True label')
             plt.xlabel('Predicted label')
             plt.tight_layout()
```

Automatically created module for IPython interactive environment

```
In [17]: #Source: http://scikit-learn.org/stable/auto_examples/model_selection/plot_confusion_
         # Compute confusion matrix
         cnf_matrix = confusion_matrix(y_test, pred)
         np.set_printoptions(precision=2)
         class_names=np.unique(y_test)
         # Plot non-normalized confusion matrix
         plt.figure()
         plot_confusion_matrix(cnf_matrix, classes=class_names,
                               title='Confusion matrix, without normalization')
         # Plot normalized confusion matrix
         #plt.figure()
         #plot_confusion_matrix(cnf_matrix, classes=class_names, normalize=True,
                                title='Normalized confusion matrix')
        plt.show()
Confusion matrix, without normalization
    25 2876]
[ 334 13431]]
```



3 2. CV on Standardized data of Bigrams

```
In [18]: openPickleFile("X_train_BOW_bigrams")
         X_train = temp
         print(X_train.shape)
         print(X_train.dtype)
(33334, 50)
float64
In [19]: openPickleFile("X_test_BOW_bigrams")
         X_{test} = temp
         print(X_test.shape)
         print(X_test.dtype)
(16666, 50)
float64
In [20]: unique_count(y_train)
Out[20]: array([[0.00e+00, 4.95e+03],
                [1.00e+00, 2.84e+04]])
In [21]: def unique(a):
             unique, counts = np.unique(a, return_counts=True)
             return np.asarray((unique, counts)).T
         unique(y_test)
Out[21]: array([[0.00e+00, 2.90e+03],
                [1.00e+00, 1.38e+04]])
In [22]: # split the train data set into cross validation train and cross validation test
         time_start = time.time()
         from sklearn.naive_bayes import *
         from sklearn.naive_bayes import BernoulliNB
         X_tr, X_cv, y_tr, y_cv = cross_validation.train_test_split(X_train, y_train, test_size
         alpha = [10**i for i in range(-3,6)]
         for i in alpha:
             # instantiate learning model (alpha = 30)
             clf = BernoulliNB(alpha=i,binarize=0.0,fit_prior=True,class_prior=None)
             #clf = BernoulliNB(alpha=i,binarize=0.1)
             # fitting the model on crossvalidation train
```

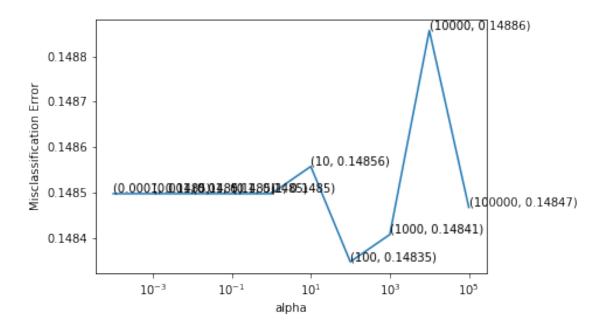
```
clf.fit(X_tr, y_tr)
             # predict the response on the crossvalidation train
             pred = clf.predict(X_cv)
             # evaluate CV accuracy
             acc = accuracy_score(y_cv, pred, normalize=True) * float(100)
             print('\nCV accuracy for alpha = %f is %f%%' % (i, acc))
         clf = BernoulliNB(alpha=0.001,binarize=0.1)
         clf.fit(X_tr,y_tr)
         pred = clf.predict(X_test)
         acc = accuracy_score(y_test, pred, normalize=True) * float(100)
         print('\n****Test accuracy for alpha = 0.001 is %f%%' % (acc))
         print ('CV for alpha in range(10e-3, 10e+6) done! Time elapsed: {} seconds'.format(times)
CV accuracy for alpha = 0.001000 is 85.474048%
CV accuracy for alpha = 0.010000 is 85.474048%
CV accuracy for alpha = 0.100000 is 85.474048%
CV accuracy for alpha = 1.000000 is 85.474048%
CV accuracy for alpha = 10.000000 is 85.483138%
CV accuracy for alpha = 100.000000 is 85.574039%
CV accuracy for alpha = 1000.000000 is 85.419507%
CV accuracy for alpha = 10000.000000 is 85.419507%
CV accuracy for alpha = 100000.000000 is 85.419507%
****Test accuracy for alpha = 0.001 is 80.421217%
CV for alpha in range(10e-3, 10e+6) done! Time elapsed: 0.6263058185577393 seconds
In [23]: clf = BernoulliNB(alpha=1e+2)
         clf.fit(X_tr,y_tr)
         clf.predict_proba(X_tr)
Out[23]: array([[0.1 , 0.9 ],
                [0.39, 0.61],
                [0.08, 0.92],
                . . . ,
```

```
[0.06, 0.94],
[0.07, 0.93],
[0.06, 0.94]])
```

3.0.1 10 fold cross validation

```
In [24]: time_start = time.time()
         # creating odd list of K for KNN
         \#myList = list(np.arrange(1,2,0.01))
         \#alpha = list(filter(lambda x: x \% 2 != 0, myList))
         \#alpha = list(np.arange(0.1,10,0.1)) \#alpha varies the most in this range.
         alpha = [10**i for i in range(-4,6)]
         # empty list that will hold cv scores
         cv_scores = []
         # perform 10-fold cross validation
         for i in alpha:
             clf = BernoulliNB(alpha=i,binarize=0.1)
             scores = cross_val_score(clf, X_train, y_train, cv=10, scoring='accuracy')
             cv_scores.append(scores.mean())
         # changing to misclassification error
         MSE = [1 - x for x in cv_scores]
         # determining best alpha
         optimal_alpha = alpha[MSE.index(min(MSE))]
         print('\nThe optimal optimal_alpha is %f.' % optimal_alpha)
         \# plot misclassification error vs k
         plt.plot(alpha, MSE)
         for xy in zip(alpha, np.round(MSE,5)):
             plt.annotate('(%s, %s)' % xy, xy=xy, textcoords='data')
         plt.xscale('log')
         plt.xlabel('alpha')
         plt.ylabel('Misclassification Error')
         plt.show()
         print("the misclassification error for each alpha value is: ", np.round(MSE,5))
         print ('10 fold CV for alpha in range(10e-4, 10e+6) done! Time elapsed: {} seconds'.f
```

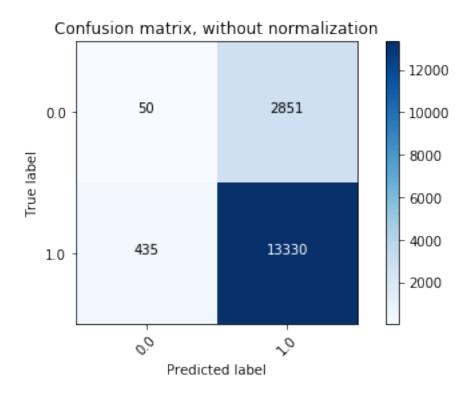
The optimal optimal_alpha is 100.000000.



the misclassification error for each alpha value is : $[0.15\ 0.15\ 0.15\ 0.15\ 0.15\ 0.15\ 0.15\ 0.15$

The accuracy of the Bernoulli for alpha = 100.000000 is 80.283211%

```
print('recall: {}'.format(recall))
         print('fscore: {}'.format(fscore))
         print('support: {}'.format(support))
precision: [0.1 0.82]
recall: [0.02 0.97]
fscore: [0.03 0.89]
support: [ 2901 13765]
In [27]: from sklearn.metrics import classification_report
         target_names = ['class 0', 'class 1']
         print(classification_report(y_test, pred, target_names=target_names))
                          recall f1-score
             precision
                                             support
   class 0
                  0.10
                            0.02
                                      0.03
                                                2901
    class 1
                  0.82
                            0.97
                                      0.89
                                               13765
avg / total
                                      0.74
                                               16666
                 0.70
                            0.80
In [28]: # Compute confusion matrix
         cnf_matrix = confusion_matrix(y_test, pred)
         np.set_printoptions(precision=2)
         class_names=np.unique(y_test)
         # Plot non-normalized confusion matrix
         plt.figure()
         plot_confusion_matrix(cnf_matrix, classes=class_names,
                               title='Confusion matrix, without normalization')
         # Plot normalized confusion matrix
         #plt.figure()
         #plot_confusion_matrix(cnf_matrix, classes=class_names, normalize=True,
                                title='Normalized confusion matrix')
         plt.show()
Confusion matrix, without normalization
    50 2851]
 [ 435 13330]]
```



4 3. CV on Standardized data for TF-IDF

```
In [32]: \# split the train data set into cross validation train and cross validation test
        time_start = time.time()
         from sklearn.naive_bayes import *
         from sklearn.naive_bayes import BernoulliNB
         X_tr, X_cv, y_tr, y_cv = cross_validation.train_test_split(X_train, y_train, test_size
         alpha = [10**i for i in range(-3,6)]
         for i in alpha:
             # instantiate learning model (alpha = 30)
             clf = BernoulliNB(alpha=i,binarize=0.0,fit_prior=True,class_prior=None)
             #clf = BernoulliNB(alpha=i,binarize=0.1)
             # fitting the model on crossvalidation train
             clf.fit(X_tr, y_tr)
             # predict the response on the crossvalidation train
             pred = clf.predict(X_cv)
             # evaluate CV accuracy
             acc = accuracy_score(y_cv, pred, normalize=True) * float(100)
             print('\nCV accuracy for alpha = %f is %f%%' % (i, acc))
         clf = BernoulliNB(alpha=0.001,binarize=0.1)
         clf.fit(X_tr,y_tr)
         pred = clf.predict(X_test)
         acc = accuracy_score(y_test, pred, normalize=True) * float(100)
         print('\n****Test accuracy for alpha = 0.001 is %f%%' % (acc))
         print ('CV for alpha in range(10e-3, 10e+6) done! Time elapsed: {} seconds'.format(times)
CV accuracy for alpha = 0.001000 is 86.264885%
CV accuracy for alpha = 0.010000 is 86.264885%
CV accuracy for alpha = 0.100000 is 86.273975%
CV accuracy for alpha = 1.000000 is 86.273975%
CV accuracy for alpha = 10.000000 is 86.264885%
CV accuracy for alpha = 100.000000 is 86.210345%
CV accuracy for alpha = 1000.000000 is 85.764930%
CV accuracy for alpha = 10000.000000 is 85.028634%
```

```
CV accuracy for alpha = 100000.000000 is 85.028634%
****Test accuracy for alpha = 0.001 is 80.805232%
CV for alpha in range(10e-3, 10e+6) done! Time elapsed: 0.685166597366333 seconds
In [33]: clf = BernoulliNB(alpha=1e-10)
         clf.fit(X_tr,y_tr)
         clf.predict_proba(X_tr)
Out[33]: array([[0.6 , 0.4 ],
                [0.04, 0.96],
                [0.17, 0.83],
                . . . ,
                [0.04, 0.96],
                [0.43, 0.57],
                [0.04, 0.96]])
4.0.1 10 fold cross validation
In [34]: time_start = time.time()
         # creating odd list of K for KNN
         \#myList = list(np.arrange(1,2,0.01))
         \#alpha = list(filter(lambda x: x \% 2 != 0, myList))
         \#alpha = list(np.arange(0.1,10,0.1)) \#alpha varies the most in this range.
         alpha = [10**i for i in range(-4,6)]
         # empty list that will hold cv scores
         cv_scores = []
         # perform 10-fold cross validation
         for i in alpha:
             clf = BernoulliNB(alpha=i,binarize=0.1)
             scores = cross_val_score(clf, X_train, y_train, cv=10, scoring='accuracy')
             cv_scores.append(scores.mean())
         # changing to misclassification error
         MSE = [1 - x for x in cv_scores]
         # determining best alpha
         optimal_alpha = alpha[MSE.index(min(MSE))]
         print('\nThe optimal optimal_alpha is %f.' % optimal_alpha)
         # plot misclassification error vs k
         plt.plot(alpha, MSE)
```

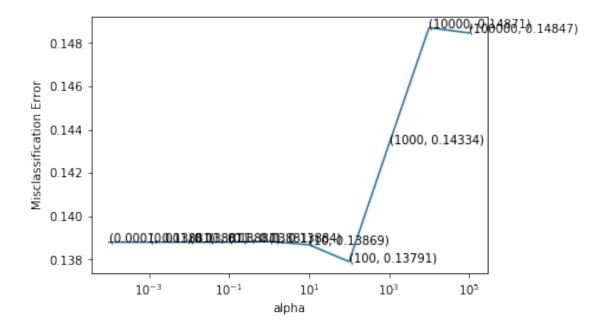
```
for xy in zip(alpha, np.round(MSE,5)):
    plt.annotate('(%s, %s)' % xy, xy=xy, textcoords='data')
plt.xscale('log')
plt.xlabel('alpha')
plt.ylabel('Misclassification Error')
plt.show()

print("the misclassification error for each alpha value is : ", np.round(MSE,5))

print ('10 fold CV for alpha in range(10e-4, 10e+6) done! Time elapsed: {} seconds'.fe
```

The optimal optimal_alpha is 100.000000.

predict the response

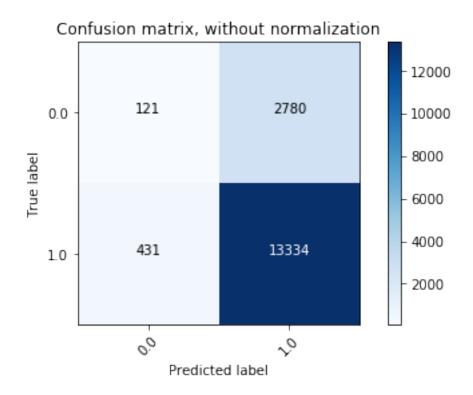


```
pred = alpha_optimal.predict(X_test)
         # evaluate accuracy
        acc = accuracy_score(y_test, pred) * 100
        print('\nThe accuracy of the Bernoulli for alpha = %f is %f%%' % (optimal_alpha, acc)
The accuracy of the Bernoulli for alpha = 100.000000 is 80.733229%
In [36]: from sklearn.metrics import precision_recall_fscore_support as score
        precision, recall, fscore, support = score(y_test, pred)
        print('precision: {}'.format(precision))
        print('recall: {}'.format(recall))
        print('fscore: {}'.format(fscore))
        print('support: {}'.format(support))
precision: [0.22 0.83]
recall: [0.04 0.97]
fscore: [0.07 0.89]
support: [ 2901 13765]
In [37]: from sklearn.metrics import classification_report
        target_names = ['class 0', 'class 1']
        print(classification_report(y_test, pred, target_names=target_names))
            precision
                         recall f1-score
                                             support
    class 0
                 0.22
                            0.04
                                      0.07
                                                2901
                            0.97
    class 1
                 0.83
                                      0.89
                                               13765
avg / total
            0.72
                            0.81
                                      0.75
                                               16666
In [38]: # Compute confusion matrix
         cnf_matrix = confusion_matrix(y_test, pred)
        np.set_printoptions(precision=2)
         class_names=np.unique(y_test)
         # Plot non-normalized confusion matrix
        plt.figure()
        plot_confusion_matrix(cnf_matrix, classes=class_names,
                               title='Confusion matrix, without normalization')
```

```
# Plot normalized confusion matrix
#plt.figure()
#plot_confusion_matrix(cnf_matrix, classes=class_names, normalize=True,
# title='Normalized confusion matrix')

plt.show()

Confusion matrix, without normalization
[[ 121 2780]
[ 431 13334]]
```



5 4. Feature importance or Top 25 most important words for BOW.

5.1 Top 25 Bigrams.

```
In [40]: from sklearn.feature_extraction.text import CountVectorizer
         count vect = CountVectorizer(ngram range=(1,2))
         count_vect.fit_transform(X_train)
         NB optimal = BernoulliNB(alpha=1e+2)
         NB_optimal.fit(X_tr, y_tr)
         pred_proba = NB_optimal.predict_proba(X_tr)
         #words = np.take(count_vect.get_feature_names(), pred_proba.argmax(axis=1))
         neg_class_prob_sorted = NB_optimal.feature_log_prob_[0, :].argsort()
         pos_class prob_sorted = NB optimal.feature_log prob_[1, :].argsort()
         print(np.take(count_vect.get_feature_names(), neg_class_prob_sorted[:25]))
         print(np.take(count_vect.get_feature_names(), pos_class_prob_sorted[:25]))
['aaaaah satisfi' 'aaa spelt' 'aaa tue' 'aad' 'aaaa' 'aaaaaah' 'abandon'
 'aafco' 'aaa' 'aaah inhal' 'aachen printen' 'aauc' 'aafco certifi'
 'abandon one' 'aana' 'aaaaaah melt' 'abalon like' 'aagh' 'abandn pirat'
 'aachen munich' 'aback price' 'aagh yelp' 'aauc shelv' 'aafco profil'
 'aback'l
['aaa spelt' 'aaa tue' 'aaaa' 'aaah miss' 'aaaaaah' 'aaaaawsom chump'
 'aaaahhhhhh' 'aaa' 'aana' 'aachen munich' 'aagh yelp' 'aaaahhhhhh must'
 'aaaaawsom' 'aaaaaah' 'aaaaaah melt' 'abandon soft' 'abandon hair'
 'aachen printen' 'abandon human' 'aagh' 'aafco larg' 'aad sausag'
 'abandn' 'abalon' 'aback open']
```

6 5. Feature importance or Top 25 most important words for TFIDF.

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['aaaaah satisfi' 'aaa spelt' 'aaa tue' 'aad' 'aaaaa' 'aaaaaah' 'abandon' 'aafco' 'aaa' 'aaah inhal' 'aachen printen' 'aauc' 'aafco certifi' 'abandon one' 'aana' 'aaaaaah melt' 'abalon like' 'aagh' 'abandn pirat' 'aachen munich' 'aback price' 'aagh yelp' 'aauc shelv' 'aafco profil' 'aback']
```

['aaa spelt' 'aaa tue' 'aaaa' 'aaah miss' 'aaaaaah' 'aaaaawsom chump'
'aaaahhhhhh' 'aaa' 'aana' 'aachen munich' 'aagh yelp' 'aaaahhhhhh must'
'aaaaawsom' 'aaaaah' 'aaaaaah melt' 'abandon soft' 'abandon hair'
'aachen printen' 'abandon human' 'aagh' 'aafco larg' 'aad sausag'
'abandn' 'abalon' 'aback open']