Practical-2

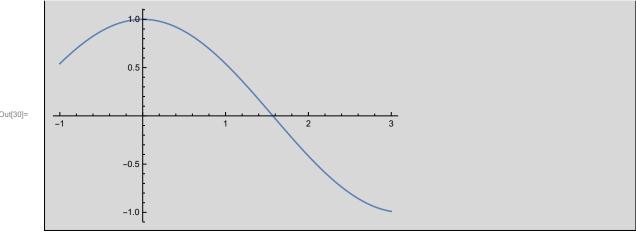
Akshay Kumar (204005) NA Practicals

Newton Method

Ques-1. Find the root of the function f[x]=Cos[x] with maximum number of iteration is 5.

```
x0 = 1;
In[26]:=
        NMax = 5;
        f[x_] := Cos[x];
        For [i = 1, i \le NMax, i++,
          x1 = N[x0 - (f[x0]) / (f'[x0])];
          Print["The final approximation of the root for iteration ", i, " : ", x1]];
        Plot[f[x], {x, -1, 3}]
```

The final approximation of the root for iteration 1 : 1.64209 The final approximation of the root for iteration 2 : 1.57068 The final approximation of the root for iteration 3 : 1.5708 The final approximation of the root for iteration 4 : 1.5708 The final approximation of the root for iteration 5 : 1.5708

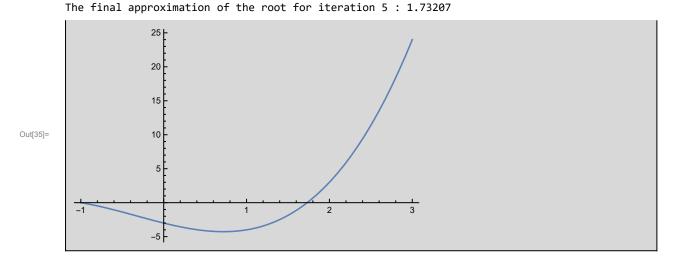


Out[30]=

Ques-2. $f(x)=x^3+x^2-3x-3$, (1,2)

```
x0 = 1;
In[31]:=
        NMax = 5;
        f[x_] := x^3 + x^2 - 3x - 3;
        For [i = 1, i \le NMax, i++,
          x1 = N[x0 - (f[x0]) / (f'[x0])];
          x0 = x1;
          Print["The final approximation of the root for iteration ", i, " : ", x1]];
        Plot[f[x], \{x, -1, 3\}]
```

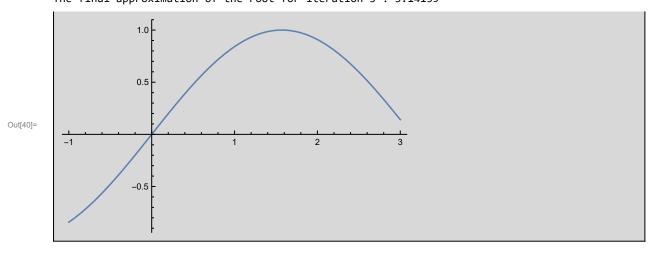
```
The final approximation of the root for iteration 1 : 3.
The final approximation of the root for iteration 2 : 2.2 \,
The final approximation of the root for iteration 3 : 1.83015
The final approximation of the root for iteration 4 : 1.7378
```



Ques-3. f(x) = Sinx, (3,4)

```
In[36]:=
        x0 = 3;
        NMax = 5;
        f[x_] := Sin[x];
        For [i = 1, i \le NMax, i++,
          x1 = N[x0 - (f[x0]) / (f'[x0])];
          x0 = x1;
          Print["The final approximation of the root for iteration ", i, " : ", x1]];
        Plot[f[x], {x, -1, 3}]
```

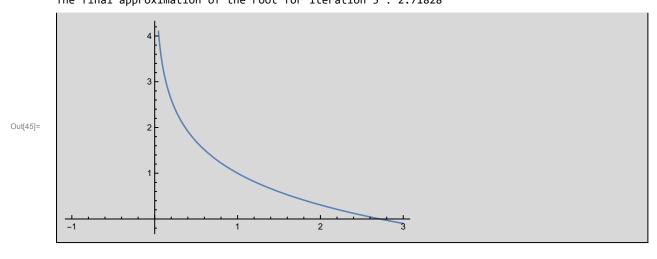
The final approximation of the root for iteration 1 : 3.14255 The final approximation of the root for iteration 2 : 3.14159 The final approximation of the root for iteration 3 : 3.14159 The final approximation of the root for iteration 4 : 3.14159 The final approximation of the root for iteration 5 : 3.14159



Ques-4. $f(x)=1-\log x$, (2,3)

```
x0 = 2;
In[41]:=
        NMax = 5;
        f[x_] := 1 - Log[x];
        For [i = 1, i \le NMax, i++,
          x1 = N[x0 - (f[x0]) / (f'[x0])];
          x0 = x1;
          Print["The final approximation of the root for iteration ", i, " : ", x1]];
        Plot[f[x], {x, -1, 3}]
```

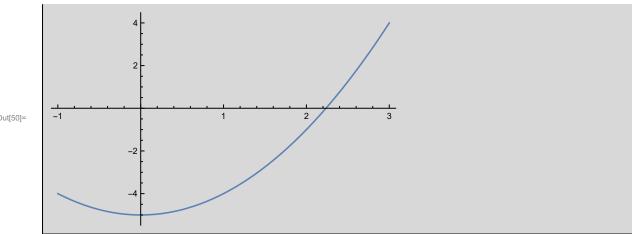
The final approximation of the root for iteration 1 : 2.61371 The final approximation of the root for iteration 2 : 2.71624 The final approximation of the root for iteration 3 : 2.71828 The final approximation of the root for iteration 4 : 2.71828 The final approximation of the root for iteration 5 : 2.71828



Ques-5. $f(x)=x^2-5$, (2,3)

```
x0 = 2;
In[46]:=
       NMax = 5;
       f[x_] := x^2 - 5;
       For [i = 1, i \le NMax, i++,
         x1 = N[x0 - (f[x0]) / (f'[x0])];
          x0 = x1;
          Print["The final approximation of the root for iteration ", i, " : ", x1]];
       Plot[f[x], {x, -1, 3}]
```

The final approximation of the root for iteration 1 : 2.25 The final approximation of the root for iteration 2 : 2.23611The final approximation of the root for iteration 3 : 2.23607 The final approximation of the root for iteration 4 : 2.23607 The final approximation of the root for iteration 5:2.23607



Out[50]=