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# Practical-1

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Numerical Methods Practical

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## Bisection Method

Ques-1. Find out the roots of the function  $f(x) = \cos x$  in the interval  $[0, 2]$  using Bisection method. Compute the approx value of the root after 14 iteration.

In[1]:=

```
f[x_] := Cos[x]
x0 = 0.0;
x1 = 2.0;
n = 14;
If[f[x0] * f[x1] > 0,
  Print["These values do not fit in IVT. So, please change values"],
  For[i = 1, i ≤ n, i++, a = (x0 + x1) / 2;
    Print[i, "th iteration value is ", a];
    If[f[x0] * f[a] < 0, x1 = a, x0 = a];];];
```

1th iteration value is 1.

2th iteration value is 1.5

3th iteration value is 1.75

4th iteration value is 1.625

5th iteration value is 1.5625

6th iteration value is 1.59375

7th iteration value is 1.57813

8th iteration value is 1.57031

9th iteration value is 1.57422

10th iteration value is 1.57227

11th iteration value is 1.57129

12th iteration value is 1.5708

13th iteration value is 1.57056

14th iteration value is 1.57068

Ques-2.  $f(x)=x^3+x^2-3x-3$ , (1,2)

In[6]:=

```

f[x_] := x^3 + x^2 - 3 x - 3
x0 = 1.0;
x1 = 2.0;
n = 14;
If[f[x0] * f[x1] > 0,
  Print["These values do not fit in IVT. So, please change values"],
  For[i = 1, i ≤ n, i++, a = (x0 + x1) / 2;
    Print[i, "th iteration value is ", a];
    If[f[x0] * f[a] < 0, x1 = a, x0 = a];];];

```

1th iteration value is 1.5

2th iteration value is 1.75

3th iteration value is 1.625

4th iteration value is 1.6875

5th iteration value is 1.71875

6th iteration value is 1.73438

7th iteration value is 1.72656

8th iteration value is 1.73047

9th iteration value is 1.73242

10th iteration value is 1.73145

11th iteration value is 1.73193

12th iteration value is 1.73218

13th iteration value is 1.73206

14th iteration value is 1.73199

Ques-3.  $f(x)=\sin x$ , (3,4)

In[11]:=

```

f[x_] := Sin[x]
x0 = 3.0;
x1 = 4.0;
n = 14;
If[f[x0] * f[x1] > 0,
  Print["These values do not fit in IVT. So, please change values"],
  For[i = 1, i ≤ n, i++, a = (x0 + x1) / 2;
    Print[i, "th iteration value is ", a];
    If[f[x0] * f[a] < 0, x1 = a, x0 = a];];];

```

```

1th iteration value is 3.5
2th iteration value is 3.25
3th iteration value is 3.125
4th iteration value is 3.1875
5th iteration value is 3.15625
6th iteration value is 3.14063
7th iteration value is 3.14844
8th iteration value is 3.14453
9th iteration value is 3.14258
10th iteration value is 3.1416
11th iteration value is 3.14111
12th iteration value is 3.14136
13th iteration value is 3.14148
14th iteration value is 3.14154

```

#### Ques-4. $f(x)=1-\log x$ , (2,3)

In[16]:=

```

f[x_] := 1 - Log[x]
x0 = 2.0;
x1 = 3.0;
n = 14;
If[f[x0] * f[x1] > 0,
  Print["These values do not fit in IVT. So, please change values"],
  For[i = 1, i ≤ n, i++, a = (x0 + x1) / 2;
    Print[i, "th iteration value is ", a];
    If[f[x0] * f[a] < 0, x1 = a, x0 = a];];];

```

```

1th iteration value is 2.5
2th iteration value is 2.75
3th iteration value is 2.625
4th iteration value is 2.6875
5th iteration value is 2.71875
6th iteration value is 2.70313
7th iteration value is 2.71094
8th iteration value is 2.71484
9th iteration value is 2.7168
10th iteration value is 2.71777
11th iteration value is 2.71826
12th iteration value is 2.71851
13th iteration value is 2.71838
14th iteration value is 2.71832

```

Ques-5.  $f(x)=x^2-5$ , (2,3)

In[21]:=

```

f[x_] := x^2 - 5
x0 = 2.0;
x1 = 3.0;
n = 14;
If[f[x0] * f[x1] > 0,
  Print["These values do not fit in IVT. So, please change values"],
  For[i = 1, i ≤ n, i++, a = (x0 + x1) / 2;
    Print[i, "th iteration value is ", a];
    If[f[x0] * f[a] < 0, x1 = a, x0 = a];];];

```

1th iteration value is 2.5

2th iteration value is 2.25

3th iteration value is 2.125

4th iteration value is 2.1875

5th iteration value is 2.21875

6th iteration value is 2.23438

7th iteration value is 2.24219

8th iteration value is 2.23828

9th iteration value is 2.23633

10th iteration value is 2.23535

11th iteration value is 2.23584

12th iteration value is 2.23608

13th iteration value is 2.23596

14th iteration value is 2.23602