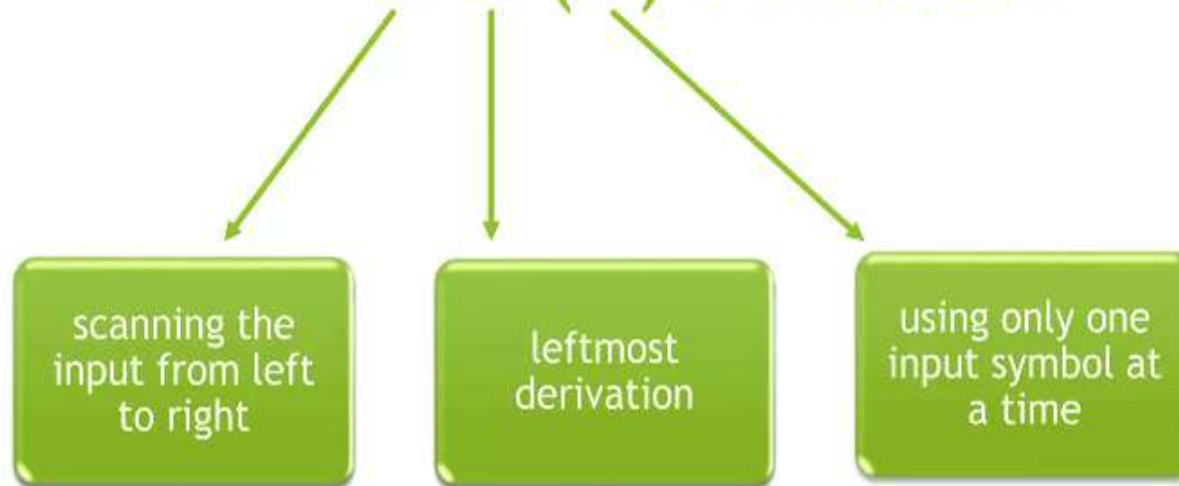


PARSING

- ▶ The process of deriving the string from the given grammar is known as parsing (derivation).
- ▶ Depending upon how parsing is done we have two types of parser :
 - Top Down Parser
 - Back Tracking
 - Predictive Parser
 - Bottom Up Parser
 - Shift - Reduce Parser
 - LR Parser

LL (1) PARSER



Steps to convert LL(1) parser

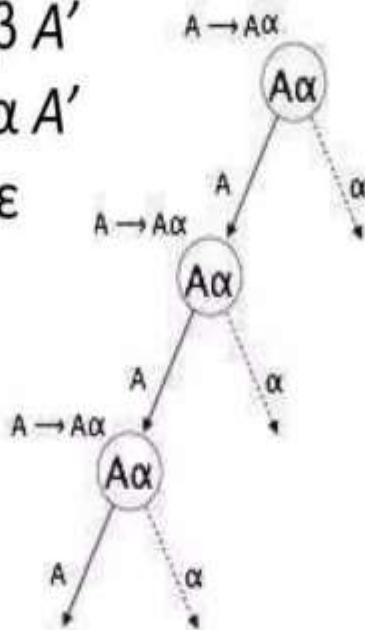
- Firstly check if the grammars contain -
 - Left Recursion
 - Left Factoring
- Then go for -
 - FIRST
 - FOLLOW
 - Predictive Parsing Table
 - String (if given)

Left Recursion

$$A \rightarrow A\alpha \mid \beta$$



$$\begin{aligned} A &\rightarrow \beta A' \\ A' &\rightarrow \alpha A' \\ &\mid \epsilon \end{aligned}$$

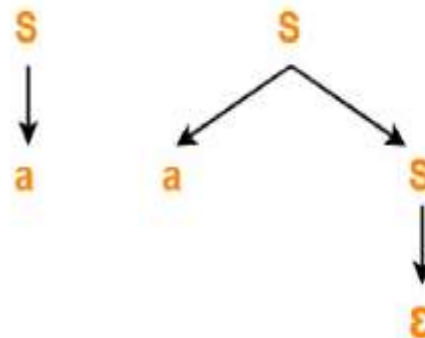


Left Factoring

$$A \rightarrow \alpha\beta_1 \mid \alpha\beta_2$$



$$\begin{aligned} A &\rightarrow \alpha A' \\ A' &\rightarrow \beta_1 \mid \beta_2 \end{aligned}$$



EXAMPLE

- ▶ $E \rightarrow TA$
- ▶ $A \rightarrow +TA / \epsilon$
- ▶ $T \rightarrow VB$
- ▶ $B \rightarrow *VB / \epsilon$
- ▶ $V \rightarrow id / (E)$

- NOTE :- Here we can see that there is no left recursion or left factoring in this example so now we will find first() .

FIRST

- FIRST is applied to the R.H.S. of a production rule :
- If first symbol is terminal then put into first(non-terminal).
- If non-terminal then go to that non-terminal production and continue above step.
- If $\epsilon \rightarrow$ directly then put in first(non-terminal).
→ indirectly then put & check again.

$E \rightarrow TA$

$A \rightarrow +TA / \epsilon$

$T \rightarrow VB$

$B \rightarrow *VB / \epsilon$

$V \rightarrow id / (E)$

- $first(E) = \{ id, (\}$
- $first(A) = \{ +, \epsilon \}$
- $first(T) = \{ id, (\}$
- $first(B) = \{ *, \epsilon \}$
- $first(V) = \{ id, (\}$

FOLLOW

- For starting symbol put always \$.
- Find the non-terminal in R.H.S. whose follow has to be found in the grammar.
- If its's next element is
 - ➔ terminal then put into follow(non-terminal).
 - ➔ no terminal then copy follow(non-terminal) from which it is found.
ie. $E \rightarrow TE'$ $\text{follow}(E') = \text{follow}(E)$
 - ➔ non-terminal then check the value of first(next)
 - > if it is terminal then put into follow(non-terminal).
 - > if ϵ then put back & check again.

$E \rightarrow TA$

$A \rightarrow +TA / \epsilon$

$T \rightarrow VB$

$B \rightarrow *VB / \epsilon$

$V \rightarrow id / (E)$

○ $first(E) = \{ id, (\}$

○ $first(A) = \{ +, \epsilon \}$

○ $first(T) = \{ id, (\}$

○ $first(B) = \{ *, \epsilon \}$

○ $first(V) = \{ id, (\}$

○ $follow(E) = \{ \$,) \}$

○ $follow(A) = \{ \$,) \}$

○ $follow(T) = \{ +, \$,) \}$

○ $follow(B) = \{ +, \$,) \}$

○ $follow(V) = \{ *, +, \$,) \}$

Predictive Parsing Table

- Form a table whose
 - ➔ row1 contain all terminal from grammar set including \$ and excluding ϵ .
 - ➔ column1 contains all non-terminals from grammar set.
- For non-terminal ie. $n1 \rightarrow A$, if A is -
 - ➔ terminal then put that production in row($n1$),column(A).
 - ➔ non-terminal then check $first(n1)$ & put production rule in that symbol.
 - ➔ ϵ then check $follow(n1)$ & put into that symbol.
- If in any cell, we get two production then that grammar set will not be parsed by LL(1) grammar & so it should be solved by **Recursive Decent Parsing**.

$E \rightarrow TA$

$A \rightarrow +TA / \epsilon$

$T \rightarrow VB$

$B \rightarrow *VB / \epsilon$

$V \rightarrow id / (E)$

○ $first(E) = \{ id, (\}$

○ $first(A) = \{ +, \epsilon \}$

○ $first(T) = \{ id, (\}$

○ $first(B) = \{ *, \epsilon \}$

○ $first(V) = \{ id, (\}$

○ $follow(E) = \{ \$,) \}$

○ $follow(A) = \{ \$,) \}$

○ $follow(T) = \{ +, \$,) \}$

○ $follow(B) = \{ +, \$,) \}$

○ $follow(V) = \{ *, +, \$,) \}$

Symbol	id	()	+	*	\$
E	$E \rightarrow TA$	$E \rightarrow TA$				
A			$A \rightarrow \epsilon$	$A \rightarrow +TA$		$A \rightarrow \epsilon$
T	$T \rightarrow VB$	$T \rightarrow VB$				
B			$B \rightarrow \epsilon$	$B \rightarrow \epsilon$	$B \rightarrow *VB$	$B \rightarrow \epsilon$
V	$V \rightarrow id$	$V \rightarrow (E)$				

Parse Input String

(optional)

- Parse given string from left to right.
- Start from \$ and starting symbol.
- Replace symbol with its production, from which we can form the given input string.
- Also write the action which we performed in stack.
- Continue till we are left with \$ in stack and input.

String :- id * id

$E \rightarrow TA$

$A \rightarrow +TA / \epsilon$

$T \rightarrow VB$

$B \rightarrow *VB / \epsilon$

$V \rightarrow id / (E)$

Stack	Input	Action
\$ E	id * id \$	
\$ A T	id * id \$	$E \rightarrow TA$
\$ A B V	id * id \$	$T \rightarrow VB$
\$ A B id	id * id \$	$V \rightarrow id$
\$ A B	* id \$	POP
\$ A B V *	* id \$	$B \rightarrow *VB$
\$ A B V	id \$	POP
\$ A B id	id \$	$V \rightarrow id$
\$ A B	\$	POP
\$ A	\$	$B \rightarrow \epsilon$
\$	\$	$A \rightarrow \epsilon$