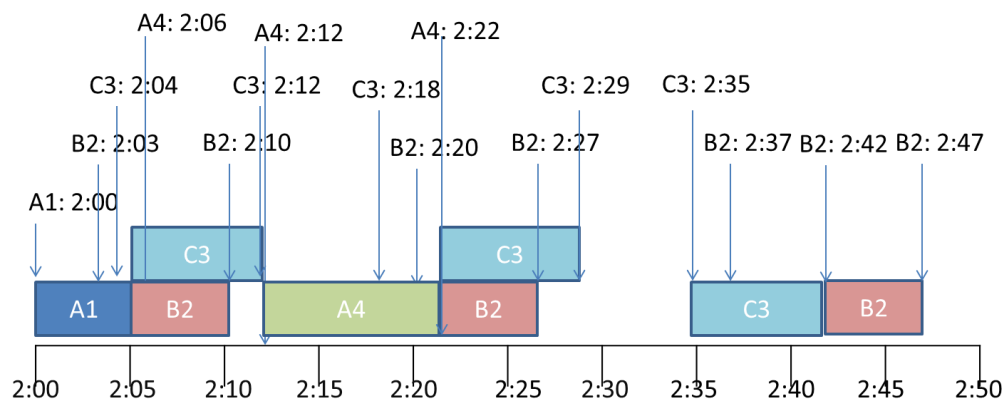


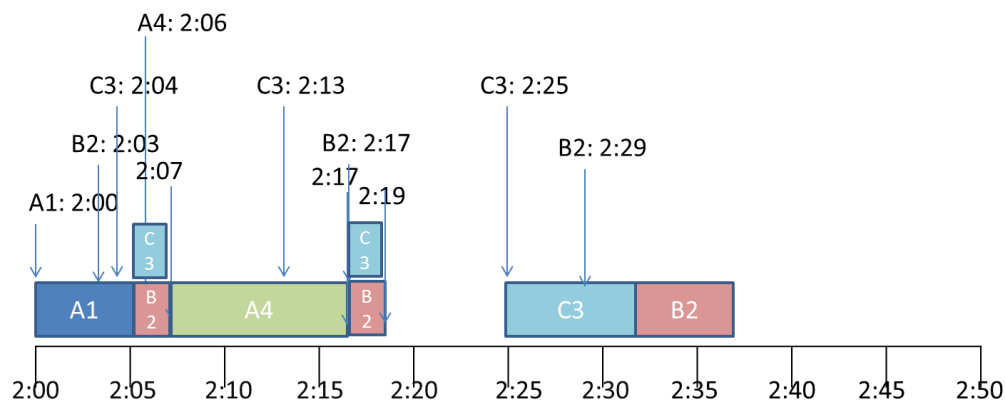
<b>Subject :</b>	<b>CCN2238 : Data Communications and Networking</b>		
<b>Lab/Tutorial :</b>	<b>Session 5 : MAC Protocols</b>	<b>(Solution)</b>	

Q1. The finish time of each packet is as follows:

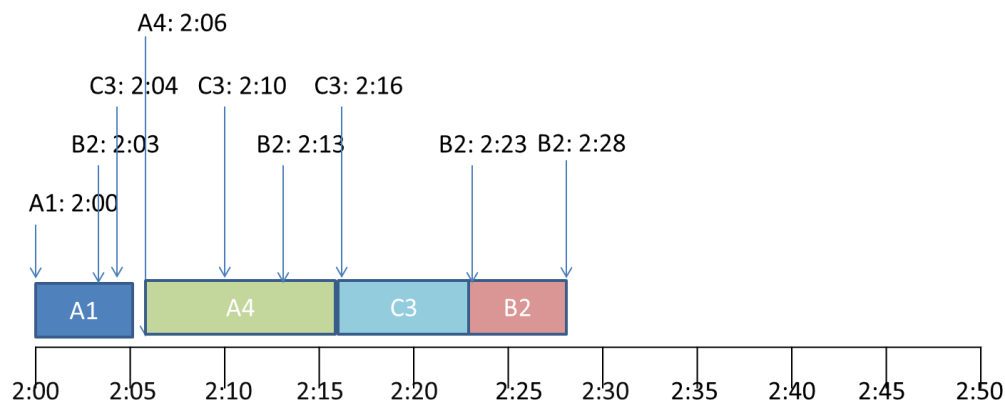
(a) (1-persistent CSMA) A1= 2:05 A4= 2:22 B2= 2:47 C3= 2:42



(b) (1-persistent CSMA/CD) A1= 2:05 A4= 2:17 B2= 2:37 C3= 2:32



(c) (Non-persistent CSMA) A1= 2:05 A4= 2:16 B2= 2:28 C3= 2:23



**Q2.** Let us find the relationship between the minimum frame size and the data rate. We know that

$$T_{fr} = (\text{frame size}) / (\text{data rate}) = 2 \times T_p = 2 \times \text{distance} / (\text{propagation speed})$$

or  $(\text{frame size}) = [2 \times (\text{distance}) / (\text{propagation speed})] \times (\text{data rate})$

or  **$(\text{frame size}) = K \times (\text{data rate})$**

This means that minimum frame size is proportional to the data rate (K is a constant). When the data rate is increased, the frame size must be increased in a network with a fixed length to continue the proper operation of the CSMA/CD. In Example 12.5, we mentioned that the minimum frame size for a data rate of 10Mbps is 512 bits. We calculate the minimum frame size based on the above proportionality relationship

Data rate = 10 Mbps → minimum frame size = **512 bits**

Data rate = 100 Mbps → minimum frame size = **5120 bits**

Data rate = 1 Gbps → minimum frame size = **51,200 bits**

Data rate = 10 Gbps → minimum frame size = **512,000 bits**

**Q3.**

Given  $t_1 = 0s$  and  $t_2 = 3\mu s$

a)  $t_3 - t_1$  = Duration of A sends the first bit to C gets the first bit  
= Distance / Propagation Speed =  $2000 / 2 \times 10^8 = 10 \mu s$   
 $t_3 = 10 \mu s + t_1 = 10 \mu s$

b)  $t_4 - t_2$  = Duration of C sends the first bit to A gets the first bit  
= Distance / Propagation Speed =  $2000 / 2 \times 10^8 = 10 \mu s$   
 $t_4 = 10 \mu s + t_2 = 13 \mu s$

c) Duration of data transmission in A =  $t_4 - t_1 = 13 - 0 = 13 \mu s$   
No. of bits sent at A =  $13 \mu s \times 10 \text{Mbps} = 130 \text{ bits}$

d) Duration of data transmission in C =  $t_3 - t_2 = 10 - 3 = 7 \mu s$   
No. of bits sent at C =  $7 \mu s \times 10 \text{Mbps} = 70 \text{ bits}$

**Q4.** Repeat Q3 if the data rate is 100 Mbps.

Given  $t_1 = 0s$  and  $t_2 = 3\mu s$

a)  $t_3 - t_1$  = Duration of A sends the first bit to C gets the first bit  
= Distance / PropagationSpeed =  $2000 / 2 \times 10^8 = 10 \mu s$   
 $t_3 = 10 \mu s + t_1 = 10 \mu s$

b)  $t_4 - t_2$  = Duration of C sends the first bit to A gets the first bit  
= Distance / PropagationSpeed =  $2000 / 2 \times 10^8 = 10 \mu s$   
 $t_4 = 10 \mu s + t_2 = 13 \mu s$

c) Duration of data transmission in A =  $t_4 - t_1 = 13 - 0 = 13 \mu s$   
No. of bits sent at A =  $13 \mu s \times 100 \text{Mbps} = 1300 \text{ bits}$

d) Duration of data transmission in C =  $t_3 - t_2 = 10 - 3 = 7 \mu s$   
No. of bits sent at C =  $7 \mu s \times 100 \text{Mbps} = 700 \text{ bits}$