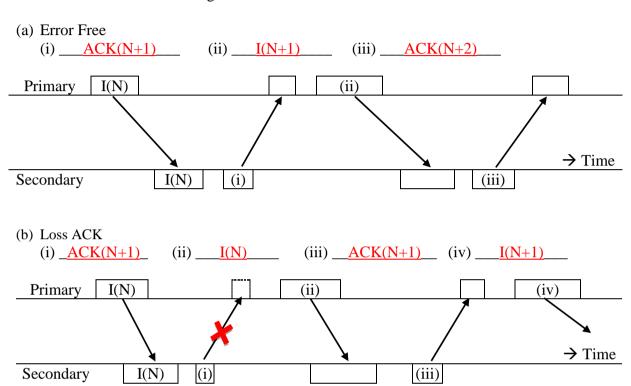
Subject :	SEHH2238 : Computer Networking	
Lab/Tutorial :	Session 4 : Data Link Control	(Solution)

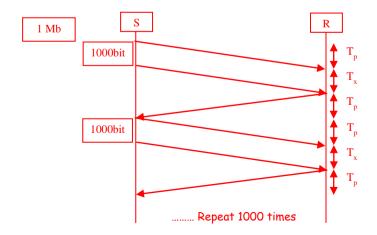
1) ARQ Control Scheme

Fill in the name of frame being transmitted



2) Stop-and-Wait ARQ

1. A system uses the Stop-and Wait ARQ Protocol. If each frame carries 1000 bits of data, how long does it take to send 1 million bits of data if the distance between the sender and receiver is 5000 km and the propagation speed is 2 x 10⁸ ms⁻¹? Assume the channel data rate is 1 Mbps and ignore processing delays and ACK transmission time. Further assume that no data or control frame is lost or damaged. Also ignore the overhead due to the header and trailer.



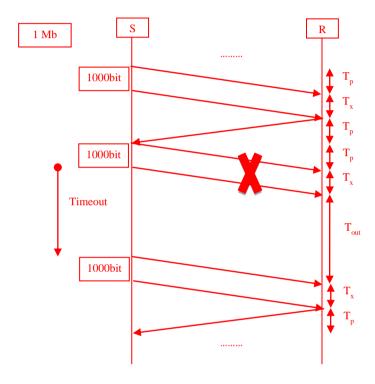
For a round trip:

```
\begin{array}{ll} Transmission \ delay \ (T_x) \ for \ I-frame \ = \ 1000 \ bit \ / \ 1Mbps \ = \ 0.001s \\ Propagation \ delay \ (T_p) \ for \ I-frame \ = \ 5000 \ km \ / \ (2 \ x \ 10^8 \ ms^{-1}) = \ 0.025s \\ Transmission \ delay \ (T_x) \ for \ ACK \ = \ 0s \\ Propagation \ delay \ (T_p) \ for \ ACK \ = \ 5000 \ km \ / \ (2 \ x \ 10^8 \ ms^{-1}) = \ 0.025s \\ Round \ trip \ delay \ = \ 0.001 + 0.025 + 0 + 0.025 = 0.051s \\ \end{array}
```

No. of round trip = 1 Mb / 1000 bits = 1000

Total delay = $0.051 \times 1000 = 51s$

2. Continue from the previous question. Further assume that there is a data frame lost in every 10 data frames sent. Sender retransmits the lost frame after a timeout of 100 ms. How long does it take to send 1 million bits of data?



Time for transmitting 1 Mb without lost = 51s

```
Time for each timeout event = T_x + T_{out} = 0.001 + 0.1 = 0.101s
No. of frame lost = 1000 / 10 = 100
Lost also happens in retransmitted frames = 100 / 10 = 10, and 10 / 10 = 1
```

Total delay =
$$51 + 0.101 \times (100 + 10 + 1) = 62.211s$$

3) Bit Stuffing

1. Bit stuff the following data

What should be the content of the data frame to be sent? (Ignoring the header and trailer)

 $000111111\underline{\mathbf{0}}1100111111\underline{\mathbf{0}}01000111111\underline{\mathbf{0}}111111\underline{\mathbf{0}}10000111111\underline{\mathbf{0}}$