A treatise on non-aquatic gastropod Mollusca, a.k.a. *snails*

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Contents

Definitions

If you wish to converse with me define your terms.

— Voltaire

Snails are defined as gastropods that have a shell. Gastropods are a class of invertebrates which include slugs, squids, octupuses *and* snails. These gastropods belong to a **larger** phylum of animals called *Mollusca*.

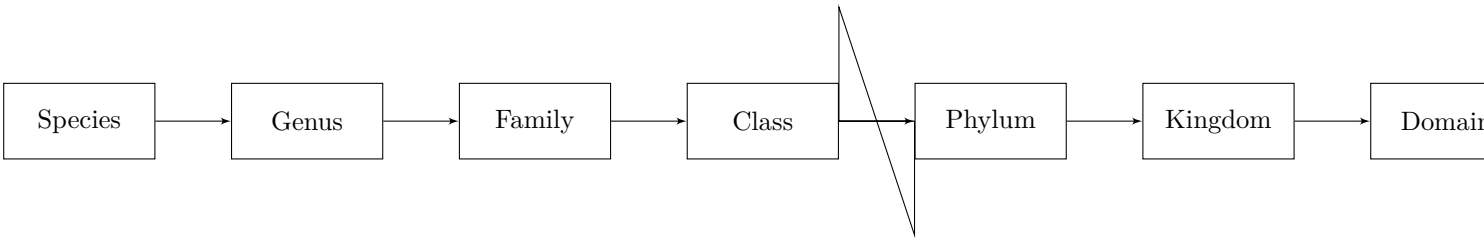
Classifications

The gastropod class includes both aquatic and non-aquatic snails and are the most diverse class of *Molluscs*, residing in **every** marine environment from high-energy surge zones to ocean floorbeds.

Restricting our study to *non-aquatic* gastropods brings us to 2 particular families; the **prosobranchia** and the **pulmonata**.

Prosobranchia

Pulmonata



Habitat

Behaviours

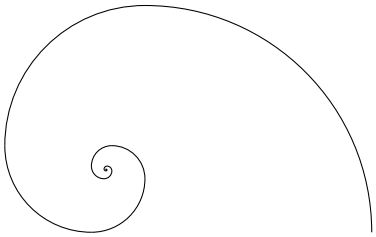
Facts

Snails are hermaphrodites, they all have pp

Mathematics

Let us briefly consider the length of an ordinary garden snail's shell. Approximating the shell to abide by the natural shape of the *Golden Spiral* we may then use

$$l = \int_{\theta_0}^{\theta_1} \sqrt{[f(\theta)]^2 + [f'(\theta)]^2}\, \mathrm{d}\theta.$$



Glossary

Phylum Herbivore, Omnivore, Carnivore

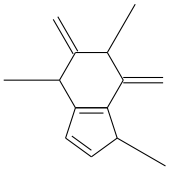
References

Snails are defined as gastropods that have a shell.

This shall be a fun exercise. I will need to learn how to produce a tree diagram in LaTeX as well as a TikZ picture of a golden spiral overlaid atop a snail (at the very least).

To accomplish the latter I shall leverage the arc length of a curve as $\theta_1 \to \infty$ for l, where

Then for a given curve such as $r = e^{\frac{\theta}{10}}$:



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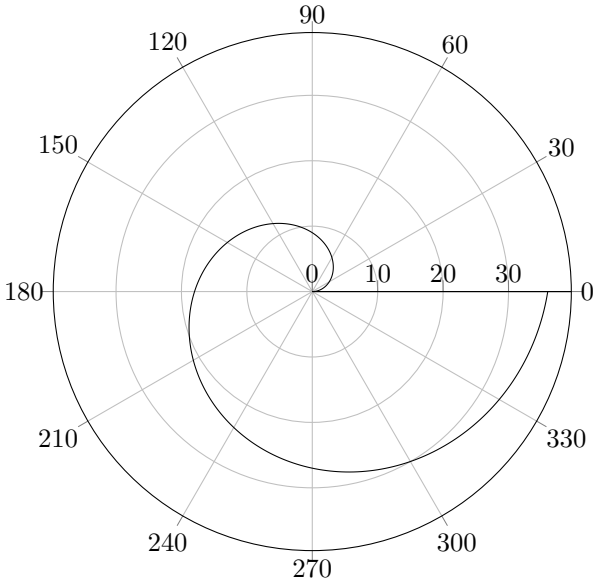

The length of the arc is:

$$\begin{aligned} l &= \int_0^{\theta_1} \sqrt{(e^{-\frac{\theta}{10}})^2 + (-\frac{1}{10}e^{-\frac{\theta}{10}})^2}\mathrm{d}\theta \\ &= \int_0^{\theta_1} \sqrt{(1+\frac{1}{100})e^{-\frac{2\theta}{10}}}\mathrm{d}\theta \\ &= \frac{\sqrt{101}}{10}\int_0^{\theta_1} e^{-\frac{\theta}{10}}\mathrm{d}\theta \\ &= \sqrt{101}(1-e^{-\frac{\theta_1}{10}}). \\ &= \sqrt{101} \text{ (as } \theta_1 \to \infty) \end{aligned}$$