The Biblical Writings of Nick Halliwell

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intervals in \mathbb{R} : VC = 2

axis parallel rectanges in \mathbb{R}^2 : VC = 4

circles in \mathbb{R}^2 : VC = 3

triangles in $\mathbb{R}^2 \ VC = 7$

half spaces in \mathbb{R}^n : VC = n + 1

convex polygon: $VC = \infty$

axis parallel rectanges in \mathbb{R}^3 : VC = n + 1

convex k-gon: VC = (2k + 1) where k is the number of vertices

convex sets: $VC = \infty$

Disc in \mathbb{R}^2 : VC = 3

rectangles in
$$\mathbb{R}^d$$
 $VC = 2d$ $S(A, n) \leq (\frac{n(n+1)}{2} + 1)^d < (n+1)^{2d}$

convex polygon w/ d-vertices: VC = 2d + 1

closed balls in \mathbb{R}^d : $VC \leq d+2$

squares in plane in \mathbb{R}^2 : VC = 3

union of k closed intervals: VC = 2k

South west intervals in \mathbb{R}^d : $A = \{(-\infty, a_1] * (-\infty, a_2] ... * (-\infty, a_i] : a_i \in \mathbb{R}\}$ VC = d

Class H_d of linear separators in \mathbb{R}^d

$$H_d = \{x - sign(w^T x = b) | w \in \mathbb{R}^d, b \in \mathbb{R}\}$$

VC = d + 1

$$h(x) = sign(\sum_{i=1}^{d} w_i \phi_i(x) + b)$$
 where $\phi : \chi - > \mathbb{R}^d$
 $VC \le d+1$

Set of all linear functions in d variables: VC = d + 1

$$\chi = \mathbb{R}^2$$
, $\mathbb{A} = \{1_{x \in C} | \mathbf{C} \text{ is convex in } \mathbb{R}^2 \}$
 $VC = \infty$

Let \mathbb{F} be an m-dimensional vector space of real valued functions. $\mathbb{H} = \{1_{f(x) \geq 0} | f \in \mathbb{F}\}, VC \leq m$

Union of axis aligned rectangles and triangles in dimension 2: VC=12 (axis aligned rectangles in dim 2=4, vc dim of triangles is 7, 4+7+1=12)

circle centered at origin: VC = 1

origin centered "bagels": $VC=2\,$