

$$S = \sum_{j=0}^{d-1} |n_j \times n_j| \qquad d = z^m$$

$$|+_{n_n}\rangle = U_{n_n}|_{0}\rangle^{m_n} = \sum_{j=0}^{d-1} \sqrt{n_j}|_{j}\rangle$$

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$$| \psi_{purphish} \rangle = CNOT^{\otimes m} | \psi_{nul} \rangle$$

$$= \sum_{J_{a_1, \dots, J_{a_{n-1}}}}^{J_{a_1, \dots, J_{a_{n-1}}}} | J_{a_2, \dots, J_{a_{n-1}}} | J_{a_2, \dots, J_{a_{n$$

$$T_{n}(|\psi_{pun}, \chi_{pun}|) = \sum_{j=0}^{d-1} \pi_{j} |j \chi_{j}|_{\dots m-1} = P^{j}$$

$$U_{n} \to |n_{n}\rangle = [|n_{0}\rangle |n_{1}\rangle \dots |n_{n}\rangle] = V \implies V|j\rangle = |\pi_{j}\rangle$$

Aplin V  $V \otimes I \mid \forall parition \rangle = \underbrace{\sum_{j=0}^{d-1} \langle \Pi_j \rangle \langle IJ \rangle_{0...m-1}}_{J=0} \otimes IJ \rangle_{m...2m-1}$   $= \underbrace{\sum_{j=0}^{d-1} \langle \Pi_j \rangle \langle \Pi_j \rangle_{0...m-1}}_{J=0} \otimes IJ \rangle_{m...2m-1}$   $= I \gamma_{m...d}$ 

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