| _ | |
|---|--|
| _ | The density of a graph or subgraph with a nodes is |
| | the number of edges the number of edges |
| | maximum possible number of edges n(n-1) |
| | 2 |
| _ | A CLIQUE is a subgraph with density = 1, i.e., a |
| | complete subcraph |
| _ | A digue of size 3 (nodes) is called a TRIANGLE: |
| _ | A common graph mining task is to find communities (or cliques, or dense subgraphs). |
| | (or cliques, or dense subgraphs). |
| | |
| | Degree |
| | |
| _ | The degree of a node is the number of edges connected to it. |
| £ | 0 3 B |
| | degree(A)=2 |
| | 0 <u> </u> |
| | |
| 늭 | For directed graphs, each node can be associated with in-degree |
| - | (number of incoming edges) and out-degree (num of outgoing edges) |
| - | |
| - | shortest paths/Diameter |
| - | |
| 1 | The diameter of a graph is the maximum shortest path |
| - | between any pair of vertices. In the above example: |
| - | shortest pah A-B =1 |
| - | A-C = 1 |
| - | A-D=2 maximum shortest path=2, |
| - | B-C= SO DIMETER = 2 |
| - | C-D=1 |
| - | |
| - | For data analytics using DIAMETER, see |
| - | "six degrees of separation" |
| - | and "the small world phenomenon |