### **Objective:-Implement SGD on Linear Regression**

### **Boston House Dataset**

```
In [1]:
```

```
import warnings
warnings.filterwarnings('ignore')
import numpy as np
from sklearn.preprocessing import StandardScaler
import seaborn as sns
import numpy as np
from sklearn.linear_model import SGDRegressor
from sklearn.metrics import mean_squared_error
import matplotlib.pyplot as plt
%matplotlib inline
```

### 1.1 Reading Data

```
In [2]:
```

```
# loading boston datasets
from sklearn.datasets import load_boston
import pandas as pd
boston_house_dataset=load_boston()
```

#### In [3]:

```
# spliting the data into train and test
from sklearn.model_selection import train_test_split
pd_boston_house_dataset=pd.DataFrame (data=boston_house_dataset.data)
price_boston=boston_house_dataset.target
X_train, X_test, y_train, y_test=train_test_split(pd_boston_house_dataset, price_boston, test_size=
0.33, random_state=5)
```

#### In [4]:

```
# applying column standardization on train and test data

Standarising_data=StandardScaler()
X_train=Standarising_data.fit_transform(np.array(X_train))
X_test=Standarising_data.transform(np.array(X_test))
```

### preparing training data for manual sgd regressor

```
In [5]:
```

```
sgd_train_data_dataframe=pd.DataFrame(X_train)
sgd_train_data_dataframe['price_boston']=y_train
```

#### In [6]:

```
sgd_train_data_dataframe.head()
```

#### Out[6]:

	0	1	2	3	4	5	6	7	8	9	10	11
0	0.911839	- 0.502419	1.072305	- 0.256978	1.633548	0.486034	0.962774	- 0.823477	1.655334	1.552100	0.808078	- 2.842959

1	- <b>0</b>	- <b>1</b> 0.502419	- <b>2</b> 1.129795	- <del>0.256978</del>	- <b>4</b> 0.552451	1.02807 <b>§</b>	0.66861 <b>9</b>	- <b>7</b> 0.183274	- <b>8</b> 0.871371	- <b>9</b> 0.802704	- <b>10</b> 0.304174	0.4274 <b>36</b>	- 0
2	0.124583	- 0.502419	1.072305	- 0.256978	1.441946	- 3.913414	0.725324	- 1.075955	1.655334	1.552100	0.808078	- 0.053353	- 0
3	- 0.406208	0.839388	- 0.901940	- 0.256978	- 1.083710	0.097426	- 0.515087	1.600509	- 0.411970	- 0.624310	- 0.860301	0.152292	- 0
4	0.021742	- 0.502419	1.072305	- 0.256978	1.398401	0.123238	0.743044	- 0.605107	1.655334	1.552100	0.808078	0.365116	0
													<b>L</b>

In [37]:

```
# converting to numpy array, which will be available for both SGDRegressor of sklearn and own sgd
regressor
X test=np.array(X test)
y_test=np.array(y_test)
bias diff=[]
weight num=[]
```

### In this case learning rate is 0.01 and it is fixed and number of iterations are changed

```
In [39]:
```

```
y test.shape
Out[39]:
(167,)
```

```
In [42]:
import warnings
warnings.filterwarnings('ignore')
#this particular function is basically used for sklearn Sqd regressor and predict thee price of th
e boston house dataset
def scikitlearn_sgd_regressor(alpha, lr_rate_variation, eta0=0.01, power_t=0.25, n_iter=100, train_
data scikit=X train, test data scikit=X test, train y scikit=y train, test y scikit=y test):
   clf_scikit=SGDRegressor(alpha=alpha, penalty=None, learning_rate=lr_rate_variation, eta0=eta0,
power t=power t, n iter=n iter)
   clf_scikit.fit(train_data_scikit, train_y_scikit)
   y_pred_scikit=clf_scikit.predict(test_data_scikit)
   #scatter plot
   plt.scatter(test_y_scikit,y_pred_scikit)
   plt.title('Plot between predicted and actual')
   plt.xlabel('actual y')
   plt.ylabel('predicted y')
   plt.grid(b=True, linewidth=0.5)
   plt.show()
   #kdeplot
   sgd_error=mean_squared_error(y_test,y_pred_scikit)
   print('Mean squared Error=', sgd error)
   print('Number of iterations=', n_iter)
   return clf_scikit.coef_, clf_scikit.intercept_, sgd_error
```

#### In [43]:

```
weight sgd, bias sgd, error sgd=scikitlearn sgd regressor(alpha=0.001,
lr rate variation='constant', eta0=0.01, n iter=1)
```

```
40 30 20 30 40 50 actual y
```

\*\*\*\*\*\*\*\*\*\*\*\*

Mean squared Error= 33.82334366972888 Number of iterations= 1

#### In [45]:

# the below function is a simple implementation of sgd to linear regression, here we didn't use an y regularization

#### In [46]:

```
#the below function is for applying sgd to linear regression given that we are not using any regul
arisation term
#the batch size taken for this function is 10
#here the learning rate is constant and invscaling learning rate
#the below function function for sgd returns weight and bias
def manual sgd regressor(X, learning rate variation, alpha=0.0001, learning rate=0.01, power t=0.25
, n_iterations=100):
   weight new=np.zeros(shape=(1,13))
   bias new=0
   t=1
   r=learning rate
   while(t<=n iterations):</pre>
       weight old=weight new
       bias old=bias new
       weight =np.zeros(shape=(1,13))
       bias = 0
       x_data_sgd=X.sample(10)
       x=np.array(x data sgd.drop('price boston',axis=1))
       y=np.array(x data sgd['price boston'])
       for i in range(10): # for getting the derivatives using sgd with k=10
            y curr=np.dot(weight old,x[i])+bias old
            weight +=x[i] * (y[i] - y curr)
            bias_+=(y[i]-y_curr)
       weight *=(-2/x.shape[0])
       bias_*=(-2/x.shape[0])
       \#updating\ the\ parameters
       weight new=(weight_old-r*weight_)
       bias_new=(bias_old-r*bias_)
       if(learning rate variation=='invscaling'):
           r = learning_rate / pow(t, power_t)
   return weight new, bias new
```

#### In [47]:

```
#the given below function for predicting the values
def pred(x,w, b):
    y pred for sgd=[]
```

```
for i in range(len(x)):
    y=np.asscalar(np.dot(w,x[i])+b)
    y_pred_for_sgd.append(y)
return np.array(y_pred_for_sgd)
```

#### In [48]:

```
#the below function is used for scatter plot between the actual and predicted values
def plot_(test_data,y_pred_sgd):
    #scatter plot
    plt.scatter(y_test,y_pred_sgd)
    plt.grid(b=True, linewidth=0.3)
    plt.title('scatter plot between actual y and predicted y')
    plt.xlabel('actual y')
    plt.ylabel('predicted y')
    plt.show()

manual_error_for_sgd=mean_squared_error(y_test,y_pred_sgd)
    print('error_for_sgd=',manual_error_for_sgd)

return manual_error_for_sgd
```

#### In [49]:

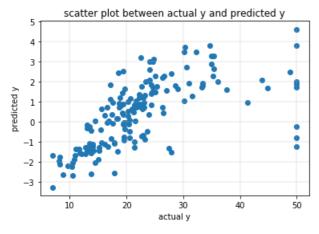
```
\label{lem:constant} weight, \ bias= \ manual\_sgd\_regressor(X=sgd\_train\_data\_dataframe, \ learning\_rate\_variation='constant' \ , \\ n\_iterations=1)
```

#### In [50]:

```
y_pred=pred(X_test, w=weight, b=bias)
```

#### In [51]:

```
manual_error=plot_(X_test,y_pred)
```



error for sgd= 564.5095918371304

#### In [53]:

```
In [54]:
```

```
#calculating the percentage weight difference between sgd with scikit nd sgd with manual operation
s
percent_diff_in_weights=abs((weight_sgd-weight)/weight)*100
cnt=0
for i in range(13):
    if (percent_diff_in_weights[0][i]>30):
        cnt+=1
weight_num.append(cnt)
print('number of points more than 30% in percent=',cnt)
```

number of points more than 30% in percent= 13

#### In [55]:

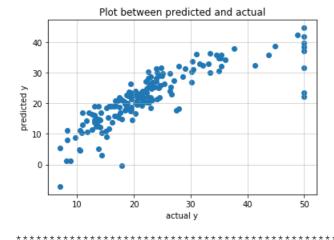
```
# absolute diffrence in intercept obtained using both manual sgd and sgd using scikit
print('intercept obtained after using scikit=',bias_sgd)
print('intercept obtained after manually doing=',bias)
bias_diff.append(abs(bias_sgd-bias))
```

intercept obtained after using scikit= [21.99536431]
intercept obtained after manually doing= [0.489]

## SGDRegressor, n\_iterations=100, learning\_rate=0.01, lr\_rate\_variation='constant'

#### In [56]:

```
weight_sgd, bias_sgd, error_sgd=scikitlearn_sgd_regressor(alpha=0.0001,
lr_rate_variation='constant', eta0=0.01, n_iter=100)
```



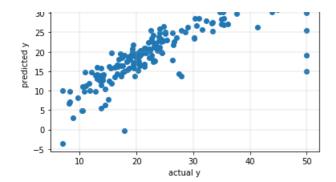
Mean squared Error= 29.561559736490196 Number of iterations= 100

## manual\_sgd\_regressor n\_iterations=100, learning\_rate=0.01, learning\_rate\_variation='constant

```
In [59]:
```

```
weight, bias= manual_sgd_regressor(X=sgd_train_data_dataframe, learning_rate_variation='constant',
n_iterations=100)
y_pred=pred(X_test, w=weight, b=bias)
manual_error=plot_(X_test, y_pred)
```

```
scatter plot between actual y and predicted y
```



error\_for\_sgd= 45.355148417293364

```
In [62]:
```

#### In [64]:

```
# absolute diffrence in intercept obtained using both manual sgd and sgd using scikit
print('intercept obtained after using scikit=',bias_sgd)
print('intercept obtained after manually doing=',bias)
bias_diff.append(abs(bias_sgd-bias))
```

intercept obtained after using scikit= [22.6556385]
intercept obtained after manually doing= [19.38551948]

#### In [66]:

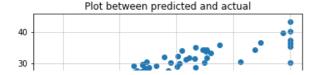
```
#calculating the percentage weight difference between sgd with scikit nd sgd with manual operation
s
percent_diff_in_weights=abs((weight_sgd-weight)/weight)*100
cnt=0
for i in range(13):
    if (percent_diff_in_weights[0][i]>30):
        cnt+=1
weight_num.append(cnt)
print('number of points more than 30% in percent=',cnt)
```

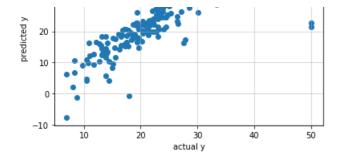
number of points more than 30% in percent= 11

## SGDRegressor, n\_iter=1000, lr\_rate=0.01, lr\_rate\_variation='constant'

#### In [68]:

```
weight_sgd, bias_sgd, error_sgd=scikitlearn_sgd_regressor(alpha=0.0001,
lr_rate_variation='constant', eta0=0.01, n_iter=1000)
```





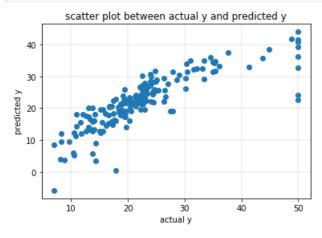
Mean squared Error= 31.41620610663681

Number of iterations= 1000

### manual sgd regressor, n\_iter=1000, lr\_rate=0.01, Ir rate variation='constant'

#### In [71]:

```
weight, bias= manual_sgd_regressor(X=sgd_train_data_dataframe, learning_rate_variation='constant' ,
n iterations=1000)
y_pred_manual_sgd=pred(X_test, w=weight, b=bias)
manual_error_for_sgd=plot_(X_test,y_pred_manual_sgd)
```



error for sgd= 27.579389281762346

#### In [72]:

```
print('wight obtained after using scikit---\n', weight sqd)
print('weight obtained after applying manual sgd regressor---\n', weight)
wight obtained after using scikit---
 [-1.47788116 \quad 1.03582206 \quad -0.39193463 \quad 0.40226966 \quad -1.53772868 \quad 2.35869815
 -0.45177717 \ -2.79103283 \ \ 2.77964187 \ -2.58020213 \ -1.93513117 \ \ 1.14294453
 -3.17914836]
weight obtained after applying manual sgd regressor---
  [[-1.14501933 \quad 0.88262906 \quad -0.17306226 \quad 0.33735027 \quad -1.59287925 \quad 2.87923752 ] 
  -0.29904134 \ -2.58905919 \ \ 2.22126307 \ -1.36547714 \ -2.19177163 \ \ 0.86471802
  -3.52821694]]
```

#### In [74]:

```
# absolute diffrence in intercept obtained using both manual sgd and sgd using scikit
print('intercept obtained after using scikit=',bias sgd)
print('intercept obtained after manually doing=',bias)
bias diff.append(abs(bias sgd-bias))
```

intercept obtained after using scikit= [21.91303995] intercept obtained after manually doing= [22.7078839]

#### In [75]:

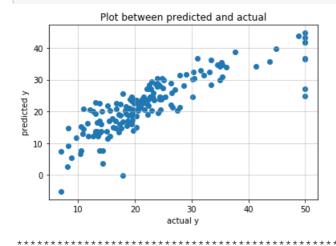
```
#calculating the percentage weight difference between sgd with scikit nd sgd with manual operation
s
percent_diff_in_weights=abs((weight_sgd-weight)/weight)*100
cnt=0
for i in range(13):
    if (percent_diff_in_weights[0][i]>30):
        cnt+=1
weight_num.append(cnt)
print('number of points more than 30% in percent=',cnt)
```

number of points more than 30% in percent= 4

## SGDRegressor, n\_iter=10000, lr\_rate=0.01, lr\_rate\_variation='constant'

#### In [77]:

```
weight_sgd, bias_sgd, error_sgd=scikitlearn_sgd_regressor(alpha=0.0001,
lr_rate_variation='constant', eta0=0.01, n_iter=10000)
```

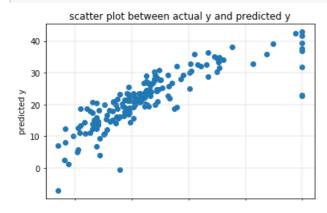


Mean squared Error= 26.997029200764157 Number of iterations= 10000

## manual sgd, n\_iter=10000, lr\_rate=0.01, lr\_rate\_variation='constant'

#### In [79]:

```
weight, bias= manual_sgd_regressor(X=sgd_train_data_dataframe, learning_rate_variation='constant' ,
n_iterations=10000)
y_pred_manual_sgd=pred(X_test, w=weight, b=bias)
manual_error_for_sgd=plot_(X_test,y_pred_manual_sgd)
```



```
error for sgd= 29.214265912538263
In [81]:
print('wight obtained after using scikit---\n', weight sgd)
print('weight obtained after applying manual sgd regressor---\n', weight)
wight obtained after using scikit---
 [-0.91771127 \quad 1.05242394 \quad 0.01735648 \quad 0.52288646 \quad -1.14104175 \quad 3.07811359 ] 
-0.16418173 \ -3.1620164 \qquad 3.31597636 \ -2.11010409 \ -2.25130629 \quad 1.46038719
-3.67094785]
*****************
weight obtained after applying manual sgd regressor---
-3.3346804811
In [82]:
# absolute diffrence in intercept obtained using both manual sgd and sgd using scikit
print('intercept obtained after using scikit=',bias sgd)
print('intercept obtained after manually doing=',bias)
bias_diff.append(abs(bias_sgd-bias))
intercept obtained after using scikit= [23.03093048]
intercept obtained after manually doing= [22.4901007]
In [84]:
#calculating the percentage weight difference between sgd with scikit nd sgd with manual operation
percent diff in weights=abs((weight sgd-weight)/weight)*100
for i in range(13):
   if (percent_diff_in_weights[0][i]>30):
      cnt+=1
weight num.append(cnt)
print('number of points more than 30% in percent=',cnt)
```

number of points more than 30% in percent= 3

### using 'optimal' learning rate

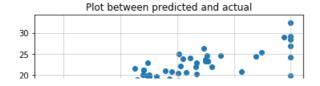
```
In [85]:
```

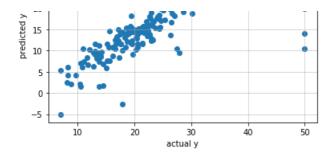
```
bias optimal diff=[]
weight_optimal_num=[]
```

### SGDRegressor, n iter=1, lr rate=0.01, Ir\_rate\_variation='invscaling'

```
In [86]:
```

```
weight sgd, bias sgd, error sgd=scikitlearn sgd regressor(alpha=0.0001,
lr rate variation='invscaling', eta0=0.01, n iter=1)
```





Mean squared Error= 99.86137464270654

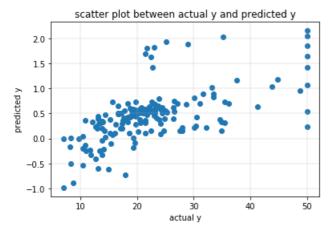
Number of iterations= 1

## manual sgd, n\_iter=1, lr\_rate=0.01, lr\_rate\_variation='invscaling'

\*\*\*\*\*\*\*\*\*\*\*\*

#### In [89]:

```
weight, bias= manual_sgd_regressor(X=sgd_train_data_dataframe,
learning_rate_variation='invscaling' , n_iterations=1)
y_pred_manual_sgd=pred(X_test, w=weight, b=bias)
manual_error_for_sgd=plot_(X_test,y_pred_manual_sgd)
```



error for sqd= 574.3368373486402

#### In [92]:

#### In [93]:

```
# absolute diffrence in intercept obtained using both manual sgd and sgd using scikit
print('intercept obtained after using scikit=',bias_sgd)
print('intercept obtained after manually doing=',bias)
bias_diff.append(abs(bias_sgd-bias))
```

intercept obtained after using scikit= [14.72674586]
intercept obtained after manually doing= [0.4672]

#### In [95]:

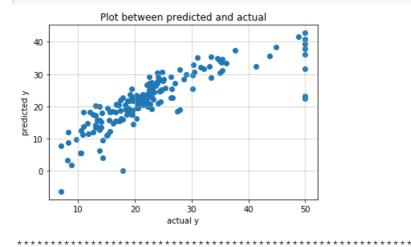
```
#calculating the percentage weight difference between sgd with scikit nd sgd with manual operation
s
percent_diff_in_weights=abs((weight_sgd-weight)/weight)*100
cnt=0
for i in range(13):
    if (percent_diff_in_weights[0][i]>30):
        cnt+=1
weight_num.append(cnt)
print('number of points more than 30% in percent=',cnt)
```

number of points more than 30% in percent= 13

# SGDRegressor, n\_iter=100, lr\_rate=0.01, lr\_rate\_variation='invscaling'

#### In [96]:

```
weight_sqd, bias_sqd, error_sqd=scikitlearn_sqd_regressor(alpha=0.0001,
lr_rate_variation='invscaling', eta0=0.01, n_iter=100)
```



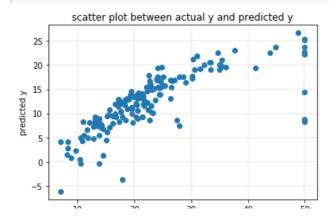
Mean squared Error= 28.629697811391985

Number of iterations= 100

## Manual sgd, n\_iter=100, lr\_rate=0.01, lr\_rate\_variation='invscaling'

#### In [99]:

```
weight, bias= manual_sgd_regressor(X=sgd_train_data_dataframe,
learning_rate_variation='invscaling' , n_iterations=100)
y_pred_manual_sgd=pred(X_test, w=weight, b=bias)
manual_error_for_sgd=plot_(X_test,y_pred_manual_sgd)
```

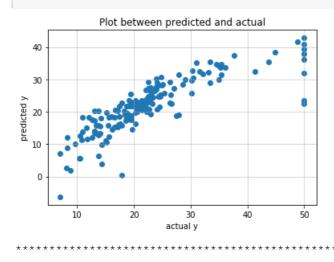


```
actual v
error for sgd= 139.81312781530448
In [101]:
print('wight obtained after using scikit---\n', weight sqd)
print('*****
print('weight obtained after applying manual sgd regressor---\n', weight)
wight obtained after using scikit---
 [-1.3005017 \qquad 0.84056704 \quad -0.28664164 \quad 0.19626309 \quad -1.48642048 \quad 2.797079
-0.35597459 \ -2.7926607 \qquad 2.6126975 \quad -1.89765279 \ -2.12503894 \quad 1.06412737
 -3.327918041
******************
weight obtained after applying manual sgd regressor---
 [[-0.4521812 0.11920627 -0.52668409 -0.17405382 -0.30067448 2.30207999
   0.03355047 \; -0.57923233 \; -0.2713098 \quad -0.65558895 \; -1.29653708 \quad 0.5537867
  -1.82876341]]
In [103]:
# absolute diffrence in intercept obtained using both manual sgd and sgd using scikit
print('intercept obtained after using scikit=',bias sgd)
print('intercept obtained after manually doing=',bias)
bias diff.append(abs(bias sgd-bias))
intercept obtained after using scikit= [22.52740928]
intercept obtained after manually doing= [12.83497026]
In [104]:
#calculating the percentage weight difference between sgd with scikit nd sgd with manual operation
percent diff in weights=abs((weight sgd-weight)/weight)*100
cnt=0
for i in range(13):
    if (percent_diff_in_weights[0][i]>30):
       cnt+=1
weight_num.append(cnt)
print('number of points more than 30% in percent=',cnt)
number of points more than 30% in percent= 12
```

### Sgd, n iter=1000, lr rate=0.01, lr rate variation='invscaling'¶

#### In [105]:

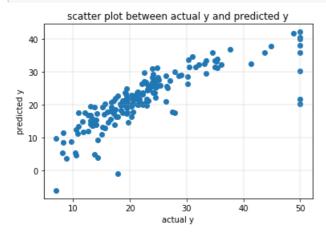
```
weight sgd, bias sgd, error sgd=scikitlearn sgd regressor(alpha=0.0001,
lr rate variation='invscaling', eta0=0.01, n iter=1000)
```



## Manual sgd, n\_iter=1000, lr\_rate=0.01, lr\_rate\_variation='invscaling'

#### In [107]:

```
weight, bias= manual_sgd_regressor(X=sgd_train_data_dataframe,
learning_rate_variation='invscaling', n_iterations=1000)
y_pred_manual_sgd=pred(X_test, w=weight, b=bias)
manual_error_for_sgd=plot_(X_test,y_pred_manual_sgd)
```



error for sgd= 30.482678718108343

#### In [108]:

#### In [109]:

```
# absolute diffrence in intercept obtained using both manual sgd and sgd using scikit
print('intercept obtained after using scikit=',bias_sgd)
print('intercept obtained after manually doing=',bias)
bias_diff.append(abs(bias_sgd-bias))
```

intercept obtained after using scikit= [22.54452031]
intercept obtained after manually doing= [22.35967758]

#### In [110]:

```
#calculating the percentage weight difference between sgd with scikit nd sgd with manual operation
s
percent_diff_in_weights=abs((weight_sgd-weight)/weight)*100
cnt=0
for i in range(13):
    if (percent_diff_in_weights[0][i]>30):
        cnt+=1
weight_num.append(cnt)
print('number of points more than 30% in percent=',cnt)
```

4

```
number of points more than 30% in percent= 7
In [117]:
# http://zetcode.com/python/prettytable/
from prettytable import PrettyTable
\# If you get a ModuleNotFoundError error , install prettytable using: pip3 install prettytable
x = PrettyTable()
x.field names = ["sno", "algo", "alpha", "lr rate variation", "init lr rate", "power t", "n iter", "error"
x.add_row([1, 'ScikitSGDRegressor', 0.0001, 'constant', 0.01, 0.25, 1, error_sgd ])
x.add_row([2, 'manual_sgd', 0.0001, 'constant', 0.01, 0.25, 1, manual_error ])
x.add_row([3, 'ScikitSGDRegressor', 0.0001, 'constant', 0.01, 0.25, 100, error_sgd])
x.add_row([4, 'manual_sgd', 0.0001, 'constant', 0.01, 0.25, 100, manual_error])
x.add_row([5, 'ScikitSGDRegressor', 0.0001, 'constant', 0.01, 0.25, 1000, error_sgd])
x.add_row([6, 'manual_sgd', 0.0001, 'constant', 0.01, 0.25, 1000, manual_error])
x.add_row([7, 'ScikitSGDRegressor', 0.0001, 'constant', 0.01, 0.25, 10000, error_sgd])
x.add_row([8, 'SGDRegressor', 0.0001, 'constant', 0.01, 0.25, 10000, error sgd])
print(x)
| sno |
              algo
                         | alpha | lr_rate_variation | init_lr_rate | power_t | n_iter |
         -
| 1 | ScikitSGDRegressor | 0.0001 |
                                                            0.01
                                         constant
                                                      I 0.25 I 1
28.573932668187236 |
| 2 | manual_sgd
                                                      1
                                                             0.01
                                                                          0.25 | 1
                                                                                         | 45.3551
                         | 0.0001 |
                                          constant.
                                                                      8417293364 |
| 3 | ScikitSGDRegressor | 0.0001 |
                                                       0.01
                                                                           0.25 | 100
                                          constant
28.573932668187236 |
| 4 | manual sqd
                         | 0.0001 |
                                         constant
                                                      - 1
                                                            0.01
                                                                           0.25 | 100
45.355148417293364 |
| 5 | ScikitSGDRegressor | 0.0001 |
                                         constant |
                                                             0.01
                                                                      - 1
                                                                          0.25 | 1000
28.573932668187236 |
| 6 | manual sgd
                         | 0.0001 |
                                                             0.01
                                                                          0.25 | 1000
                                         constant
                                                      45.355148417293364 |
| 7 | ScikitSGDRegressor | 0.0001 |
                                         constant
                                                      0.01
                                                                      | 0.25 | 10000 |
28.573932668187236 |
  8 | SGDRegressor
                         | 0.0001 |
                                          constant
                                                       0.01
                                                                      0.25 | 10000 |
28.573932668187236 I
4
                                                                                                 •
In [118]:
# http://zetcode.com/python/prettytable/
from prettytable import PrettyTable
#If you get a ModuleNotFoundError error , install prettytable using: pip3 install prettytable
x = PrettyTable()
x.field names = ["sno", "algo", "alpha", "lr rate variation", "init lr rate", "power t", "n iter", "error"
x.add row([1, 'ScikitSGDRegressor', 0.0001, 'invscaling', 0.01, 0.25, 1, error sgd ])
x.add_row([2, 'manual_sgd', 0.0001, 'invscaling', 0.01, 0.25, 1, manual_error])
x.add row([3, 'ScikitSGDRegressor', 0.0001, 'invscaling', 0.01, 0.25, 100, error sgd])
x.add_row([4, 'manual sgd', 0.0001, 'invscaling', 0.01, 0.25, 100, manual_error])
x.add_row([5, 'ScikitSGDRegressor', 0.0001, 'invscaling', 0.01, 0.25, 1000, error_sgd])
x.add_row([6, 'manual_sgd', 0.0001, 'invscaling', 0.01, 0.25, 1000, manual_error])
x.add_row([7, 'ScikitSGDRegressor', 0.0001, 'invscaling', 0.01, 0.25, 1000, error_sgd])
x.add row([8, 'manual sgd', 0.0001, 'invscaling', 0.01, 0.25, 1000, manual error])
print(x)
```

| sno | algo | alpha | lr rate variation | init lr rate | power t | n iter | rror 

- F

+										
1   ScikitSGDRegressor	0.0001		invscaling		0.01		0.25		1	
28.573932668187236										
2   manual_sgd	0.0001		invscaling		0.01		0.25		1	45.355
3417293364										
3   ScikitSGDRegressor	0.0001		invscaling		0.01		0.25		100	1
28.573932668187236										
4   manual sgd	0.0001		invscaling		0.01	- 1	0.25		100	
15.355148417293364										
5   ScikitSGDRegressor	0.0001		invscaling		0.01	- 1	0.25		1000	
28.573932668187236										
6   manual_sgd	0.0001		invscaling	1	0.01		0.25		1000	1
15.355148417293364										
7   ScikitSGDRegressor	0.0001		invscaling	1	0.01		0.25		1000	1
28.573932668187236										
8   manual_sgd	0.0001		invscaling	1	0.01		0.25		1000	1
45.355148417293364										
++	-+	-+		+		+		-+-		-+
+										
4										