

Nesect

input: • a transition system (S, R)

• H an annotation function over S

output: the set \mathcal{H}' of the annotation functions obtained by applying the component of the unmarked successor formulas

algo:

$\mathcal{H} = \emptyset$ // set of set of annotations functions

For s in S do {

$\mathcal{F} = \emptyset$; // set of annotation functions obtained by applying the successor formulas of $H(s)$

For f in $H(s)$ do {

if $f = X\psi$ and f is not marked then {

$F = \emptyset$ // set of annotations functions obtained by adding ψ to the set of annotations of ONE successor of s

mark f ;

For t in $R(s)$ do {

$H' = \text{add}(H, t, \psi)$; // add ψ to $H(t)$

if H' is not patently inconsistent then $F = F \cup \{H'\}$;

if $F = \emptyset$ then return \emptyset // No completion because f can not be applied

else $\mathcal{F} = \mathcal{F} \cup \{F\}$;

if $S \neq \emptyset$ then $\mathcal{H} = \mathcal{H} \cup \{S\}$

// $S = \emptyset$ means there is no successor formula in $H(s)$
so there is no completion to add

{

return product(\mathcal{H}); // compute the product of
the annotations functions
and remove patently inconsistent
ones

product

input: \mathcal{H} a set of set of annotations functions
all defined over the same set of states S

output: a set of annotations functions

algo:

$$P = \prod_{i=0}^{\text{size}(\mathcal{H})} \mathcal{H}(i)$$

$$S = \emptyset$$

For h in P

$$H: s \mapsto \bigcup_{i=0}^{\text{size}(\mathcal{H})} h(i)$$

if H is not patently inconsistent then

$$\{ \quad S = S \cup \{H\}$$

return S