

- Problem Statement:-
- We have 2 plants → one takes 1 liter of water
 - other takes 0.5 liters of water
 - maximum supplied water from motor is $\frac{1 \text{ liter}}{1 \text{ hr}}$
 - first plant needs water if moisture is less than 5%
 - second plant " " " " " " " (5%)
 - we should consider watering both @ same time.
 - If one plant is watered, we can not water it again before 12 hrs

- [1] Define States:-
- motor provide water (one taken means 0.5 liter) (MPW)
 - motor does not provide water (MDPW)
 - Plant 1 needs water (moisture less than 30%)
 - Plant 2 needs water (moisture less than 5%)
 - Plant 1 is watered in less than 12 HRS → W8I2P1
→ (exists only once)
 - Plant 2 is watered in less than 12 HRS → W8I2P2
 - Plant 1 is watered
 - Plant 2 is watered

- [2] Define Transitions:-

- motor provide to stop providing
- motor stop providing to providing
- Plant 1 from need water to is watered
- Plant 2 " " " " " "
- Plant 1 from is watered to need water
- Plant 2 " " " " " "
- 12 HR passed on watering Plant 1
- 12 HR " " " " " " Plant 2

①

3) Petri Net:-

→ lets use Divide and Conquer method, split each Port alone

1) Motor Parts:

- Motor provide water (MPW)
- Motor doesn't provide water

- Providing (P)

- Stop providing (SP)

Conditions for each Transition:

1- Providing:

- Plant 1 needs water (R)
- Plant 2 needs water

so if both needs in same time it will also work (ORing operation)

2. STOP Providing:

- Plant 1 does not need (1DNW) water

- Plant 2 doesn't need water

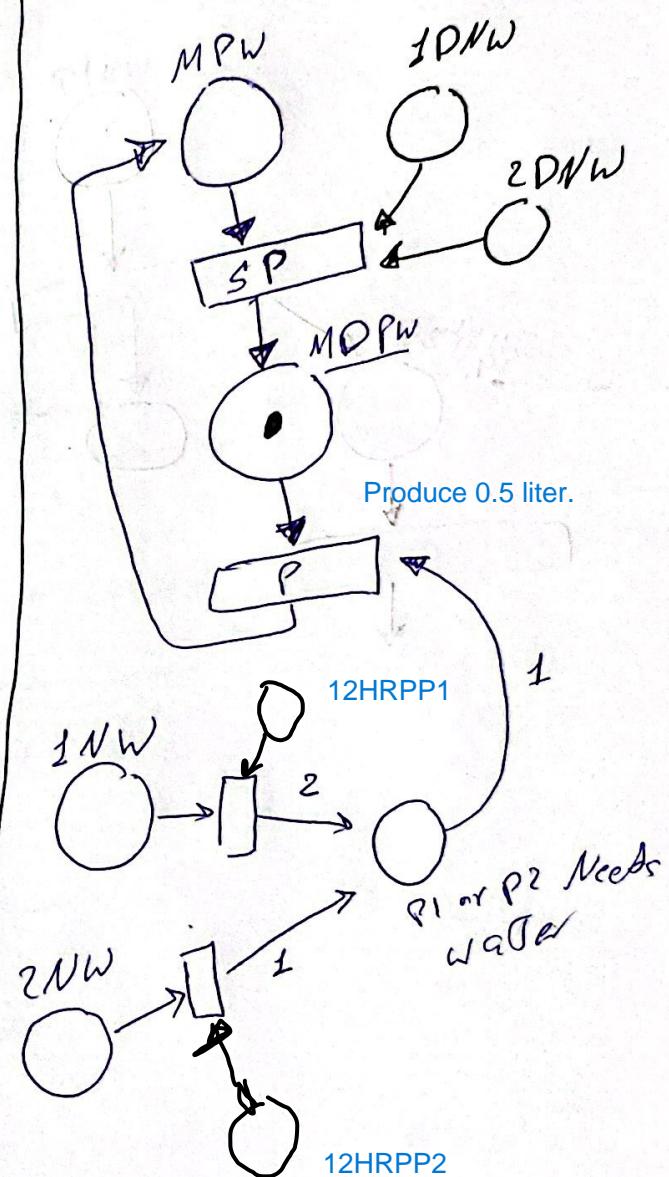
→ so if any of them need this condition won't fire

$$\therefore A + B = \overline{A} \overline{B}$$

∴ P1 needs water or P2 needs water =
1. (P1 doesn't need water and P2 doesn't need water)

(2)

3- Diagram:



Note: If both needs water, then the motor should provide 1.5 Liters, so if its maximum rate is 1 L/H then it should takes 1.5 hours to finish.

2] Plant I Part:

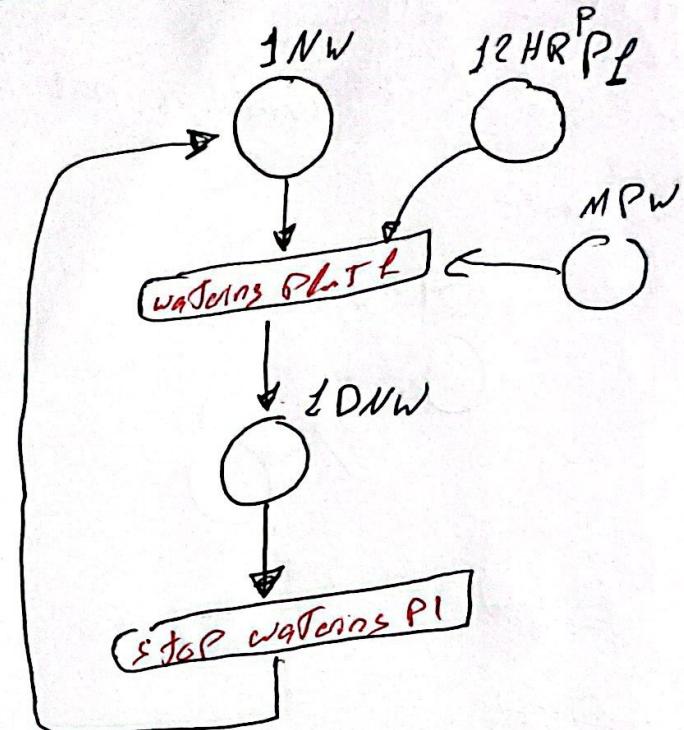
Places:

- Plant I needs water
- ~~Plant 2 needs water~~
- Plant I is watered
- 12 HR ~~is~~ passed on watering Plant I

transitions:-

- watering plant I : \downarrow (MPW)
 - Plant I needs water
 - 12 HRs passed on last time to water it
- stop watering plant I:
 - Plant I is watered

Diagrams



12 HR PPI

12 Hours have passed on watering
Plant I

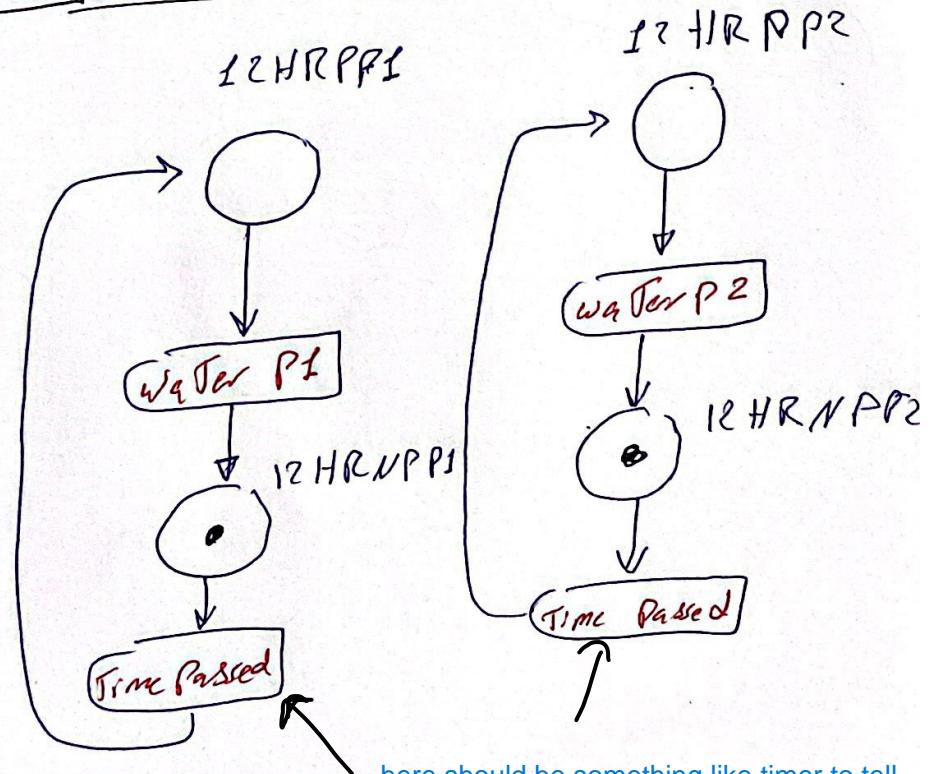
3) 12 HRS

- 12 HR PPI
- 12 HR NPP2
- 12 HR P P2
- 12 HR NPP2

PASSING P1

PASSING P2

Condition on Time

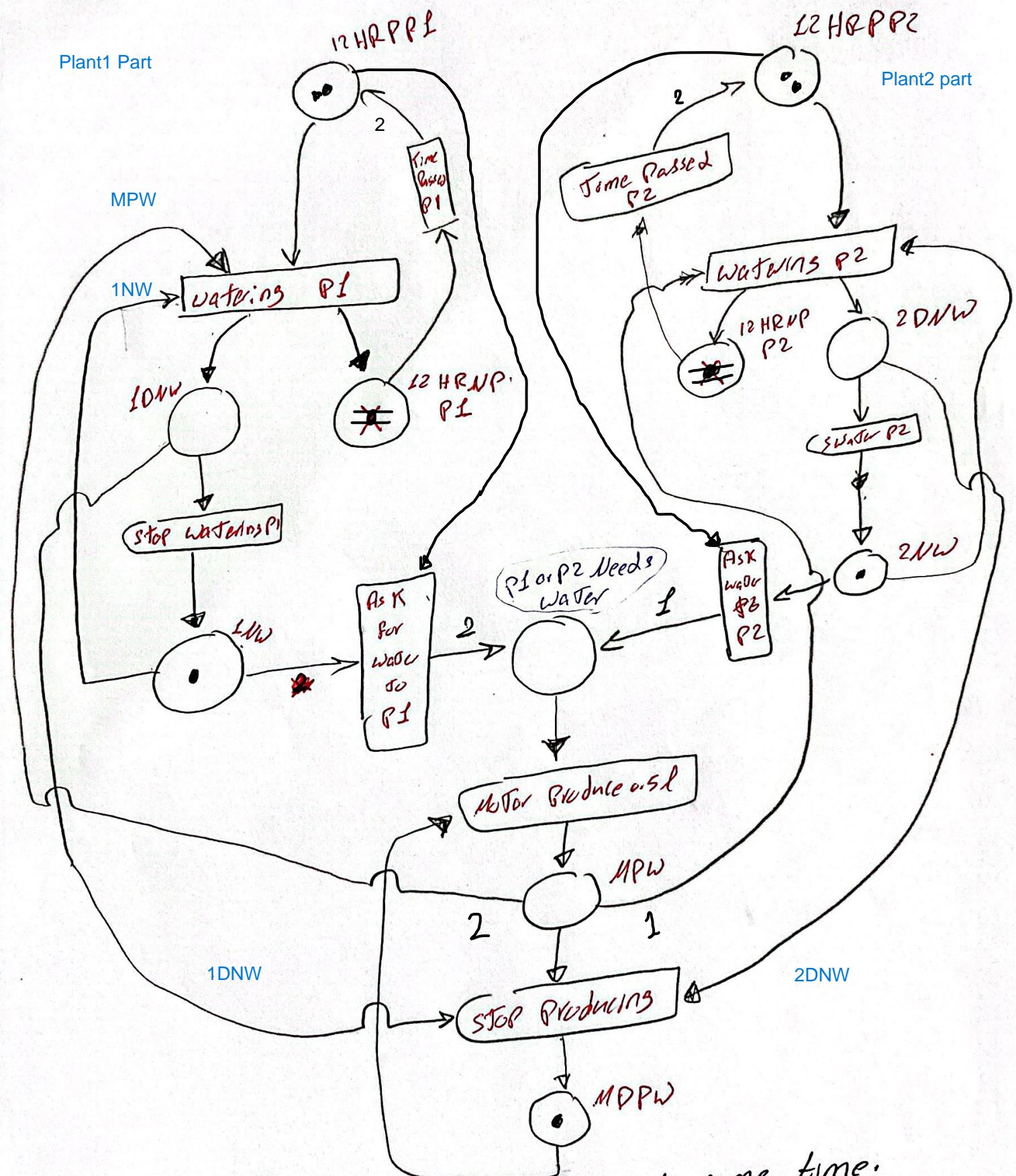


here should be something like timer to tell whether the time has passed or not.

(3)

Problem with whole Petri Network

please look at last page before considering the diagrams to understand acronyms.



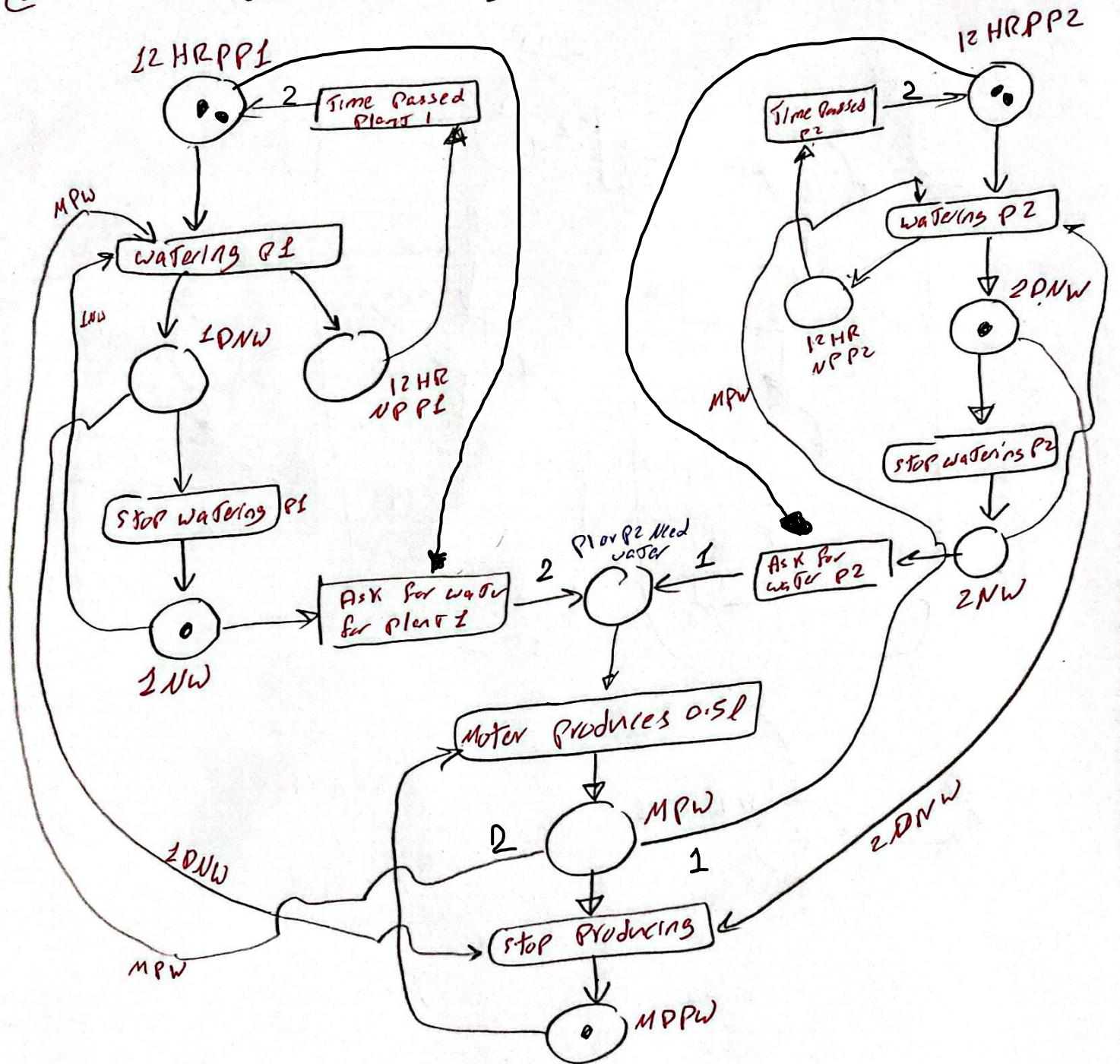
Scenario that both start need water at same time.

$$P = \{12HRPP1, 12HRNPP2, 1DNW, 1NW, P1ORP2NEEDWTR, MPW, MDPW, 12HRPP2, 12HRNPP2, 2DNW, 2NW\}$$

$$M_0 = \{2, 0, 0, 1, 0, 0, 0, 1, 2, 0, 0, 0, 1\}$$

Problem with whole Petri net work:

[2] Scenario that P1 only needs water:-

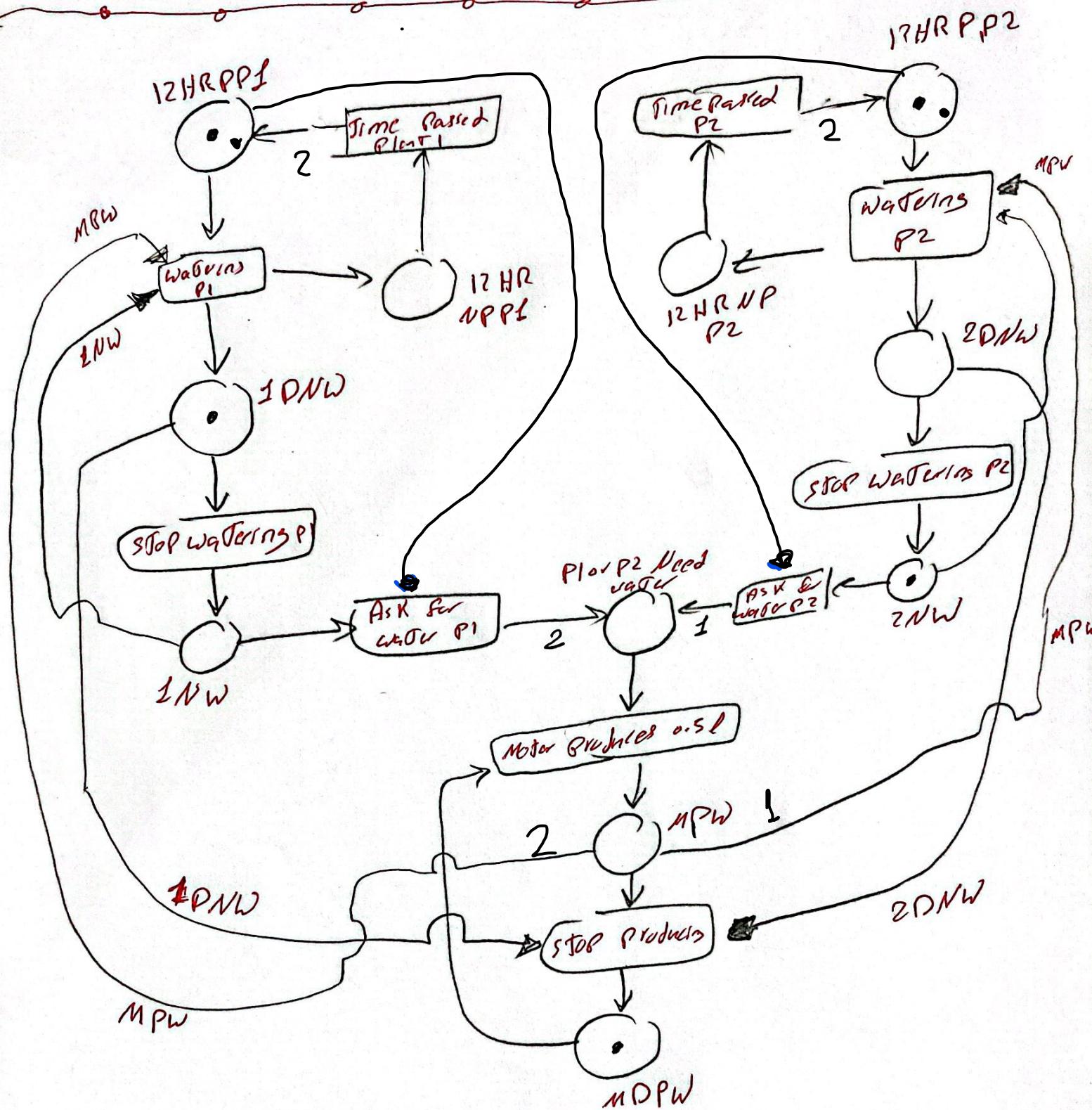


$$P = \{12HRPP1, 12HRNPP2, 1DNW, 1NW, P1ORP2NEEDWTR, MPW, MDPW, 12HRPP2, 12HRNPP2, 2DNW, 2NW\}$$

$$M_0 = \{2, 0, 0, 1, 0, 0, 1, 2, 0, 1, 0\}$$

(5)

3) Scenario that P2 only needs water :-



$$P = \{12HRPP1, 12HRNPP2, 1DNW, 1NW, P1ORP2NEEDWTR, MPW, MDPW, 12HRPP2, 12HRNPP2, 2DNW, 2NW\}$$

$$M_0 = \{2, 0, 1, 0, 0, 0, 1, 2, 0, 0, 1\}$$

Acronym definitions:-

- from decomposition

 1. 12 HR PPF: 12 Hours passed on watering Plant 1
 2. 12 HR PPF2: " " " " " "
 3. 1 DNW: Plant 1 doesn't need water
 4. 2 DNW: " 2 " " "
 5. 1 NW: Plant 1 needs water
 6. 2 NW: " " 2 " "
 7. MPW: Motor produces water
 8. MDPW: Motor does not produce water
 9. 12 HR NPP 1: 12 Hours has not passed on watering P1
 10. 12 HR NPP2: " " " " " " Plant 2
 11. P1: Plant 1
 12. P2: Plant 2