

34an n7l kol el msa2l de hat el
frequency component fl
periodic signals w 7elha.

Sheet 1

lw 3ndk summation 7wlhom ll freq
w hat el power = $\sum(a_k^2)$.

1-Determine the power value for each of the following signals:

(a) $10 \cos\left(100t + \frac{\pi}{3}\right)$

(b) $10 \cos\left(100t + \frac{\pi}{3}\right) + 16 \sin\left(150t + \frac{\pi}{5}\right)$

(c) $(10 + 2 \sin 3t) \cos 10t$

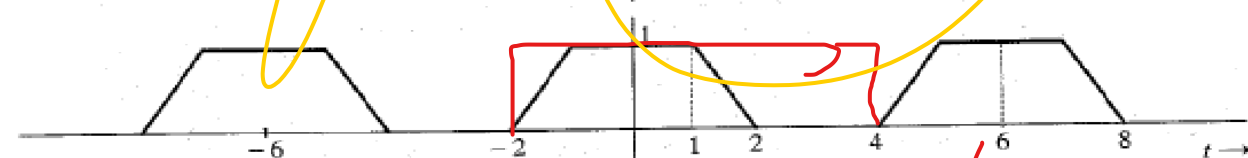
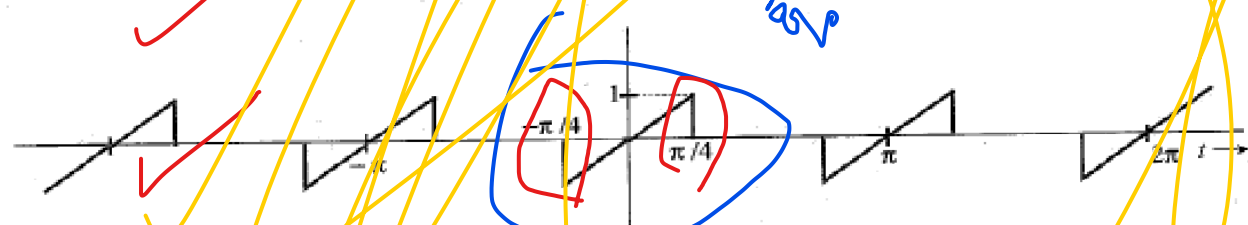
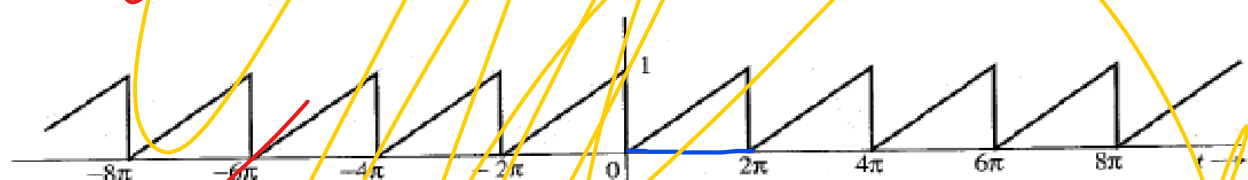
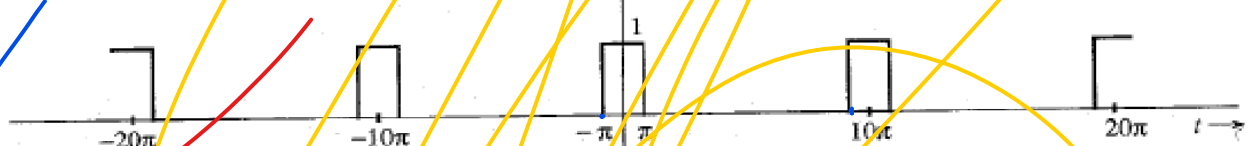
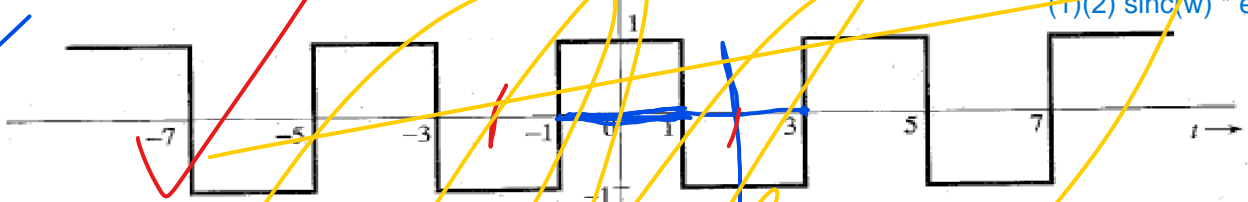
(d) $10 \cos 5t \cos 10t$

(e) $10 \sin 5t \cos 10t$

(f) $e^{j\omega t} \cos \omega_0 t$

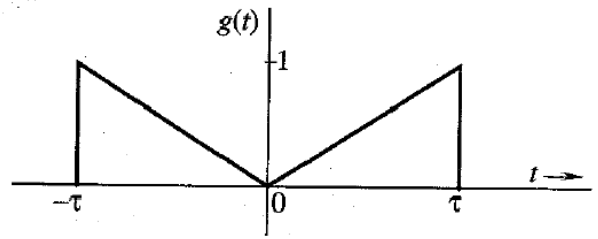
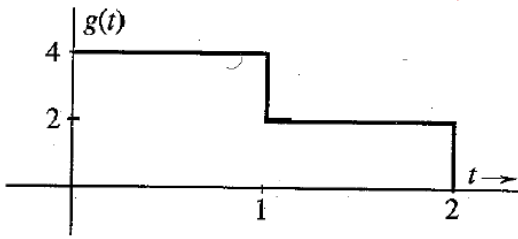
2-For each of the shown periodic signals, find exponential Fourier series and sketch the corresponding spectra.

(1) $\text{rect}(t/2) - (1) \text{rect}(t/2 - 2)$ $\checkmark = (1)(2) \text{sinc}(w) - (1)(2) \text{sinc}(w) * e^{(-jwot)}$

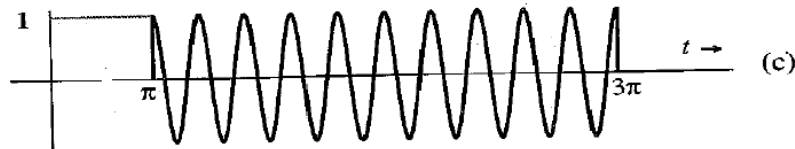
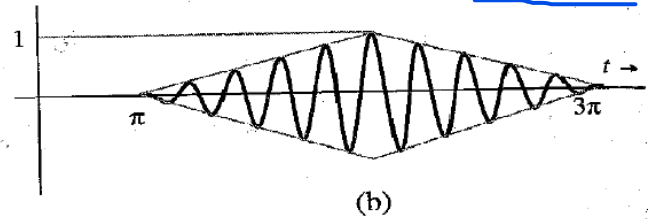
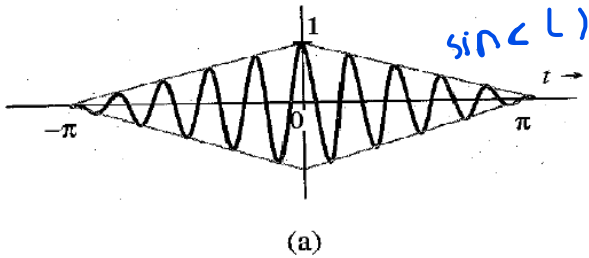


$T_0 = 6$

3- Find the Fourier transform of the signals shown:



4- Find Fourier transform of the shown signals using the appropriate properties of the Fourier transform. Sketch the amplitude and phase Spectra. *Hint: These functions can be expressed in the form $g(t)\cos(\omega_0 t)$*



5-Signals $g_1(t)=10^4 \text{rect}(10^4 t)$ and $g_2(t)=\delta(t)$ are applied at the inputs of the ideal low-pass filter $H_1(\omega)=\text{rect}(\omega/40000\pi)$ and $H_2(\omega)=\text{rect}(\omega/20000\pi)$ as shown. The output $y_1(t)$ and $y_2(t)$ of these filters are multiplied to obtain the signal $y(t)=y_1(t)y_2(t)$

- Sketch $G_1(\omega)$ and $G_2(\omega)$.
- Sketch $H_1(\omega)$ and $H_2(\omega)$.
- Sketch $Y_1(\omega)$ and $Y_2(\omega)$.
- Find the bandwidths of $y_1(t)$, $y_2(t)$ and $y(t)$.

