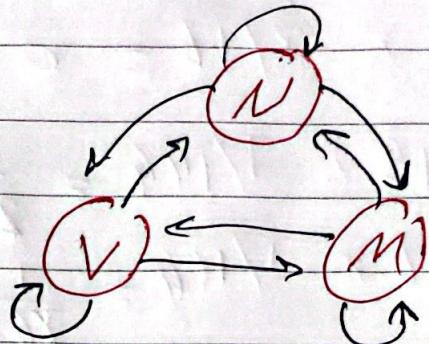


Sheet (5) Solutions
Sequence labeling

Q1: We have 3 POS tags which are
Noun (N) → Verb (V)
Our Corpus is as follows: → Modal (M)

- Mary Jane Can. See Will
- Spot will see Mary
- Will Jane spot Mary?
- Mary will pat Spot



a) Calculate the emission probs: Markov State Graph

→ To Compute the emission Probability we use this

$$\text{Formula} \rightarrow P(w_i | t_i) = \frac{C(t_i, w_i)}{C(t_i)}$$

degree word || & Tag || ago 26 given.
. , 1 Tag || ago 26

Emission Table:- ✓

| | Mary | Jane | Can | See | will | Spot | Pat. |
|-------|------|------|-----|-----|------|------|------------|
| Noun | 4/9 | 2/9 | 0 | 0 | 1/9 | 2/9 | 0 |
| Verb | 0 | 0 | 0 | 2/4 | 0 | 1/4 | 1/4 Done ✓ |
| Modal | 0/4 | 0/4 | 1/4 | 0/4 | 3/4 | 0/4 | 0/4 |

b) Calculate the transition probabilities, adding the start tag & the end tag @ the start and end of each tag respectively.

→ To compute the transition probabilities we use the following formula $P(t_i | t_{i-1}) = \frac{C(t_i, t_{i-1})}{C(t_i)}$

de $t_{i-1} \rightarrow t_i$ tag t_{i-1} w \rightarrow tag t_i \rightarrow (S G g i y
Transition Matrix:- Tag t_i \rightarrow tag t_{i-1} w \rightarrow S G i y well

| . | Noun | Verb | Model | . | </s> |
|-----|------|------|-------|-----------------------|------|
| <s> | 3/4 | 0 | 1/4 | this is the π set | 0/4 |
| N | 1/4 | 1/4 | 3/4 | | 9/4 |
| V | 9/4 | 0 | 0 | | 0 |
| M | 1/4 | 3/4 | 0/4 | | 0/4 |

! Table \rightarrow end tag \rightarrow best giving

c) Using the Viterbi algorithm, mention the composed tag sequence for "will can spot Mary" → show the calculations.

Steps

- Wrote the words as headings
- Under each word write the only possible states

, Do the computations!

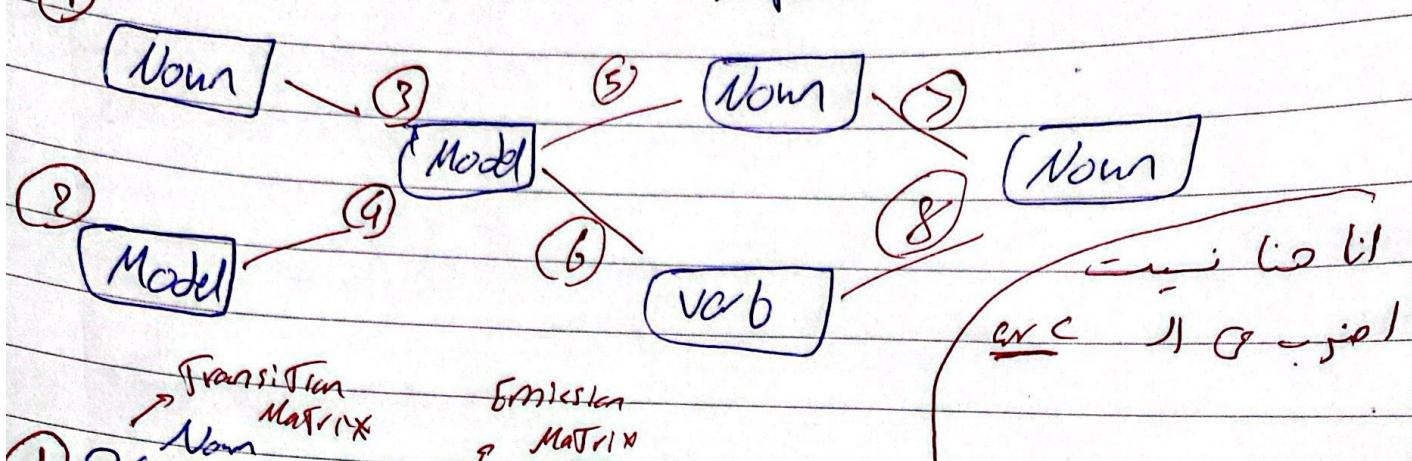
Return the Path.

<https://www.spearhead-training.com>



N✓

Will Can Spot Mary



$$① P(\text{Will} | \langle s \rangle) \times P(\text{Will} | \text{Noun}) = \frac{3}{4} \times \frac{1}{9} = \frac{1}{12}$$

$$② P(\text{Model} | \langle s \rangle) \times P(\text{Will} | \text{Model}) = \frac{1}{4} \times \frac{3}{4} = \frac{3}{16}$$

$$③ P(\text{Model} | \text{Noun}) \times P(\text{Can} | \text{Model}) = \frac{3}{4} \times \boxed{\frac{1}{4}} = \frac{1}{12} \cdot ①$$

$$④ P(\text{Model} | \text{Model}) \times P(\text{Can} | \text{Model}) = 0 \times \boxed{\frac{1}{4}} = 0 \cdot ②$$

Now we will eliminate ④ & choose ③ only ✓

$$⑤ P(\text{Noun} | \text{Model}) P(\text{Spot} | \text{Noun}) = \frac{1}{4} \times \frac{2}{9} = \frac{1}{18} \cdot ③$$

$$⑥ P(\text{Verb} | \text{Model}) P(\text{Spot} | \text{Verb}) = \frac{3}{4} \times \frac{1}{6} = \frac{3}{16} \cdot ③$$

$$⑦ P(\text{Noun} | \text{Noun}) P(\text{Mary} | \text{Noun}) = \frac{1}{9} \times \boxed{\frac{4}{9}} = \frac{4}{81} \cdot ⑤$$

$$⑧ P(\text{Noun} | \text{Verb}) P(\text{Mary} | \text{Noun}) = \frac{4}{9} \times \boxed{\frac{4}{9}} = \frac{4}{81} \cdot ⑥$$

Now we will eliminate ⑦ & choose ⑧
∴ Path is



Path evaluation :-

Because I did a mistake, lets reevaluate the results

① & ② are the same values

$$③ = \frac{1}{18} \times \frac{1}{12} = \boxed{\frac{1}{144}} \quad \checkmark$$

$$④ = 0 \times \frac{3}{16} = 0 \quad \text{it will be eliminated}$$

$$⑤ \frac{1}{18} \times \frac{1}{144} = \frac{1}{2592} = 3.858 \times 10^{-4}$$

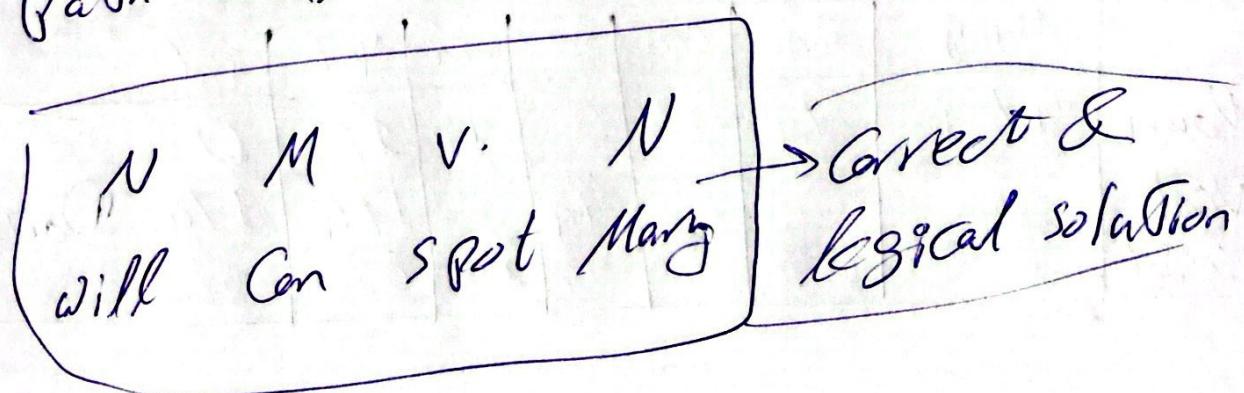
$$⑥ \frac{3}{16} \times \frac{1}{144} = \frac{1}{768} = \underline{1.302 \times 10^{-3}}$$

$$⑦ \frac{4}{81} \times \frac{1}{2592} = \frac{1}{52488} = 1.905 \times 10^{-5}$$

$$⑧ \frac{4}{9} \times \frac{1}{768} = \frac{1}{1728} = \underline{5.787 \times 10^{-4}}$$

$\therefore 7$ will be discarded

\therefore the path will be



Q2: a) Find the value of A

PL <1S>
PL

Usually we should multiply $P(\text{hen} | \text{PL}) \times P(\text{not hen} | \text{not PL})$

→ But here we will apply addition instead

$$\therefore A = 17 + 11 = 28$$

b) Find the value of B & C

→ Same logic $\therefore B = P(\text{Vilar} | \text{PN}) + P(\text{PN} | \text{all classes})$

$$\therefore P(\text{PN} | \text{PL}) = 3 + 28$$

$$P(\text{PN} | \text{PN}) = 4 + 5$$

$$P(\text{PN} | \text{PP}) = 4 + 22$$

$$P(\text{PN} | \text{VB}) = 2 + 83 \quad \text{REPEATED}$$

$$\therefore B = 19 + 9 = 28$$

جی ای ال کل ۱۱ جو گئے تو جس
کو ایک گروہ میں ۹۶ میں

min

$$\therefore C = P(</S> | \text{all previous pos}) = 28$$

$$P(</S> | \text{PL}) + P(\text{BLT} | \text{PL}) = 7 + 21 = 28 \rightarrow \text{VR} = C$$

$$P(</S> | \text{PN}) + 35 = 43$$

$$P(</S> | \text{PP}) + 20 = 29$$

$$P(</S> | \text{VB}) + 36 = 43$$

Now the tag sequence is → BOS X Y PL EOS

To evaluate Y , we know that we chose 21 but then we need to apply the algorithm & select the best value.

$$\therefore Y = \underline{P(C \text{ until } PL)} + \min \begin{cases} P(PL | PN) = 5 + 28 \\ P(PL | PP) = 12 + 8 \\ P(PL | PL) = 17 + 27 \\ P(PL | VB) = 3 + 14 = 17 \end{cases}$$

$$= 9 + 17 = 26$$

$\therefore Y$ must be \boxed{VB}

lets do the same for X

we know that we come from $\underline{VB} = 14$

$$\therefore X = P(\text{vilar} | VB) + \min \begin{cases} P(VB | PL) + 1 = 5 + 28 = 33 \\ P(VB | PN) + 5 = 1 + 5 = 6 \\ P(VB | PP) + 8 = 0 \\ P(VB | VB) + 23 = 0 \end{cases}$$

$$\therefore X = 8 + 6 = 14$$

$\therefore X$ must be \boxed{PN}

\therefore the final sequence must be

BOS PN VB PL EOS \checkmark $\#$

Start by highlighting the entities in the sentence and write O for any non entity and I for any entity

| | | | | | | | | | | | |
|------|--------|--------|-------|----|------|------|-------|--------|----|----------|------------|
| John | Alex | is | going | to | New | York | after | having | an | Appoint. | at |
| I | I | O | O | O | I | I | O | O | O | O | O |
| the | Artif. | Intel. | Cop. | in | Rome | | | | | | IO Tagging |
| O | I | I | I | O | I | | | | | | |

To generalize this into BIO, let the 1ST word of any entity be B

| | | | | | | | | | | | |
|------|--------|--------|-------|----|------|------|-------|--------|----|----------|-------------|
| John | Alex | is | going | to | New | York | after | having | an | Appoint. | at |
| B | I | O | O | O | B | I | O | O | O | O | O |
| the | Artif. | Intel. | Cop. | in | Rome | | | | | | BIO Tagging |
| O | B | I | I | O | B | | | | | | |

To generalize this into BIOES, let the last word of any entity be E and any entity of one word only be S

| | | | | | | | | | | | |
|------|--------|--------|-------|----|------|------|-------|--------|----|----------|-------------|
| John | Alex | is | going | to | New | York | after | having | an | Appoint. | at |
| B | E | O | O | O | B | E | O | O | O | O | O |
| the | Artif. | Intel. | Cop. | in | Rome | | | | | | BIO Tagging |
| O | B | I | E | O | S | | | | | | |