

CMP4060 Languages and Compilers Lexical Analysis — Part1

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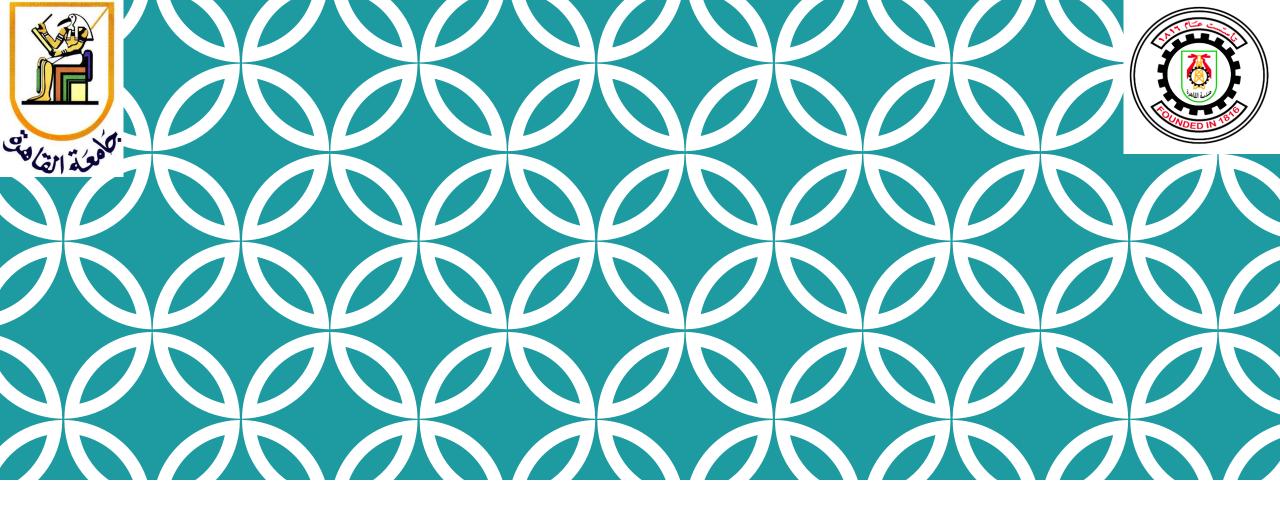
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Course Outline



- Introduction to Compilers
- Lexical Analysis: Regular Grammars
- Lexical Implementation: Finite Automata
- Syntax Analysis: Context-Free Grammars ~
- Parser Implementation: Top-Down Parsers
- Parser Implementation: Bottom-Up Parsers
- Semantic Analysis
- Code Generation
- Code Optimization

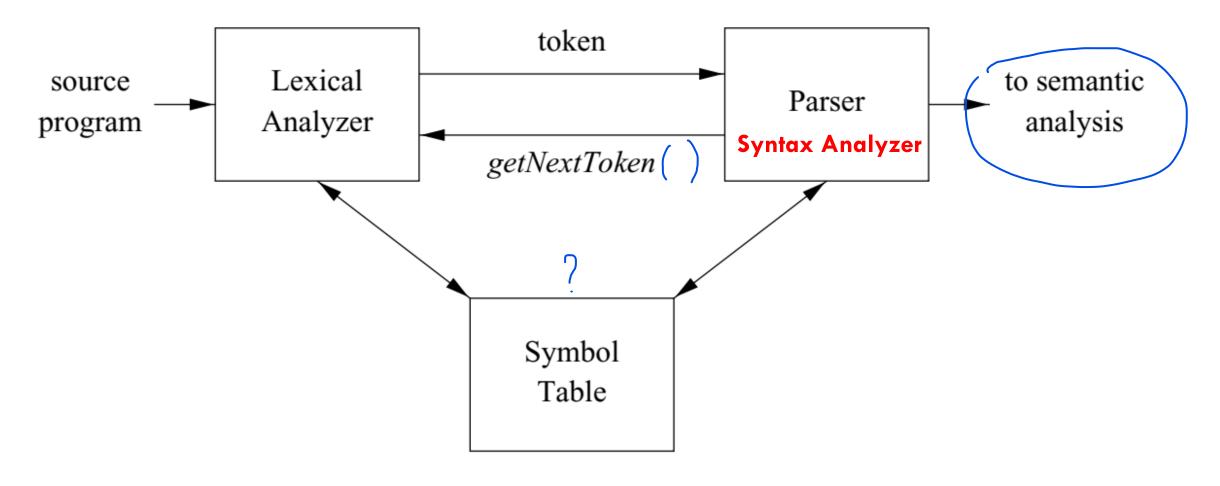
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Lexical Analysis Role

Role of Lexical Analysis









Why Separate Lexical & Syntax Analyzers?

- 1. Simple Compiler Design
- No Lexical → Parser needs to deal with comments and whitespaces
- Cleaner overall language design



Role of Lexical Analysis



Why Separate Lexical & Syntax Analyzers?

- 1. Simple Compiler Design ~
- 2. Improve Compiler Efficiency
 - Apply specialized techniques (i.e.: read input buffering)





Why Separate Lexical & Syntax Analyzers?

- 1. Simple Compiler Design
- 2. Improve Compiler Efficiency
- 3. Portability





Input: a string of characters

Example

$$\hat{i}==j)\n\t = 0;\n\t = 1;$$

Output: a set of substrings "Tokens"

Example



Designing Lexical Analyzer

Designing Lexical Analyzer (Step 1)



Define a finite set of tokens

- Tokens describe all items of interest
- Language dependent
 - if then else?
 - var? ✓
 - *tab space?

Token Types



Identifiers: x y11 elsen_i00

Keywords: if else while for return

Constants

- Integer: 2 1000 -500 0x777
- Float-point: 2.0 0.00020 .02 1. 1e5 0.5-10
- String: "x" "X = %d\nY = %d" ✓
- Character: 'c'

Symbols: $+ * \{ \} ++ < [] > =$

Whitespaces .

- Typically recognized & discarded
- Comments, Spaces "", and Format characters "\n" "\t"

Designing Lexical Analyzer (Step 2)



Describe which patterns belong to each token/

A Token could have multiple patterns

Example

Keyword "if" a single pattern "if"

Integer Multiple pattern

Pattern1: [0-9]+

Pattern2: **0b[0-1]**+

Floating point Multiple patterns

Pattern1: [**0-9**]+.[**0-9**]+
Pattern2: [**0-9**]+e[**0-9**]+



Token

- ■A pair of "**Token name**" and "Optional **Attribute value**" ✓
- Token name is an abstract symbol representing kind (i.e.: specific keyword, identifier notation)

Pattern

A description of the form that the lexemes of a token may take.

Lexeme

 A sequence of characters in the source program that matches the pattern of a token



TOKEN	Informal Description	SAMPLE LEXEMES
if	characters i, f	if
${f else}$	characters e, 1, s, e	else /
${f comparison}$	< or $>$ or $<=$ or $>=$ or $!=$	<=, != <i>/</i>
id	letter followed by letters and digits	pi, score, D2
${f number}$	any numeric constant	3.14159, 0, 6.02e23
literal	anything but ", surrounded by "'s	"core dumped"



$$E = M * C ** 2$$



$$E = M * C ** 2$$

```
<id, pointer to symbol-table entry for E>
<assign_op>
<id, pointer to symbol-table entry for M>
<mult_op>
<id, pointer to symbol-table entry for C>
<exp_op>
<number, integer value 2>
```



Implementation

Lexical Analyzer Implementation



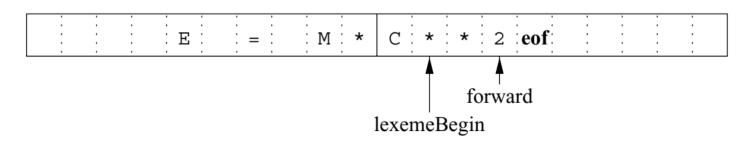
- 1. Recognize substrings corresponding to tokens
- 2. Return the "lexeme" value of the token 🗸
- 3. Discard "uninteresting" tokens





Lookahead

- Determine the start and end of a lexeme
- •Example
 - i vs if vs if_flag
 - = vs ==
- Use a pair of pointers







Ambiguities

- Keywords that are not reserved
 - i.e.: "max = 5" vs "max(1,5)"
- Scope start/end
- User-defined types
 - •i.e.: "Class car"





Lexical Errors

- •Example: fi(a == f(x))
 - Variable called "fi" vs misspelling of the keyword "if"

Solution 1: Let the parser handle it

- Mark "fi" as an identifier token
- Pass it to the syntax analyzer "parser"

Issues Handled During Implementation



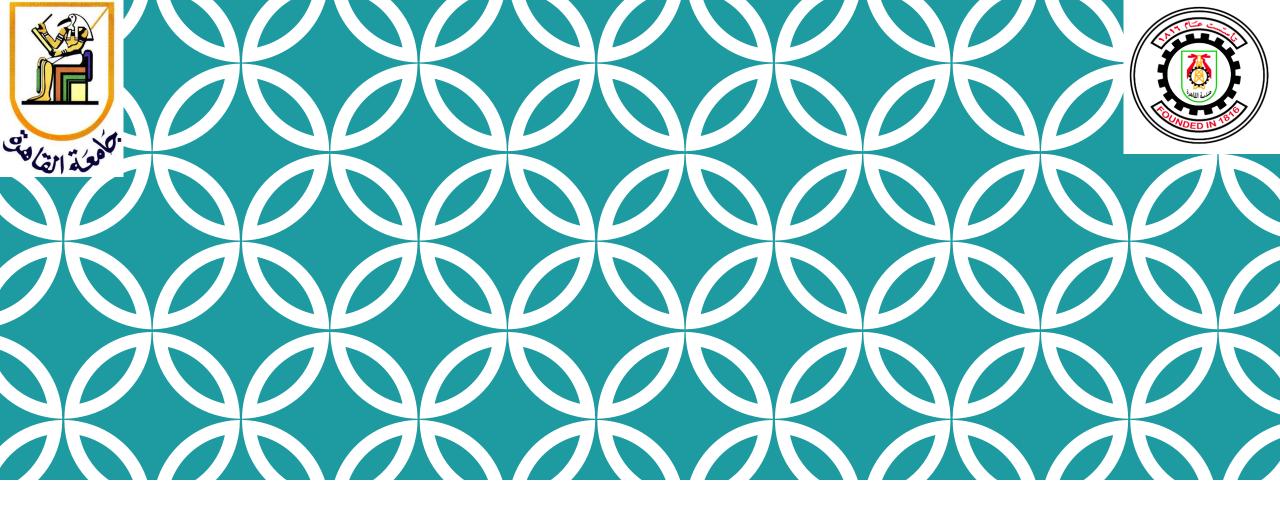
Lexical Errors

- •Example: fi(a == f(x))
 - Variable called "fi" vs misspelling of the keyword "if"

Solution 2: Test error recovery actions

- •If the input string doesn't match any pattern
- Test multiple transformations
 - Delete 1 character
 - Insert a missing character
 - Replace a character with another
 - Transpose 2 adjacent characters

3 OP



Language



Alphabet Σ

Any finite set of symbols (Letters, digits, punctuations)

Example

- •{0, 1} Binary alphabet "
- *ASCII



String

- A finite sequence of symbols drawn from that alphabet
- •A word or sentence → string
- $|S| \rightarrow \text{length of a string}$
 - The number of occurrences of symbols in the string S^{\checkmark}
- ε is the empty string with |s| = 0



String

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String Operations

- *Concatenation is the product of multiple strings $\rightarrow x * y$
- •Repetition is the exponentiation of strings $\Rightarrow s^2 = s * s \checkmark$



Formal Language Σ^*

 The set of all possible strings that can be generated from a given alphabet



Language L

- •Set of string characters drawn from alphabet Σ
- ${f ^*}$ A subset of the formal language Σ^*
- Operations can be done on languages

OPERATION	DEFINITION AND NOTATION	
$Union ext{ of } L ext{ and } M$	$L \cup M = \{s \mid s \text{ is in } L \text{ or } s \text{ is in } M\}$	
$Concatenation ext{ of } L ext{ and } M$	$LM = \{ st \mid s \text{ is in } L \text{ and } t \text{ is in } M \}$	
7. Kleene closure of L	$L^* = \bigcup_{i=0}^{\infty} L^i$	
$Positive\ closure\ of\ L$	$L^+ = \cup_{i=1}^{\infty} L^i$	



Grammer?



Regular Expressions

Regular Expressions



Several formalisms for specifying tokens

Regular expressions are the most popular

- Simple and useful theory
- Easy to understand ?
- Efficient implementations

Regular Expressions



Algebraic notation for describing sets of strings

Definition of regular expressions over Σ

 Rules that define exactly the set of words that are valid tokens in a language





Single character

Epsilon

$$\varepsilon = \{""\}$$

Notation

- •Italics denote symbols
- Bold denotes regular expressions





Union

$$A + B = \{s \mid s \in A \text{ or } s \in B\}$$

Concatenation

 $AB = \{ab \mid a \in A \text{ and } b \in B\}$

Iteration

 $^{\bullet}A^{*}=U_{i\geq 0}A^{i}$, where A^{i} is A concatenated i times



Regular Languages



Languages can be defined by a regular expressions

$$L(\varepsilon) = \{""\}$$

$$L('c') = \{ "c" \}$$

$$L(A+B) = L(A) \cup L(B)$$

$$L(AB) = \{ab \mid a \in L(A) \text{ and } b \in L(B)\}$$

$$L(A^*) = \bigcup_{i \ge 0} L(A^i)$$

Regular Languages



Languages can be defined by a regular expressions

- -A = L(A)
- Regular expression A matches the set of strings belong to language L(A)

Example: Integers



Non-empty string of digits

Regular Definition?

Example: Integers

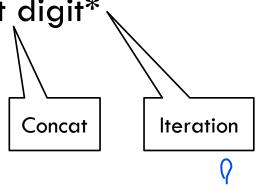


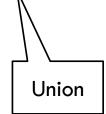
Non-empty string of digits

Regular Definition

•digit = (0' + (1' + (2' + (3' + (4' + (5' + (6 + (7' + (8' + (9')))))))

Integer = digit digit*





Example: Identifiers



String of letters or digits starting with a letter Regular Definition?

Example: Identifiers



String of letters or digits starting with a letter

Regular Definition?

•digit =
$$(0' + (1' + (2' + (3' + (4' + (5' + (6 + (7' + (8' + (9')$$

•letter = 'A' + 'B' + ... + 'Z' + 'a' + 'b' + ... + 'z'

•identifier = letter(letter + digit)*

Concat

Union

Iteration





Keyword

- Regular expression looks exactly like the keyword
- keyword = "if" + "else" + "then" + "include" + ...

Whitespace

- Non-empty sequence of blanks, newlines, and tabs
- •whitespace = ('' + ' n' + ' t')+

Example:



Email?

Phone Numbers?

Extensions to Regular Expressions



Enhance the ability to specify strings

One or more instances

$$r^* = r^+ | \varepsilon$$
 and $r^+ = rr^* = r^*r$

Union of regular expressions

$$A \mid B \Leftrightarrow A + B$$

Optional

$$A + \varepsilon \Leftrightarrow A$$
?

Range

Extensions to Regular Expressions



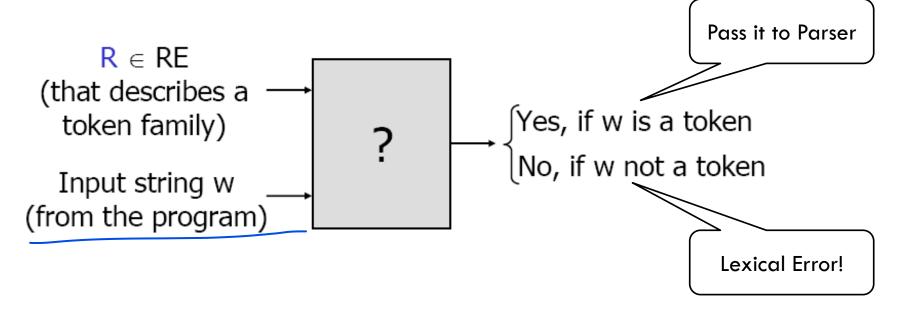
Regular expressions mapping to languages

- \cdot A | B = L(A) \cup L(B)
- Union of both regular expression A & B matches the union of language sets L(A) & L(B)

How to use RE in Lexical Analyzer?



Given $R \in RE$ and input string w, need a mechanism to determine if $w \in L(R)$



Summary



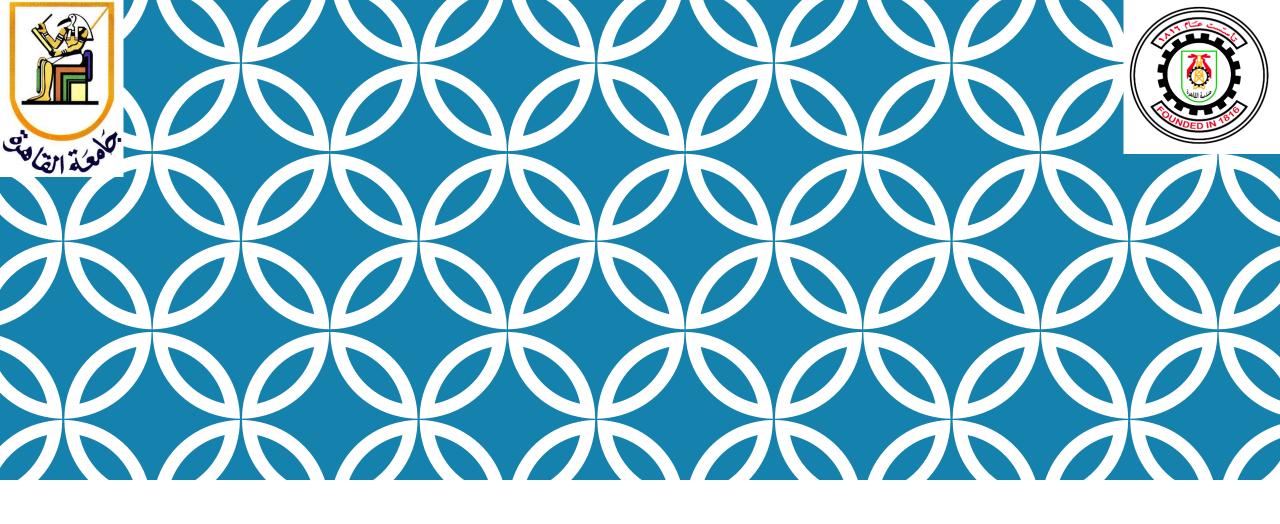
Regular expressions describe many useful languages

Regular languages are a language specification

We still need an implementation!

Next time: Given a string \underline{s} and a regular expression \underline{R} , How can we decide if:

s belongs to L(R)



Thank you