

Subset Algorithm

- we have 3 main steps
- get start state
 - get states T' that are reachable by certain char $\rightarrow a$ & all its epsilons
 - set a transition between these super nodes.

مثلاً بالک لو طالب نفی لا Node نفی
کر، متعلق node جو ہے

→ get start state → we should implement a function that takes any node, and then append all its neighbours that can be achieved via epsilon edge

→ def epsilon_closure(state) uDFS also, superNode
if (visited[state]) u visited before.
return

for trans in state.transitions:

if (trans == 'ε')

superNode.states.append(dest)

epsilon_closure(dest, superNode)

Step 2,
create state T that is reachable via ϵ & a , where a is any character.

ABCPHI

def step2 (~~current~~ SuperNode, a) \rightarrow SuperNode.:

1. new SuperNode

2. iterate over each state in the current SuperNode

~~1. new SuperNode~~

1. epsilon closure (state, new SuperNode)

2. for trans in state.transitions:

1. if (trans == ' a ')

new SuperNode.states.append(dest)

3. return new SuperNode

Step 3: Add Transition (Source SuperNode, Dest SN, a)

Source SuperNode.transitions.append(ϵ ~~a~~ a , Dest SN)

SuperNode \rightarrow states \rightarrow list [state]
 \rightarrow isTerminating \rightarrow bool
 \rightarrow Transition \rightarrow map (a \rightarrow letter, value \rightarrow SuperNode)

Main logic

\rightarrow we know the initial state

1. initState = SuperNode (initState False, $\{?$)

2. epsilon closure (~~initState~~ ~~initState~~, initState, initState)

3. ~~first~~


(2)

Main Logic:

→ we know the initial state → A

1. initial SuperNode = ~~superNode~~ superNode(A, False, {})

→ get its closure

2. epsilon-closure(A, )

3. create list of superNodes = [initial SuperNode]

4. for sn in superNodes: {0, 1, ...}

1. for transition in transitions

1. newSuper = step2(sn, transition)

2. Add Transition (sn, newSuper, transition)

3. superNodes.append(newSuper)

ہاں صیغی ہے اسے ان لو طلبت نفی ۱۱ super static ہے
کرا، ہفت میں ۲۰ handle الحوار ۲۰