

Circle **T** or **F** for each of the following statements to indicate whether the statement is true or false.

- | | | | |
|----|----------|----------|---|
| 1 | T | F | Radix-sort works correctly even if Insertion-sort is used as an auxiliary sorting algorithm instead of Counting-sort. |
| 2 | T | F | The best case running time for Insertion-sort to sort n elements is $O(n)$. |
| 3 | T | F | A sorted array of n elements can be sorted by quick-sort in $O(n \lg n)$ steps. |
| 4 | T | F | The smallest element in a max-heap containing n elements can be found in $O(\lg n)$ steps. |
| 5 | T | F | By Master theory, the solution to the recurrence $T(n)=3T(n/3)+\lg n$ is $T(n)=\Theta(n \lg n)$. |
| 6 | T | F | Heap-sort is a sort in place sorting algorithm. |
| 7 | T | F | $f(n)=\Theta(g(n))$ if and only if $f(n)=\Omega(g(n))$. |
| 8 | T | F | The lower bound of selecting the m smallest elements of an array A of n integers is $O(n + m \lg n)$ in the worst-case. |
| 9 | T | F | $f(n)+g(n) = \Theta(\max (f(n), g(n)))$. |
| 10 | T | F | In spite of both Merge-sort and Heap-sort are running in $O(n \lg n)$, Heap-sort is running faster than Merge Sort for the same Array $A(n)$. |
| 11 | T | F | The median of odd n elements is the element $(n-1)/2$. |
| 12 | T | F | The selection problem can be solved in $O(n)$ in the average-case and can be solved in $O(n \lg n)$ in the worst-case. |
| 13 | T | F | In spite of the worst-case running time if Quick-sort is $O(n^2)$, it considered practically as the best comparison sorting algorithm. |
| 14 | T | F | The maximum number of elements in a heap with height h is 2^{h+1} . |
| 15 | T | F | The recurrence equation is an equation describing the running time of recursive algorithms. |

With my best wishes
Dr. Tarek Hagraas

إسم الطالب: رقم الجلوس: الفصل: