Course Code: IS201

Course Title: Database System

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Faculty of Artificial Intelligence

Text Book

The concepts and presentation of this course are drawn from:

- R. ElMasri & S. Navathe, "Fundamentals of Database Systems", Addison Wesley, Fifth Edition, 20011.
- Carlos M. Coronel Database Systems_ Design,
 Implementation, & Management-Cengage Learning (2018).
- Learn SQL Database Programming_ Query and manipulate databases from popular relational database servers using SQL-Packt Publishing (2020)

The Relational Algebra and Relational Calculus

The Relational Algebra and Relational Calculus

Relational algebra

- Basic set of operations for the relational model
- {σ, π, ∪, ρ, −, x}
- Relational algebra expression
 - Sequence of relational algebra operations
- Relational calculus
 - Higher-level declarative language for specifying relational queries

Unary Relational Operations: SELECT and PROJECT

Unary

- Applied to a single relation
- The SELECT Operation (select rows)

$$\sigma_{\text{selection condition}>}(R)$$

- Subset of the tuples from a relation that satisfies a selection condition:
 - Boolean expression contains clauses of the form <attribute name> <comparison op> <constant value> or
 - <attribute name> <comparison op> <attribute name>
 - Tuple is (A row or record in a database table.)

Unary Relational Operations: SELECT and PROJECT (cont'd.)

Example:

```
\sigma_{(\mathsf{Dno}=4\;\mathsf{AND}\;\mathsf{Salary}>25000)\;\mathsf{OR}\;(\mathsf{Dno}=5\;\mathsf{AND}\;\mathsf{Salary}>30000)}(\mathsf{EMPLOYEE})
```

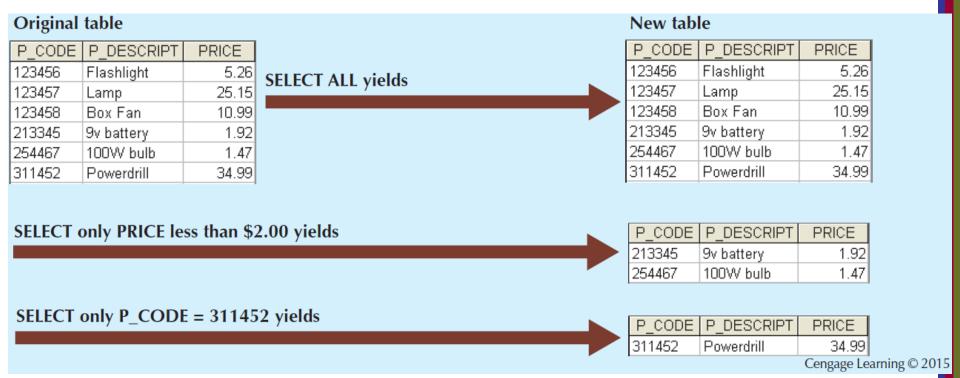
- <selection condition> applied independently to each individual tuple t in R
 - If condition evaluates to TRUE, tuple selected
- Boolean conditions AND, OR, and NOT

EMPLOYEE	FNAME	MINIT	LNAME	SSN	BDATE	ADDRESS	SEX	SALARY	SUPERSSN	DNO
	John	В	Smith	123456789	1965-01-09	731 Fondren, Houston, TX	М	30000	333445555	5
	Franklin	T	Wong	333445555	1955-12-08	638 Voss, Houston, TX	М	40000	888665555	5
	Alicia	J	Zelaya	999887777	1968-07-19	3321 Castle, Spring, TX	F	25000	987654321	4
	Jennifer	S	Wallace	987654321	1941-06-20	291 Berry, Bellaire, TX	F	43000	888665555	4
	Ramesh	K	Narayan	666884444	1962-09-15	975 Fire Oak, Humble, TX	М	38000	333445555	5
	Joyce	Α	English	453453453	1972-07-31	5631 Rice, Houston, TX	F	25000	333445555	5
	Ahmad	٧	Jabbar	987987987	1969-03-29	980 Dallas, Houston, TX	М	25000	987654321	4
	James	E	Borg	888665555	1937-11-10	450 Stone, Houston, TX	М	55000	null	1

Unary Relational Operations: SELECT and PROJECT (cont'd.)

- Selectivity
 - Fraction of tuples selected by a selection condition
- SELECT operation commutative
- Cascade SELECT operations into a single operation with AND condition

Select



The PROJECT Operation

Selects columns from table and discards the other columns:

$$\pi_{\text{cattribute list}>}(R)$$
 $\pi_{\text{Fname, Lname, Salary}}(\text{EMPLOYEE})$

- Degree
 - Number of attributes in <attribute list>

EMPLOYEE	FNAME	MINIT	LNAME	<u>SSN</u>	BDATE	ADDRESS	SEX	SALARY	SUPERSSN	DNO
	John	В	Smith	123456789	1965-01-09	731 Fondren, Houston, TX	М	30000	333445555	5
	Franklin	T	Wong	333445555	1955-12-08	638 Voss, Houston, TX	М	40000	888665555	5
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Sequences of Operations and the RENAME Operation

In-line expression:

$$\pi_{\mathsf{Fname,\ Lname,\ Salary}}(\sigma_{\mathsf{Dno}=5}(\mathsf{EMPLOYEE}))$$

Sequence of operations:

$$\begin{aligned} & \mathsf{DEP5_EMPS} \leftarrow \sigma_{\mathsf{Dno}=5}(\mathsf{EMPLOYEE}) \\ & \mathsf{RESULT} \leftarrow \pi_{\mathsf{Fname,\ Lname,\ Salary}}(\mathsf{DEP5_EMPS}) \end{aligned}$$

EMPLOYEE	FNAME	MINIT	LNAME	<u>SSN</u>	BDATE	ADDRESS	SEX	SALARY	SUPERSSN	DNO
	John	В	Smith	123456789	1965-01-09	731 Fondren, Houston, TX	М	30000	333445555	5
	Franklin	Т	Wong	333445555	1955-12-08	638 Voss, Houston, TX	М	40000	888665555	5
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	Ramesh	K	Narayan	666884444	1962-09-15	975 Fire Oak, Humble, TX	М	38000	333445555	5
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Sequences of Operations and the RENAME Operation

- Rename attributes in intermediate results
 - RENAME operation

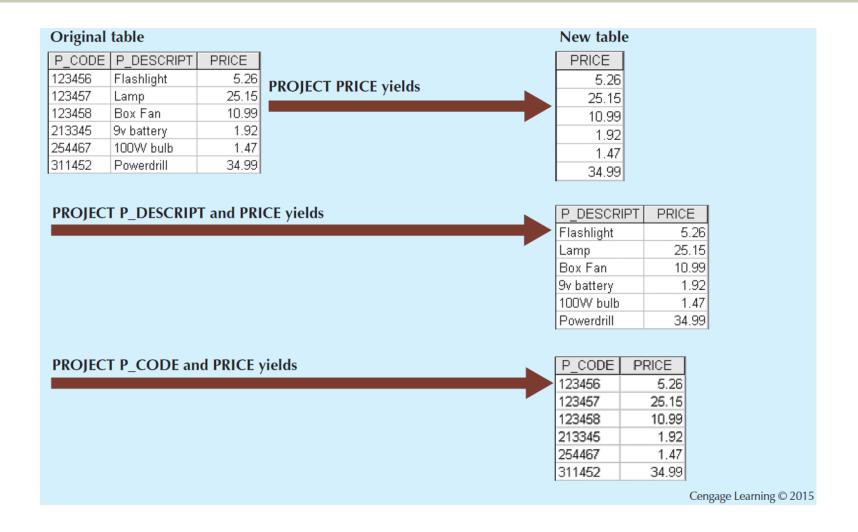
$$\rho_{S(B_1, B_2, ..., B_n)}(R)$$
 or $\rho_{S}(R)$ or $\rho_{(B_1, B_2, ..., B_n)}(R)$

Projection:

- Projection selects certain columns from a table.
- For example, you might want to see just the Name, Customer Number (Cust#), and City fields from the Cust-address table.

- The projection operator takes a table and a set of field names as input and returns another table as output.
- The resulting table contains the same number of rows but fewer columns.
- For example, Project Name, Cust#, City produces the following table:

Project



Relational Algebra Operations from Set Theory

- UNION, INTERSECTION, and MINUS
 - Merge the elements of two sets in various ways
 - Binary operations
 - Relations must have the same type of tuples
- UNION
 - $\blacksquare R \cup S$
 - Includes all tuples that are either in R or in S or in both R and S
 - Duplicate tuples eliminated

Union:

- The union of two tables with N and M rows, respectively, is obtained by concatenating them into one table with a total of (N+M) rows.
- Union makes sense only if the <u>schemes of the two</u> tables match, i.e., if they have the same number of fields with matching attributes in each field.

Union

P_CODE	P_DESCRIPT	PRICE
123456	Flashlight	5.26
123457	Lamp	25.15
123458	Box Fan	10.99
213345	9v battery	1.92
254467	100W bulb	1.47
311452	Powerdrill	34.99

UNION

P_CODE	P_DESCRIPT	PRICE
345678	Microwave	160.00
345679	Dishwasher	500.00
123458	Box Fan	10.99



P_CODE	P_DESCRIPT	PRICE
123456	Flashlight	5.26
123457	Lamp	25.15
123458	Box Fan	10.99
213345	9v battery	1.92
254467	100W bulb	1.47
311452	Powerdrill	34.99
345678	Microwave	160
345679	Dishwasher	500

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Relational Algebra Operations from Set Theory (cont'd.)

- INTERSECTION
 - $\blacksquare R \cap S$
 - Includes all tuples that are in both R and S
- SET DIFFERENCE (or MINUS)
 - $\blacksquare R S$
 - Includes all tuples that are in R but not in S

Intersect

STU_FNAME	STU_LNAME
George	Jones
Jane	Smith
Peter	Robinson
Franklin	Johnson
Martin	Lopez

INTERSECT

EMP_FNAME	EMP_LNAME
Franklin	Lopez
William	Turner
Franklin	Johnson
Susan	Rogers



STU_FNAME	STU_LNAME
Franklin	Johnson

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Difference:

The difference operator can be used to find records that are in one relation (table), but not in another.

Difference

STU_FNAME	STU_LNAME			
George	Jones			
Jane	Smith			
Peter	Robinson			
Franklin	Johnson			
Martin	Lopez			

DIFFERENCE

EMP_FNAME	EMP_LNAME
Franklin	Lopez
William	Turner
Franklin	Johnson
Susan	Rogers
	9



STU_FNAME	STU_LNAME
George	Jones
Jane	Smith
Peter	Robinson
Martin	Lopez

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The CARTESIAN PRODUCT (CROSS PRODUCT) Operation

- CARTESIAN PRODUCT
 - CROSS PRODUCT or CROSS JOIN
 - Denoted by X
 - Binary set operation
 - Relations do not have to be union compatible
 - Useful when followed by a selection that matches values of attributes

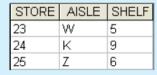
Product:

- The product multiplies two tables so that if one table has N rows and the other has M rows, the product table will contain (N*M) rows.
- Thus if we take the product of the following two tables:

Product

P_CODE	P_DESCRIPT	PRICE
123456	Flashlight	5.26
123457	Lamp	25.15
123458	Box Fan	10.99
213345	9v battery	1.92
254467	100W bulb	1.47
311452	Powerdrill	34.99

PRODUCT





P_CODE	P_DESCRIPT	PRICE	STORE	AISLE	SHELF
123456	Flashlight	5.26	23	W	5
123456	Flashlight	5.26	24	K	9
123456	Flashlight	5.26	25	Ζ	6
123457	Lamp	25.15	23	W	5
123457	Lamp	25.15	24	K	9
123457	Lamp	25.15	25	Ζ	6
123458	Box Fan	10.99	23	W	5
123458	Box Fan	10.99	24	K	9
123458	Box Fan	10.99	25	Ζ	6
213345	9v battery	1.92	23	W	5
213345	9v battery	1.92	24	K	9
213345	9v battery	1.92	25	Ζ	6
311452	Powerdrill	34.99	23	W	5
311452	Powerdrill	34.99	24	K	9
311452	Powerdrill	34.99	25	Ζ	6
254467	100W bulb	1.47	23	W	5
254467	100W bulb	1.47	24	K	9
254467	100W bulb	1.47	25	Z	6

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SAG 2667 BevHls Cust-credit Name Credit Gucci Good	Name	Cust#		City	
Cust-credit Name Credit Gucci Good	Gucci				
Name Credit Gucci Good	SAG	2667		BevHls	
SAG Average					

• We obtain the following table with $2 \times 2 = 4$ rows:

Name	Cust#	Ci	Name	Credit
Gucci	3577	BevHls	Gucci	Good
SAG	2667	BevHls	Gucci	Good
Gucci	3577	BevHls	SAG	Average
SAG	2667	BevHls	SAG	Average

- Where the first three columns are from the first table and the last two columns, from the second table.
- The resulting table does not look right as it stands.
- Why should we have a record that refers both to Gucci's location and SG's credit record.

 We can clean up the table by <u>selecting those</u> <u>rows</u> where the names in columns 1 and 4 <u>match</u> to obtain the following table:

Name	Cust#	City	Name	Credit
Gucci	3577	BevHls	Gucci	Good
SAG	2667	BevHls	SAG	Average

We can then project out one of the <u>Name</u> fields to get:

Name	Cust#	City	Credit	
Gucci	3577	BevHls	Good	
SAG	2667	BevHls	Average	

Binary Relational Operations: JOIN and DIVISION

- The JOIN Operation
 - Denoted by
 - Combine related tuples from two relations into single "longer" tuples
 - General join condition of the form <condition>
 AND <condition> AND...AND <condition>
 - Example:

```
\begin{array}{l} \mathsf{DEPT\_MGR} \leftarrow \mathsf{DEPARTMENT} \bowtie_{\mathsf{Mgr\_ssn} = \mathsf{Ssn}} \mathsf{EMPLOYEE} \\ \mathsf{RESULT} \leftarrow \pi_{\mathsf{Dname,\ Lname,\ Fname}}(\mathsf{DEPT\_MGR}) \end{array}
```

Joining Tables:

- The join operator allows us to join several tables together.
- Given two tables, A and B, the join operator allows one to apply a condition to all rows that are formed by concatenating rows from A and rows from B.

□ Those rows satisfying the condition are returned, i.e. product of the two tables, followed by a selection that ensures that all the rows in the new table are meaningful, i.e. the common fields of the tow tables have equal values.

The following tables show how the joins would affect the <u>Suppliers</u> and <u>Product-composition</u> tables:

Product-compos	<u>ition</u>		
Product	Part-name	Part #	Qty
fastener	Lever	2021	1
fastener	Sprocket	2197	3
fastener	Cog	2876	4
fastener	Spring	2346	6
adapter	Spring	2346	5
adapter	Pulley	2477	5
adapter	Rivet	2498	21
transformer	Lever	2477	3
transformer	Cam	2021	1
transformer	Cam	2655	3
transformer	rivet	2498	12
processor	Cpul	9876	1
processor	8k-chip	9801	4
processor	led	9701	4

Suppliers		
Sup-name	Part#	
Ace	20211	
Ace	2346	
Ace	2477	
Jackson	2197	
Campbell	2876	
Trueman	2498	

Product	Part-Name	Part#	Qty	Sup-Name
fastener	Lever	2021	1	Ace
fastener	sprocket	21973	Jackson	fastener
2876	4	Cam	bell	fastener
2346	6	Ace	dapter	2346
5	Ace	adapter	2477	5
Ace	adapter	2498	21	Trueman
transformer	Lever	2477	3	Ace
transformer	Cam	2021	1	Ace
transformer	Cam	2655	3	Trueman
transformer	rivet	2498	12	Trueman
rocessor	С	9876	1	Bitstream
rocessor	8	9801	4	Electra
rocessor	led	9701	4	Electra

Binary Relational Operations: JOIN and DIVISION (cont'd.)

THETA JOIN

- Each <condition> of the form $A_i \theta B_j$
- A_i is an attribute of R
- B_i is an attribute of S
- A_i and B_j have the same domain
- (theta) is one of the comparison operators:

$$\{=, <, \leq, >, \geq, \neq\}$$

Variations of JOIN: The EQUIJOIN and NATURAL JOIN

■ EQUIJOIN =

- Only = comparison operator used
- Always have one or more pairs of attributes that have identical values in every tuple



NATURAL JOIN

- Denoted by *
- Removes second (superfluous) attribute in an EQUIJOIN condition

Variations of JOIN: The EQUIJOIN and NATURAL JOIN (cont'd.)

Join selectivity

• Expected size of join result divided by the maximum size $n_R^* n_S$

Inner joins

- Type of match and combine operation
- Defined formally as a combination of CARTESIAN PRODUCT and SELECTION

A Complete Set of Relational Algebra Operations

Set of relational algebra operations

$$\{\sigma, \pi, U, \rho, -, x\}$$

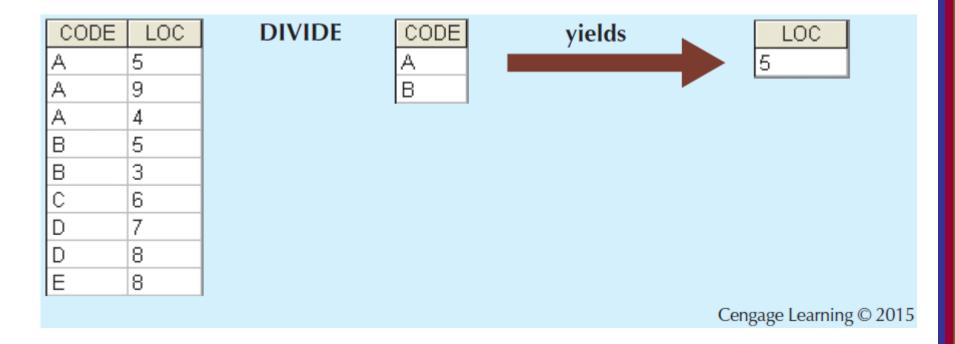
is a complete set

 Any relational algebra operation can be expressed as a sequence of operations from this set

The DIVISION Operation

- Denoted by
- Example: retrieve the names of employees who work on all the projects that 'John Smith' works on
- Apply to relations $R(Z) \div S(X)$
 - Attributes of R are a subset of the attributes of S

Divide



Operations of Relational Algebra

Table 6.1 Operations of Relational Algebra

OPERATION	PURPOSE	NOTATION
SELECT	Selects all tuples that satisfy the selection condition from a relation R .	$\sigma_{\langle \text{selection condition} \rangle}(R)$
PROJECT	Produces a new relation with only some of the attributes of R , and removes duplicate tuples.	$\pi_{< attribute \ list>}(R)$
THETA JOIN	Produces all combinations of tuples from R_1 and R_2 that satisfy the join condition.	$R_1 \bowtie_{< \text{join condition}>} R_2$
EQUIJOIN	Produces all the combinations of tuples from R_1 and R_2 that satisfy a join condition with only equality comparisons.	$R_1\bowtie_{<\text{join condition}>} R_2$, OR $R_1\bowtie_{(<\text{join attributes 1}>),} \atop (<\text{join attributes 2}>)} R_2$
NATURAL JOIN	Same as EQUIJOIN except that the join attributes of R_2 are not included in the resulting relation; if the join attributes have the same names, they do not have to be specified at all.	$R_1 *_{< \text{join condition}>} R_2$, OR $R_1 *_{(< \text{join attributes 1}>)}$, R_2 OR $R_1 *_{R_2} R_2$

Operations of Relational Algebra (cont'd.)

Table 6.1 Ope	rations of Relational Algebra	
UNION	Produces a relation that includes all the tuples in R_1 or R_2 or both R_1 and R_2 ; R_1 and R_2 must be union compatible.	$R_1 \cup R_2$
INTERSECTION	Produces a relation that includes all the tuples in both R_1 and R_2 ; R_1 and R_2 must be union compatible.	$R_1 \cap R_2$
DIFFERENCE	Produces a relation that includes all the tuples in R_1 that are not in R_2 ; R_1 and R_2 must be union compatible.	$R_1 - R_2$
CARTESIAN PRODUCT	Produces a relation that has the attributes of R_1 and R_2 and includes as tuples all possible combinations of tuples from R_1 and R_2 .	$R_1 \times R_2$
DIVISION	Produces a relation $R(X)$ that includes all tuples $t[X]$ in $R_1(Z)$ that appear in R_1 in combination with every tuple from $R_2(Y)$, where $Z = X \cup Y$.	$R_1(Z) \div R_2(Y)$

