

Optimization of intermediate code:-

- Constant folding:- process of evaluating and recognizing constant expression at compile time rather than computing them at runtime.

e.g.  $\text{int } 2 \text{ real } (60)$

can be evaluated to 60.0  
compile time

- Elimination of unnecessary intermediate variables.

- Common subexpression elimination:-

$$a = \underbrace{b * c} * g$$

$$d = \underbrace{b * c} + e$$

$$\text{tmp} = b * c$$

$$a = \text{tmp} * g$$

$$d = \text{tmp} + e$$

searches for instances of identical expressions.

- code movement of loops...
- strength reduction of operations  
(e.g. multiplication by 2 changed into shift of bits)

# Assembler Optimization

- instruction selection: choosing the best way to implement the constructs may depend on the context

- register allocation:- decide best way to use the register available

- Load latency:- loading a value into a register from store

because instructions are pipelined in most modern processors the value is not available immediately.

- we may rearrange statements so that some operation between when the value is loaded & when the register is used.

- Peephole optimization:-

is performed over a very small set of instructions in a segment of generated code.

## Qualities of a Compiler:-

- Correctness (preserve its meaning)
- Compiles quickly
- output execution speed
- how large is the code?  
how much memory it use  
(Output footprint)
- separate compilation (relocatable code, linking)
- User friendly (front end):  
good error recovery
- Debugging
- Cross language (interface compatibilities)
- Understandable and correct optimization.

## Infix to postfix conversion

infix:-

a op b

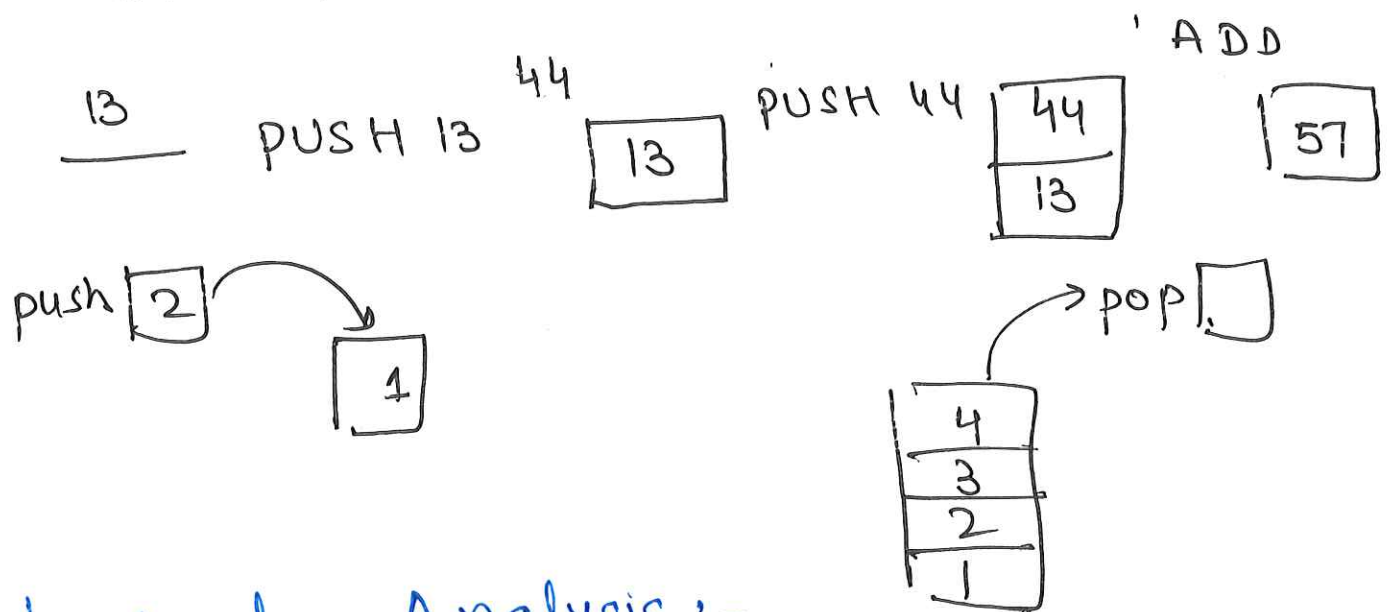
$(13 + 44) * 2 + 6 \rightarrow$  infix<sup>2</sup>  
postfix 13 44 + 2 \* 6 +

postfix      ab op

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Why is postfix notation popular in compiler writing ??

because it is easy to implement on the stack machine



Lexical Analysis :-

identifies tokens in input string.

Issues in lexical analysis :-

- Lookahead
- ambiguities.

Specifying Lexers :-

- Regular Expression.
- Examples of regular expressions.



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```
if (i == j)
    z = 0;
else
    z = 1;
```

1t if (i == j) \n | t | z = 0; \n | t | else \n | t |  
t z = 1;

Goal :- partition input string  
into substring:

- Definite a finite set of tokens.
- Choice of token depends on language, design of parser.

Token : syntactic category

English : noun, verb, objective

Programming Language : identifier, int, keyword, whitespace...

- Identifier :- strings of letters/digits, starting with a letter

Integer :- a non-empty string of digits

keyword :- if, else, begin

whitespace - non-empty set of blank, new line, tab.

# Designing a Lexical Analyzer 6)

Step 1 :- define a finite set of tokens.

if  $(i == j) \mid n \mid t \mid z = 0$ ;  $\mid n \mid t$  else  $\mid n \mid t \mid z = 1$ ;

Tokens for this exp.

integer, keyword, relation, identifier  
whitespace (,) = ;

Step 2 :- describe which strings belong to each token

identifier

int

keyword

whitespace

Step 3 :- Implementation

- Recognize substrings corresponding to tokens
- Return the value or lexeme of token.

Lexer usually "discards" tokens that contribute to parsing.

"uninteresting" don't contribute whitespace, comments.

## Regular Languages:-

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- simple and useful theory
- Easy to understand
- efficient implementation

## Language:-

Let  $\Sigma$  be a set of characters.

A language over  $\Sigma$  is a set of strings of characters drawn from  $\Sigma$ .

## English

- Alphabet = English characters
- Language = English sentence

Alphabet = ASCII  
Language - Cprog.

## Regular Expression:- regexp / regex

sequence of characters that define a search pattern.  
- consists of constants which denote set of strings, operators symbols, which denote operations over the sets.

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 $\Sigma$ . finite alphabet

(empty set)  $\emptyset$  denoting set  $\emptyset$   
 (empty string)  $\epsilon \rightarrow$  which has no characters at all  
 (literal char)  $a$  in  $\Sigma$  denoting set containing char 'a'

Concatenation

$$R = \{ "ab", "c" \}$$

$$S = \{ "d", "ef" \}$$

$$RS = \{ "abd", "abef", "cd", "cef" \}$$

Alteration :- $R|S \rightarrow$  set union of  $R$  and  $S$ 

$$R = \{ "ab", "c" \}$$

$$S = \{ "ab", "d", "ef" \}$$

 ~~$R$~~ \*

$$R|S = \{ "ab", "c", "d", "ef" \}$$

 $R^*$