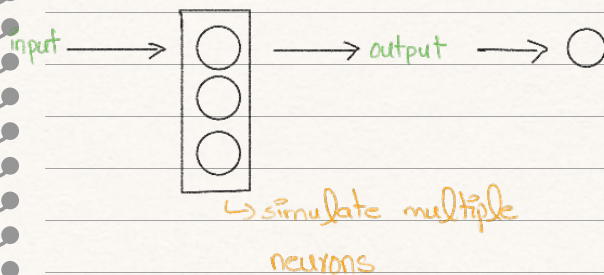


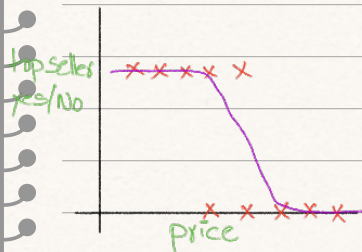
Subject: Neural Networks

//

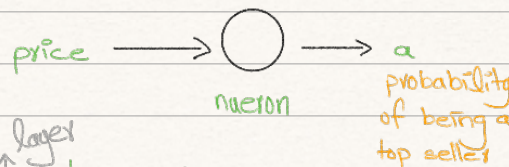


Demand Prediction:

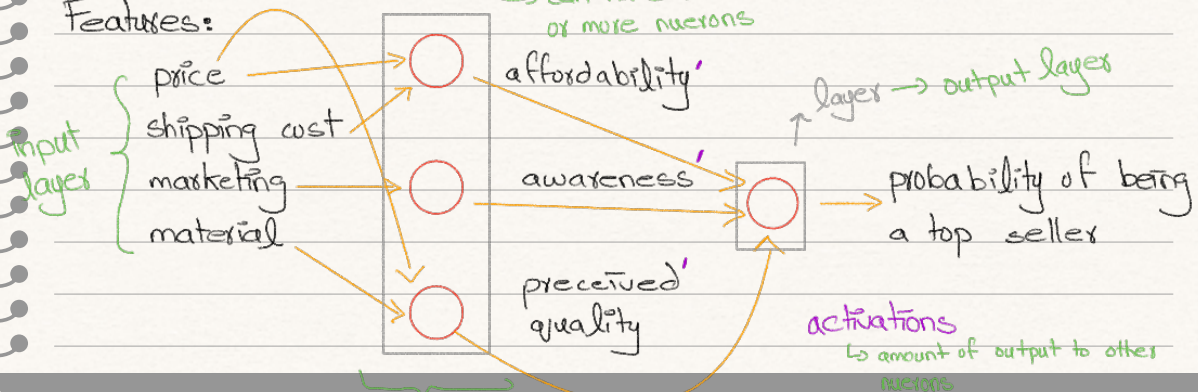
- A product will be a top seller?



$x = \text{price}$
 $a = f(x) = \frac{1}{1 + e^{-(wx+b)}}$
activation
↳ How much a neuron is sending a high output to other neurons



Features:



hidden layer

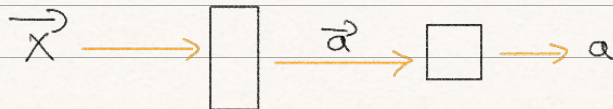
Subject: / /

4 numbers

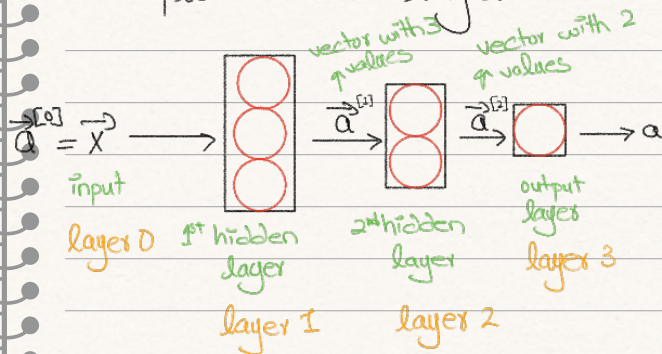
3 numbers

1 number

As it would be difficult to manually choose which neuron will have access to which input feature. Therefore, each neuron has access to every input of the previous layer. In above example, the neuron will pick appropriate features.



Multiple hidden layers



$a^{[i]}$ \rightarrow layer index
 \rightarrow output

$$a_j^{[l]} = g(\vec{w}_j^{[l]} \cdot \vec{a}^{[l-1]} + b_j^{[l]})$$

\rightarrow activation function

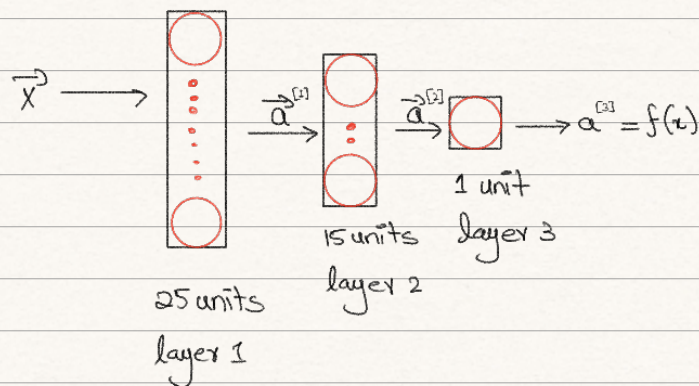
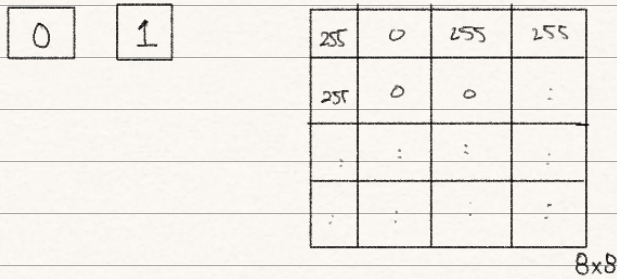
\rightarrow activation of layer l
 unit (neuron) j

Subject:

//

Inference — Forward Propagation

Digit Recognition:



As we move from left to right, this is called forward propagation

Tensorflow:

```
z = np.array([[200.0, 17.0]])
```

```
layer_1 = Dense(units=3, activation='sigmoid')
```

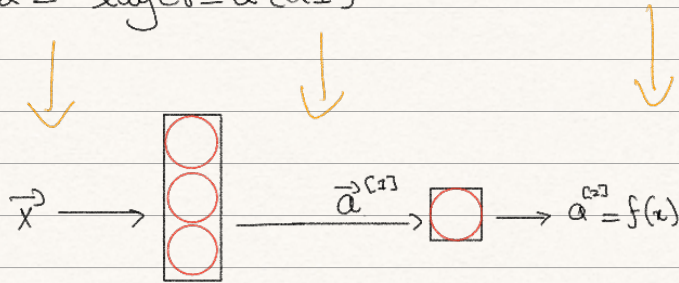
↓
no. of neurons

Subject: // /

$$a1 = \text{layer_1}(x)$$

$$\text{layer_2} = \text{Dense}(\text{units} = 1, \text{activation} = \text{'sigmoid'})$$

$$a2 = \text{layer_2}(a1)$$



Neural Network in Tensorflow:

$$\text{layer_1} = \text{Dense}(\text{units} = 3, \text{activation} = \text{'sigmoid'})$$

$$\text{layer_2} = \text{Dense}(\text{units} = 1, \text{activation} = \text{'sigmoid'})$$

$$\text{model} = \text{Sequential}([\text{layer_1}, \text{layer_2}])$$

↓
Joins layers
to make a
neural network

$$x = \text{np.array}([[...]])$$

$$y = \text{np.array}([...])$$

$$\text{model.compile}(\dots)$$

$$\text{model.fit}(x, y)$$

↳ Train on x & y

$$\text{model.predict}(x_{\text{new}})$$

↳ Does inference

Subject: _____

__ / __ / __

OR

```
model = Sequential([Dense(units=3, activation='sigmoid'),  
                    Dense(units=1, activation='sigmoid')])
```

The weight matrix **W** will be of shape (5, 3):

$$\mathbf{W} = \begin{bmatrix} w_{11} & w_{12} & w_{13} \\ w_{21} & w_{22} & w_{23} \\ w_{31} & w_{32} & w_{33} \\ w_{41} & w_{42} & w_{43} \\ w_{51} & w_{52} & w_{53} \end{bmatrix}$$

- Rows: Correspond to input features x_1 to x_5 .
- Columns: Correspond to units y_1, y_2, y_3 .

Each element w_{ij} in the matrix represents the weight associated with input feature i (row) for unit j (column). These weights determine how much influence each input feature has on each unit's output.