

Conventional materials:

- 1) Polymers → Light weight, low cost but low strength and moduli.
- 2) Ceramics → Strong, stiff but brittle
- 3) Metals → Intermediate strength & moduli but heavy

Engineering components require a mixture of these properties. Therefore, we use composites. → A 'man made' multiphase material

Applications:

- 1) mud + straws Plaster / Bricks
- 2) Carbon/epoxy Composite crutch:
 - Stronger & quieter, weighs 50% less
 - Aesthetically more pleasing
- 3) Carbon fibres used in turbine blade
 - ↳ lighter than glass fibres

Components of Composites:

- 1) Matrix — Continuous
- 2) Reinforcement — discontinuous (fibre)
- 3) Interface

Classification:

1) Polymer matrix composite:

GFRP: Glass reinforced fibre plastic

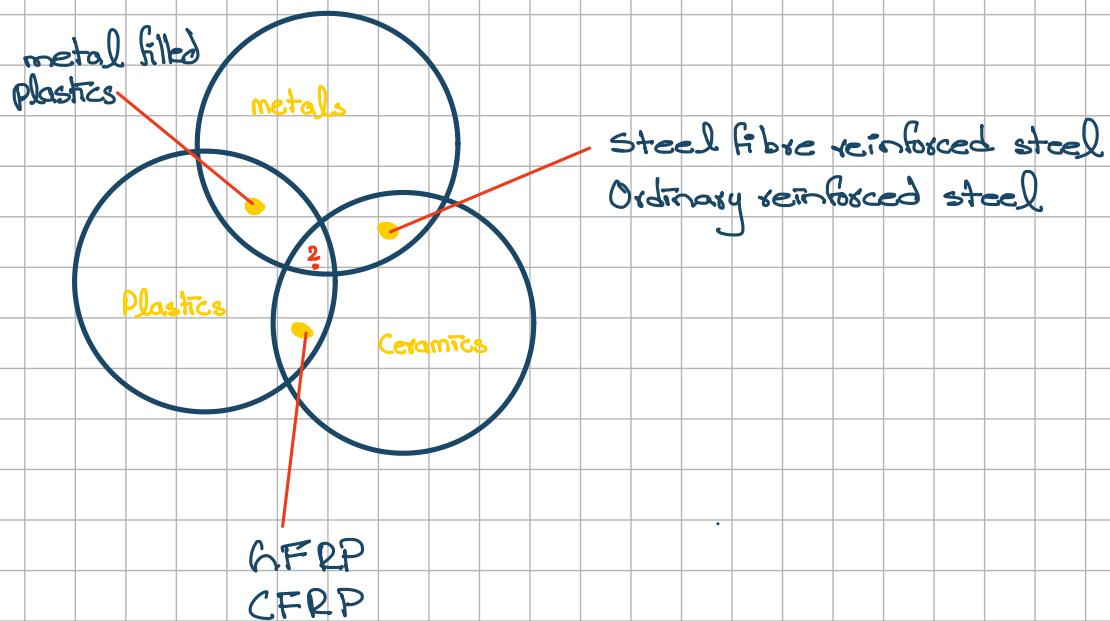
CFRP: Carbon reinforced fibre plastic

2) Metal matrix composites:

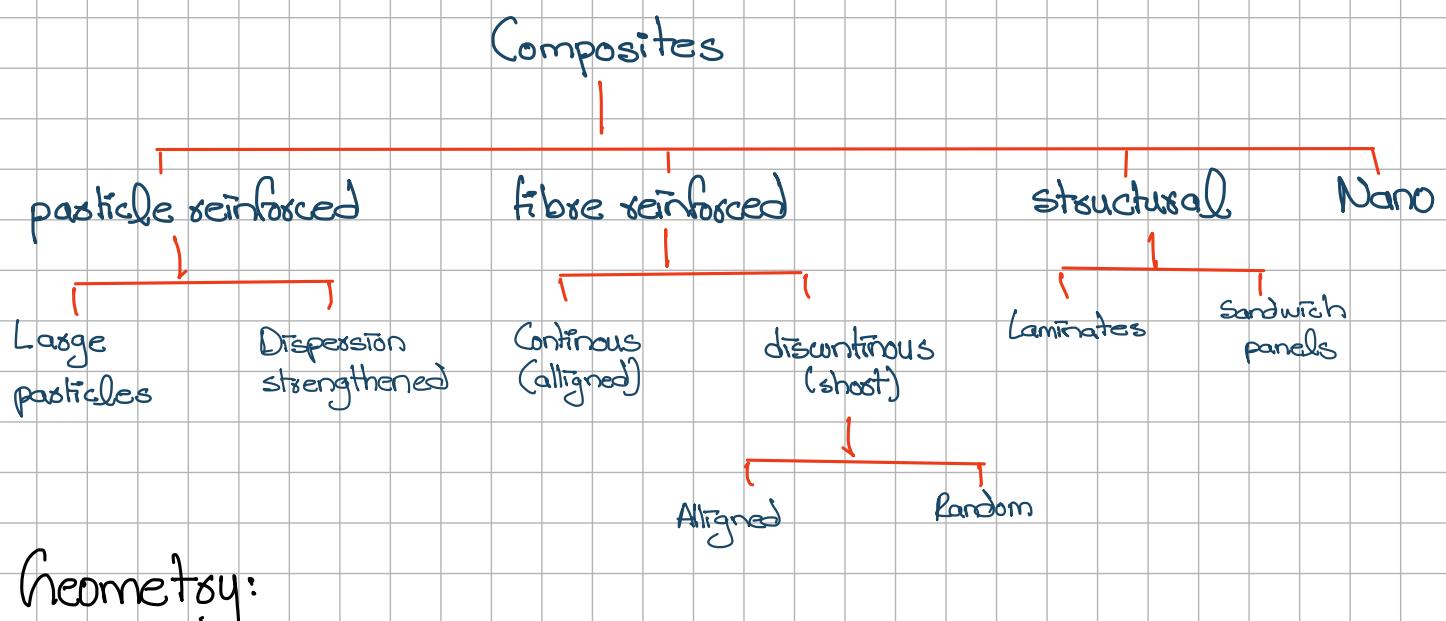
• Al — $\text{Al}_2\text{O}_3 \rightarrow$ Reinforcement
 ↓
 matrix

3. Ceramic matrix composite:

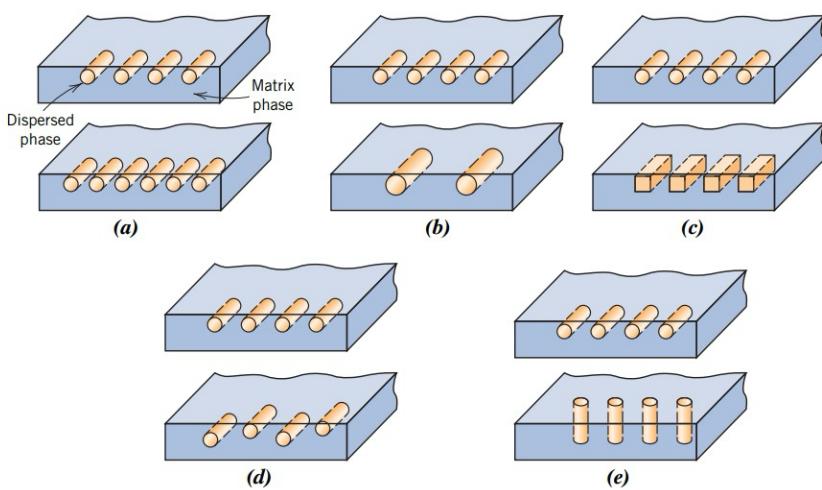
- $\text{Al}_2\text{O}_3 - \text{SiC}$



Classification based on reinforcement phase:



Geometry:



Properties of composites:

- ↳ Depends on properties of fibre
- ↳ Load transfer from matrix to fibre

Critical length:

Minimum length where there is maximum load transfer from matrix to fibre.

- load transfer (Tensile stress) is zero at fibre ends and maximum at the centre

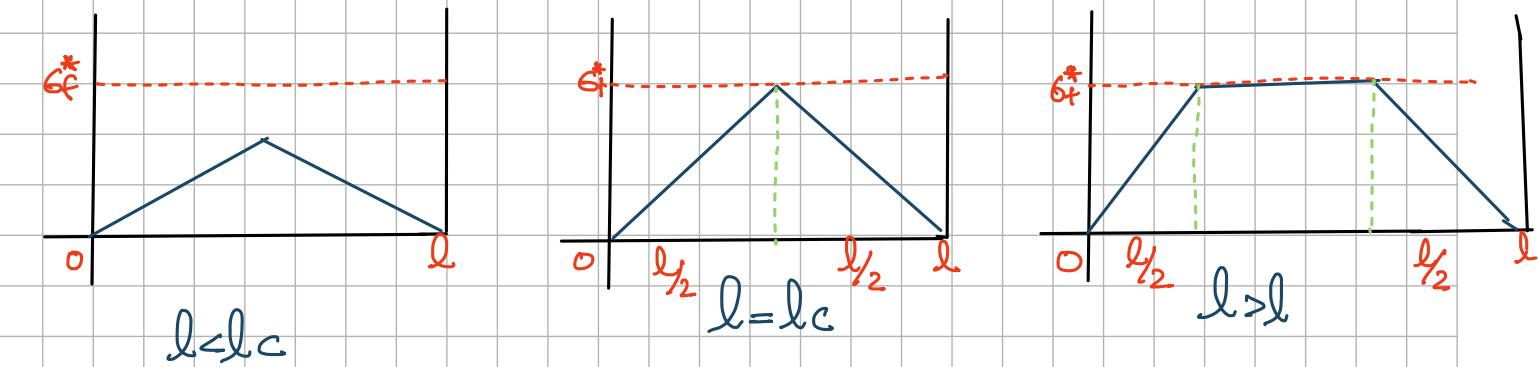
$l < l_c$
poor performance

$l = l_c$

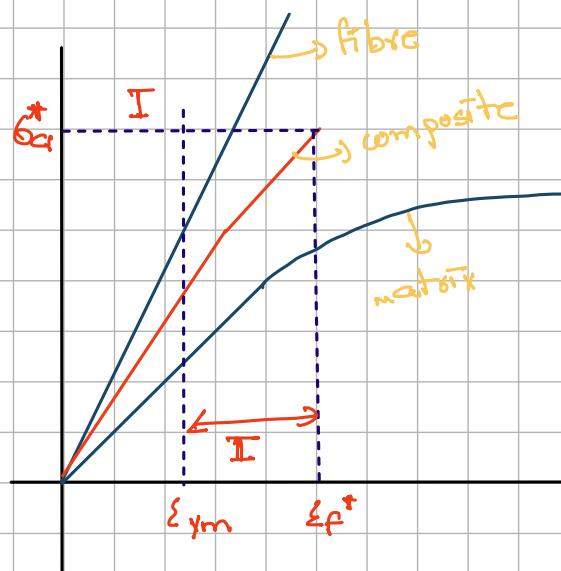
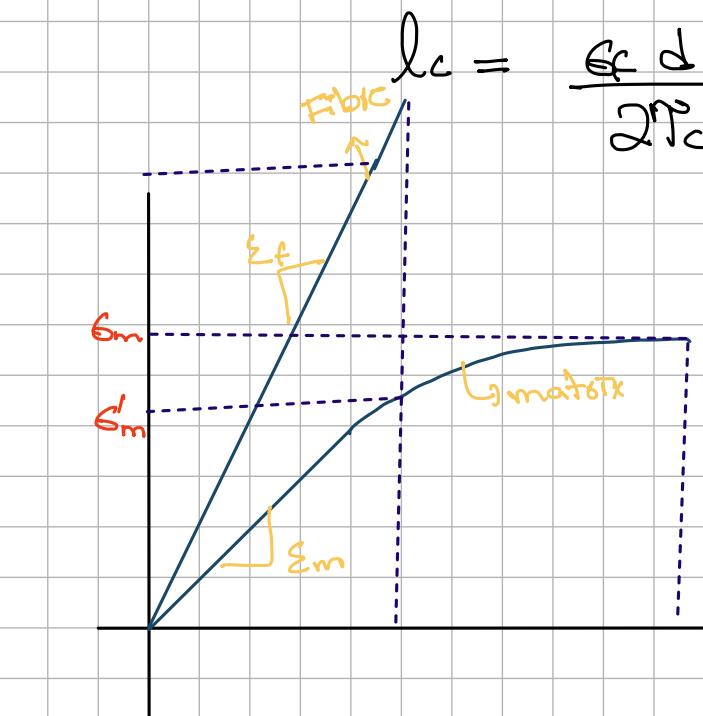
$l > l_c$
Better performance

For continuous $l > 15l_c$

For short fibres $l < 15l_c$



$$l_c = \frac{\sigma_f^* d}{2\tau_c}$$



Rule of mixtures:

↳ To determine properties of composites by Volume fraction of Matrix & fibre

$$\varepsilon_c = \varepsilon_m v_m + \varepsilon_f v_f \rightarrow \text{longitudinal}$$

$$\varepsilon_c = \frac{\varepsilon_m \varepsilon_f}{\varepsilon_f v_m + \varepsilon_m v_f} \rightarrow \text{Transverse} \perp \text{to longitudinal}$$

$$F_c = F_m + F_f$$

$$G_c A_c = G_m A_m + G_f A_f$$

$$G_c = G_m \frac{A_m}{A_c} + G_f \frac{A_f}{A_c}$$

$$G_c = G_m v_m + G_f v_f$$

$$\text{As } \varepsilon_c = \varepsilon_m = \varepsilon_f$$

$$\frac{G_c}{\varepsilon_c} = \frac{G_m}{\varepsilon_m} v_m + \frac{G_f}{\varepsilon_f} v_f$$

$$\varepsilon_c = \varepsilon_m v_m + \varepsilon_f v_f$$

$$\varepsilon_c = \varepsilon_f v_f + \varepsilon_m (1 - v_f)$$

Ratio of load carried to fibre

$$\frac{F_f}{F_m} = \frac{\varepsilon_f v_f}{\varepsilon_m v_m}$$

Rule of Mixtures

