CS6700: REINFORCEMENT LEARNING PROJECT EVALUATION WORKSHEET

19/01/2019

Problem 1

This problem aims to test your ability to understand and analyse literature. Write a brief summary and detailed critique on the paper, **Pixel RNN**(https://arxiv.org/abs/1601.067595)

Problem 2

This problem attempts to gauge your ability to write code comfortably in tensorlow: Consider a matrix A as follows:

$$\mathcal{A} = \begin{bmatrix} x_{11} & x_{12} & x_{13} & \dots & x_{1n} \\ x_{21} & x_{22} & x_{23} & \dots & x_{2n} \\ x_{31} & x_{32} & x_{33} & \dots & x_{3n} \\ \vdots & \vdots & \ddots & \vdots & \vdots \\ \vdots & \vdots & \ddots & \vdots & \vdots \\ x_{n1} & x_{n2} & x_{n3} & \dots & x_{nn} \end{bmatrix}$$

The matrix must be an input placeholder whose $\operatorname{size}(n)$ is not known beforehand. Design a tensorflow function that computes the below enlisted operations on the matrix. All operations must be in tensorflow (not using numpy manipulations). The following operations must be fit into a single function that returns the variable *finalVal*. You can setup separate code to test this function by calling

SESS.RUN(FINALVAL, FEED_DICT={"MATRIX":MATRIXA})

The operations are as follows:

- Transpose the elements in the bottom-right triangle of ${\cal A}$
- Take the maximum value along the columns of \mathcal{A} to get a vector \vec{m} (i.e. for each column, pick a value that is the maximum among all rows)

• Consider \vec{m} to be of the form $[m^1, m^2, \cdots, m^n]$. Create a new matrix \mathcal{B} such that:

For example, the following vector $\vec{m} = [1.0, 2.0, 3.0]$, produces the matrix

$$\mathcal{B} = \begin{bmatrix} 0.09003057 & 0.24472847 & 0.66524096 \\ 0.26894142 & 0.73105858 & 0.0 \\ 1.0 & 0.0 & 0.0 \end{bmatrix}$$

- Sum along the rows of ${\cal B}$ to obtain vector \vec{v}_1 (along row for martix B would be (0.90030+0.244+0.665))
- Sum along the columns of ${\cal B}$ to get another vector \vec{v}_2
- Concatenate the two vectors and take a softmax of this vector: $\vec{v} = \text{softmax}(\text{concat}(\vec{v}_1, \vec{v}_2))$
- Get the index number in vector \vec{v} with maximum value
- · Perform the following conditional computation
 - If the index number is greater than $\frac{n}{3}$ store

finalVal =
$$||v_1 - \vec{v}_2||_2$$

- Otherwise, store:

finalVal =
$$||v_1 + \vec{v}_2||_2$$

Return the variable finalVal

Figure on the next page presents a template which can also be accessed at:

https://gist.github.com/rahull3ramesh/6732040a398bf3730f2ff3b2a977ea31