

# OGUN DIGICLASS

**CLASS: SECONDARY SCHOOL**

**SUBJECT: PHYSICS**

**TOPIC: Photoelectric Effect**



# + Learning objective



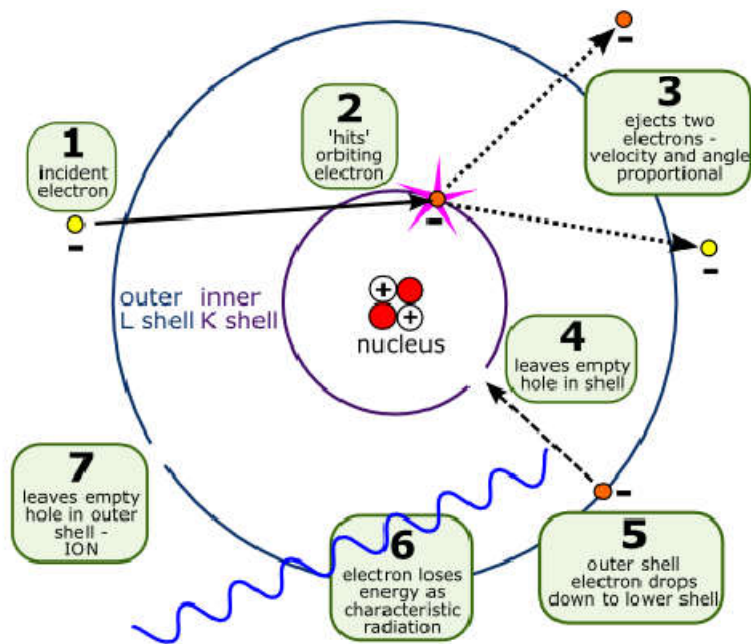
Use of photon concept to explain the ejection of electrons in the photoelectric effect



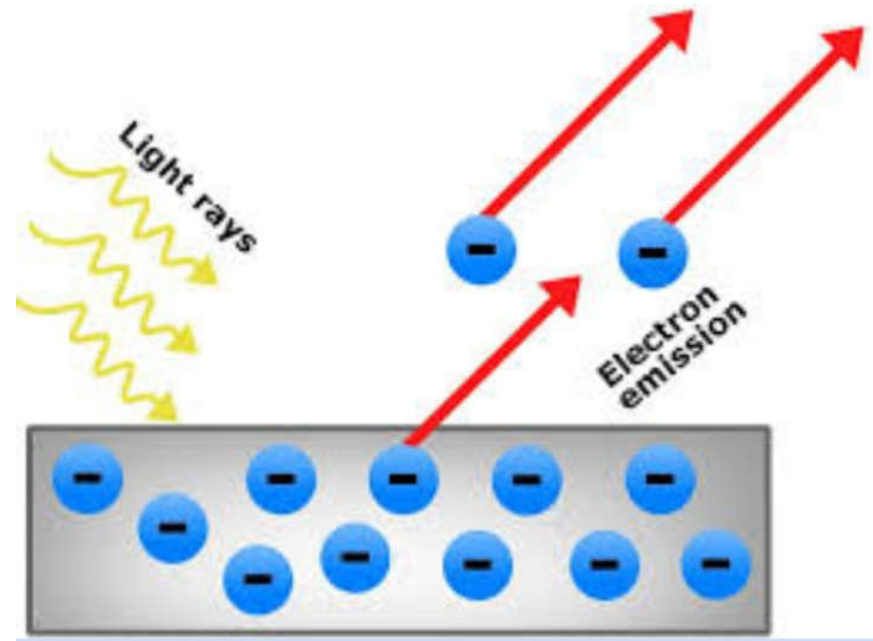
Solve simple problems involving threshold frequency, work function and Planck's constant.

# The Photoelectric Effect

## PHOTOELECTRIC EFFECT



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A photo is the energy possessed by light.

It is given as  $E = hf$

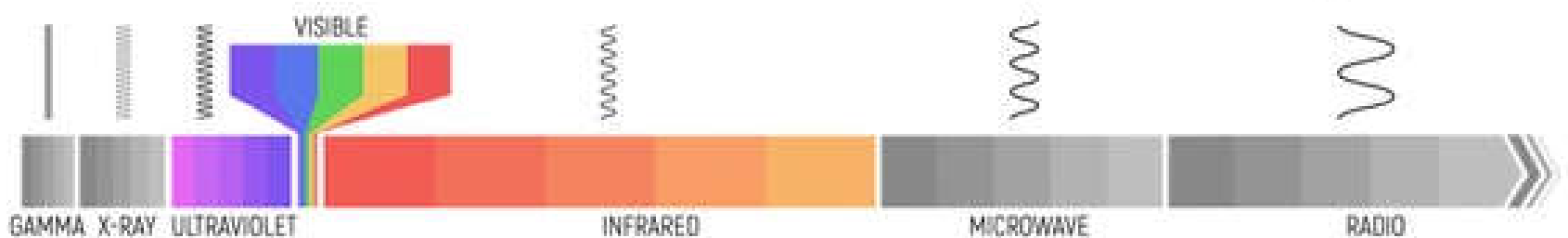
energy

Planck's constant

$$E = hf$$

frequency

of electromagnetic wave

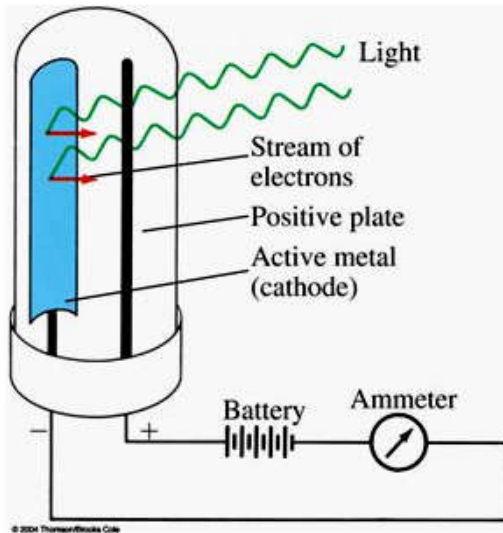


Photoelectron is the electron emitted from the surface of the metal when light (UV) falls on it.

# The phenomenon is called photoelectric effect

## The Photoelectric Effect

- Light can strike the surface of some metals causing an electron to be ejected



- No matter how brightly the light shines, electrons are ejected only if the light has sufficient energy (sufficiently short wavelength)
- After the necessary energy is reached, the current (# electrons emitted per second) increases as the intensity (brightness) of the light increases
- The current, however, does not depend on the wavelength



Electrons are only emitted if you have a high enough frequency, this is known as the threshold frequency  $f$  and is different for every metal.

Increasing the intensity of the light does not increase the K.E. of the emitted electrons but rather the number of electrons emitted

Planck's constant

$$E = hf_0$$

Work function

Threshold frequency

## + What are we saying

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Without a large enough ball it doesn't matter how much energy you use when you throw it at the coconut you're not going to knock it off

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If instead you use a large enough ball you can use very little energy to knock the coconut off





# What else can be observed



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If the frequency is above the threshold frequency then electrons can receive the energy from just one photon and do not accumulate energy as would be expected from wave theory.

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The kinetic energy relies on the frequency not intensity of light

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The left over energy from the frequency of the light through conservation of energy goes into the kinetic energy of the electron.



# More on conservation of energy



■ If energy must be conserved how can we turn that into an equation?

$E = hf$  and  $E = W + E_{k(max)}$  where  $E$  is the photon energy,  $W$  is the work function and  $E_{k(max)}$  is the maximum kinetic energy.

Therefore  $E_{k(max)} = hf - W$

We can then calculate the speed  $v$  of the electron : since

$$E_k = \frac{1}{2}mv^2$$

$$v = \sqrt{\frac{2(hf - W)}{m}}$$

Work function  $W$  is the minimum energy required to liberate/eject an electron from a metal's surface.

$$W = hf$$

# EXAMPLE

If a photoemission surface has threshold wavelength of  $0.65\mu\text{m}$ . Calculate

- (i) its threshold frequency
- (ii) the maximum speed of the electron emitted by violet light of wavelength  $0.4\mu\text{m}$ . ( $h = 6.6 \times 10^{-34} \text{ J}\cdot\text{s}$ ,  $c = 3 \times 10^8 \text{ m/s}$ )





# SOLUTION

(i) threshold frequency  $f = \nu / \lambda = 3 \times 10^8 / 0.65 \times 10^{-7}$   
 $= 4.62 \times 10^{14} \text{ Hz}$

(ii) the maximum speed of the electron emitted by violet light of wavelength  $\lambda$   
 $K.E = hf - W$

$$\begin{aligned} &= h\nu / \lambda - h\nu_0 / \lambda_0 \\ &= [(6.6 \times 10^{-34} \times 3 \times 10^8) / 0.4 \times 10^{-7}] - [(6.6 \times 10^{-34} \times 3 \times 10^8) / 0.65 \times 10^{-7}] \\ &= (4.95 \times 10^{-17}) - (3.09 \times 10^{-17}) \\ &= 1.90 \times 10^{-17} \text{ J} \end{aligned}$$

# Applications of Photoelectric Emission



Photometers



Burglar alarms



Automatic doors



Television cameras



Sound production from film tracks



Solar cell



Fire alarm

# ASSIGNMENT

Plotting  $E = W + E_{k(max)}$

The photoelectric effect has been investigated for zinc. Calculate a value for  $h$ ,  $W$  and the frequency at which electrons will start being emitted with the following data.

Wavelength (nm)	$E_k$ (eV)
200	1.8875
100	8.075
50	20.45
20	57.575
10	119.45

# ✓ Steps

1. Convert nm to frequency
2. Convert eV to J ( $1\text{eV} = 1.6 \times 10^{-19} \text{ J}$ )
3. Plot frequency on x axis and Kinetic energy on y axis
4. Intercept of x axis is the threshold frequency
5. Intercept of y axis is  $W$
6. Gradient is  $h$