Software Engineering (CSE 355)

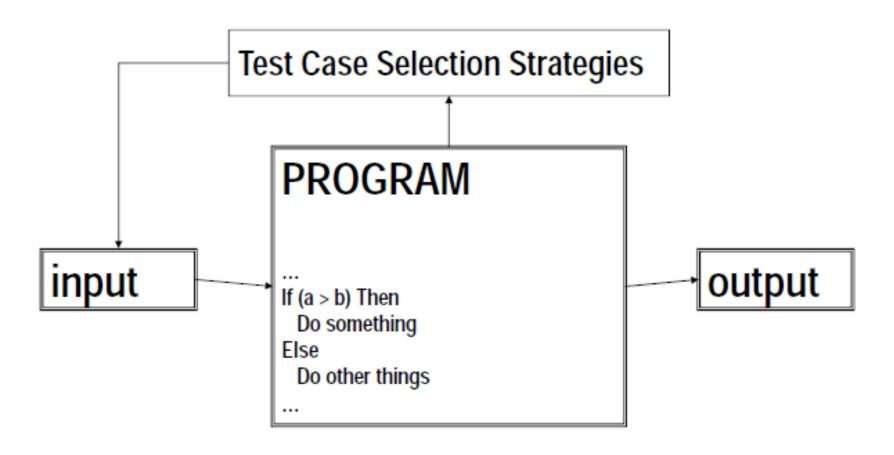
Lecture 9
(White Box Testing)

White Box Testing

White Box Testing: Introduction

- Test Engineers have access to the source code.
- Typical at the Unit Test level as the programmers have knowledge of the internal logic of code.
- Tests are based on coverage of:
 - Code statements;
 - Branches;
 - Paths;
 - Conditions.
- Most of the testing techniques are based on Control Flow Graph (denoted as CFG) of a code fragment.

White Box Testing – A common view



Control Flow Graph: Introduction

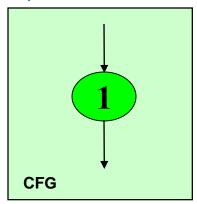
- An abstract representation of a structured program/function/method.
- Consists of two major components:
 - Node:
 - Represents a stretch of sequential code statements with no branches.
 - Directed Edge (also called arc):
 - Represents a branch, alternative path in execution.
- Path:
 - A collection of Nodes linked with Directed Edges.

Simple Examples

```
int a;
float b;
printf("Hello World");
scanf("%d", &a);
```

```
Statement1;
Statement2;
Statement3;
Statement4;
```

Can be represented as **one** node as there is no branch.

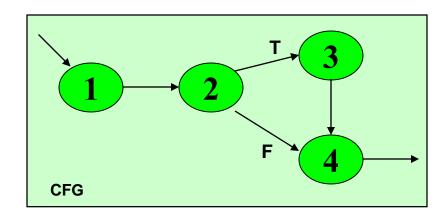


```
Statement1;
Statement2;

if X < 10 then
Statement3;

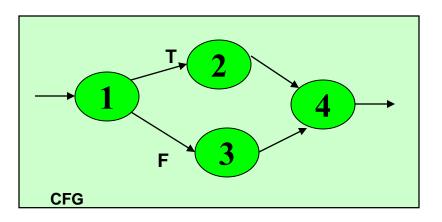
Statement4;

4</pre>
```



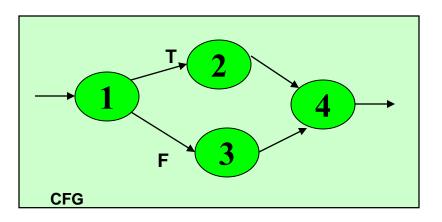
More Examples

```
if X > 0 then
   Statement1;
else
   Statement2;
3
```

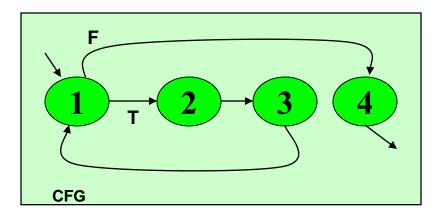


More Examples

```
if X > 0 then
   Statement1;
else
  Statement2;
```



```
while X < 10 {
    Statement1;
    X++; }
    3</pre>
```

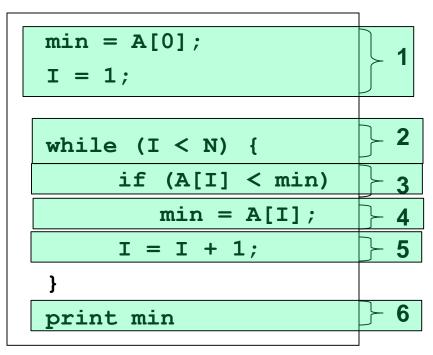


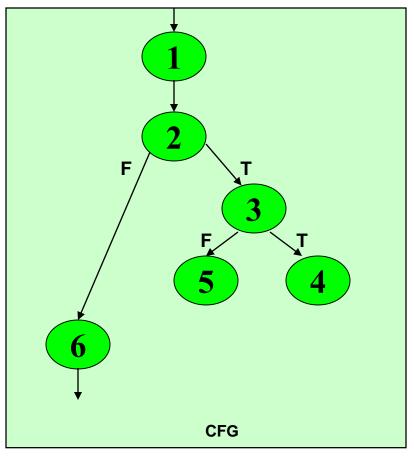
Question: Why is there a node 4 in both CFGs?

Notation Guide for CFG

- A CFG should have:
 - 1 entry arc (known as a directed edge, too).
 - 1 exit arc.
- All nodes should have:
 - At least 1 entry arc.
 - At least 1 exit arc.
- A Logical Node that does not represent any actual statements can be added as a joining point for several incoming edges.
 - Represents a logical closure.
 - Example:
 - Node 4 in the if-then-else example from previous slide.

Example: Minimum Element



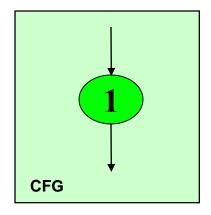


Note: The CFG is **INCOMPLETE**. Try to complete it

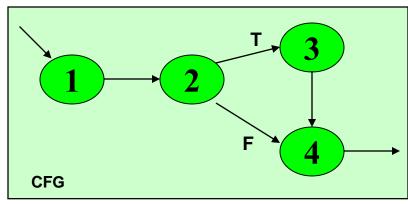
Number of Paths through CFG

- Given a program, how do we exercise all statements and branches at least once?
- Translating the program into a CFG, an equivalent question is:
 - Given a CFG, how do we cover all arcs and nodes at least once?
- Since a path is a trail of nodes linked by arcs, this is similar to ask:
 - Given a CFG, what is the set of paths that can cover all arcs and nodes?

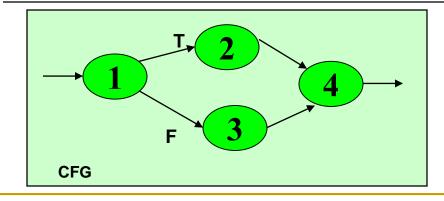
Example



- Only one path is needed:
 - **[1]**



- **Two** paths are needed:
 - □ [1-2-4]
 - □ [1-2-3-4]



- **Two** paths are needed:
 - □ [1-2-4]
 - □ [1-3-4]

White Box Testing: Path Based

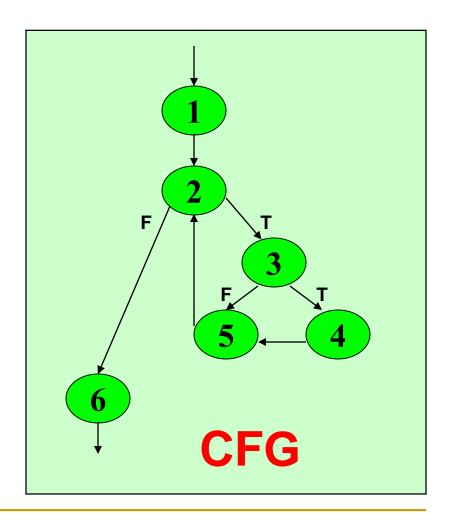
 A generalized technique to find out the number of paths needed (known as cyclomatic complexity) to cover all arcs and nodes in CFG.

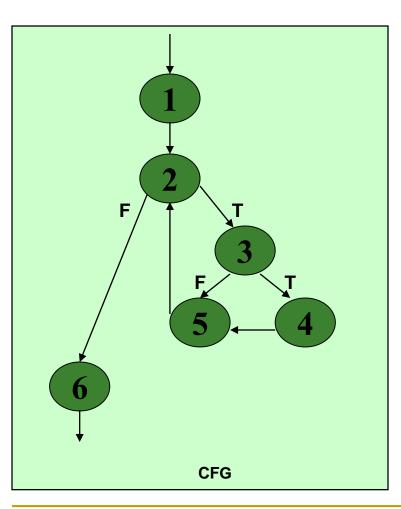
Steps:

- Draw the CFG for the code fragment.
- 2. Compute the *cyclomatic complexity number* **C**, for the CFG.
- Find at most **C** paths that cover the nodes and arcs in a CFG, also known as **Basic Paths Set**;
- Design test cases to force execution along paths in the Basic Paths Set.

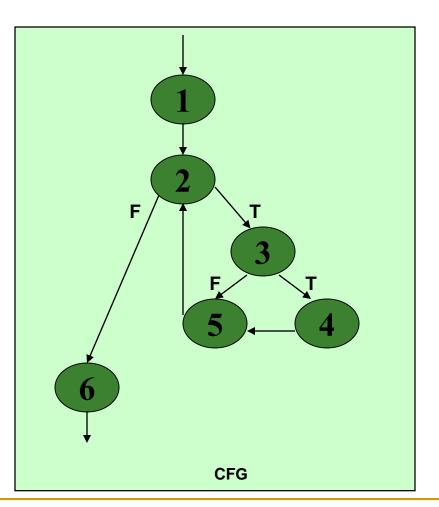
```
min = A[0];
I = 1;

while (I < N) {
   if (A[I] < min)
      min = A[I];
   I = I + 1;
}
print min</pre>
1
```

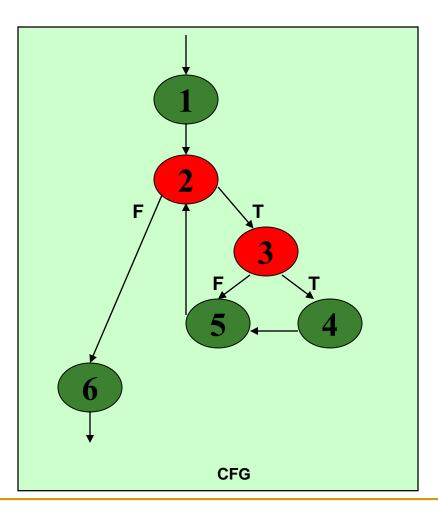




- Cyclomatic complexity =
 - The number of 'regions' in the graph; OR
 - □ The number of predicates + 1.



- Region: Enclosed area in the CFG.
 - Do not forget the outermost region.
- In this example:
 - 3 Regions (see the circles with different colors).
 - Cyclomatic Complexity = 3
- Alternative way in next slide.

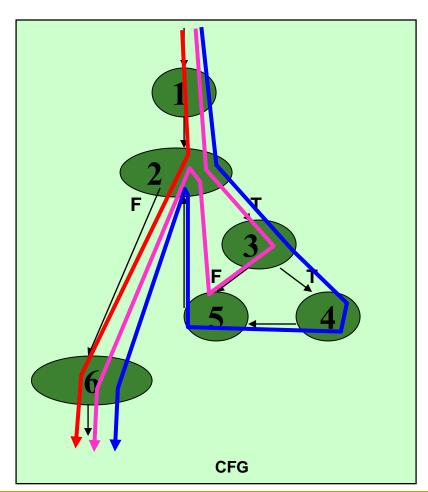


Predicates:

- Nodes with multiple exit arcs.
- Corresponds to branch/conditional statement in program.
- In this example:
 - Predicates = 2
 - (Node 2 and 3)
 - Cyclomatic Complexity

$$= 2 + 1$$

- Independent path:
 - An executable or realizable path through the graph from the start node to the end node that has not been traversed before.
 - Must move along at least one arc that has not been yet traversed (an unvisited arc).
 - The objective is to cover all statements in a program by independent paths.
- The number of independent paths to discover <= cyclomatic complexity number.</p>
- Decide the Basis Path Set:
 - It is the maximal set of independent paths in the flow graph.
 - NOT a unique set.



```
min = A[0];
I = 1;
while (I < N) { } 2
    if (A[I] < min) } 3
        min = A[I]; } 4
    I = I + 1; } 5
}
print min } 6</pre>
```

- Cyclomatic complexity = 3.
- Need at most 3 independent paths to cover the CFG.
- In this example:

```
    [1-2-6]
    [1-2-3-5-2-6]
    [1-2-3-4-5-2-6]
```

- Prepare a test case for each independent path.
- In this example:
 - □ Path: [1 2 6]
 - Test Case: A = { 5, ...}, N = 1
 - Expected Output: 5
 - \square Path: [1-2-3-5-2-6]
 - Test Case: A = { 5, 9, ... }, N = 2
 - Expected Output: 5
 - \square Path: [1-2-3-4-5-2-6]
 - Test Case: A = { 8, 6, ... }, N = 2
 - Expected Output: 6
- These tests will result a complete decision and statement coverage of the code.

Another Example

```
int average (int[] value, int min, int max, int N) {
  int i, totalValid, sum, mean;
  i = totalValid = sum = 0;
  while ( i < N \&\& value[i] != -999 ) {
      if (value[i] >= min && value[i] <= max) {
             totalValid += 1; sum += value[i];
      i += 1;
  if (totalValid > 0)
      mean = sum / totalValid;
  else
      mean = -999;
  return mean;
```

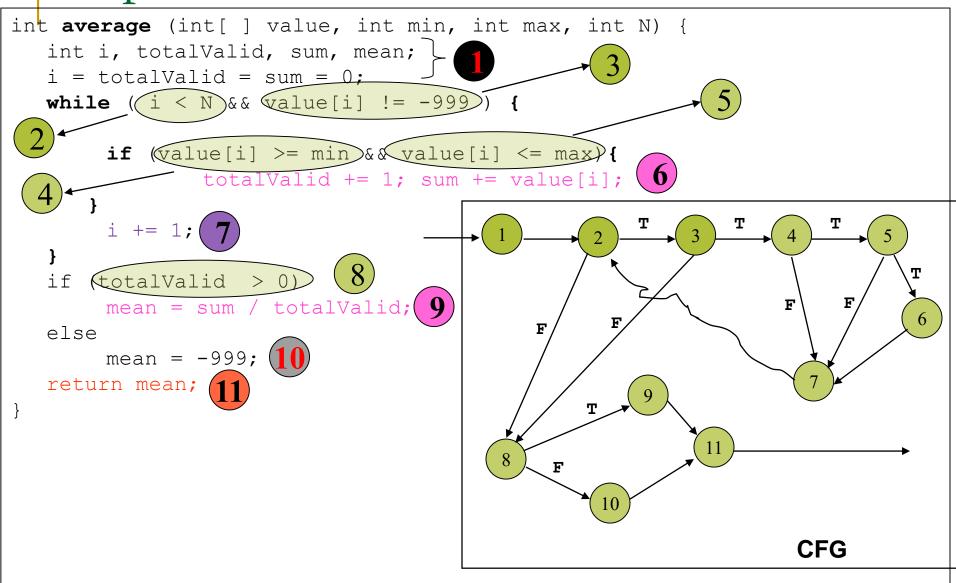
```
int average (int[] value, int min, int max, int N) {
  int i, totalValid, sum, mean;
  i = totalValid = sum = 0;
  while ( i \leq N && value[i] != -999 ) {
      if (value[i] >= min && value[i] <= max) {
             totalValid += 1; sum += value[i];
      i += 1;
  if (totalValid > 0)
      mean = sum / totalValid; (9)
  else
      mean = -999;
  return mean; (11
```

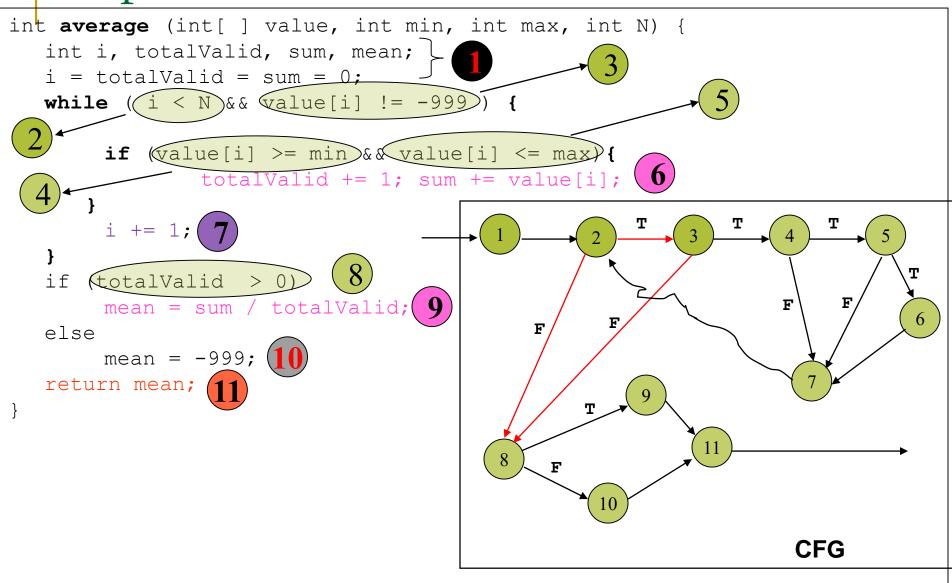
```
int average (int[] value, int min, int max, int N) {
  int i, totalValid, sum, mean;
  i = total \sqrt{2} id = sum = 0;
  wbile ( i < N && value[i]
      if (valu∉|i]⊬
                         n && value[i
      i += 1;
  if (totalValid>
      mean = sum / totalid; Q
  else
      mean = -999;
  return mean; 11
```

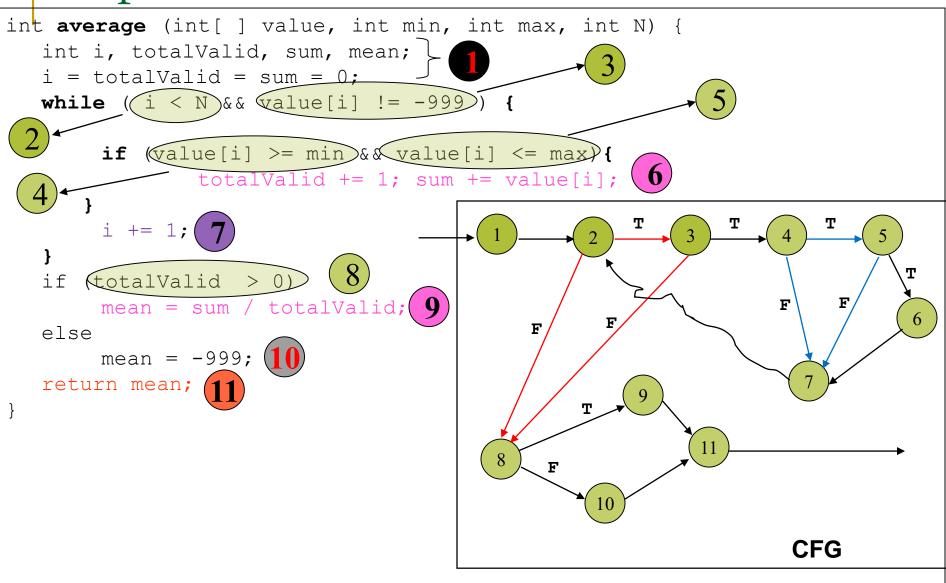
```
int average (int[] value, int min, int max, int N) {
  int i, totalValid, sum, mean;
  i = totalValid = sum = 0;
  while ( i < N && value[i] != -999 ) {
       if (value[i] >= min && value[i] <= max) {</pre>
               totalValid += 1; sum += value[i];
       i += 1;
  if (totalValid > 0)
       mean = sum / totalValid;
  else
       mean = -999;
  return mean;
```

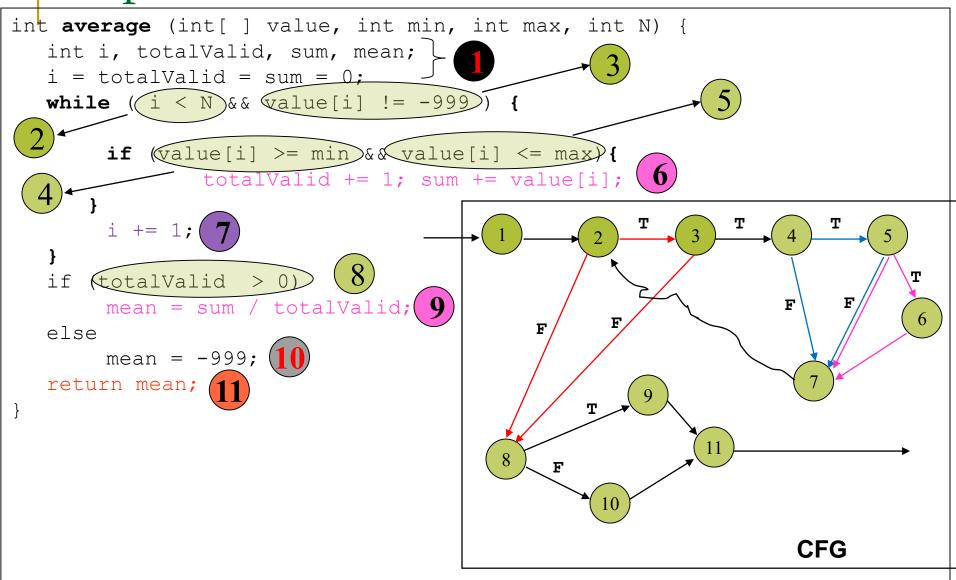
```
int average (int[] value, int min, int max, int N) {
  int i, totalValid, sum, mean;
  i = totalValid = sum = 0;
  while ((i < N)&& value[i] != -999)
       if (value[i] >= min && value[i] <= max){
              totalValid += 1; sum += value[i];
       i += 1; ( 7
  if (totalValid > 0)
       mean = sum / totalValid;
  else
       mean = -999; (10)
  return mean;
```

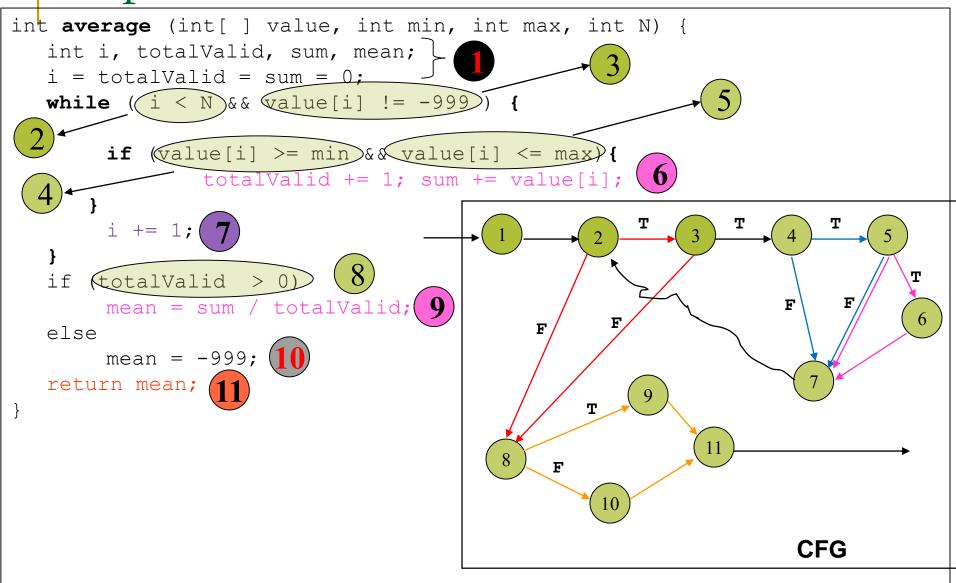
```
int average (int[] value, int min, int max, int N) {
   int i, totalValid, sum, mean;
   i = totalValid = sum = 0;
  while (i < N) \& \& \text{ value}[i] != -999) {
       if (value[i] >= min && value[i] <= max){</pre>
                totalValid += 1; sum += value[i];
        i += 1;(
      (totalValid
       mean = sum / totalValid;
   else
       mean = -999; (1)
   return mean;
```

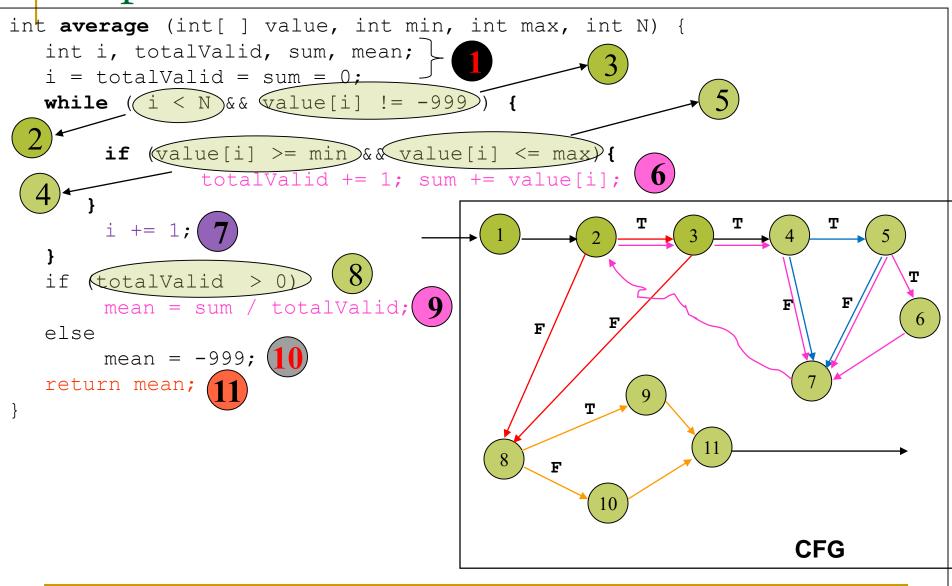




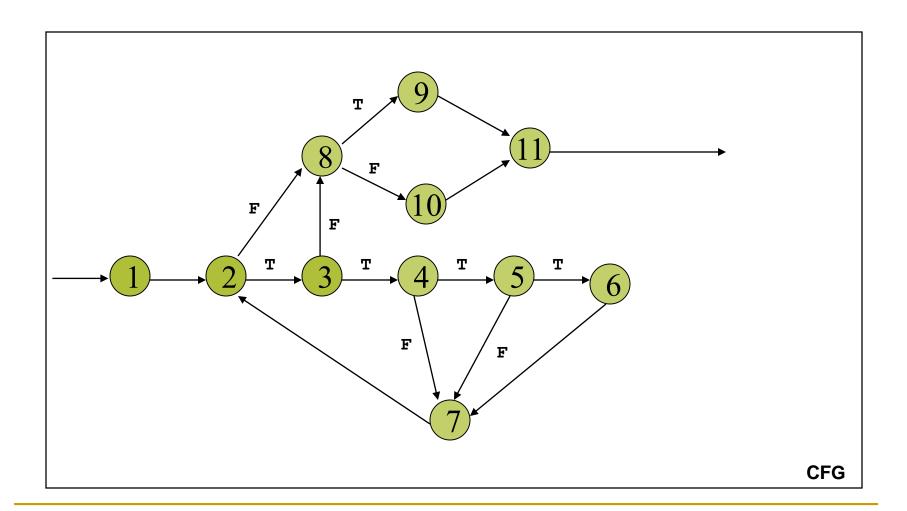




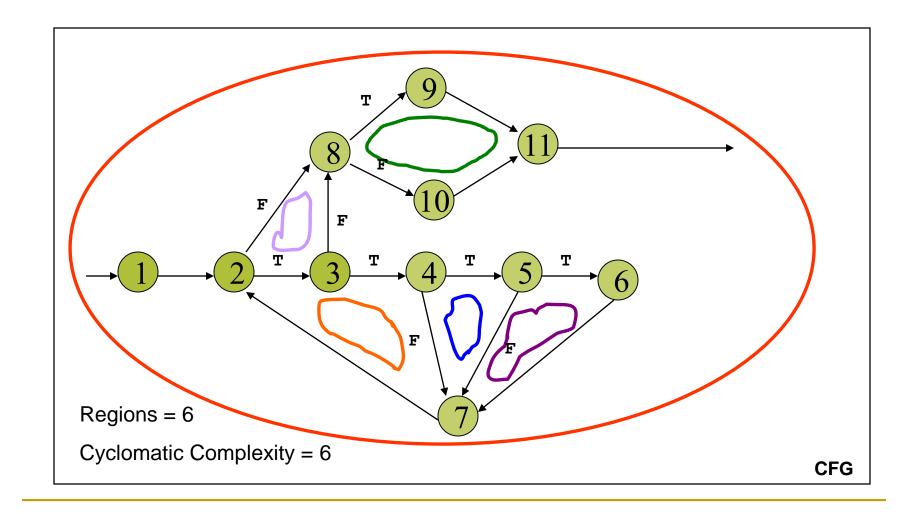




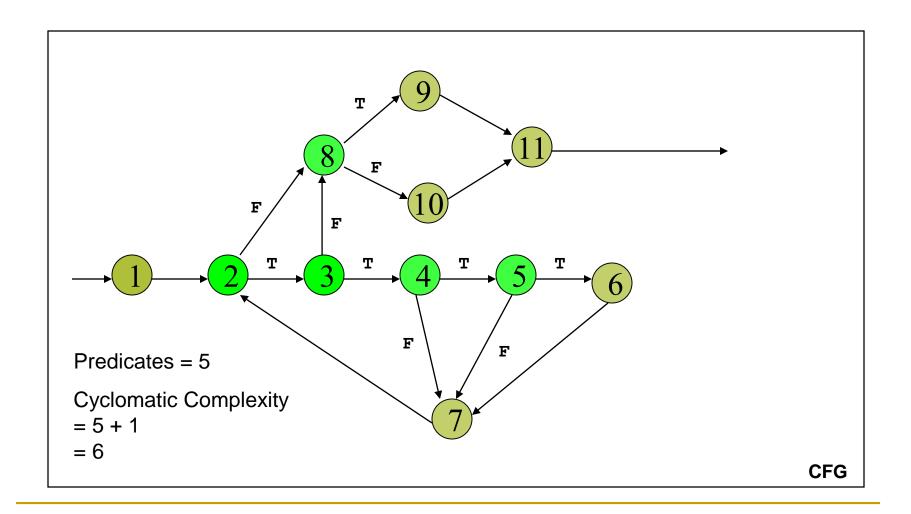
```
int average (int[] value, int min, int max, int N) {
  int i, totalValid, sum, mean; \
  i = totalValid = sum = 0;
  while (i < N) \& \& value[i] != -999) {
       if (value[i] >= min && value[i] <= max){</pre>
               totalValid += 1; sum += value[i]; (6)
       i += 1; ( 7
  if (total Valid > 0)
       mean = sum / totalValid; 9
  else
       mean = -999; (10)
  return mean; 11
                                                                CFG
```



Step 2: Find Cyclomatic Complexity



Step 2: Find Cyclomatic Complexity



Step 3: Find Basic Path Set

- Find at most 6 independent paths.
- Usually, simpler path == easier to find a test case.
- However, some of the simpler paths are not possible (not realizable):
 - □ Example: [1-2-8-9-11].
 - Not Realizable (i.e., impossible in execution).
 - Verify this by tracing the code.
- Basic Path Set:
 - \Box [1-2-8-10-11].
 - \Box [1-2-3-8-10-11].
 - \Box [1-2-3-4-7-2-8-10-11].
 - \Box [1-2-3-4-5-7-2-8-10-11].
 - \Box [1-(2-3-4-5-6-7)-2-8-9-11].
- In the last case, (...) represents possible repetition.

Path:

```
\Box [1-2-8-10-11]
```

Test Case:

- value = {...} irrelevant.
- \square N = 0
- min, max irrelevant.

Expected Output:

 \square average = -999

```
... i = 0;
while (i < N &&
      value[i] != -999) {
if (totalValid > 0)
else
    mean = -999;
return mean;
```

- Path:
 - \Box [1-2-3-8-10-11]
- Test Case:
 - value = $\{-999\}$
 - \square N = 1
 - min, max irrelevant
- Expected Output:
 - \square average = -999

```
... i = 0; (1)
while (i < N &&
      value[i] != -999) 3
if (totalValid > 0) 8
else
    mean = -999;
return mean;
```

- Path:
 - [1-2-3-4-7-2-8-10-11]
- Test Case:
 - A single value in the value [] array which is smaller than min.
 - \square value = { 25 }, N = 1, min = 30, max irrelevant.
- Expected Output:
 - \square average = -999
- Path:
 - [1-2-3-4-5-7-2-8-10-11]
- Test Case:
 - A single value in the value[] array which is larger than max.
 - \square value = { 99 }, N = 1, max = 90, min irrelevant.
- Expected Output:
 - \square average = -999

- Path:
 - [1-2-3-4-5-6-7-2-8-9-11]
- Test Case:
 - A single valid value in the value[] array.
 - \square value = { 25 }, N = 1, min = 0, max = 100
- Expected Output:
 - \square average = 25

OR

- Path:
 - [1-2-3-4-5-6-7-2-3-4-5-6-7-2-8-9-11]
- Test Case:
 - Multiple valid values in the value[] array.
 - \square value = { 25, 75 }, N = 2, min = 0, max = 100
- Expected Output:
 - \square average = 50

Summary: Path Base White Box Testing

- A simple test that:
 - Cover all statements.
 - Exercise all decisions (conditions).
- The cyclomatic complexity is an upperbound of the independent paths needed to cover the CFG.
 - If more paths are needed, then either cyclomatic complexity is wrong, or the paths chosen are incorrect.
- Although picking a complicated path that covers more than one unvisited edge is possible all times, it is not encouraged:
 - May be hard to design the test case.

Summary

- Test Case Design
 - White Box
 - Control Flow Graph
 - Cyclomatic Complexity
 - Basic Path Testing
 - Black Box
 - Equivalence Classes
 - Boundary Value Analysis