

Using Iris for Program Verification

Abel Nieto

March 18, 2020

1 Monotone Counter

▷ **Coq code:** <https://github.com/abeln/iris-practice/blob/master/counter.v> ◁

This is the counter example from Section 7.7 of the notes. The module exports three methods:

- **newCounter** creates a new counter. Counters are represented simply with an int reference.

```
Definition newCounter : val := \lambda: <>, ref #0.
```

- **read** returns the value currently stored in a counter.

```
Definition read : val := \lambda: "c", !"c".
```

- **incr** takes a counter, increments it, and returns unit.

```
Definition incr : val :=  
  rec: "incr" "c" :=  
    let: "n" := !"c" in  
    let: "m" := #1 + "n" in  
    if: CAS "c" "n" "m" then #() else "incr" "c".
```

The client for the counter is a program that instantiates a counter, spawns two threads each incrementing the counter, and then reads the value off the counter:

```
Definition client : val :=  
  \lambda: <>,  
    let: "c" := newCounter #() in  
    ((incr "c") ||| (incr "c")) ;;  
    read "c".
```

1.1 Specs

We can prove two different specs for the code above:

- Authoritative RA

In the first spec, our resource algebra is $\text{AUTH}(\mathbb{N})$. Elements of this RA are of the form either $\bullet n$ (authoritative) or $\circ n$ (non-authoritative), where $n \in \mathbb{N}$.

The important properties of this RA (for the counter example) are:

- $\bullet 0 \cdot \circ 0 \in \mathcal{V}$
- $\bullet m \cdot \circ n \in \mathcal{V}$ implies $m \geq n$
- $\bullet m \cdot \circ n \rightsquigarrow \bullet(m+1) \cdot \circ(n+1)$

Then we can define our predicate for the counter:

$$\text{isCounter}(l, n, \gamma) = \llbracket \circ \bar{n} \rrbracket^\gamma * \exists s. \boxed{\exists m. l \hookrightarrow m \wedge \llbracket \bullet \bar{m} \rrbracket^\gamma}^s$$

- Authoritative RA + Fractions