1.

$$\begin{pmatrix}
1 & 0 & 0 \\
0 & 1 & 0 \\
0 & 0 & 1
\end{pmatrix}$$

2. 
$$L = \begin{bmatrix} 1 & 0 & 0 & 0 \\ -1 & 1 & 0 & 0 \\ -\frac{2}{5} & -\frac{9}{5} & 1 & 0 \\ \frac{6}{5} & -\frac{8}{5} & \frac{71}{43} & 1 \end{bmatrix}, U = \begin{bmatrix} 5 & -3 & 0 & 5 \\ 0 & -1 & -7 & 5 \\ 0 & 0 & -\frac{43}{5} & 2 \\ 0 & 0 & 0 & \frac{288}{43} \end{bmatrix}$$

3.

$$\begin{pmatrix} -19 & 17 & 17 \\ -20 & 0 & -12 \\ -9 & 5 & 2 \end{pmatrix}$$

4.

$$\begin{pmatrix} 1 & 2 & 3 & 4 & 5 & 6 \\ & & & & & \\ 1 & 2 & 3 & 4 & 6 & 5 \end{pmatrix}; \begin{pmatrix} 1 & 2 & 3 & 4 & 5 & 6 \\ & & & & & \\ 1 & 2 & 3 & 4 & 6 & 5 \end{pmatrix}$$

5.

$$\sigma = (1,3,7)(2,6,9,4)(5,8), ord = 12, \sigma^{-727} = \begin{pmatrix} 1 & 2 & 3 & 4 & 5 & 6 & 7 & 8 & 9 \\ & & & & & & \\ 7 & 6 & 1 & 2 & 8 & 9 & 3 & 5 & 4 \end{pmatrix} = (1,7,3)(2,6,9,4)(5,8)$$

- $\begin{array}{l} 6. \ \ \mathrm{Id}; (3,\,4,\,6); (3,\,6,\,4); (2,\,7); \\ (2,\,7)\,\,\,(3,\,4,\,6); (2,\,7)\,\,\,(3,\,6,\,4); (1,\,2)\,\,\,(5,\,7); (1,\,2)\,\,\,(3,\,4,\,6)\,\,\,(5,\,7); (1,\,2)\,\,\,(3,\,6,\,4)\,\,\,(5,\,7); \\ (1,\,2,\,5,\,7); (1,\,2,\,5,\,7)\,\,\,\,(3,\,4,\,6); (1,\,2,\,5,\,7)\,\,\,\,(3,\,6,\,4); (1,\,5)\,\,\,(3,\,4,\,6); \\ (1,\,5)\,\,\,(3,\,6,\,4); (1,\,5)\,\,\,(2,\,7); (1,\,5)\,\,\,(2,\,7)\,\,\,(3,\,4,\,6); (1,\,5)\,\,\,(2,\,7)\,\,\,(3,\,6,\,4); (1,\,7,\,5,\,2); \\ (1,\,7,\,5,\,2)\,\,\,\,(3,\,4,\,6); (1,\,7,\,5,\,2)\,\,\,(3,\,6,\,4); (1,\,7)\,\,\,(2,\,5); (1,\,7)\,\,\,(2,\,5)\,\,\,(3,\,4,\,6); (1,\,7)\,\,\,(2,\,5)\,\,\,(3,\,6,\,4); \\ \end{array}$
- 7.  $\frac{27(-27)^n}{35} + \frac{8.8^n}{35}$
- 8.  $1 + -4 * x + 1 * x^2 + 2 * x^3 + -4 * x^4$
- 9. При  $\lambda = 7$
- 10. Определитель:  $-8\lambda 10$ , при  $\lambda = [-5/4]$  ранг равен 3, иначе 4