

Introduction

database

collection of logically interrelated data & description of this data

eg: Bank database

Railway reservation student table

college database faculty table

Features of data in a database

1. Shared : by many people i.e user of data & applications of data.
2. Persistence : Data should be permanent.
3. Validity :- data should be valid, correct & it should remain.
4. Consistency :- remain same throughout the scope of program.
5. Non-redundant : should not be replicated anywhere means should remain at one place.
6. Independence

DBMS : system used to manage database
database + software eg: IRCTC.

It is collection of interrelated data & a set of program to access these data.

The collection is referred to as database, contain info about or related to enterprise.

The primary work of DBMS is to store, retrieve database that is convenient & efficient (within time).

* Applications of DBMS

1. Enterprise Info

- a) sales - customer product
- accounting - payment receipt, balance
- b) Human resources → data of employees
- c) Manufacturing → making factories unit, then dispatch
- d) online retailers - online shopping

2. Banking & finance

- a) Banking operation :- accounts, loans, banking transactions, credit card transaction
- b) Finance - info of holidays, sales, purchase of policies etc.

3. Universities

- student, faculties, employees database.

4. Airlines :- flight reservation (1st used DBMS) used distributed database.

5. Telecommunications : mobile companies, bills

- * Purpose of DBMS
- 1. Data redundancy & inconsistency
 - will be removed using DBMS
- 2. difficulty in accessing data
 - in case of text file → sentences present → we write app. program → then string matching → tedious whereas in DBMS → change query.
- 3. Data isolation
 - in file system is complex while in DBMS is easy. because of presence of shared data.
- 4. Integrity problem
 - of file system by using constraints that will be specified along with queries so can overcome the problem.
- 5. Atomicity problem either transaction done completely or not done.

	A	B
Balance	1000	2000
Debit	1000 - 50 950	

now system stops & B is not credited with 50 ∵ problem can overcome using DBMS.

- 6. Concurrent Access anomalies
 - file already in use by one user then other user can't use it in file system.

7. security problem:- Not every data user should be given access to whole data
eg:- To check balance in bank we can do but can't credit or debit yourself, we need to give query to banker for crediting or debiting or through system.

* Comparison between File system & DBMS

File management	DBMS
- It is used in small system where data is less. (C++)	- It is used in vast / large system (Oracle is used)
- It is cheap (C++ is firmware)	- It is expensive (Oracle is licensed software)
- It has simple structure	- It has complex structure
- Low level design	- High level design
- Not secured	- Secured
- Single user	- Multi user
- Isolated data	- Shared data same data is shared among various users.
✓ app1 app2 ↓ ↓ data1 data2	
- Simple Backup Mechanism	- Complex.

* View of Data

DBMS provides abstract view of data, it hides the way how data is stored.

3 levels

- (a) Physical level
- (b) Logical level
- (c) View or external level

Physical level :- how data is stored in DBMS

- data type
- DS
- size

Logical level :- what data is stored

(Abstraction is present)
→ student :- name, class, RNo, branch

View level :- granting access as much required like in university to check result → roll no. given → no other info given which are already stored in DBMS.

e.g.: type instructor(5);

ID : char(5);] , physical level

name : char(20);]

salary : number(7);]

end;

instructor, ID, name, salary ⇒ logical level

view level :- how many levels are viewed either 2, 043 - - -

* schemas & instances

schemas :- overall design of database
- Only 1 for database

collection
of info ←
in a data
base system at
a particular moment

instances :- at present what data is
present, many of 1 single
database

eg:- Table of employees

⇒ schema

Emp	cname	eid	emobile
1992	A	1	
	B	2	

1996	C
	D
	E
	F

In 1992 → 2 records means instance

In 1996 → if 4 more added then
instance will be 6 records.

Subschemas:- Part of total schema
app. on user point of view.

they are collection of conceptual tools for describing data, data relationships, data semantics & constraints

↑ 2 parts → mathematical notation exists b/w data & relation that data

II, set of operation to manipulate

* DATA MODELS

1. Relational models: relationship between data & database

- It is example of record based model
(info related to one particular thing)

Each table has multiple columns. Each column has multiple rows (tuple). Specific unique name.

	Sid	Sname	Sclass		Table is called as
I	1	A	I		Relation
II	2	B	II		
III	3	C	III		

attributes / columns

① A I class → record based model

2d of student name

2. ER Model (Entity relationship)

collection Relationship among entity are identified of entities. ER diagram → tables.

Relationship among those objects.

3. Object based data model

(Extended ER model)

Data is object oriented. ER model + encapsulation
Object → store, maintain, manipulate → methods + object

4. Object - relational data model

identity

Combination of object oriented data model + Relational model.

5. semi structured data model give specification

of data where individual data → diff. data length possible
eg: XML having (attribute)

same type

have different set of attributes,

classmate

- Date
Page
- insert new data
 - modify data
 - retrieve info
 - delete ↑

* Database languages

Languages of DBMS

↓

DDL

create, \leftarrow
modify,
delete
database
structure

but not
date

data definition
language

↓

create (table)

alter (add, delete in already
present
table)

drop (delete
table)

schema i.e.

sid, sname will
also be deleted

allow changing

↑ of data

within

DML

data manipulation
language

↓

insert (to insert row)

update (update value)

delete (will
delete
content of
schema but
not schema
i.e sid, sname
will remain)

↓

↓

↓

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↓

↓

Procedural

Non-

It requires a user
to specify what data
is needed \hookrightarrow How data is
fetched is told.

e.g.: total
program,
link string
matching etc.

Procedural

DML

What

data is

fetched.

without

specifying

how to get

those data

Non-procedural



commercial

query
language

SQL

Formal

query
language

i.e relational.

algebra,
tuple calculus

* DCL

(Data control language)

It is component of SQL statement which will control data, how much access is given. It includes :- command like grant (to give) and revoke (to take away) access to date & database.

* DQL

(Data query language)

command - select "retrieving data from database".
select already stored data & show

* Transaction language

commands: commit

. save point

. Roll back (at time of atomicity)

to complete any transaction :- commit
back up : save point→ commit : save work done→ Roll back : return database to original since last commit

Ability to modify schema design at one level
without affecting schema at next higher level

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dated

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* Data independence

Based on level it is of 3 types

- (i) Physical data independence] main
- (ii) Logical data independence] difficult than

because Physical independence logical independence
app. programs

are changes at physical change can be
very level without affecting at lower level
much logical / external but not on
dependent level . external level

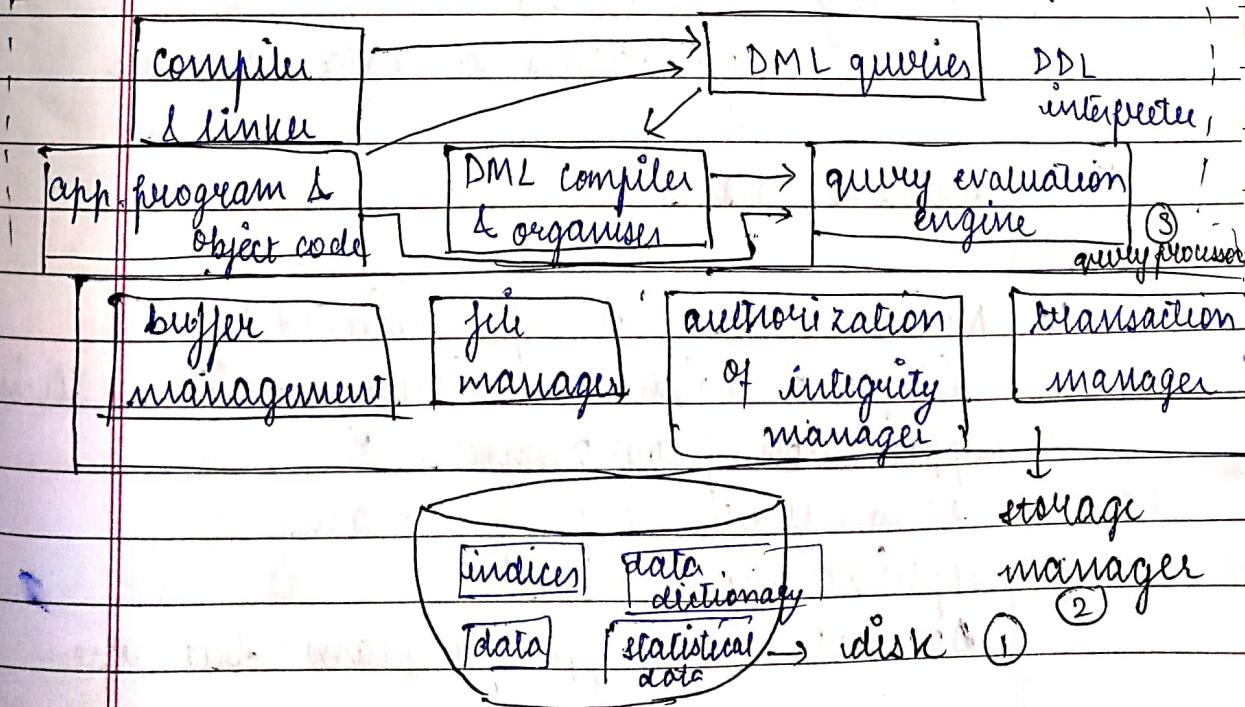
on logical - Physical storage conceptual schema
struc. of structure , devices can be changed
data can be changed without affecting external schema
conceptual schema

- improve performance : - structure of database is
altered .

- data is copied - difficult as
change at logical level

- immunity to - It provides
logical or external immunity to
level external level .

* components of database



- ④ Native users → application interfaces
- ⑤ Application programs → app. progra.
- ⑥ Sophisticated user → query task
- ⑦ DBA → administrative program

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Date _____
Page _____

DBA (Database Administration)

- Person or group of person having overview of 1 table or entire table to view entire database.

FUNCTION OF DBA

1. Defining conceptual database schema definition
2. Storage structure & access method like arrays etc
3. Security & integrity checks authorization of data, no data leakage
4. Backup and recovery strategies weekly, monthly, at how much interval & how backup is to be taken.
5. granting user access how much access to data to user

* Database Users

1. Native users (unsophisticated) interact with previously written thing
2. Application programmers who write app. programs
3. Sophisticated users do not write app. programs but use

- query to fetch the program.
4. specialised user
eg :- knowledge or expert system.
- * storage manager

1. authorization and integrity manager
it test for integrity of constraints.
check whether query is valid or not.
2. transaction manager
data is in consistent state or not
→ before & after transaction it should be consistent.
3. file manager:- how to store info,
how to represent info in file.
4. buffer manager:
how much data will be stored
in different memories like cache, RAM
or disk.

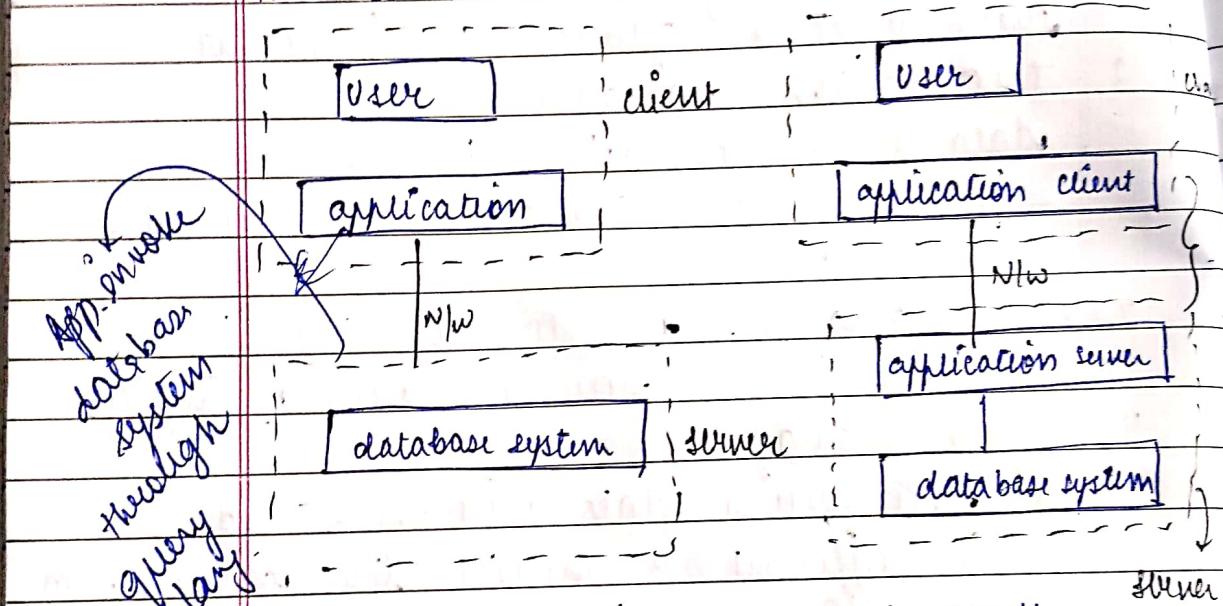
* Query processor
process query & pass to storage manager

1. DDL compiler - schemas related query are compiled. (static commands are compiled)
2. DML interpreter - ① interpret low execution ← ② query optimization cost.
Here we need to select & to handle data : use interpreter
in a way to execute query → low cost.

3. query evaluation engine at present execution of instruction/ query given to it.

* DB architecture (IMP)

Two tier architecture Three tier archi.



- when no. of user ↑ then this architecture doesn't work.
- Not used now. Problems like scalability.
- used mostly processing at server level.
- then ^{in 2-tier} Business given to ^{Business} layer
- application server giving resolved user & interact with database systems.

set of attributes that forms superkey of but now of its su

attribute all under

- (ii)
- (iii)
- (iv)
- (v)
- (vi)
- (vii)

at is e
columns - wa

superkey :- it is a set of one or more attributes to uniquely identify row/tuple.

Ex: P.D

(in annotation)

Page

* Relational model

Data is in proper tabular form

Sid	Sname	Bbranch	Relational instance
S ₁	A	CSE	
S ₂	A	IT	
S ₃	B	CSE	

Set of attributes that forms superkey. Coordinateness → no. of rows.
but now subset is a superkey.

* Keys: No two tuples can have same value of all attributes. It allows to uniquely identify set of attributes in a relation that is used to differentiate tuples of relations.

- (i) Primary key → to denote a candidate key by database designer to identify tuple in a relation
- (ii) Candidate key → Minimal superkeys
- (iii) Alternate key
- (iv) Secondary key
- (v) Super key
- (vi) Foreign key
- (vii) Composite key

{name, dept-name} \subseteq {name, age, name} \cup {dept-name, age}

combination

{ID, name} \rightarrow candidate

because ID alone
is a candidate key.

it is a one or more

column to identify a row in a table

- values should not change & it should be null.] is chosen in such a way that

student id course id

1

A

1

1

6

A

6

1

1

enrollNo.	Sid	Sname	PassP No.	License No.	DOB	Fname
	s ₁		NULL/unknown			y
	s ₂		p ₁			x
	s ₃		NULL			z
	s ₄		p ₃			
	s ₅		NULL			

candidate key uniquely identify row
tuple, minimal key.

In above Table 3 -ewell no?

work has ← | sid | can be
candidate key | L NO | uniquely identify

combination (surname + F name) \Rightarrow candidate key

Suppose we consider sid as primary key.

Other keys except primary key i.e sid will be alternate key

Let us consider LNO. was secondary key.

(We have to specify them at time of ordering)

super key: - super set of any key.

Indexing done at primary key

sid cid)

together as
key

No. DOB Fname

y

x

z

* constraints for primary key

* CREATE TABLE student

(sid ^{primary key} varchar(10) * , Sname varchar(20) * NOT NULL,
 PassNo ^{UNIQUE} varchar(20) * , LNo varchar(10) * UNIQUE,
 DOB date ^{NOT NULL} * , fname varchar(30) * NOT NULL,
 unique (DOB, fname));

The maximum number of superkeys for
 the relation schema R (E, F, G, H)
 E is the key is

* No. of superkeys = 2^{n-1} where n = total no.
 in any relation
 $= 2^{\text{no. of non-key attributes}}$
 $i = \text{no. of key attributes}$

* We have relational schema R (A₁, A₂, ..., A_n)

then the total no. of superkeys = ?

the candidate key = A₁

superkey = A₁, A₁A₂, A₁A₂A₃, A₁A₂A₃A₄, ..., n-1 times

Let us consider
attribute
attribute

$$\text{No. of superkeys} = 2 \times 2 \times 2 \times \dots (n-1) \text{ times} \\ = 2^{n-1}$$

Q We have relational schema $R(A_1, A_2, A_3, \dots, A_n)$
candidate key = A_1, A_2

$$\text{No. of superkeys} = 2^{n-2}$$

candidate key = A_1, A_2, A_3

$$\text{No. of superkeys} = 2^{n-3}$$

Q If the candidate key = (A_1, A_2, A_3)

$$\text{No. of superkeys} =$$

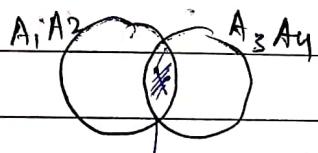
superkeys due to A_1 + superkeys due to A_2, A_3 -

common superkeys (A_1, A_2, A_3)

$$= 2^{n-1} + 2^{n-2} - 2^{n-3}$$

$$= 2^{n-3} \left(\frac{2^{n-1}}{2^{n-3}} + \frac{2^{n-2}}{2^{n-3}} - 1 \right) = 2^{n-3} (2^2 + 2 - 1) \\ = 2^{n-3} \cdot 5$$

Q candidate key = (A_1, A_2, A_3, A_4)



No. of superkeys

$$= 2^{n-2} + 2^{n-2} - 2^{n-4}$$

$$= 2^{n-1} - 2^{n-4}$$

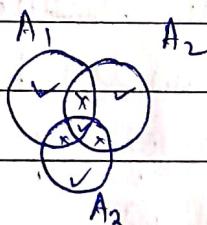
sub.

Q Relation $R(A, B, C, D, E)$

candidate key = (A, BC)

$$= (A, BC)$$

$$= (A_1, A_2, A_3)$$



foreign
(sid)

Referential integrity constraint requires that the value appearing in specified attributes of any tuple in referencing relation also appear in specified attributes of at least one tuple in referenced relation

Let us consider a relation R_1 , may contain p among its attributes the primary key of other relation R_2 . Thus attribute is foreign key from R_1 , representing R_2 :

* Foreign key (Referential key)

If a relation doesn't have unique key, it will borrow from other relation

foreign key referencing first table

Primary key	sid	name	login	sid	cid	fee
	s ₁			s ₁	c ₁	-
	s ₂			s ₁	c ₁	-
	s ₃			s ₂	c ₂	-
	s ₄			s ₆	c ₁	-
				s ₄	c ₁	-

Referenced \uparrow

relation

student

table

(Here sid is foreign key
Referencing relation

student enrolled table

CREATE TABLE Enrolled

(sid varchar(10),

cid varchar(10),

fee integer,

PRIMARY KEY (sid, cid),

foreignkey sid references student (sid)

ON DELETE NO ACTION || means if we

sid is referencing.

l M₂ is referenced

relation.

- can be left NULL

→ it follows referential

integrity rule

foreign key
(sid) references student (sid)

delete any tuple

from enrolled table

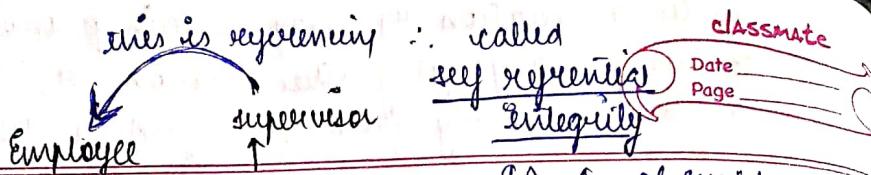
should not delete

anything in

student table.

OR more ON DELETE SETNULL → set sid on

ON DELETE CASCADE student table to NULL.



*

Eid	supid
E ₁	NULL
E ₂	E ₁
E ₃	E ₁
E ₄	

as E_i of supid
represents a particular
Eid i.e. E_i in same
table.

- * The following table has 2 attributes A & C
A = Primary key & C = foreign key referencing
A with ON DELETE CASCADE. The no. of tuple
that must be additionally deleted with 2, 4 is

Primary foreign

A	C	To prevent from referential integrity
2	4	delete 2 from
3	4	delete 2 from
4	3	(e column)
5	2	additionally
7	2	2 will be
9	5	deleted
6	4	due to above Eid deleted : supid nosupervisor : that will be deleted.

'ON DELETE NO ACTION' → no other act tuple
will be deleted.

Constraints of referential integrity.

1. Insertion :- no violation
2. Deletion :- violation may be possible
in reference table on delete no action (by default)
" " cascade

up id

a particular
in samees A & C
referencing
of tuple
2, 4 vsreferential
integrity
from
mn)
nally

The value of ~~classmate~~ primary key
cannot be ~~page~~ NOT NULL

(deletion from both table)
on delete set null

Entity integrity.
Referential integrity.

* Entity relationship model (ER model)
High level data base design



ER diagram



ER table

any value of
FK
is not
NULL

Entity :- Any object which can be
differentiated from other object in real world.

Entity set :- set of similar entities.

representation

Attributes / column →
Primary key →

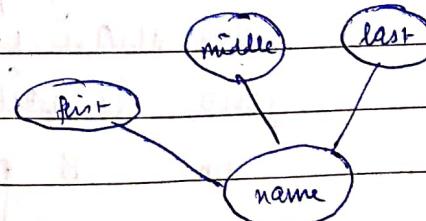
Multivalue attributes

Multivalued

sid	Sname	ename
1	A	C/C++
2	B	C/JAVA

Compound attributes -

name
/ / /
first middle last name

ion (by
default)

The Entity
if all entities
in R

* Derived attributes

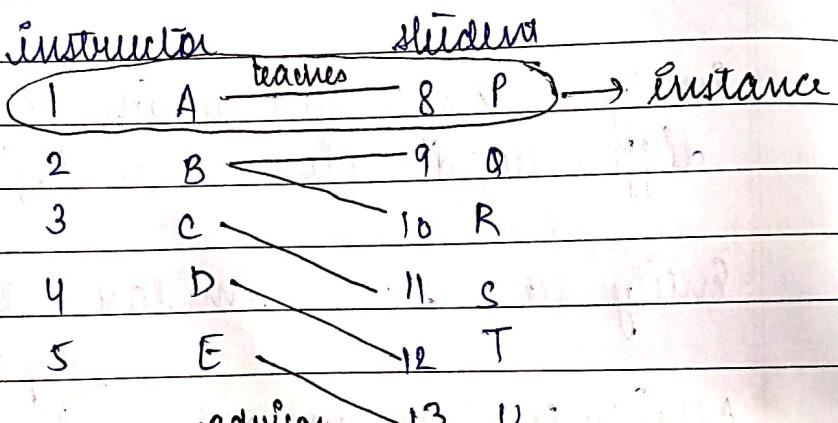
We know DOB → age can be derived.

DOB

Age

* Relationship

is an association among entities.
for eg:-



relationship b/w Instructor &
student;

* Relationship instance

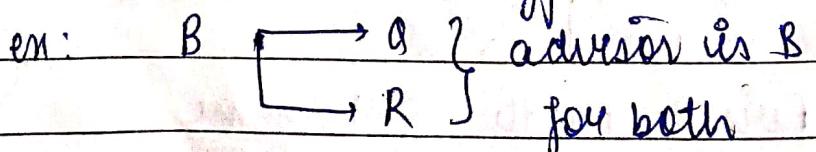
one record of above table

* Role

function that an entity play w.r.t.

* Recursive relationship set

If some entity participate in a relation more than one & both times or many times it will be in diff. role



* binary

gt it is

* Segue

the

* Rel

- com
1. To

(=) / Ent

b/w 2

entities

in a
relation



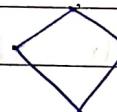
The Entity set E in relationship set R is said to be total
 if all entities in E participates in at least one relationship
 in R. If some participates → Partial

* binary relationship

It is between 2 entities, & entity set

* degree of relationship set :- No. of entities set
 that participate in a relationship set

* Relationship set



example

adviser



- constraints of relationship set

(→)

1. Total participation (==) 2. Partial participation

(==) Every entity in
 entity set participate
 in relation.

- some entities
 participate.

b/w 2

entities student
 in a relation
 S₁
 S₂
 S₃

3 options
 opt 1
 opt 2
 opt 3

if student
 name to
 participate
 in atleast 1
 sub:

total

student CR

S₁

S₂

S₃

if only S₁, S₂

attribute participate for CR

since

not all

∴ Partial.

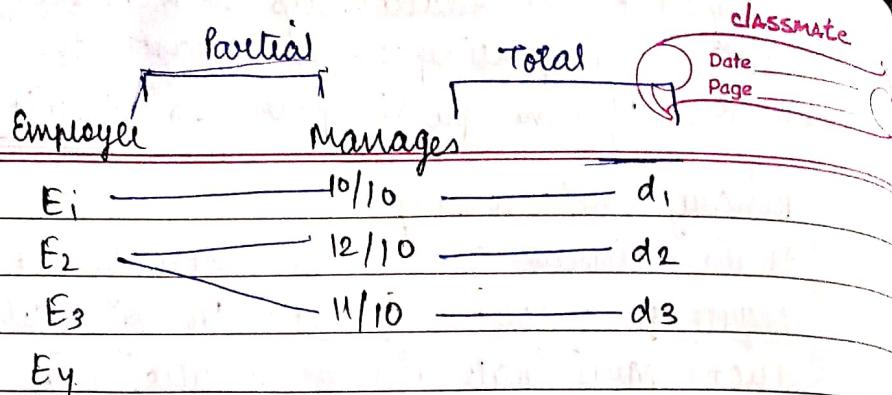
EmployeeTable

manages

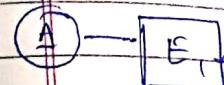
Dept

Partial

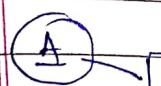
total participation



1. One to one

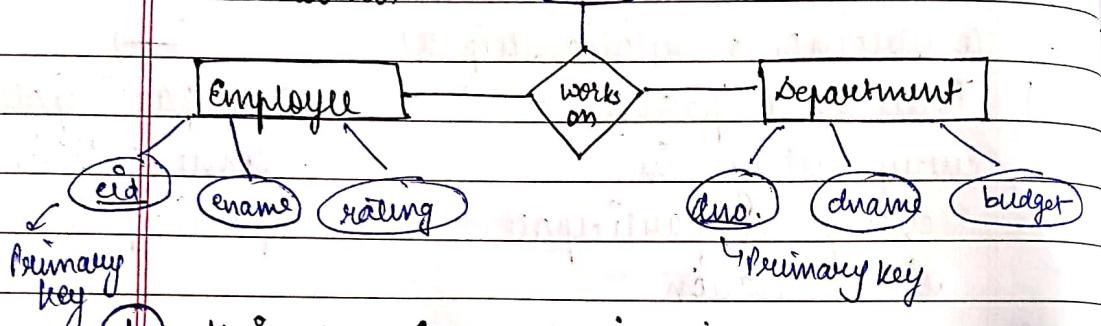


2. One to one



* How to create table in relationship set constraints

(since)



* Attribute with relationship set
= descriptive attribute

3. Many



4. Many



Create table works_on

(eid varchar(10),

dno varchar(5),

since date,

FOREIGN KEY (eid) references Employee ON DELETE CASCADE

FOREIGN KEY (dno) references Department ON DELETE

NO ACTION

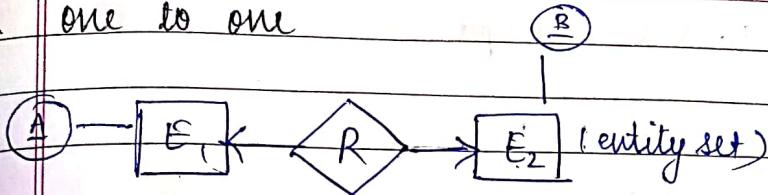
* Mapping cardinality or cardinality ratios

How one entity set is related to another entity set is called cardinality.

1. One to one
2. One to many
3. Many to one

4. Many to many

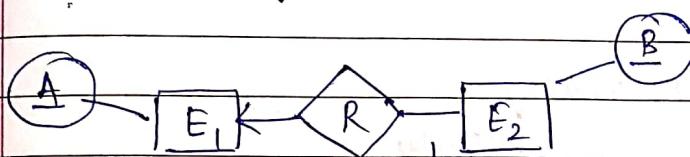
1. One to one



any of two

candidate key = (A, B)

2. One to many

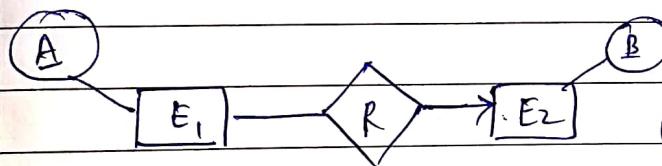


No arrow

i.e. many

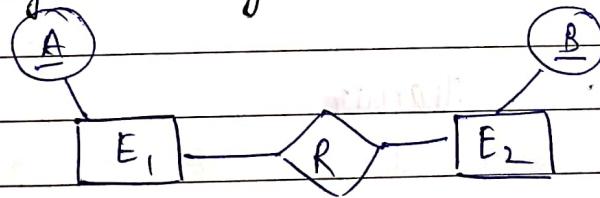
when one to many
we take candidate
key of many side.

3. Many to one



candidate key = A

4. Many to many



candidate key
= (A, B)
i.e. (AB)

combination

One to many example

E.no.	did.
E ₁	d ₂
E ₂	d ₃
E ₃	d ₁

* One to one example

dept HOD.

CSE \longleftrightarrow A

IT \longleftrightarrow B

ECE \longleftrightarrow C

eg:-

* One to many

HOD

A

faculty

m no. of faculties

1

2

3

4

B

1

2

3

4

1

* Many to one

student teacher

60

1

students

4

when it

* Many to many

Employee

E₁

E₂

E₃

E₄

Project

P₁

P₂

P₃

P₄

Project 2 has E₁, E₂

E₁ working on P₁ & P₂

Non-binary / Ternary



CLASSMATE

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- * entity relationship design issues
Broadly 2/3 issues

e.g:-

instructor table	table name
ID	
name	attribute
salary	
Phone no.	

if we want

to store

diff. info

about phone

then

we don't

take it as

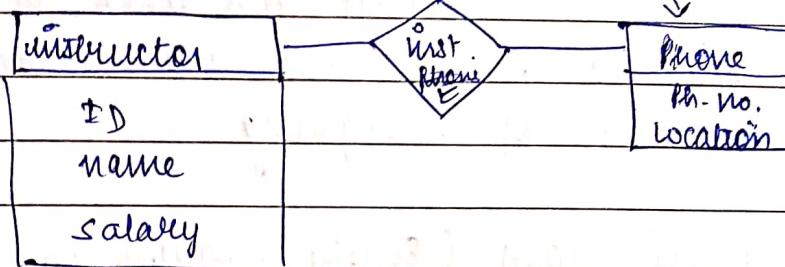
attribute

we

take it

as set

on the
basis of
design



1 Use of entity set Vs attribute

{ single value - take as attribute

multiple → take as entity set

↳ decided at time of design.

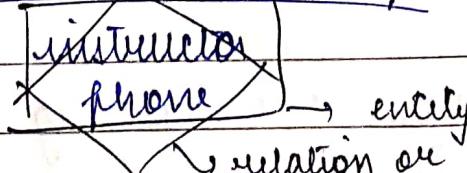
2 Use of entity set Vs relationship set

when it is not clear that whether the object is best expressed

it is not clear to use something as

entity set or relationship set.

like



instructor

phone

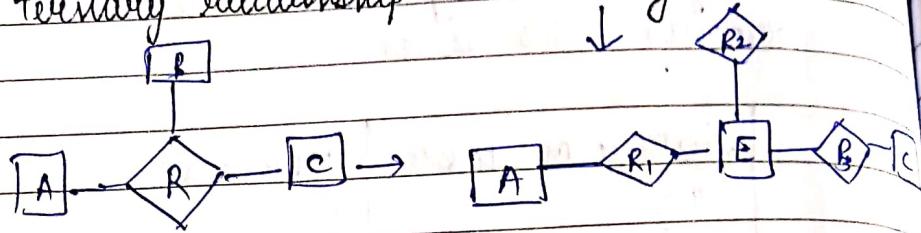
entity

relation or

most of relationships in database are binary
some relationships that appear to be non-binary
can be expressed easily in terms of binary
use of binary or n-ary relationships - relations

Pg 293

Ternary relationship → Binary



We decide at time of design

maximality ratio can affect

4 Placement of relationship attributes

Attributes

of one descriptive attribute can belong to many
to one or side as its attribute was to decided
one to many at time of designing.

IMP

* ER diagram (Entity relationship diagram)

to explain overall logical
structure of database

Major component

graphically

relationship set can be

associated with

rectangle

2. Ellipse

Dashed lines → binary attributes

3. Diamonds

of a relationship set to a

4. Lines :- links

participations. Double ellipse - multivalued attribute

entity

6. Dashed ellipse - derived attribute

rather than

7. Double lines - total

with the

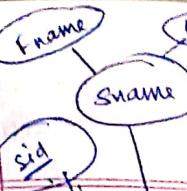
8. Double rectangle - weak entity set.

relationship

set.

*

ER diagram for issuing book from
the library.



① constraints
common
Each c
record

universal

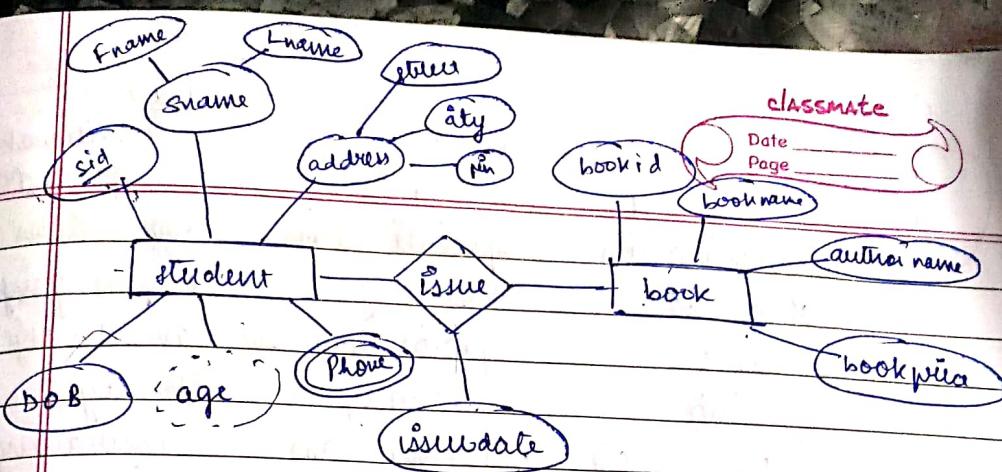
All

* ER

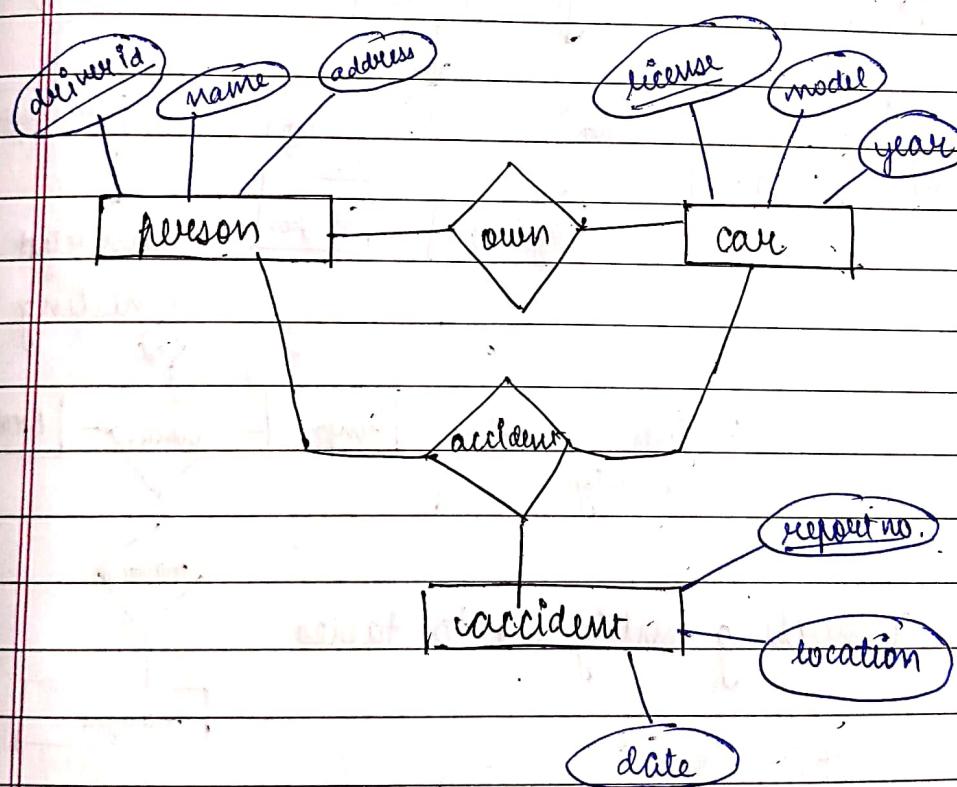
* Ge

da

binary
CLASSMATE
on-binary
binary
relationship



- Q Construct ER diagram for a car insurance company whose customer owns 1 or more car. Each car associated with 0 to any no. of recorded accidents.



* Extended ER features

* Generalization

Abstracting view of object as single general class. Bottom up approach.



same ER but
diff. process

- Generalization
Abstracting pieces of viewing object as single general class
- Bottom up approach

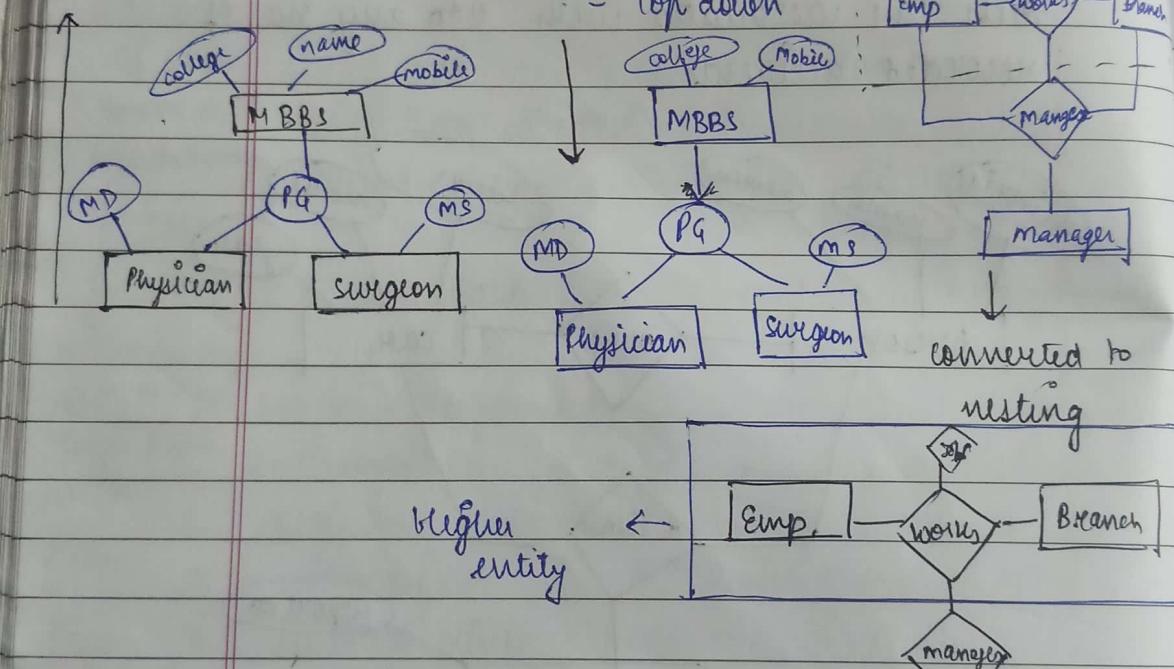
specialization
Adding of special characteristics to already existing class of object to create new classes

classmate
has a relationship
or is part of

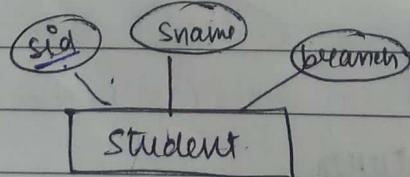
Aggregation
compiling info on an object, thereby abstracting higher level object

Lattice ER
Subclass in the super class

2. composite



* 1. Converting Entity set to tables

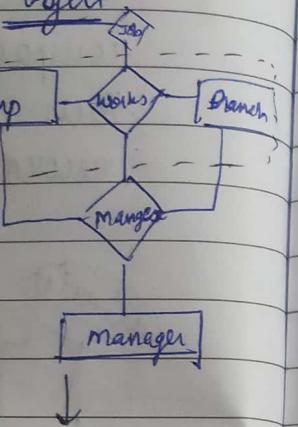


student

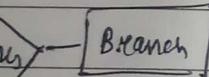
sid	Sname	branch
-----	-------	--------

classmate
has a
relationship
is part of

Aggregation
compiling info
on an object,
thereby
abstracting
higher level
object

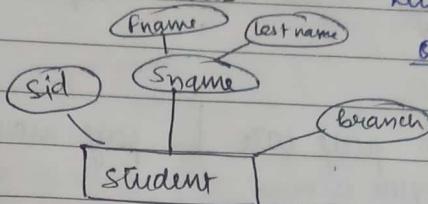


converted to
nesting



Entity ER
subclass inherits attributes not only of its direct
super class but all also of its predecessor's superclasses

2. Composite attributes

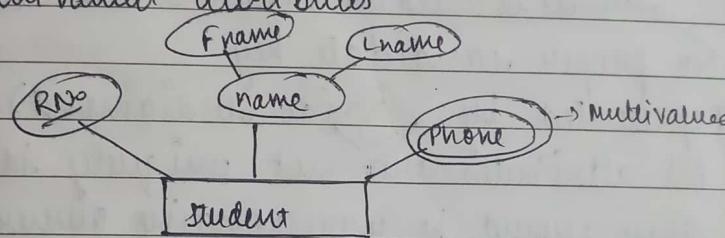


leave the composite
one & write
its part

student

sid	Fname	Lname	Branch
-----	-------	-------	--------

3. Multi valued attributes



2 tables → otherwise redundancy

student

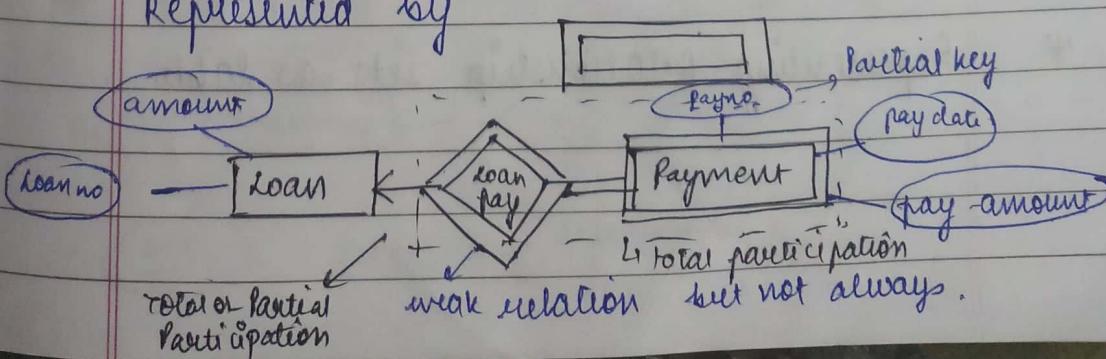
R.No	Fname	Lname	R.No.	Phone
------	-------	-------	-------	-------

1	RAM	KR	9832	} redundancy if we combine the two tables
1	RAM	KR	9999	

* weak entity set

No primary key only partial key

Represented by



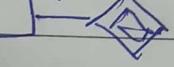
Weak entity → the relationship → weak

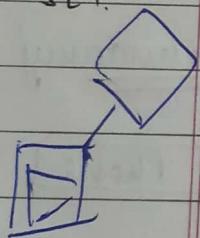
payment

loan no.	pay no.	pay date	pay amount
1	1	compute sum as primary key partial key	
1	2		
1	3		
2	1	key	
2	2		
2	3		

POINTS:-
FOR
WEAK
ENTITY
SET.

Member is called as sub-ordinate entity

- No proper candidate key
- Represented by  (double diamond)
- All attributes are not uniquely identified.
They should be corresponding owner entity set i.e. 



- Participation
- Total participation w.r.t weak entity set & weak owner
- cardinality → one to many
many " "
- Database table should be formed

*

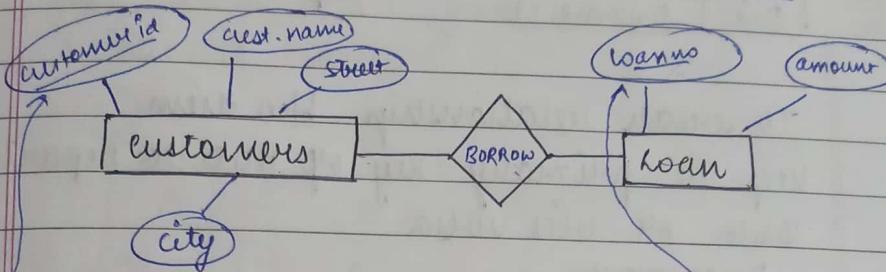
Representing Relationship sets as table

1. May

2.

3.

1. Many to Many (single line with no arrow)



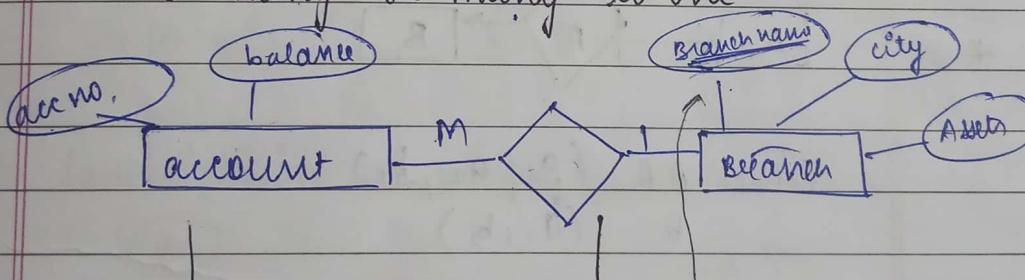
3 Tables

- ① customers
- ② loan
- ③ Borrow (additional)

Borrow

cust id	loan no.
FK	FK

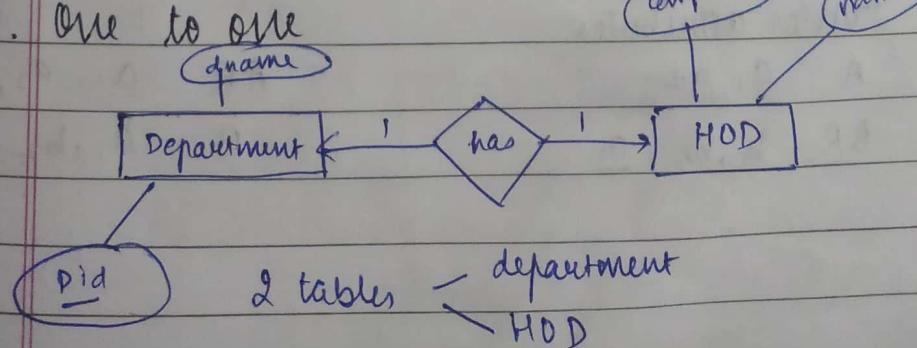
2. One to many or many to one



combine with many

acc no.	Balance	Branch name

3. One to one



2 tables - department
HOD

Department

Did	Dname
-----	-------

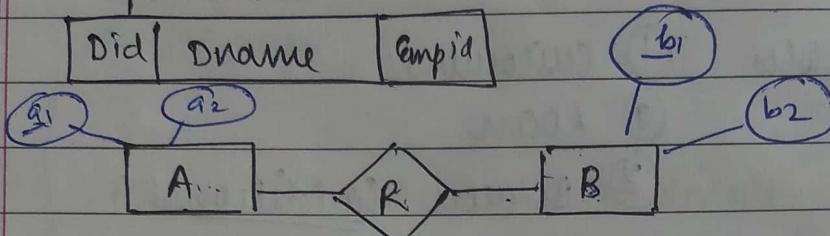
HOD

empid	name
-------	------

To create relationship b/w them

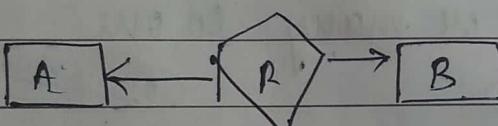
keep the primary key of HOD to Department table or vice versa

Department-



Primary

A	a_1	key
B	b_1	\downarrow
R	a_1, b_1	



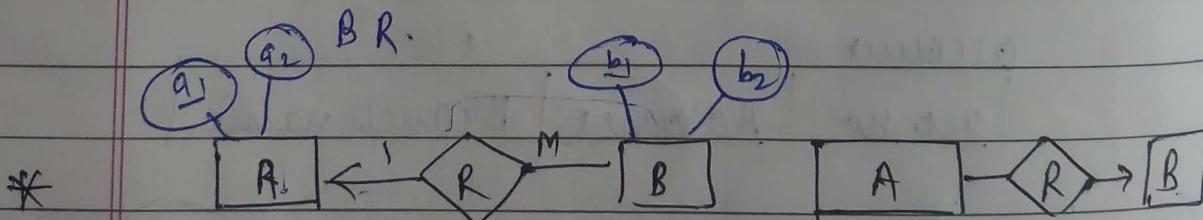
Either AR (a_1, a_2, b_1)

B (b_1, b_2)

or

A

BR.



2 tables attributes

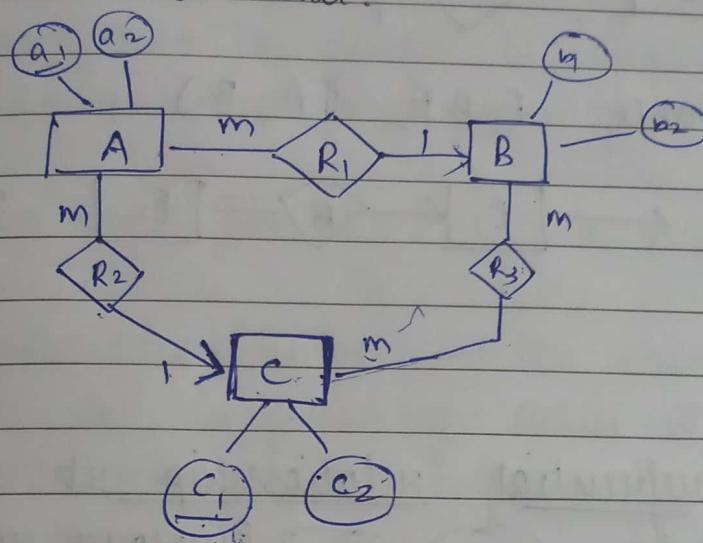
A a_1, a_2

AR a_1, a_2, b_1

BR b_1, b_2, a_1

B a_1, b_2

* Find no. of tables that are possible when you translate the given ER diagram into relational model.



C (c₁, c₂)

B (b₁, b₂)

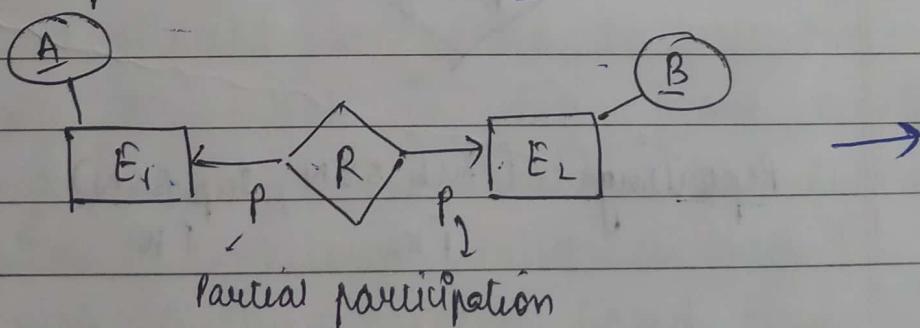
R₃ (b₁, c₁)

→ A R₁ R₂ (a₁, a₂, b₁, c₁)

PK

FK

* Partition set with E.-constraints



Partial participation

3 tables

E₁ (A)

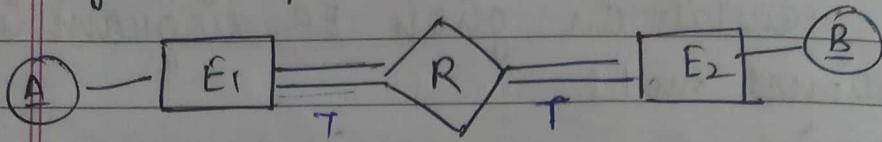
R (A, B)

E₂ (B)

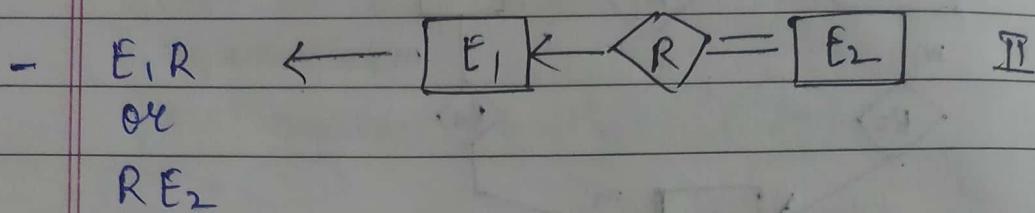
→ attributes

Special Cases

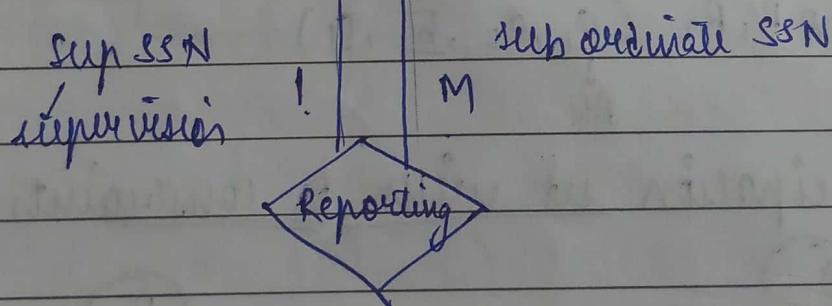
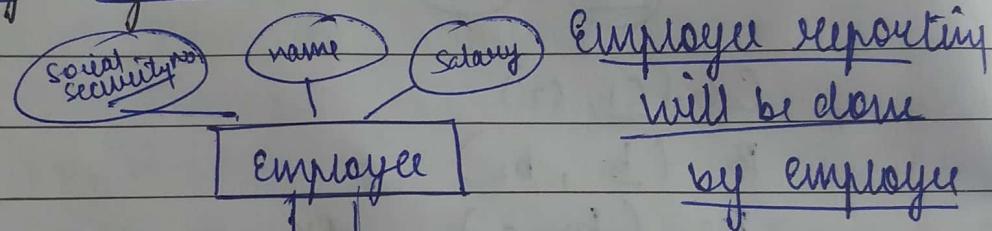
I of total participation



one table $E, R, E_2 (A, B)$



* self referential relationship set



Reporting (sub ssn, sup ssn)
PK FK

UNIT-2

- Relational Model vs Relational DBMS
- Relational model is concerned with what is required which separates it from how the model is implemented.
- Represent data in form of table.

(Codd's) Rule for DBMS

- 1) Information Rule :- All the data must be presented in form of tables w.e all the data represented in form of rows & columns.
- 2) Guaranteed Accessible :- All data can be accessed without any ambiguity.
 - Table name, primary key & attribute name.
- 3) Systematic treatment of NULL values :-
A field should be allowed to remain empty or NULL is diff. from empty string. ^{in database} NULL values should treat the missing value or unknown value in table.
- 4) Dynamic Online catalog based on relational Values :-
Active online catalog :- Structure of data base must be present or stored in online catalog which can be queried by authorized users.

data base should be accessible by
→ supported for definition, manipulation,
query language
transaction management
operations

5) comprehensive data sublanguage

Relational data base must support
at least 1 language like DDL, DML,

DCL

example:- Data definition language

- Data definition

DML → - Data manipulation

DCL → - Data control

- Data authorization

- View definition

- Integrity constraints

- Transaction control

Features
of
language
supporting
database

6) View updating Rule different views having
changes must be updated at all levels.

various purposes should be automatically updated

← 7) High level insert, Update & Delete.

Relational model should support insert, Nested queries.

delete, 8) Physical and(9) logical data independence

Update
at all
the levels

changes at
physical level

Also

other
operation

union, ∩, min, max

changes at
logical level

without change

in logical & external level

changes at logical
level without change

in external level / in
app. program

eg: Bank, ITC

9) Integrity independence

constraints that language uses, must
be supported.

Integrity constraints at database level should not
enforce modification at app. level.

11) DDL
User
present

12) Non-

Data
By M
use

- DDL
all

- de
d

- su
se

-

-

classmate
language
trans.
manag.
operat.

DBMS → RDBMS

at least
7 rules
supported

classmate

Date _____
Page _____

- 11) Distribution independence \Rightarrow distribution of data
User does not know about the database at various places should not be known to end users.

- 12) Non-subversion rule
weakened data

Data base security must not be weakened.
By passing the security features of database by user should not be their.

DBMS

RDBMS

- doesn't support client - server architecture
 - doesn't support distributed database
 - In DBMS, no tight security of data.
 - support less than 7 rules of CODD
 - less speed of operation
 - less requirement for hardware & software
- support
 - support
 - multiple levels of security such as logging at operating system level, command level, object level etc.
 - more than 7 rules are supported
 - high speed of operation
 - more requirement.

Features
of
language
supporting
database

having
levels
updated
by
the
system

range
view
level

etc

* Excel never used for Database but can be used for *Personal database*

- Platform used
 - i.e. DOS in DBMS.
 - UNIX etc
- Uses 3 GL
 - 3 generation language.
- Facilities & utilities offered are limited
- All high.

CONSTRAINTS

1) Domain constraints
values associated with particular attribute means if char type data then that attribute will have all character type data.

2) key constraints

- each table must have a key
- value of key \neq NULL

3) Entity integrity

If we have entities then relationship establish b/w them using keys.
(value of key \neq NULL)

4) Referential integrity

In case of foreign keys.

- value of foreign key referencing other key
A table should not be NULL.

- No. of tuples in foreign key & referenced key should be same.

5) Orphan

Customer (orderID, custID, orderdate) order

order - (orderID, custID)

Customer (cust name, cust ID)

order (orderID, cust ID^{FK}, order date)

5) Semantic integrity constraint

salary of employee should not exceed manager's salary.

6) Functional dependency constraint

functional relationship b/w constraints of 2 attributes.

* Relational Algebra define set of operation on relation.

(i) Select operation :- select data given by

σ (condⁿ) (R)

\hookrightarrow relation or table name

$<, >, <=, >=, =, !\alpha, <>\alpha \neq$

connectors used in SQL = \wedge, \vee, \neg

$$\sigma_{\alpha_1} (\sigma_{\alpha_2} (R)) = \sigma_{\alpha_2} (\sigma_{\alpha_1} (R)) \quad // \text{commutative}$$

∇ in relational algebra
(select) = where clause
condition
Page

example:- eid ename

1	A
2	B
3	C

$\nabla \text{eid} = 1 (\text{emp})$

eid ename] will be shown
1 A]

example:- ID name deptname salary

table name = instructor

Query :- Retrieve the rows where deptname is physics

$\nabla \text{deptname} = \text{'physics'} (\text{instructor})$

(2) Find all instructors with salary > 9000

$\nabla \text{salary} > 9000 (\text{instructor})$

(3) Find all departments whose name is same as their building name.

$\nabla \text{deptname} = \text{building} (\text{instructor})$

(iii) Project operation :- retrieve data from ^{particular} attribute

Represented by :- π

Syntax

$\pi_{A_1, A_2, \dots, A_N} (R)$

attribute from relation

query: list all instructor ID, name & salary but don't care about depname.

$\pi_{ID, name, salary}(\text{instructor})$

(ii) find the name of all instructors in the physics department

$\pi_{name}(\sigma_{\text{depname} = \text{'Physics'}}(\text{instructor}))$

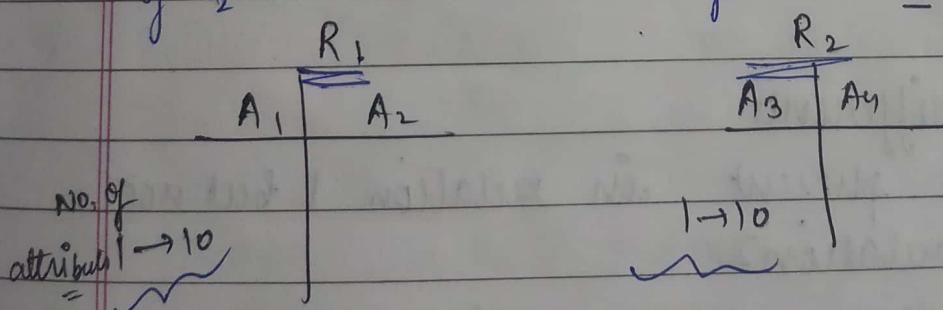
(iii) set operations :-

i) union :-

(a) union compatible :- $R_1, R_2 \rightarrow$ two relation, both relation must have same no. of attributes, domain must also be same means

\rightarrow Relation R_1, R_2 must be of same arity (degree) (same attributes)

\rightarrow The domain of i^{th} attribute of R_1 , i^{th} attribute of R_2 must be same for all.



R

ID	name	age
1.	A.	20
2.	B.	21

S

ID	name	age
3	C	23
4	D	24

R US (tuples from R, S, or both)

id	name	age	(duplicate tuples removed)
1	A	20	
2	B	21	
3	C	23	
4	D	24	

- (2) show the name of all person who are in R or S

$\text{Rname}(R) \cup \text{Sname}(S)$

(iii) intersection

only common attribute shown

R

id	name	age
1		
2		
3	C	23

S

id	name	age
3	e	23

shown: $\begin{matrix} \text{id} \\ 3 \end{matrix}$ $\begin{matrix} \text{name} \\ C \end{matrix}$ $\begin{matrix} \text{age} \\ 23 \end{matrix}$

(iv) set difference

value present in relation 1 but not in relation 2

student

id	name
1	A
2	B
3	C

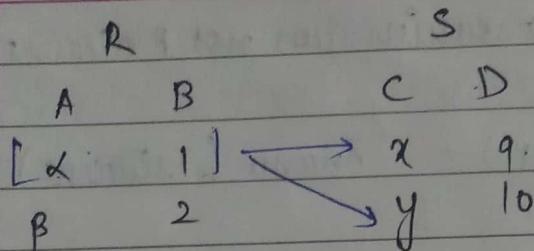
f student

id	name
1	A
2	B

No. of
attempts

tuples

- attribute $\rightarrow \forall$
- Q Name of all student which are not P student
- $= \forall \text{name}(\text{student}) - \exists \text{name}(\text{Pstudent})$
- Q Find all courses taught in fall 2009 sem but not in spring 2010 section
- | course id | sem | year |
|---|---|------|
| $\forall \text{course id} (\forall \text{sem} = \text{'fall'} \wedge \text{year} = 2009) \text{ (section)}$ | $\exists \text{course id} (\forall \text{sem} = \text{'spring'} \wedge \text{year} = 2010) \text{ (section)}$ | |
- (v) Cartesian product of 2 tables (X) \Rightarrow 2 tables give all possible combination of 2 tables. & we name find possible combination
- R S
- $r_1 \quad \quad \quad s_1$
 $r_2 \quad \quad \quad s_2$
- $R \times S = r_1 \cdot s_1$
 $r_1 \quad s_2$
 $r_2 \quad s_1$
 $r_2 \quad s_2$
- $R_1 \quad R_2 \quad R_1 \times R_2$
 $x \quad y \quad x+y$
- No. of attributes
 $R_1 \times R_2 = x+y$ no. of attributes.
 $m_1 \quad n_2 \quad m_1 \times n_2 = \text{no. of tuples.}$



R X S	A	B	C	D
α	1		α	9
α	1		γ	10
β	2		α	9
β	2		γ	10

Query Find the names of all students having grade A

student		grade	
name	Roll no.	roll no	grade
RAM	1	1	B
SHYAM	2	2	B
MOHAN	3	3	C

$\pi_{\text{name}} (\sigma_{\text{grade}=\text{A}} (\text{student} \times \text{grade}))$

(vi) Rename operation (ρ)

Rename attribute & table name (Relation)

Find the name of student

$\rho_{\text{student}, \text{grade}} (\pi_{\text{name}} (\sigma_{\text{grade}=\text{A}} (\text{student} \times \text{grade})))$

OR
 ρ_{g_1/g_2} new attribute name

$g_1/g_2 \rightarrow$ old attribute name

* types

(a) inner
only matc
li

(a) the

(b) Equ
spec

(c) Nat
Ba
att

Difference b/w Join & Cartesian product
 filtering property
 then combine
less costly all multiply then
condition applied.
more costly.

* Types of joins

(a) inner join
 only matching
 tuples

(b) outer join
 all tuples

(a) Theta Join (Δ_θ)
 $<, , = , > = , \leq,$
 $\neq.$

(a) left outer join (Δ_L)
 → left relation tuple

(b) Equi Join

(b) right outer join (Δ_R)
 → right relation tuple

= join with '=' sign

(c) full outer join (Δ_{LR})
 → all tuple

(c) Natural Join (Δ_N)

based on common
 attribute in both
 tables.

Mobile

Model	price
Nokia	10k
samsung	20k
iphone	50k

laptop

model	price
dell	30k
Acer	20k
lenovo	10k

\bowtie (mobile price < laptop price)

- ① Purchase both mobile & laptop but
mobile price should be less than laptop
 price.

[filtering]

mobile \bowtie (mobile.price < laptop.price)

- ② mobile & laptop price should be same.

mobile \bowtie (mobile.price = laptop.price) \Rightarrow Equijoin

Natural join

forms cartesian product of two arguments
 perform selection & forcing equality on
 these attributes that appear in
 both relation schema & finally remove
 duplicate attributes.

$\bowtie \Rightarrow NUL$
 with A,B,C etc
 i.e

				Dept	
				Dname	Manager
				Finance	M ₁
A	1			Finance	M ₁
B	2	sales		sales	M ₂
C	3	sales		Mkt	M ₃
D	4	GE			

well not join in
 only join

$\text{Emp} \bowtie \text{Dept}$

if written then
 no join

				Manager
A	1	Finance	M ₁	
B	2	sales	M ₂	
C	3	sales	M ₃	

* Outer Join

Left outer join

(i) Emp \bowtie Dept

O/P	Name	Eid	Deptname	Manager
	A	1	F	M ₁
	B	2	S	M ₂
	C	3	S	M ₂
	D	4	CSE	NULL

$\bowtie \Rightarrow$ NULL NULL MKT M₃

with A,B,C excluding D

i.e

A	1	F	M ₁
B	2	S	M ₂
C	3	S	M ₂
	NULL	MKT	M ₃

\bowtie

A	1	R	M ₁
B	2	S	M ₂
C	3	S	M ₂
D	4	CSE	NULL
	NULL	MKT	M ₃

* Division operator

$$R_1(x) = R_1(z) \div R_2(y)$$

Result contains all tuples appear in $R_1(x)$
in combination with $R_2(y)$ in
 $x \cup y$

 R_1

Course #	Name
10	B-tech
12	MBA
14	MCA

 R_2

Course #
10

$$R_1 \div R_2$$

Name
Btech

See same values

in common attribute.

i.e course #

Find the names of student who failed in
all the subjects.

student

name	sub-failed	subject
A	X	X
A	Y	Y
B	Z	
C	W	

student \div subject

O/p \Rightarrow A has duplicate values \rightarrow A

Tname (student ÷ subject)

- Generalized projection π (used on Arithmetic operation)
- This operation is different from σ
- used on particular list
- eg:- credit info (customer name, limit, credit)
- Determine difference of limit & credit of each customer

$x_1 \leftarrow \pi_{\text{branch}}$
 $x_2 \leftarrow \pi_{\text{customer}}$

0 find
dept

$\pi_{\text{customer}}, \text{limit} - \text{credit}$ (credit info)

0 Full

Aggregate functions σ

Take collection of values eg: sum, min, max, avg, count, count distinct (similar values)
Find out sum of salaries of all instructor (eliminated)

$\sigma_{\text{sum}}(\text{salary})$ (instructor)

Find the total no. of instructor who teach a course in the spring 2010 sem.

$\sigma_{\text{count distinct}}(\text{ID})$ (\checkmark semester = spring ^ year = 2010) (instructor) (teaches)

* Assignment operator

Find the names of all customer who have account in all branches of Delhi.

$\pi_1 \leftarrow \pi_{\text{branchname}} \downarrow \text{branch-city} = "DELHI" (\text{Branch})$

$\pi_2 \leftarrow \pi_{\text{customer}, \text{branchname}} (\text{Depositor} \times \text{account})$

$\pi_2 \div \pi_1 \rightarrow \text{customer corresponding to branch name in both will be the o/p.}$

Q Find the average salary in each department

dept. name $\pi_{\text{average salary}} (\text{instructor})$

Q Find average salary all instructor

~~FR~~ $\pi_{\text{average salary}} (\text{instructor})$
Multi-set Relational Algebra

R₁

R₂

A	B
1	a.
2	a.

2

3

3

$\pi_B(R_1) = a, a$

$\pi_B(R_2) = a_2$
 $\times R_2$ a_3

a_3
 a_3
 a_3

a_3

* Features of SQL

1. High level language
2. Free format syntax
3. Authorization

↑ decimal
precision
↓ scale

Number (p,s)

22.06

(4,2)

4 digit

varchar2 (size)

if size = 20 used 10 then 10 free

when var

char → if size = 20 fixes remaining 10
also if 10 used.

SQL command

I) DDL DML DCL

- Create - select - revoke
- Alter - update - grant
- Drop - insert
- delete

* Create table Sept

(Dept name varchar(20), primary key,

Building varchar(15), UNIQUE, write directly here

Budget numeric (12, 2),

primary key (dept name)); // to make primary key.

exactly same as in parent table

or

Create table insfunc

(ID varchar(5),

name varchar(20) NOT NULL,

dept_name varchar(20),

salary numeric (8,2)

primary key (ID), foreign key (dept_name) references(dept)),

DML

- CHECK constraint
 - eg:- CHECK (field name) IN ('M','F') → eg:- either male or female.
 - eg:- CHECK (budget) IN ('2010','2011')
- changes

modify
&
alter
table

- ① To add new column
- ② To add new integrity constraint
- ③ To modify existing columns.
- ④ To expand length
- ⑤ To decrease length but all values in the col. should be NULL.
- ⑥ To drop the integrity constraint

Create the table supplier | id number 3

name varchar 20

- Q1 Add new columns pincode & scode number 4
city to table supplier
- Q2 change the width of pincode to 5.
- Q3 Add a primary key after table is created
- Q4 Remove the " "
- Q5 ADD not NULL constraint
- Q6 Drop " " "
- Q7 ADD constraint CHECK to deposit column.
- Q8 To drop this check constraint.
- Q9 To add primary key "
- Q10 Drop " " "

ALTER TABLE supplier

ADD (pincode varchar(3) {
CITY varchar(5)});

ALTER table supplier

MODIFY (PINCODE varchar(5));

ADD PRIMARY KEY (ID);

DROP PRIMARY KEY;

MODIFY NAME NOT NULL;

MODIFY NAME NULL;

ADD CONSTRAINT CKDEP

CHECK (deposit BETWEEN 4000 and 5000);

DROP CONSTRAINT CKDEP;

ADD CONSTRAINT PID

PRIMARY KEY (ID);

DROP CONSTRAINT PID;

INSERT INTO CUSTOMER VALUES

(& cust_no, '& LNAME', '& RNAME');

SELECT FNAME || ' ' || LNAME FROM CUSTOMERS;
~~~~~ concatenation

\* To sort the data

```
SELECT LNAME, FNAME, PIN FROM CUSTOMER  
ORDER BY STATE DESC;  
UPPER (STATE)
```

% percentage (as many characters you want)  
\_ underscore (specify character " ")

\* To retrieve all rows where customer no

```
SELECT from Emp  
where FNAME LIKE 'RAJ%'
```

✓ check RAJ <sup>3 characters</sup>  
for one character  
'RAJ\_'

\* Update command

```
UPDATE CUST SET PIN = "10001" WHERE ID = '2',
```

\* View

```
CREATE VIEW EVIEW AS  
SELECT empno, e-name, d-name  
from emp, dept  
WHERE emp deptno. = dept.deptno
```

"To hide complex query = use of view"

Imp:-

Order By clause, can't be used with 'create view' statement.

view can't be updated if it contain join, set operators, Group by, group by clause & distinct.

- \* Number function
- \* Aggregate " "
- \* character "
- \* conversion "
- \* Date "

ABS absolute

SELECT ABS(200) FROM DUAL; || temporary table

COUNT

- count (\*) it counts no. of rows in a table
- count DISTINCT ↗ including NULL
- COUNT ↗ remove duplicates & leave NULL tell total no.  
will tell.

INIT CAP

LENGTH

TO\_CHAR ( )

To show only o/p  $\Rightarrow$  NVL fn.

SELECT ENO, BASIC, NVL(COMISSION, 500) FROM CSE;

Decode fn is used to decode name  
like DEL → Delhi

Select city    DECODE ('CITY', 'UDP', 'UDOP', 'BNG', 'BANGALORE')  
 CITY NAME  
 CITY  
 UDP              UDUPI  
 BNG              BANGALORE

ADD MONTHS

To DATE change in dd-mm-yyyy format.

\* DELETE FROM CUSTOMER WHERE STATE='DEL';  
 COMMIT; //to save. if forget write ROLLBACK;  
 To save ]  
 SAVE POINT D1;  
 DELETE —  
 SAVE POINT D2;  
 DELETE —  
 ROLL BACK TO D1;

SELECT EMP.NO, SUM(BASIC)  
 FROM SAL GROUP BY EMP.NO  
 ORDER BY SUM(BASIC)

| ID   | EMP NAME | BASIC | SOMM | DEDUCT |
|------|----------|-------|------|--------|
| 1001 |          | 2000  |      |        |
| 1002 |          | 1000  |      |        |
| 1003 |          | 3000  |      |        |
| 1004 |          |       |      |        |
| 1001 |          | 2000  |      |        |

| EMP NO. | SUM  |
|---------|------|
| 1001    | 4000 |
| 1002    | 9000 |
| 1002    | 9000 |
| 1001    | 4000 |

} to apply condition  
we use

HAVING clause

rather than WHERE  
clause

HAVING :- group

WHERE :- on a row

alias (another  
name)

SELECT EMP.NO , EMP\_NAME , AVG(BASIC)  
FROM SALARY S , EMP  
(alias)

WHERE S.EMP = EMP.EMP NO

GROUP BY S.EMP & EMP.NAME

HAVING AVG (BASIC) = 5500

ORDER BY AVG (BASIC);

Don't forget  
to add \* !

Nested queries , subqueries

must return a single column —

- The result can contain column ~~as~~ references without ~~any~~ more
- It return single row at time of ~~the operation~~ very
- We can't use between operator \*
- We can use them with insert, delete update statement

① Display employee who earn less than avg salary in organization.

`SELECT * FROM SALARY WHERE`

`BASIC < (SELECT AVG(BASIC) FROM SALARY)`

② List the name of employees who don't work in marketing department.

`SELECT EMP.NO, E.NAME FROM EMP WHERE DEPT NOT IN`

`(SELECT EMP.NO, FROM SALARY WHERE DEPT = 'MKT')`

③ Select name of employees where deduction is < than 500.

`SELECT EMP.NO, FROM EMP`

`(SELECT EMP.NO FROM SALARY WHERE DEDUCTION < 500)`

④ Display name of employees

`SELECT EMP.NO, E.NAME, FROM EMP WHERE DEPT NOT IN`

`SELECT EMP.NAME FROM EMP WHERE EXISTS`

`(SELECT * FROM SALARY WHERE EMP.EMP.NO = SALARY.  
EMP.NO  
AND DEPARTMENT = 'CSE');`

Reports

PL |  
\* A  
- v  
- ev  
DF V  
B E J  
compulsory

CLASSMATE  
Date \_\_\_\_\_  
Page \_\_\_\_\_

Write set of program to generate salary report in SQL plus.

By default text aligned

SET FEEDBACK OFF

SET PAGESIZE 30

SET LINESIZE 75

TOP

TTITLE CENTER 'SALARY REPORT'

Bottom BTITLE 'END OF SALARY REPORT'

By default SCOLUMN EMP\_NAME FORMAT A10 TRUNC

center align

format column

ACOLUMN "NET SAL" FORMAT 9,999.00

SELECT S.EMP\_NO, EMP\_Name, BASIC, COMMISSION,  
DEDUCT, BASIC + COMMISSION - DEDUCTION "NETSAL"  
FROM SALARY S, EMP

WHERE S.EMP\_NO = EMP.EMP\_NO;

TTITLE OFF

BTITLE OFF

CLEAR COLUMNS

### SALARY REPORT

| EMPNO | EMPNAME | BASIC | COMMISSION | DEDUCT | NETSAL |
|-------|---------|-------|------------|--------|--------|
|-------|---------|-------|------------|--------|--------|

END OF SALARY REPORT

2 rows selected

To run → SQL > START SALARY REPORT  
<filename>

package name

PL/SQL superset of SQL

classmate

Date \_\_\_\_\_

Page \_\_\_\_\_

\* Anonymous block Name block

- does not have any name
- executed only once.

↓  
subprograms  
arrays  
Triggers procedures

DECLARE

variables, cursors; user-defined exceptions, functions

BEGIN

SQL & PL/SQL statement

EXCEPTION

Wrap the errors

compulsory END.

Anonymous to add two numbers

set serveroutput on; // to see output

DECLARE

i integer := 10;

j integer := 20;

c integer;

BEGIN

c := i + j;

DBMS\_OUTPUT.PUT\_LINE(c);

procedure name

package name

END;

/ To run the PL/SQL code.

if named file, to start  
 SQL> ED filename  
 start filename

- = write a PL/SQL code to ^ employee name,  
 join basic & designation of employee whose  
 no. is 11P by user
- ① write a PL/SQL code to run a for loop  
 in reverse.

set serveroutput on;

BEGIN

DBMS\_OUTPUT.PUT\_LINE('for loop --')

if straight then  
 FOR I IN REVERSE 1 .. 10 LOOP  
 DBMS\_OUTPUT.PUT\_LINE ('LOOP INDEX'||  
 END LOOP;  
 FOR I 1 .. 10  
 LOOP  
 / (to sum)  
 SET SERVER OUTPUT OFF;

\* If-else  
 IF (condition)

THEN

ELSE IF

END IF

## \* CASE expression

```
CASE exp WHEN exp1 THEN statement
          WHEN exp2 THEN " "
          |
          |
ELSE DEFAULT

```

END.

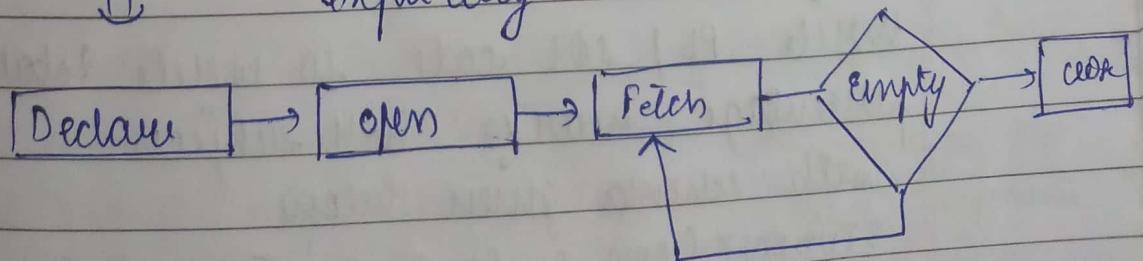
## \* cursor

context area → to gain more control  
 over this " we write cursor  
 it is a pointer to context area.

All info needed to process all SQL statement  
 using cursor

## 2 types of cursor

- implicit automatically created
- explicit written by user & declared  
 U explicitly



\* 4 to 5 attributes

- (1) % found i.e. FOUND  
it returns true if row is returned
- (2) % not found NOT FOUND when table empty
- (3) To check whether cursor is open or not  
% IS OPEN
- (4) % ROWCOUNT = 0 (when cursor opened)  
otherwise return no. of rows in it.

### Uses

syntax

DECLARE

CURSOR < cursorname >

IS < SELECT statement >

(To open)

OPEN < cursorname >

(To store data in cursor)

,FETCH < cursorname > INTO VAR1, VAR2

or

FETCH < cursorname > INTO < RECORD name >, \*

CLOSE < cursor name > ;

Write PL/SQL code to write total percentage marks in 4 subjects with schema given below

STUDENT (RNO, S1, S2, S3, S4, Total, Percentage)

Record  
type  
variable  
where all  
records  
attribute  
in table  
will  
be made  
just st.

## DECLARE

T NUMBER;

PER NUMBER;

CURSOR C1 IS SELECT \* FROM STUDENT;

Record type variable where all records attribute in table will be made just it.

REc C1 % ROWTYPE; // c1 will have variable similar to row in record of student

BEGIN

OPEN C1;

LOOP

FETCH C1 INTO REC;

EXIT WHEN C1 % NOTFOUND;

T := REC.S1 + REC.S2 + REC.S3 + REC.S4;

PER := T/4;

UPDATE STUDENT SET TOTAL = T, PERCENTAGE = PER WHERE RNO = REC.RNO.

END LOOP;

CLOSE C1;

END;



## DECLARE

CURSOR C1 IS SELECT emp\_no, emp\_name

V\_empno Emp\_no%Type;

V\_ename Emp\_name%Type;

FETCH C1 INTO V\_empno, V\_ename;

EXIT WHEN C1 % NOTFOUND;

emp name

data type Emp

table ki empname

ki ek ki HS table

name

data type

banjaya.

DBMS\_OUTPUT.PUT\_LINE ('V\_eno,' || V\_ename)

END LOOP;

CLOSE C1;

END;

\* Triggers  
define particular action.



they are required to enforce rules  
that cannot be coded through  
referential integrity.

(\*) To enforce certain business rules,  
validation in an app. To maintain  
audit changes made to date, to  
derive column values.

syntax

CREATE [OR REPLACE] trigger <trigger name>  
[Before/ after]  
[DELETE | insert | update ] [of column]

[on user].table

[for each row]

[when condition ]

[PL / SQL statement ]

statement and trigger.

- (1) they are user the for
- (2) part
- (3) on
- (4) business

- ① they are associated with the table & are automatically fired when user uses DML like insert, update, delete on the table ② there can be many triggers for one table
- ③ there can be only one trigger of a particular type i.e. update, insert, delete.
- ④ only one table can be specified in triggering statement.
- ⑤ trigger code can be typed at SQL code, or any editor like notepad.  
inside the trigger the correlation name new, old can be used  
to refer to data or command using  
to date in it respectively.
- ⑥ triggers don't include commit, ROLL BACK, SAVEPOINT.  
Write a code to create a trigger so that no operation can be performed on employee table on tuesday.

```

CREATE Trigger EM_TUE
BEFORE INSERT OR UPDATE OR DELETE ON EMP
BEGIN
IF RTRIM(UPPER(TO_CHAR(SYSDATE,'DAY'))) 
= 'TUESDAY' THEN
  FALSE_APPLICATION_ERROR (-20101, 'cannot use
  / table on tuesday');
  error no. app. statement
END IF;
END;

```

START EM\_TUE

DROP Trigger

ALTER TABLE EMP DISABLE ALL TRIGGER  
EM\_TUE

" " "  
EM\_TUE ENABLE  
EM\_TUE DISABLE  
=

\* PL-SQL procedures  
subprogram → must return a value  
Procedure & f. diff.  
To perform a particular named block to code to  
a particular named block perform specific task  
action, parameter list  
compute values.

They don't return value  
IN passing parameter in  
OUT " " OUT  
INOUT " " in then out,

→ Write a SQL procedure which will update the salary whose emp.no is passed as parameter.

CREATE [OR REPLACE] PROCEDURE

raise sal (E.NO., emp.empno % Type)

IS

BEGIN

UPDATE EMP

SET Sal = Sal + 1000 \$ WHERE

emp\_no = eno;

END raise\_sal;

raise sal (10);

(consider variable Sal)

DROP PROCEDURE < Procedure name >

CLASSMATE

Date \_\_\_\_\_  
Page \_\_\_\_\_

\* f" returns a value.

Write a PL-SQL function to return square of a given no.

CREATE [OR REPLACE] FUNCTION SQR(N NUMBER)

RETURN NUMBER

IS BEGIN datatype.

RETURN N\*N;

END;

/

Set SERVEROUTPUT ON;

BEGIN

DBMS\_OUTPUT.PUTLINE ('5 sq is :: '||SQR(5));

END;

/

Set SERVEROUTPUT OFF;

return datatype return

/ or

→ Return f" using RETURN keyword.

\* PL-SQL f" → from table. IN, OUT X

CREATE [OR REPLACE] FUNCTION find\_sal (eno,

emp, empno

%Type)

RETURN NUMBER

IS

(consider variable  
du) V\_sal emp. sal % Type

BEGIN

SELECT sal INTO V\_sal FROM emp

WHERE emp-no = eno;

Return V\_sal;

END;

## \* Functional dependency

It is an association b/w 2 attributes of the same table.

A      B

1      4 ] not unique

1      8   ] ∵ no functional dependency exist.

2      8

3      9

Q

consider a relation

A      B      C

1      2      3

which of following

4      2      3

FD is incorrect?

5      3      3

(a)  $A \rightarrow B$       correct

(b)  $B \rightarrow C$       correct

(c)  $B \rightarrow A$       incorrect

$2,3 \rightarrow 1$

$2,3 \rightarrow 4$

$3,3 \rightarrow 5$

(d)  $A \rightarrow B$       correct.

## classification

### 1 trivial functional dependency

functional dependency  $x \rightarrow y$  is trivial if & only if  $y$  is a subset of  $x$ . ( $y \subseteq x$ )

### 2 Non-trivial functional dependency

if there is atleast one attribute in RHS that is not part of LHS.

$AB \rightarrow BC$  one attribute C which is not part of LHS

### 3 Full functional dependency

An attribute  $y$  is fully functional dependent if it is functional dependent on  $x$  but not on proper subset of  $x$ .

$$x \rightarrow y$$

fully dependent on  $x$  (not on a part)

$AB \rightarrow c$

$A \rightarrow c$

$B \rightarrow c$

then not  
fully functionally  
dependent.

#### \* 4. Partial dependency

Given relation R with functional dependency F defined on attributes of R & k is the candidate key. If x is a proper subset of k and if  $F \Rightarrow x \Rightarrow A$  then A is said to be partial dependent on A.

R (ABCD)

(candidate keys)  $C, K = AB$

$A \rightarrow C$  (C depends on A &  
it is part of CK)  
 $\therefore$  It is partial..

#### 5. Transitive dependency

If  $X \rightarrow A, A \rightarrow Y$   
 $\Rightarrow X \rightarrow Y$

Y is transitively dependent on X.

#### 6. Candidate functional dependency

It is a " " that includes all attributes of table.

Dependency diagram (DD) has at least 1 candidate functional dependency.

If a table has only 1 candidate key & that will be primary key & it is

Preliminary functional dependency.

?  
 (Key attributes)  $\rightarrow$  (Non-key attributes)

- transitive FD

(Non-key attribute)  $\rightarrow$  (Non-key attribute)

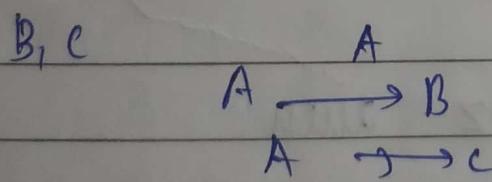
- Boyce Codd FD

(Non-key attributes) determine (key attribute)

- Multivalued dependency (MVD)

It occurs

b/w two or more multivalued fact  
about same attribute occur b/w same  
table



\* Join dependency (JD) - exist if  
of a relation R is <sup>equation</sup> the <sup>join of</sup> projection of  
X, Y, Z where X, Y, Z are "R."

\* Inference Rules / Closure properties / Armstrong's Axioms

(i) Reflexivity Rule

If  $X \supseteq Y$  ( $Y$  is subset of  $X$ )  
then  $X \rightarrow Y$

for eg :

$$AB \supseteq A$$

$A$  is subset of  $AB$  then  
 $AB \rightarrow A$

IMP.

(ii) Augmentation :-

If  $X \rightarrow Y$  then  
 $XZ \rightarrow YZ$  augmenting attribute  
 $Z$  on both sides of FD

~~IMP~~ (iii) Transitivity :-

If  $X \rightarrow Y, Y \rightarrow Z$  then  
z)  $X \rightarrow Z$

~~IMP~~ (iv) Union

If  $X \rightarrow Y$  and  $X \rightarrow Z$   
then  $X \rightarrow YZ$

(v) Decomposition

If  $X \rightarrow YZ$   
then  $X \rightarrow Y$   
 $X \rightarrow Z$

## (vi) Pseudo transitivity

If you have  $A \rightarrow B$   
 $BC \rightarrow D$   
 then  $AC \rightarrow D$

Closure of a set of FD's  
 $(F^+)$

It is a set of all FD's that can be determined using given set of FD's  $F$ . (that are logically implied by  $F$ )

Total FD's in  $f$  closure

$$F^+ \text{ for } R(AB) = 2^{2^n} = 2^{2 \times 2} \\ = 16$$

attributes

$n = \text{no. of attributes}$ ,

$$X \rightarrow Y$$

$$\emptyset \quad \emptyset \quad \emptyset \rightarrow \emptyset,$$

$$A \quad A \quad \emptyset \rightarrow A$$

$$B \quad B \quad \emptyset \rightarrow B$$

$$AB \quad AB \quad \emptyset \rightarrow AB$$

$$A \rightarrow \emptyset$$

$$A \rightarrow B$$

$$A \rightarrow AB$$

~~mp~~  
 $F^+$  of

\*  $R(ABCDE)$

FD:-  $\{AB \rightarrow C, CD \rightarrow E, DE \rightarrow B\}$

(a) Is  $AB$  a candidate key? If not why?  
 b)  $ABD$  explain?

$AB^+ = ABC$   $X$  is <sup>attribute</sup> but not covered  $\therefore$  Not CK

$ABD^+ = \underbrace{AB}_{G} \underbrace{DC}_{C} \underbrace{E}_{CD \rightarrow E}$   $\therefore$  it is a candidate key

\* closure of attributes  $X^+$

Set of all attributes that can be determined using a given set x

eg : A → B

B → C

$$\underline{\text{closure}} \quad A^+ = \quad ABC$$

Q/A  
A से जवाब  
जी उनको दें

$$B^+ = BC$$

## Applications of attribute closure

(i) Finding keys of a relation

If attribute closure contains all attribute of a relation then it is called superkey of R.

Ques You are given with relation R(ABCDE) and Functional dependencies set

as  $\{ A \rightarrow BC, CD \rightarrow E, B \rightarrow D, E \rightarrow A \}$   
 find candidate key of R.

$A^+ \rightarrow A \overline{BCDE} \quad (\text{candidate key})$

$A \rightarrow \overline{BC}$     $\overline{L} \xrightarrow{B \rightarrow D} \overline{D} \rightarrow E$

$B^+ \rightarrow BD$  (not " ")

$c^+ \rightarrow c^-$  (not  $n \bar{n}$ )

$D^+ \rightarrow D$  (not  $\mu^- \pi^+$ )

$E^+ \rightarrow EABCDE$  (candidate key)

as both  $A^+$  &  $E^+$  both are candidate key.  
we will not combine them means don't  
check  $AE$  combination.

$$BC^+ = \begin{matrix} BC \\ \text{---} \\ B \rightarrow D \end{matrix} BA \quad (\text{candidate key}) \quad \left. \begin{array}{l} \\ \\ \end{array} \right\}$$

$$CD^+ = \begin{matrix} C \\ \text{---} \\ CDEA \\ B \end{matrix} B \quad (\text{u u})$$

$$BD^+ = BD \quad (\text{not " "})$$

Now triple combination : but as no triple rain combination  
can be made  
 $\therefore$  candidate key = { A, E, BC, CD }

No need  
to make  
them

further

combination

\*iii) To find additional functional dependencies.

Q R(ABCD)

$$\text{FD's } \{ A \rightarrow BC, B \rightarrow CD, D \rightarrow AB \}$$

Find whether  $(AD \rightarrow c)$  ?

additional functional dependency

$$AD^+ = ADBC$$

$$\downarrow A \rightarrow BC$$

We need to check here whether the attribute on RHS i.e c is covered in closure of AD or not.

$\therefore$  as here covered & hence it is additional FD.

Q R(ABCDA)

$$\text{FD's } \{ A \rightarrow B, A \rightarrow C, CD \rightarrow E, B \rightarrow D \& E \rightarrow A \}$$

which of the following FD is not implied by the above set?

$$(i) CD \rightarrow AC$$

$$(ii) BD \rightarrow CD$$

$$(iii) BC \rightarrow CD$$

$$(iv) AC \rightarrow BC$$

sol<sup>n</sup>  $(D^+ = \underline{CDEA}B$  st includes AC  $\therefore$  it is correct)

$$BD^+ = BD \quad \text{Not implied}$$

$$BC^+ = \underline{BCDEA} \quad \text{it is correct}$$

$$AC^+ = \underline{\overline{AC}BDE} \quad " " "$$

\* How to check equivalent FD:-

Q  $F = \{ A \rightarrow C, AC \rightarrow D, E \rightarrow AD, E \rightarrow H \}$  check if F & G are equivalent.  $G = \{ A \rightarrow DC, E \rightarrow A \}$

sol<sup>n</sup> f:  $A \rightarrow C$

$$AC \rightarrow D$$

$$E \rightarrow AD$$

$$E \rightarrow H$$

g:  $A \rightarrow DC$

$$E \rightarrow A$$

$$A^+ = DC$$

$$E^+ = EADCX$$

$$AC^+ = \underline{ACD}$$

$$A^+ = \underline{ACD}$$

$$E^+ = EADHC$$

These 2 FD's are equivalent.

Q  $F = \{ A \rightarrow C, AC \rightarrow D, E \rightarrow AD, E \rightarrow H \}$

$G = \{ A \rightarrow DC, E \rightarrow AH \}$

f:  $AB^+ = \underline{ABCD}$

$$B^+ = BX$$

$$C^+ = \underline{CD}$$

g:  $AB^+ = \underline{ABCD}$

$$C^+ = CD$$

$g \subseteq F$  but  $F \subseteq g$  so they are not equivalent.  
 $F > g$  as  $P \notin g$

Consider 2 sets  $F$  &  $g$  with FD's as below:-

$$F = \{ A \rightarrow B, AB \rightarrow C, D \rightarrow ACE \}$$

$$g = \{ A \rightarrow BC, D \rightarrow AE \}$$

SOLN:-

$$F: A^+ = \underline{ABC}$$

$$AB^+ = \underline{ABC}$$

$$D^+ = \underline{DAEBC}$$

$$g: A^+ = \underline{ABC}$$

$$D^+ = \underline{DAEBC}$$

$\therefore F$  &  $g$  are equivalent.

$$\text{Q:- } F: A \rightarrow B$$

$$B \rightarrow C$$

$$AB \rightarrow D$$

$$g: A \rightarrow B$$

$$B \rightarrow C$$

$$A \rightarrow C$$

$$A \rightarrow D$$

$$F: A^+ = \underline{ABCD}$$

$$B^+ = \underline{BC}$$

$$AB^+ = \underline{ABC} \underline{D}$$

$$g: A^+ = \underline{ABCD}$$

$$B^+ = \underline{BC}$$

They are  
equivalent.

$$\underline{f}: \begin{array}{l} A \rightarrow B \\ B \rightarrow C \\ AB \rightarrow D \end{array}$$

$$\underline{g}: \begin{array}{l} A \rightarrow B \\ B \rightarrow C \\ A \rightarrow C \\ A \rightarrow D \end{array}$$

$$\underline{f}: \begin{array}{l} A \rightarrow B \\ B \rightarrow C \\ A \rightarrow C \end{array}$$

$$\underline{g}: \begin{array}{l} A \rightarrow B \\ B \rightarrow C \\ A \rightarrow D \end{array}$$

\* Minimal set of FD / canonical cover / standard set of FD.

A set of FD is minimal, if it satisfies following condition:-

- (i) Every dependency in  $f$  has a single attribute for RHS
- (ii) No dependency  $X \rightarrow A$  in  $f$  can be replaced by dependency  $Y \rightarrow A$  where  $Y$  is a subset of  $X$  ( $Y \subset X$ ) & still have a set of dependencies that is equivalent to  $f$ .
- (iii) We cannot remove any dependency from  $f$  but still can have set of dependencies that is equivalent to  $f$ .

NOTE: Used for removing redundant FD

Given set F is  $A \rightarrow B$

$B \rightarrow C$

If  $A \rightarrow C$  eliminated  
whether it

$AB \rightarrow C$

$A \rightarrow C$

is equivalent or not. or to tell whether  
 $A \rightarrow C$  is redundant or not.

### \* Extraneous attribute

It is one which can be removed  
without changing closure of set of  
attribute, FD.

for eg:  $AB \rightarrow C$   
 $A \rightarrow C$

Here, B is extraneous attribute

\*  $F: \{AB \rightarrow C, A \rightarrow B\}$        $G: \{A \rightarrow C, A \rightarrow B\}$

find extraneous attribute

$$(AB)^+ = ABC$$

$$A^+ = ACB$$

$$A^+ = ABC$$

A

"B is extraneous attribute"

$$\text{as } AB^+ = ABC$$

$$\& A^+ = ABC$$

$\therefore B$  is extra in  $AB^+$

Q1 Find minimal set of given set of FD.

$$A \rightarrow BC$$

$$B \rightarrow C$$

Using inference rules.

(i) Using decomposition

$$A \rightarrow B$$

$$A \rightarrow C$$

$$B \rightarrow C$$

$$A \rightarrow B$$

$$B \rightarrow C$$

$$A \rightarrow C$$

$$\left\{ \begin{array}{l} A \rightarrow B \\ B \rightarrow C \end{array} \right\} \quad (\text{transitivity})$$

Q2 FD:

Q1 →

Q2 (i)

(ii)  $AB \rightarrow CD$

$$BC \rightarrow D$$

TUT Let R be a relation

$R = AB CDEF$  having

$$FD' F = \{ A \rightarrow BC$$

$$B \rightarrow E$$

$$C \rightarrow EF$$

$$E \rightarrow CF \}$$

Find closure of AB over given set of FD'.

Q2 Let  $R \in \{ABCDEF\}$  find out candidate keys of  $R$

i) FD:  $A \rightarrow B$   
 $BC \rightarrow D$   
 $BC \rightarrow E$   
 $AEF \rightarrow G$   
 $B \rightarrow G$

ii) FD:  $A \rightarrow BC$   
 $CD \rightarrow E$   
 $B \rightarrow D$   
 $E \rightarrow A$

$$\text{Q1} \rightarrow AB^+ = ABCEG$$

$$\text{Q2 (i)} \quad R = ABCDEFG$$

$$A^+ = ABG$$

$$AB^+ = ABG$$

$$B^+ = BG$$

$$BC^+ = BCDEG$$

$$C^+ = C$$

$$CD^+ = CD$$

$$D^+ = D$$

$$DE^+ = DE$$

$$E^+ = E$$

$$EF^+ = EF$$

$$F^+ = F$$

$$FG^+ = PG$$

$$G^+ = G$$

$$AC^+ = ABCGDE$$

$$AD^+ = ADBG$$

$$AE^+ =$$

As no closure includes all the attributes  
 $\therefore$  no candidate key.

Adv. of Minimal set

- (i) It eliminates redundancy present  
in any determinant (LHS)
- (ii) It eliminates any extraneous PD

(iii)  $A \rightarrow BC$

$$CD \rightarrow E$$

$$B \rightarrow D$$

$$E \rightarrow A$$

$$A^+ = ABCDE \quad \checkmark$$

$$B^+ = BD$$

$$C^+ = C$$

$$D^+ = D$$

$$E^+ = EAABCDE \quad \checkmark$$

$$BC^+ = BCDEA \quad \checkmark$$

$$BD^+ = BD$$

$$\cancel{BE^+} = \cancel{BED}$$

$$CD^+ = CDEABC \quad \checkmark$$

$$\{A^+, E^+, BC^+, CD^+\}$$

Q

To prove :-

$$AB \rightarrow CD, BC \rightarrow D = AB \rightarrow C, BC \rightarrow D$$

$$AB \rightarrow C$$

$$\underbrace{AB \rightarrow D}_{*}, BC \rightarrow D = AB \rightarrow C, BC \rightarrow D$$

Q Find the minimal cover

$A \rightarrow BC$ ,  $B \rightarrow C$ ,  $C \rightarrow B$  using Armstrong Axioms.

- 1) First of all, single element on RHS
- 2) check for extraneous attribute → remove
- 3) there should not be redundant functionalities.

$$\begin{array}{l} A \rightarrow B \\ B \rightarrow C \\ C \rightarrow B \end{array} \Rightarrow \left\{ \begin{array}{ll} A \rightarrow B & (\text{decomposition}) \\ A \rightarrow C & \\ B \rightarrow C & \\ C \rightarrow B & \end{array} \right\}$$

⇒ Applying transitivity

$$\begin{array}{l} A \rightarrow B \\ B \rightarrow C \\ C \rightarrow B \end{array} \quad \text{C removed}$$

$\therefore \{ A \rightarrow C, A \rightarrow B, B \rightarrow C, \text{(C removed)} \} \text{ (transitivity)}$

or

$$= \{ A \rightarrow B, B \rightarrow C, C \rightarrow B \}$$

(ii)  $ABCD \rightarrow E$

$$E \rightarrow D$$

$$A \rightarrow B$$

$$Ac \rightarrow D$$

(1) ✓ Single attribute on RHS

(2) Extraneous attribute on LHS  
remove

(3) influence rules

→ B extraneous attribute.

$$ACD \rightarrow E$$

$$E \rightarrow D$$

$$AC \rightarrow D$$

$$A \rightarrow B$$

i.e. B

$$\underbrace{Ae \rightarrow E, E \rightarrow D, A \rightarrow B}_{\text{minimal set}}, \underbrace{Ae \rightarrow D}_{X}$$

$\{ A \rightarrow E, E \rightarrow D, A \rightarrow B \}$  (transitivity)  
minimal set of canonical cover.

\*  $A \rightarrow BC, B \rightarrow C, A \rightarrow B, AB \rightarrow C$

$$\underbrace{\{ A \rightarrow B, A \rightarrow C, B \rightarrow C, A \rightarrow B, AB \rightarrow C \}}_{\text{remove it..}}$$

$$\{ A \rightarrow B \\ A \rightarrow C$$

$$AB \rightarrow C \}$$

$$\{ A \rightarrow B, B \rightarrow C, AB \rightarrow C \} \xrightarrow{\text{Bisecta}}$$

$$\{ A \rightarrow B, B \rightarrow C \}$$

Q  $A \rightarrow BC, B \rightarrow AC, C \rightarrow AB$   
 $\{ \underbrace{A \rightarrow B}_{A \rightarrow C}, \underbrace{B \rightarrow A}_{B \rightarrow C}, \underbrace{C \rightarrow A}_{C \rightarrow B} \}$  (decomposition)

$$\{ A \rightarrow B, B \rightarrow C, A \rightarrow C, C \rightarrow B \}$$

$$\{ A \rightarrow B, A \rightarrow C, B \rightarrow AC, C \rightarrow AB \}$$

$$\{ A \rightarrow B, B \rightarrow A, B \rightarrow C, C \rightarrow AB \} \xrightarrow{\begin{array}{l} C \rightarrow A \\ C \rightarrow B \end{array}}$$

$$\{ A \rightarrow B, B \rightarrow A, B \rightarrow C, C \rightarrow B \}$$

## Lossy decompo

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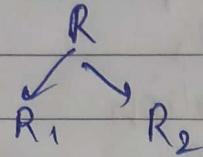
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### Decomposition

when we normalize

Divide a table into different tables,



$$R_1 \cup R_2 = R$$

No extra tuple generated, no info loss.  
while joining decomposed relation

\* A relation R can be decomposed into a collection of relation schemas to eliminate anomalies in original relation R.

- updation
- insertion

### Properties

(i) Lossless join decomposition

Let R is a relation & has a set of FD's F over R. The decomposition of R into R<sub>1</sub>, R<sub>2</sub> is lossless wrt to if

$$\boxed{R_1 \bowtie R_2 = R}$$

Natural Join.

(ii) Lossy decomposition :-

when extra tuple generated.

## (iii) Attribute preservation

All attributes of original schema R must appear in decomposition

$$R = R_1 \cup R_2$$

as A  
C

## (iii) Dependency preservation

for eg:-

implies

enrol (stno, cno, date\_enrolled, roomno, instructor)

enroll 1 (stno, cno, date\_enrolled)

enroll 2 (date\_enrolled, room\_no, instructor)

FD is preserved in either  $R_1$  or  $R_2$   
by using rules.

Q R(ABC)

FD's: {A  $\rightarrow$  C}

Deter

R

R,

R,

Q

Suppose we decompose schema R(ABCDE)

into  $R_1(ABC)$ ,  $R_2(ADE)$

$\{A \rightarrow BC, CD \rightarrow E, B \rightarrow D, E \rightarrow A\}$

$\rightarrow R_1 \cap R_2 = A$   $\therefore$  A is candidate key : lossless decomposition

$\therefore$  lossless decomposition

Q

R(ABCD)

set of FD's: {A  $\rightarrow$  B, C  $\rightarrow$  D}

To show whether decomposition is lossless & lossy  
preserved or not

$R_1(A, B)$ ,  $R_2(C, D)$

$\Rightarrow R_1 \cap R_2 = \emptyset \Rightarrow$  lossy decomposition.

as  $A \rightarrow B$  is preserved in  $R(A, B)$   
 $C \rightarrow D$  " " " "  $R(C, D)$   
 $\therefore$  preserved.

### Q) $R(ABCDE)$

FD's:  $\{A \rightarrow CD, B \rightarrow D, CD \rightarrow E, E \rightarrow A\}$

- ① Determine whether the following decomposition  
 $R$  is lossless or not.      ② Is dependency  
 $R_1(A, B, C) \& R_2(A, D, E)$  is preserved  
 $R_1 \cap R_2 = A$  ( $A$  is not candidate key)  
 lossless decomposition

$$A^+ = ACDEE$$

$\therefore A$  is superkey  $\Rightarrow$  FD RHS  
 all covered

on RHS of FD!

then it is

a superkey

Decomposition is lossless.

If all attributes of either decomposed relation is covered then also

$$\text{closure of } R_1 \cap R_2 = R, \text{ or } R_2$$

$\rightarrow$  FD's are not covered in both

$$R_1(A, B, C) \& R_2(A, D, E)$$

not preserved. like  $B \rightarrow D$  not  
 in any of it.

$\rightarrow$  consider relation schema  $R(U, V, X, Y, Z)$

$$\text{FD's are } Z \rightarrow U, V \rightarrow Y, XY \rightarrow Z, U \rightarrow VX$$

whether following decomposition of  $R$

$$R_1 = U, V, X$$

$$R_2 = U, Y, Z$$

& dependency preserved  
 or not?

$$R_1 \cap R_2 = U$$

closure of  $U$  i.e.  $U^+ = UVX^+Y^+$

candidate key :. lossless decomposition

→ Not preserved dependency  
 $V \rightarrow Y \quad X$

Q  $R(ABCD)$

FD:  $\{A \rightarrow B, A \rightarrow C, C \rightarrow D\}$

$$R_1 \rightarrow ABC$$

$$R_2 \rightarrow CD$$

whether losses are lossy

$$R_1 \cap R_2 = C$$

$$C^+ = CD \quad (\text{not can})$$

$$C^+ = CD = R_2 \therefore \text{lossless}$$

D Method

|       | A | B | C | D | $C \rightarrow D$ | attribute |
|-------|---|---|---|---|-------------------|-----------|
| $R_1$ | ✗ | ✗ | ✗ | ✗ | ✗                 |           |
| $R_2$ |   |   | ✗ | ✗ |                   |           |

\* Schema  $R_3(ABCDEFH)$

$$\text{'FD'} = \{AB \rightarrow C$$

$$BC \rightarrow D$$

$$E \rightarrow F$$

$$G \rightarrow F$$

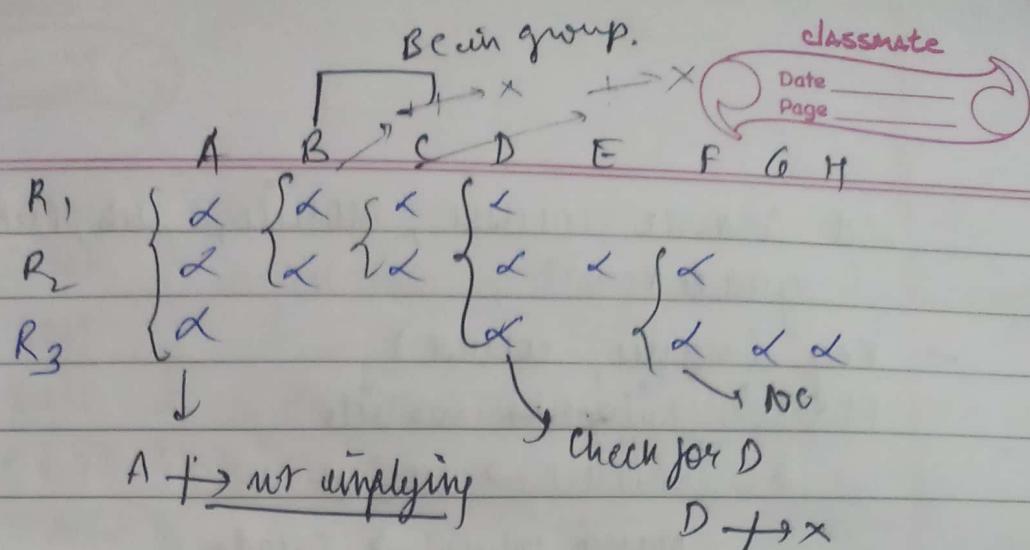
$$H \rightarrow A$$

$$FG \rightarrow H \}$$

$$R_1 = A, B, C, D$$

$$R_2 = ABCDEF$$

$$R_3 = ADFGH$$



The one which is present in ~~one or~~  
more relation  $\rightarrow$  which check to which  
it implies in given FD

$\therefore$  it is lossy

→ If any row has all completely filled then lossless decomposition.

IMP

## \* NORMALIZATION

- Removing redundancy from the tables.  
It is set of rules that,  
 $\Rightarrow$  It is a process of analyzing given relational schema based on their FD's and primary keys to achieve desired properties of minimizing redundancies & hence "the insertion, deletion & update anomalies.

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std name, course, mobile, sub, prof,  
grad)

→ Key (name, course)

FD, : Name → mobile

: Name → subject

Name course → grade

course → prof.

same mobile no. ∴ redundancy

A - dbms - 99957 - - -

A - java - 999957 - - -

Update anomaly :- stores mobile no.

updated if 5 courses  
taken by A

insertion :- student can't insert

prof name until he has registered  
name, course, mobil.

deletion anomaly :-

### NORMAL FORM

it is used to eliminate or reduce  
redundancy in relation or set of  
rules to perform decomposition.

decompose into two  
or more tables

Types of Normal form

INF  
2 NF  
3 NF  
BCNF  
4 NF  
5 NF

\* First  
A re  
if the  
atti

ENO

i

2

E

1

NOTE:

1NF

2NF

3NF

BCNF

4NF

5NF

} dependent on single value dependency

}  $\Rightarrow 0\%$  redundancy due to " " " But

} " " multivalued " MVD

} " " " Join " may

} " " " exist

### \* First Normal form (1NF)

A relation is said to be in 1NF if the values in the domain of each attribute of relation are atomic.

| Eno. | Ename | Contact        |
|------|-------|----------------|
| 1    | A     | 99 - - 98, - - |

|   |   |                   |
|---|---|-------------------|
| 2 | B | 199 - - , 100 - - |
|---|---|-------------------|

↓

convert to 1NF

| Eno | Ename | Contact |
|-----|-------|---------|
| 1   | A     | 99 - -  |
| 1   | A     | 98 - -  |
| 2   | B     | 199 - - |
| 2   | B     | 100 - - |

NOTE:- Highest redundancy in 1NF

multivalued

↑  
MV attribute not allowed

NOTE:- RDBMS is by default in 1NF.  
acc. to CODD's rule.

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\* second Normal Form (2NF)  
Based on fully FD (FFD)

A relation R is in 2NF if

- (i) It is in 1NF  
(ii) If every non-prime attribute of R  
is <sup>not</sup> fully FD on the key of R.

or

no non-prime attribute should be determined  
by the part of candidate key i.e no  
partial dependency.

e.g.: R (ABCD)

(CK) Candidate key = AB

Prime attributes :- A B (attributes of CK)

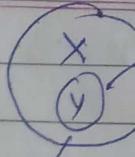
NON-PI :- CD

$AB \rightarrow C$  ✓ it is in 2NF as AB is  
FFD on candidate key AB

$AB \rightarrow D$  ✓

$AB \rightarrow CD$  ✓

$\underline{B} \rightarrow C$  ✗ } partial dependency on  
 $A \rightarrow C$  ✗ } candidate key



Y is sup  
Not pr  
in

NOTE:- RHS -

① R CAB

FD:-

Faid

Ch

AB

① AB

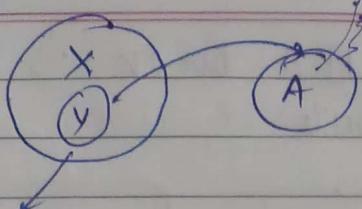
②

..

..

R

F



$y$  is subset of  $X$

Not possible  
in 2NF

$X = CK$

$Y = \text{proper subset of } CK$

$A = \text{Non-prime attribute}$

NOTE: RHS  $\rightarrow CK$  there will be redundancy for sure.

①  $R(ABCD)$

PD:-  $AB \rightarrow C$   
 $B \rightarrow D$

Find 2NF Normal form.

$CK \Rightarrow (AB)^+ = ABCD \checkmark$

$B^+ = BD \quad X$

$AB$  is CK

①  $AB \rightarrow C$  This is in 2NF as  $AB$  is FDD on CK.

②  $B \rightarrow D$  Partial dependency  $\therefore$  not in 2NF  
 $\therefore$  overall relation is not in 2NF.  
 $\therefore$  the given relation is in 1NF

①  $R(ABC)$

FD:  $A \rightarrow B$

$B \rightarrow C$

find the 2-NF?

$A^+ = ABC \rightarrow$  candidate key  $\checkmark$

$B^+ = BC \rightarrow \text{"} \quad X$

for big query  
(NOTE) RHS  $\forall$   $\exists$  attribute  
 $\forall$   $\exists$  Entity then it  
will be of the few  
part of CK. Here  
 $CK = A$   
will be part

(A)

①  $A \rightarrow B$  it is FFD on CK  $\Rightarrow$  2NF $A =$  prime attribute $B, C =$  Non " "

along with FFD

if prime attribute  $\rightarrow$  non-prime attribute  
then 2NFif non " "  $\rightarrow$  non-prime " "  
 $B \rightarrow C$  then 2NF

∴ the given relation is in 2NF

\*  $R(ABCD)$ FD:  $AB \rightarrow C$   
 $A \rightarrow D$ 

Decompose it into 2 NF

① Find out CK

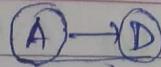
 $AB^+ = ABCD$  it is CK $A^+ = AD$ ②  $\underline{AB} \rightarrow C$  LHS is prime attribute  
RHS " Non " "

∴ dependent on FFD

∴ it is in 2NF

③  $A \rightarrow D$  Prime attribute  $\rightarrow$  Non-attribute  
but not FFDas partial dependency  
is not in 2NF④ Decompose  $R(ABCD)$  $R_1(ABC) R_2(ADE)$ 

∴ dependency preserved

$R_2(AD)$ 

$$A^+ = \underbrace{AD}_{\text{Non-prime attri}}$$

Non-prime attri dependent  
on " " : PFD  
in 2NF

Q  $R(ABCDE)$ 

$$FD: AB \rightarrow C$$

$$A \rightarrow D$$

$$B \rightarrow E$$

decompose into 2 NF

$$AB^+ = ABCDE \quad (\text{CK})$$

$$A^+ = AD \quad \times$$

$$B^+ = BE \quad \times$$

①  $AB \rightarrow C$  prime  $\rightarrow$  non-prime &  
prime is FFD  $\therefore$  2NF

②  $A \rightarrow D$  partial  $\therefore$  not in 2NF

③  $B \rightarrow E$  " " " "

$$R(ABCDE) \rightarrow R_1(ABC), R_2(AD), R_3(BE)$$

 $R_2(AD)$ 

$$A \rightarrow D$$

$$A^+ = AD \quad (\text{CK})$$

& prime  $\rightarrow$  non-prime  
prime is FFD  $\therefore$  it is in  
2NF.

try for  $R_3(BE)$

$$B \rightarrow E$$

$$B^+ = BE \quad \& \text{ as } \begin{array}{l} (\text{prime})^{(\text{Normal})} \\ B \rightarrow E \\ \text{FFD: 2NF} \end{array}$$

\* Third Normal form (3NF)

⇒ Real time database is normalized upto 3NF  
We leave the database normalized " " or  
BCNF

Ques. A relation schema R is in 3NF if it satisfies

(i) It is in 2NF.

(ii) No non-prime attribute of R is transitively dependent on the key of R  
or A relation is in 3NF if

FD  $X \rightarrow Y$  satisfies any one of  
the following condition

(i)  $X \rightarrow Y$  is a trivial FD,  
i.e.  $Y$  is a subset of  $X$ .

$$Y \subseteq X$$

(ii)  $X \rightarrow Y$  then  $X$  is a superkey  
(LHS) (SK)

for eg:-  $AD \rightarrow B$

if  $AD$  is superkey then in 3NF

(iii) if  $X \rightarrow Y$  then  $(Y - X)$  is a prime attribute.

any  
condition  
true  
even  
in 3NF

NOTE:-  $X \rightarrow Y$        $Y \rightarrow Z$  (transitive)  
SK      SK      SK      Non-key      ✓ 3NF

is allowed in 3NF

$X \rightarrow Y$        $Y \rightarrow Z$        $\rightarrow X$  3NF  
SK      Non-key      Non-key  
attribute      attribute

to 3NF  
 " or  
 BCNF

eg:-  $R(ABCD)$   
 $CK \Rightarrow AD$

$$C \rightarrow D$$

(i)  $X \rightarrow Y$  is trivial  $X$   
 (ii)  $\frac{C \rightarrow D}{X}$

(iii)  $D - C = D$

$D$  is prime attribute  
as in  $CK$ :

is in 3NF.

Q  $R(ABC)$ , the set FD given is  $A \rightarrow B$   
 $B \rightarrow C$

$R$  is in which NF

$$A^+ = ABC \rightarrow CK \therefore CK = A$$

$$B^+ = BC$$

(i)  $A \rightarrow B$  prime  $\rightarrow$  non-prime  
 $B \rightarrow C$  with prime FFD  $\rightarrow$  is ~~not in 3NF~~ 2NF

$\rightarrow$  for 3NF:

(i)  $A \rightarrow B$  (ii)  $X$  trivial

(iii)  $\checkmark \rightarrow$  3NF

$\rightarrow B \rightarrow C$  (i)  $C$  is not subset of  $B$   $X$   
 (ii)  $B$  is superkey  $X$

(iii) as  $A$  is key

$\cancel{X} - X \vdash c$

$$c - B = C \text{ here}$$

: not in  
3NF

$c$  is not prime attribute

but is in 2NF as non-key  $\rightarrow$  non-key

Page

∴ overall relation is in 2NF.

Q R(ABCDE)

FD:  $AB \rightarrow C$   
 $B \rightarrow D$   
 $D \rightarrow E$

Decompose  
it into 3NF

①

$AB^+ = ABCDE \quad \therefore AB$  is CR

②

$AB \rightarrow C$

(a) C is subset of AB

(b) AB is a superkey  $\rightarrow$  3NF ✓

$B \rightarrow D$  (a) Not trivial

(b) B is not superkey

(c)  $B-B=D$ , D is not prime

$\rightarrow X$  3NF

②

$D \rightarrow E$

(a) Not trivial

(b) D is not superkey

(c)  $E-D=E$  which is not prime

$\rightarrow X$  3NF

\*

decomposed

R(ABCDE)

R<sub>1</sub>(ABC)

R<sub>2</sub>(BD)

R<sub>3</sub>(DE)

\* R(ABC)

FD:  $\begin{cases} AB \rightarrow C \\ C \rightarrow A \end{cases}$

RHS: BX

$$AB^+ = ABC$$

$\therefore B$  is part of pk

Here CK is  $AB^+$

but not CK as

$$AB^+ = ABC$$

$$B^+ = B$$

$$BC^+ = BCA$$

$$CK = \{AB, BC\}$$

prime attributes ABC

① Trivial FD

$$AB \rightarrow C$$

$$C \subseteq AB$$

✓ RHS is AB is super key  
 $\therefore$  in 3NF

②  $C \rightarrow A$

C is not CK but part of  
 CK  $\therefore$  2<sup>nd</sup> condition ✗

$A - C = A$  = prime attribute

✓  $\Rightarrow$  3NF

$\therefore$  resulting relation is in 3NF.

\* Create relational schema R(ABCDE) with primary key AB such that R is in 2<sup>nd</sup> Normal form but not in 3NF.

Key AB

$$\textcircled{1} \quad AB \rightarrow C$$

2NF ✓ FFD  
3NF ✓

$$\textcircled{2} \quad C \rightarrow D$$

C is not part of CD  
 non-key non-key non-prime  $\rightarrow$  NP: in  
 2NF ✓  
 but not in 3NF

BCNF (Boyce Codd NF)

It is strict version of 3NF or extension of 3NF on strict terms.

A relation R is in 3NF if

at least 1 condition hold

- same S as 3NF
- (i) it is ~~irrefl~~  $X \rightarrow Y, Y \subset X$
  - (ii)  $X \rightarrow Y$  then X should be a superkey.

Q

R(ABC)

FD: {AB  $\rightarrow$  C, C  $\rightarrow$  A}

find whether R is in BCNF or 3NF

$$AB^+ = ABe \quad PK = B$$

$$CK = AB, BC$$

$$BC^+ = ABC$$

∴ take combination of B

①  $AB \rightarrow C$

AB is superkey

3NF ✓

BCNF ✓

②  $C \rightarrow A$

$A - C = A \Rightarrow$  prime ∴

3NF ✓

BCNF ✓

DMP.

↓  
e.g.

\* Every BCNF is 3NF but not vice versa

If candidate key = ABC  
 $\downarrow$  A  $\rightarrow$  2NF  
 $\downarrow$  B  $\rightarrow$  3NF  
Simple CK

Q

Rel set of attributes R(ABCDEFGHIJ)

$$F: AB \rightarrow C$$

$$F \rightarrow GH$$

$$A \rightarrow DE$$

$$D \rightarrow P J$$

$$B \rightarrow P$$

(3rd case)

Decompose it into BCNF

$$AB^+ = ABCDEF GHIJ \therefore AB \text{ is CK.}$$

- (1)  $AB \rightarrow C$  C is superkey  $R_1$
- (2)  $A \rightarrow DE$  part of CK but not superkey  $R_2$
- (3)  $B \rightarrow F$  " " " " "  $R_3$
- (4)  $F \rightarrow GH$  not CK  $\Rightarrow$   $R_4$
- (5)  $D \rightarrow IJ$  " "  $R_5$

$$R_1(ABC) R_2(ADE) R_3(BF) R_4(GH) \\ R_5(DIJ)$$

Q:- BCNF sometimes violate dependency preservation &

- Because of BCNF decomposition, sometimes the original Relation  $R$  which may not lead to failure of dependency preservation.
- & hence decomposition is lossy.
- If there is any dependency like (proper subset of CK)  $\rightarrow$  (proper subset of CK) then dependency preservation is violated.

If candidate key = ABC  
 $\begin{cases} A \rightarrow 2NF \\ B \rightarrow 2NF \end{cases}$   
 simple CK

- Let relation  $R$  consist of simple CK i.e no compound CK then  $R$  is always in 2NF but may or may not be in 3NF or BCNF.
- If relation  $R$  consist of only prime attribute then  $R$  is in 3NF but may or may not be in BCNF. If every attribute is a superkey then  $R$  is in BCNF.

→ Relation R with no non-trivial FD  
then R is in BCNF

NOTE: Binary relation is always in BCNF

→ R(ABCDE)

$AB \rightarrow C$

$B \rightarrow D$

$D \rightarrow E$

$AB^+ = ABCDE$  in CK = AB

Decompose into 3NF

$AB \rightarrow C$

UJ is superkey

∴ 3NF ✓

$B \rightarrow D$

partial IX  
(not in 3NF) 2X

∴ not in 3 D-B=D partial

X 3NF

$D \rightarrow E$

Non-prime → Non-prime

∴ 2NF not

in 3NF.

\*  $B \rightarrow D$

↗ B & its closure

X 3NF

R<sub>1</sub>(B D)

$B \rightarrow D$  ✓ B is superkey ∴ 3NF

$D \rightarrow E$  D is not " ∴ violating :

remove D.

R<sub>11</sub>(BD)

R<sub>12</sub>(DE)

\*  $D \rightarrow E$  already covered ↑

\* CK should not be decomposed ∴ R<sub>2</sub>(ABC)

total no. of relations in 3NF = 3.

Relation R (ABCDEFHIJ)

FD:-  $AB \rightarrow C$

$AD \rightarrow GH$

$BD \rightarrow EF$

$A \rightarrow I$

Decompose into 3NF

RHS: ABD not present  $H \rightarrow J$

$(ABD)^+ = ABC + C + H + EF + I + J$  vcn

$AB \rightarrow C$

URS is partial :

$R_1 (ABC)$

$\overbrace{AB}^{\text{AB is closure}} \rightarrow C$

$A \rightarrow I$

check for FD :-  $AB \rightarrow C$   $A \rightarrow I$

$AB$  is superkey  $A$  is  
as  $AB$  is CK partial  
 $\therefore$  break  $R_1 (ABC)$

$R_{11} (ABC)$

$R_{12} (AI)$

$AD \rightarrow GH$

URS is partial :

$R_2 (ADGH)$

decomposing

$AD \rightarrow GH$

$A \rightarrow I$

$H \rightarrow J$

already covered

as  $H$

is not superkey nor  $J$  is prime

$\therefore$  not in 3NF

$R_{21} (ADGH)$ ,  $R_{22} (HJ)$

To decompose for 3NF create Relation R (LHS & its  
classmate closure)

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$$BD \rightarrow EF$$

$R_3 (BD, EF)$  is in 3NF alone

Now check you CK i.e ABD is it  
covered in any of the above relation  
∴ now consider new  $R_4 (ABD)$

∴ total 5 relation

Decompose into BCNF

$$R (ABCDEFIJ) \\ AB \rightarrow C \\ B \rightarrow F \\ A \rightarrow DE \\ AF \rightarrow E \\ AD \rightarrow I \\ D \rightarrow IJ$$

$$AB^+ = ABCDEFIJ \therefore AB \text{ is CK}$$

①  $\overbrace{AB} \rightarrow C$  A is not superkey it is  
partial ∴ not in 2NF

CK is covered directly  $R_1 (ACDEIJ)$   
 $R_1 (AC) \rightarrow R_1 (ABC)$   
no need for its closure

②  $B \rightarrow F$  B is partial  $R_2 (B \text{ & its closure})$   
 $R_2 (BFGH)$

③  $A \rightarrow DE$   $R_3 (ADEIJ)$

④  $F \rightarrow GH$  non-prime → non-prime  
 $R_4 (FHIJ)$

R<sub>1</sub> (ABC) is in 3NF ✓

R<sub>2</sub> (ADEIJ)

A → DE  
D → IJ

part of superkey or superkey

A<sup>+</sup> = ADEIJ

break ∵ R<sub>21</sub> (ADE) → 3NF ✓  
R<sub>22</sub> (DIJ) → 3NF ✓  
as alone will be in 3NF

but not combined. R<sub>3</sub> (BFGH)

B → F (3NF) B is OK for this relation  
F → GH (3NF with combination ∵ break)

∴ R<sub>31</sub> (BF) R<sub>32</sub> (FGH)

Total relation = 5

R<sub>1</sub> (ABC) ∵ superkey  
R<sub>21</sub> (ADE) ∵ in BCNF }  
R<sub>22</sub> (ADIJ) D is " }  
R<sub>31</sub> (BF) B is " }  
R<sub>32</sub> (FGH) F is " }  
∴ all in BCNF

\* R (ABCDEP GH)

AB → C

RHS :- Hamming

Ac → B

P.

AD → E

∴ CK = candidate

B → D

key = H will be

BC → A

part of it

E → G

Decompose this relation. ↴

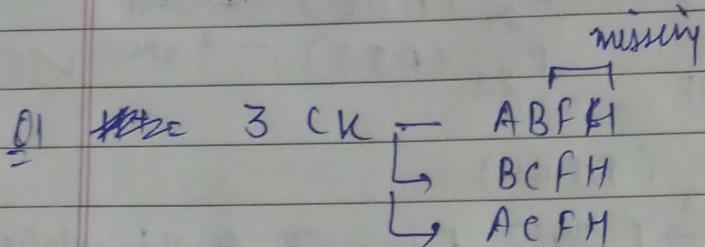
Q)  $R(ABCDEH)$

$A \rightarrow B$

$BC \rightarrow D$

$E \rightarrow C$

$D \rightarrow A$



$\underline{AB} \rightarrow c$  violating as it is partial  
Partial part of  $c_k$   $\therefore$  not 3NF.

$\therefore$  we create  $R(AB)$  (it's closure)

$R_1(ABCDEF)$

$AB \rightarrow C$  from  $AB$  is  $c_k$   $\therefore$  break

$AC \rightarrow B$  them

$AD \rightarrow E$

$R_{11}(ABC)$   $R_{12}(ACB)$   $R_{13}(ADE)$   $R(BD)$   $R(CED)$

$R(EG)$

$R(ABFH)$   $R(BCFH)$   $R(ACFH)$  will be added.

\* 4NF

Multivalued

P  $\rightarrow M$   
P  $\rightarrow F$   
2  
P

- The 4<sup>th</sup> NF

- A relation R is in 4NF if & only if the following condition is satisfied

(i) R is in 3NF or BCNF

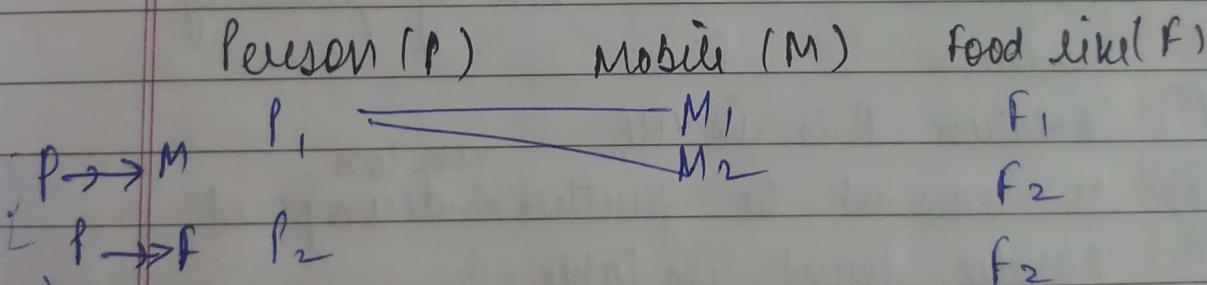
(ii) If it contains no multivalued dependencies.

Multivalued dependency  
where 1 attribute value is potentially a multivalued fact about another.

for eg:- FD:  $\alpha \rightarrow \beta$   
 $\alpha \rightarrow \beta_1$   
 $\alpha \rightarrow \beta_2$   
 $\alpha \rightarrow\rightarrow \beta$  ( $\alpha$  is multivalued fact for  $\beta$ )

| A | B | C | D |
|---|---|---|---|
| 1 | 4 |   |   |
| 1 | 3 |   |   |
| 2 | 6 |   |   |

attribute must be independent of each other.



2 table  
 $P \& M$  and  $P \& F$  depending on multivalued dependency.

Consider the following table student with the attributes name, computer & language

Page

Name<sup>(N)</sup> computer<sup>(C)</sup> language<sup>(L)</sup>

|       |                 |               |
|-------|-----------------|---------------|
| Aman  | Windows / Apple | Eng / Hindi   |
| Mohan | Linux           | Eng / Spanish |

① table

$$N \rightarrow\!\!\!> C$$

: 2 table N, C

$$N \rightarrow\!\!\!> L$$

② N, L

\* Fifth normal form (PJNF = Projected join normal form)  
(5NF)

Sue to Join dependency

A relation R is in 5NF if following condition

① Relation R is in 4NF

② It can not be further <sup>non-triv.</sup> decomposed  
Rarely found in Table.

### JOIN DEPENDENCY

Let R be relational schema &  $R_1, R_2, \dots, R_n$  be the decomposition of R, R is said to satisfy the join dependency  $\star(R, R_1, \dots, R_n)$

if & only if  
(Projection)

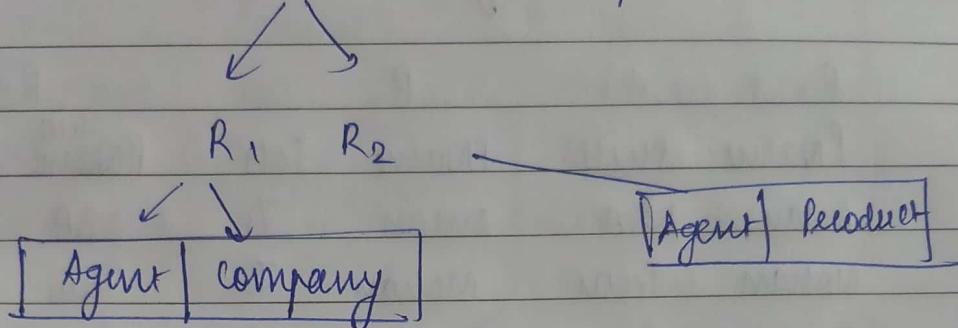
$$\pi(R_1) \bowtie \pi(R_2) \bowtie \pi(R_3) \\ \dots \dots \dots \bowtie \pi(R_n) = R$$

if & only if every legal instance  $\pi(R)$

= join of its projection on  $R_1, R_2, \dots, R_n$

(A) Agent      (C) Company      (P) Product

|       |                |          |
|-------|----------------|----------|
| Aman  | C <sub>1</sub> | Pendrive |
| Aman  | C <sub>2</sub> | MIC      |
| Aman  | C <sub>3</sub> | Speaker  |
| Mohan | C <sub>4</sub> | Speaker  |



$R_1 \bowtie R_2 = R$  then  $\Rightarrow$  Join dependency

| $R_1$ |                | $R_2$ |          | $R_3$          |          |
|-------|----------------|-------|----------|----------------|----------|
| A     | C              | A     | P        | C              | P        |
| Aman  | G              | Aman  | Pendrive | C <sub>1</sub> | Pendrive |
| Aman  | C <sub>2</sub> | Aman  | MIC      | C <sub>1</sub> | MIC      |
| Mohan | C <sub>1</sub> | Aman  | Speaker  | C <sub>1</sub> | Speaker  |
|       |                | Mohan | Speaker  | C <sub>2</sub> | Speaker  |

$R_1 \bowtie R_2 \rightarrow$  original table; NO JD can't be 2  
 $R_1 \bowtie R_2 \rightarrow$  Can be decomposed into SNF.

$R_1 \bowtie R_2$  (Natural join)

|       | A | C              | P        |                 |
|-------|---|----------------|----------|-----------------|
| Aman  |   | C <sub>1</sub> | Pendrive | ✓               |
| "     |   | C <sub>1</sub> | MIC      | ✓               |
| "     |   | C <sub>1</sub> | Speaker  | X (extra tuple) |
| "     |   | C <sub>2</sub> | Pendrive | X               |
| "     |   | C <sub>2</sub> | MIC      | X               |
| "     |   | C <sub>2</sub> | Speaker  | X               |
| Mohan |   | C <sub>3</sub> |          |                 |

$R_1 \bowtie R_2 \neq R$   
 $\therefore$  No join dependency further can be redundant

Q A relation R is in 5NF

| Pname | skill      | Job            |
|-------|------------|----------------|
| Aman  | DBA        | J <sub>1</sub> |
| Mohan | Tester     | J <sub>2</sub> |
| Rohan | Programmer | J <sub>3</sub> |
| Sohil | Analyst    | J <sub>1</sub> |

| R <sub>1</sub>   | R <sub>2</sub>       | R <sub>3</sub>         |
|------------------|----------------------|------------------------|
| PName skill      | PName Job            | skill Job              |
| Aman DBA         | Aman J <sub>1</sub>  | DBA J <sub>1</sub>     |
| Mohan Tester     | Mohan J <sub>2</sub> | Tester J <sub>2</sub>  |
| Rohan Programmer | Rohan J <sub>3</sub> | Prog. J <sub>3</sub>   |
| Sohil Analyst    | Sohil J <sub>1</sub> | Analyst J <sub>1</sub> |

As

$$R_1 \bowtie R_2 = R$$

(it is redundant)

| Pname | skill   | Job            | ? |
|-------|---------|----------------|---|
| Aman  | DBA     | J <sub>1</sub> | ? |
| Mohan | Tester  | J <sub>2</sub> | ? |
| Rohan | Prog.   | J <sub>3</sub> | ? |
| Sohil | Analyst | J <sub>1</sub> | ? |

$R_1 \bowtie R_2$  ~~is~~ ∵ it is giving original relation

$$(R_1 \bowtie R_2) \bowtie R_3 \supseteq R \therefore "$$

Join dependency

: not in 5NF

Candidate Key:  
→ It is a minimal superkey which can uniquely identify tuple & a key is made  $\Rightarrow$  Primary key

To convert it into 5NF break it into 3 Relation

i.e.  $R_1, R_2, R_3$

\* Answers are sessional

(i) flight (flightno, from, to, distance, depart, arrival)

aircraft (aid, aname, crossing range)

certified (cid, aid)

employees (cid, ename, salary)

(ii)  $\nabla \text{eid}$  ( $\rightarrow \text{aname} = \text{Boeing}$ , (Aircraft  $\bowtie$  certified))

(iii)  $\nabla \text{ename}$  ( $\rightarrow \text{aname} = \text{Boeing}$ , (Aircraft  $\bowtie$  certified  $\bowtie$  employees))

(iv)  $\nabla \text{aid}$  ( $\rightarrow \text{crossingrange} > \text{distance} \wedge \text{from} = \text{'Bonn'} \wedge \text{to} = \text{'Madras'}$   
(flight  $\bowtie$  aircraft))

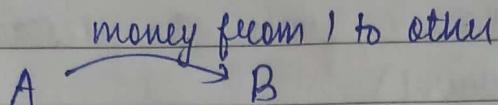
(v)  $\nabla \text{ename}$  ( $\rightarrow \text{salary} > 1,00,000$ , (flight  $\bowtie$  Aircraft  $\bowtie$  certified  $\bowtie$  emp.))

$f(R_1, \nabla \text{eid})$  ( $\rightarrow \text{crossingrange} > 3000$ , (Aircraft  $\bowtie$  certified))

$\nabla \text{ename}$  (employees  $\bowtie$  ( $R_1 - \nabla \text{aname} = \text{'Boeing'}$ , (Aircraft  $\bowtie$  certified)))

# Transaction Management

It is a set of operation or instruction  
 = transaction



Read (A, A)

$$a = \underline{a} - 50$$

~~update~~

written (A, a)

It is a logical unit of database processing that must be completed in its entirety to ensure correctness.

EMP. A C I D properties of transaction

(1) Atomicity :- either All or None  
 either completed fully or not occur.

(2) consistent : means correctness of database,  
 means database should be correct state.

$\text{sum}(A, B)$   $\xrightarrow[\text{execution}]{\text{transaction}}$   $\text{sum}(A, B)$

(3) Isolation : Each & every transaction should be performed in system as if it is alone executed.

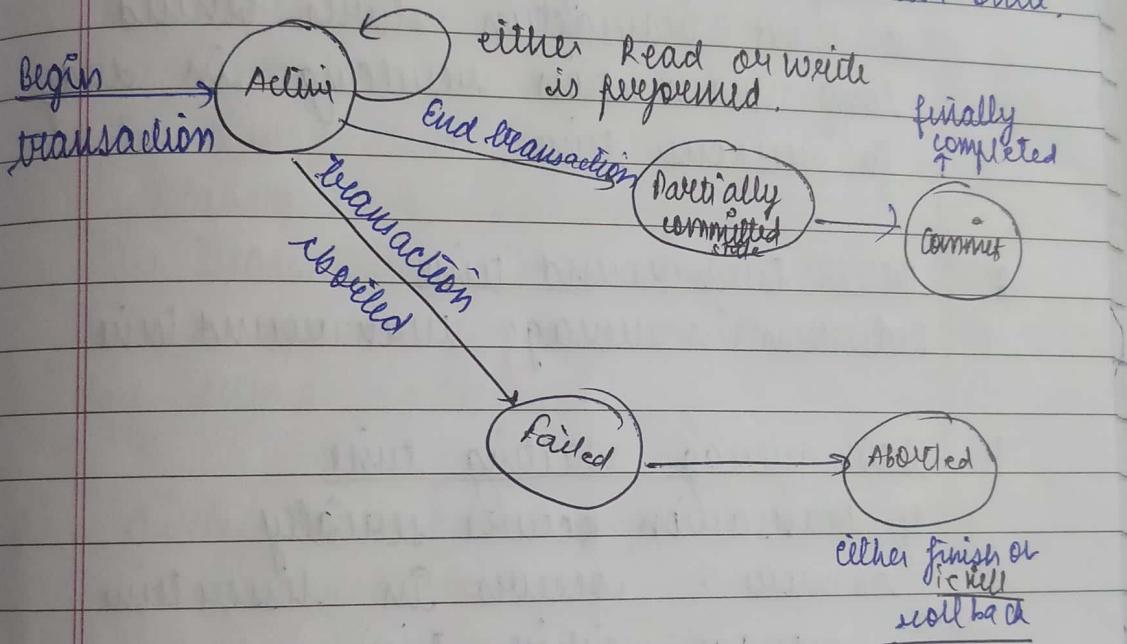
① Swearability: - changes made in system will always be there. (permanent data)

### \* states of transaction

5 main states

#### 1) Active state

when transaction start it is in active state.



### \* Concurrent execution of transaction

Executing more than 1 transaction at same time using interleaving technique.

Advantages of concurrent transaction

#### 1) increased CPU utilisation

If CPU executes more than 1 transaction at same time then CPU utilization will increase, also we can parallelly do both I/O & CPU activity, this increases

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average no. of transaction  
in given time.

system throughput.

## 2. Better average response time

interleaved execution of short transaction with a long transaction usually allows a short " to complete quickly in serial execution a short transaction starts behind long transaction resulting in delay in response time.

## 3. Better turnaround time

Reduction in average turnaround time.

## 4. Better average waiting time

if transaction occurs serially "as more" occurs in lesser time  
∴ average waiting time reduces.

## 5. Better disk utilization

overall improvement in resource.

\* Problems during concurrent transaction

1) Lost update problem (write-write conflict)  
W-W

|        | T <sub>1</sub> | T <sub>2</sub> |
|--------|----------------|----------------|
| T 1000 | R(A)           |                |
| 950    | $A = A - 50$   |                |

| R(A)          | 1000 |
|---------------|------|
| $A = A + 100$ | 1100 |

this update || 950 W(A)  
is lost

→ same data item (A)

| W(A)    | 1100 |
|---------|------|
| ↑ write |      |

It occurs when two transaction access the same database item & have their operations in a way that makes the value of some database item in system.

The transaction T<sub>1</sub>, T<sub>2</sub> both read records & then updated, first update overwritten by second update.

2) Dirty Read [W-R conflict] // temporary update problem.

|     | T <sub>1</sub> | T <sub>2</sub> |
|-----|----------------|----------------|
| 100 | R(A)           |                |
| 120 | $A = A + 20$   |                |
|     | W(A)           |                |
|     | R(B)           |                |

| R(A)         | 120         |
|--------------|-------------|
| $A = A + 10$ | 130 updated |
| W(A)         | 130         |

this transaction is  
commit was completed

In some cases if

fail then rollback

dirty read problem, to initial state making  $A = 100$

### 3) Unrepeatable Read [write-read conflict]

|                                                                                                       | $T_1$  | $T_2$                                                |
|-------------------------------------------------------------------------------------------------------|--------|------------------------------------------------------|
| 100                                                                                                   | $R(A)$ | $R(A)$                                               |
|                                                                                                       |        | $R(A)$                                               |
|                                                                                                       |        | $A = A + 200$                                        |
| Inconsistent<br>value of A<br>will be<br>further processing<br>there emerging<br>we read A in $T_1$ , | $R(A)$ | $300$<br>$\downarrow$ commit ✓<br><del>but not</del> |

### 4) Incorrect summary problem

|                        | $T_1$         | $T_2$                                                      |
|------------------------|---------------|------------------------------------------------------------|
| blank<br>(interleaved) |               | $sum = 0$                                                  |
|                        |               | $R(A)$                                                     |
|                        |               | $sum = sum + A$                                            |
|                        | $R(Y)$        |                                                            |
|                        |               | $sum = sum + Y$                                            |
|                        | $R(Y)$        | ;                                                          |
|                        | $Y = Y + 100$ | ;                                                          |
|                        | $w(Y)$        | ↓ here sum is in<br>processing                             |
|                        |               | $commit \Rightarrow$ it will reflect<br>old value of $T_1$ |
|                        |               | $\therefore$ inconsistent                                  |

conflict]

classmate

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### Schedule

" execution of transaction is ordering of transaction"

$T_i \rightarrow T_j$  means  $T_j$  is performed after  $T_i$   
not implying

or  $T_i(x) \rightarrow T_i(y)$  data items are  $x, y$

Schedule is represented as for transaction  $T_1, T_2, \dots$   
is ordering of transaction in chronological order

| $T_1$  | $T_2$                 |
|--------|-----------------------|
| $R(x)$ | $W(x)$                |
|        | $T_1 \rightarrow T_2$ |

$T_1$  first starts & ends.

Total possible schedule for  $n$ -transaction  
 $\approx n!$

### Types of schedules

- 1) Complete schedule
- 2) If in transaction there is end or commit.

reflect

$T_1$

A schedule that contains either commit or abort for each transaction whose actions are listed in it is called complete.

| $T_1$  | $T_2$ |        |
|--------|-------|--------|
| R(A)   |       |        |
| W(A)   |       |        |
|        | R(A)  |        |
|        | W(A)  |        |
| Commit |       | Aabort |

It must contain all the actions of every transactions that appears in it.

## 2) serial schedule

| $T_1$ | $T_2$ | $T_3$ |                   |
|-------|-------|-------|-------------------|
| R(A)  |       |       | one after another |
| W(A)  |       |       | transactions are  |
|       | R(A)  |       | written serially  |
|       | W(A)  |       |                   |
|       |       | R(A)  |                   |
|       |       | W(A)  |                   |

Each serial schedule consists of sequence of instruction from various transaction where " " belonging to one single, appear to that in schedule means transactions are <sup>not</sup> interleaved from start to finish.

→ lead to consistent state  
read

## 3) Non-serial schedule

operations from set of operations are interleaved.

#### 4) Equivalent schedule

2 schedule  $S_1$  &  $S_2$  are said to be equivalent schedule if they produce the same final database state.

- \* Result equivalent schedule
- \* conflict " "

\* Result ES:- produces same final database state for same initial value of data.  
for eg:- Schedule  $S_1$ ,  $S_2$ -

| $S_1$          | $S_2$       |
|----------------|-------------|
| 100 R(A)       | R(A)        |
| 110 A → A + 10 | A = A × 1.1 |
| 110 W(A)       | W(A) 110    |

\* conflict ES: 2 schedules are said to be  
" " if all the conflicting operations  
in both the schedule must be executed  
in same order.

#### 5) Serializable schedule

Non- serial " that is equivalent to  
some serial execution of transaction

Test

\* Conflict ES

1)  $I = \text{Read}(Q)$  } even operation  
 $J = \text{Read}(Q)$  } does not matter

2)  $I = \text{Read}(Q)$  order does matter  
 $J = \text{Write}(Q)$

3)  $I = \text{Write}(Q)$   $J = \text{Read}(Q)$  " "

4)  $I = \text{Write}(Q)$   $J = \text{Write}(Q)$  " "

Check for conflict ES

$S_1: R_1(A), R_2(B), W_1(A), W_2(B)$

$S_2: R_2(B), R_1(A), W_2(B), W_1(A)$

Writing  $S_1$  &  $S_2$  in tabular form

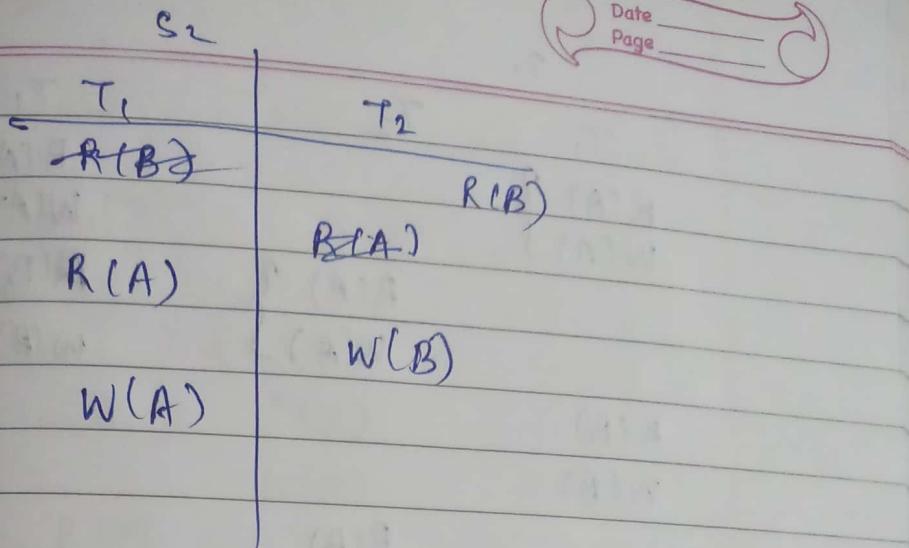
$S_1$  Schedule

| $T_1$         | $T_2$  |
|---------------|--------|
| $R(A)$<br>- - | $R(B)$ |
| $W(A)$<br>- - | $W(B)$ |

A is <sup>not</sup> accessed by  
 diff. transaction  
 by B "",

:  $S_1$  is ~~not~~ conflict equivalent to  $S_2$

$$S \not\subseteq S_2$$



$$S_1 = R_1(A), W_1(A), R_2(B), W_2(B), R_1(B)$$

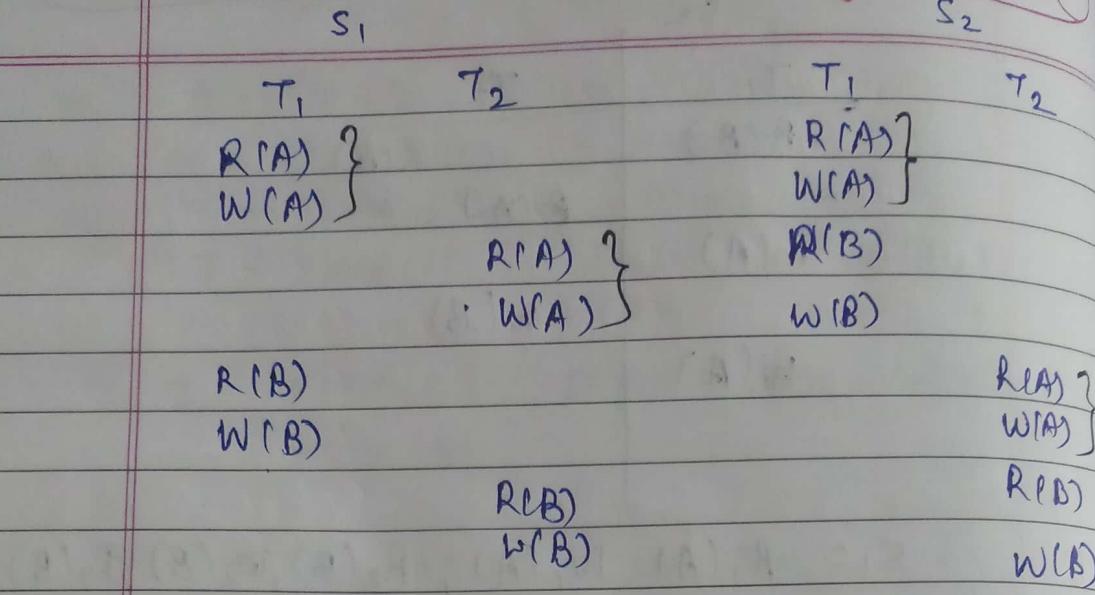
$$S_2 = R_1(A), W_1(A), R_1(B), R_2(B), W_2(B)$$

| $T_1$  | $T_2$  | $T_1$ | $T_2$  |
|--------|--------|-------|--------|
| $R(A)$ |        |       | $R(A)$ |
| $W(A)$ |        |       | $W(A)$ |
|        | $R(B)$ |       | $R(B)$ |
|        | $W(B)$ |       |        |
| $R(B)$ |        |       | $R(B)$ |
|        |        |       | $W(B)$ |

$$S_1 \subseteq S_2$$

→ A schedule  $S$  of  $n$  transaction is serializable if it equivalent to some serial  $S'$  of same  $n$  transaction.

Conjunct serializable  
if it is conjunct equivalent to some  
schedule



$S_1$   $R(A)$  in  $T_1$ , is before  $R(A)$  in  $T_2$   
 $W(A)$   $W(A)$

Why in  $S_2$  :  $S_1 \subseteq S_2$

Why for  $R(B)$  in  $T_1$ , is before  $R(B)$  in  $T_2$   
 $W(B)$   $W(B)$

So  $S_1 \subseteq S_2$

### \* Precedence graph

i) Directed graph  $V =$  vertices  
 $E =$  edges

Algo

- Create a node for each transaction
- A directed edge  $T_i \rightarrow T_j$  if  $T_j$  reads value of an item written by  $T_i$   
 $T_i \rightarrow T_j$  if  $T_j$  wants to write a value in item after read by  $T_i$ .

$$\begin{array}{l} W \rightarrow R \\ R \rightarrow W \\ W \rightarrow W \end{array}$$

$T_1 \quad T_2 \quad T_3$   
 $R(x) \quad R(z)$   
 $R(z)$

$P$

$R(x)$

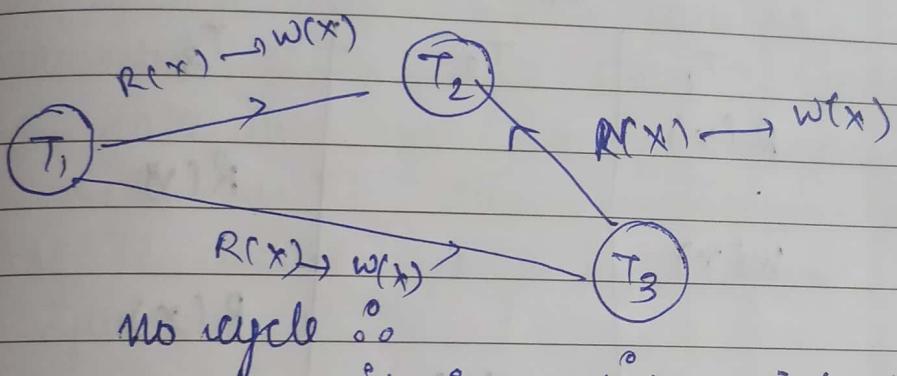
$R(y)$

$W(x)$

$R(y)$

$W(z)$

$W(x)$



*no cycle*  $\therefore$  it is conflict serializable.

$T_1 \quad T_2 \quad T_3$   
 $R(x)$

$R(z)$

$W(z)$

$R(y)$

$R(y)$

$W(y)$

$W(x)$

$W(x)$

$W(z)$

$R(y) \rightarrow W(y)$

$R(z) \rightarrow W(z)$   
 $W(z) \rightarrow W(z)$

$R(x) \rightarrow W(x)$

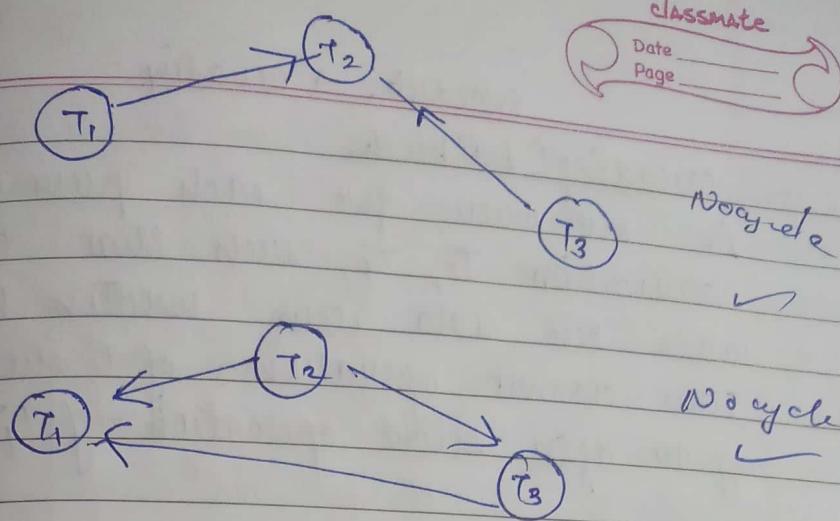
*2 cycles*  $\therefore$  it is not conflict serializable.

check for conflict serializability

| $S_1$    | $S_2$                             |
|----------|-----------------------------------|
| $R(x)$   | $R_3(x), R_2(x), W_3(x), R_1(x),$ |
| $R_1(x)$ | $W_1(x)$                          |
| $W_1(x)$ |                                   |
| $R_3(x)$ |                                   |
| $W_2(x)$ |                                   |

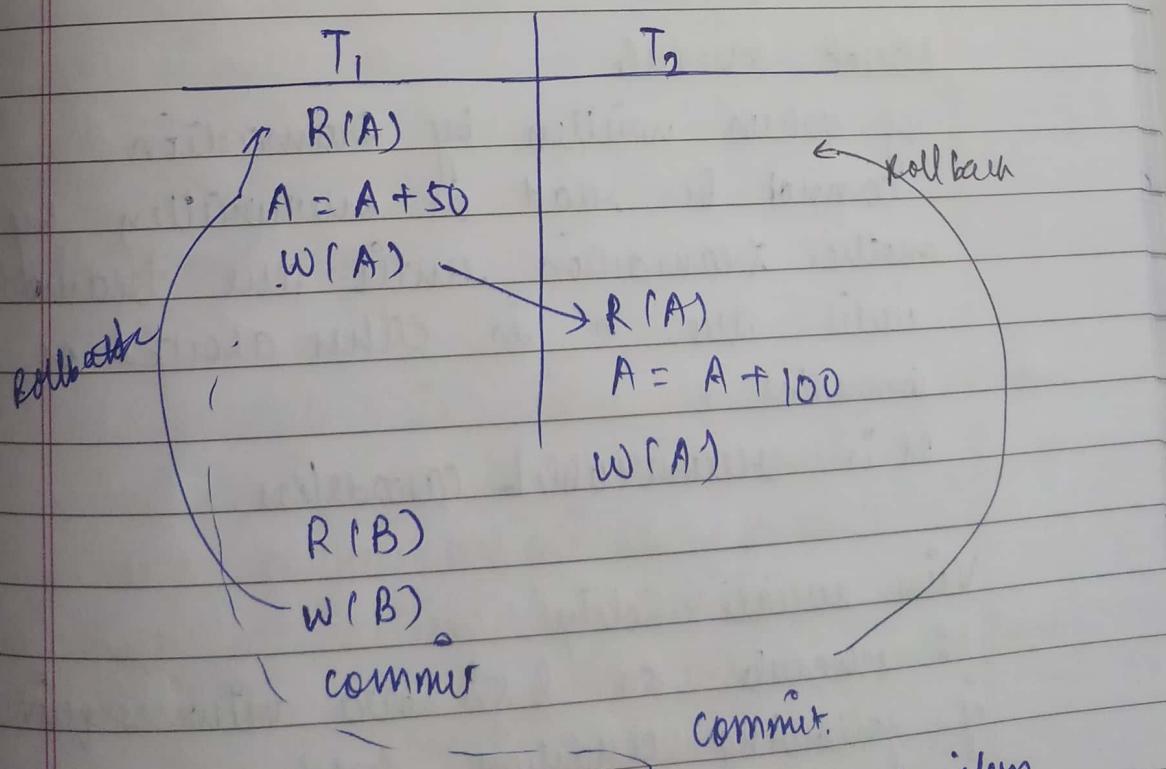
| $S_1$  | $T_1$ | $T_2$  | $T_3$  |
|--------|-------|--------|--------|
| $R(x)$ |       |        |        |
| .      |       |        |        |
| $W(x)$ |       |        |        |
|        |       |        | $R(x)$ |
|        |       |        | $R(x)$ |
|        |       | $W(x)$ |        |

| $S_2$ | $T_1$  | $T_2$  | $T_3$  |
|-------|--------|--------|--------|
|       |        |        |        |
|       |        |        | $R(x)$ |
|       |        | $R(x)$ |        |
|       |        |        |        |
|       |        |        | $W(x)$ |
|       | $R(x)$ |        |        |
|       | $W(x)$ |        |        |



### \* Recoverable Schedule

It is the one in which each pair transaction  $T_i, T_j$  such that  $T_j$  reads a data item that was previously written by  $T_i$ , thus commit operation of  $T_i$  should appear before commit operation of  $T_j$ .



→ the transaction which write the data item will be committed first like here T<sub>1</sub>.

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schedule.  $\rightarrow$  cascading

cascading  $\uparrow$  rollback

is an order for each pair of transaction  $T_i, T_j$ , such that  $T_j$  reads the data item written by  $T_i$ . Then commit operation of  $T_i$  should appear after exec operation of  $T_j$ .

| $T_1$ | $T_2$    | $T_3$                                              |
|-------|----------|----------------------------------------------------|
| R(A)  |          |                                                    |
| W(A)  | rollback |                                                    |
|       | R(A)     |                                                    |
|       | W(A)     | rollback                                           |
|       |          | R(A)                                               |
|       |          | W(A)                                               |
|       |          | commit                                             |
|       |          | commit                                             |
|       |          | commit of $T_1$ should be before commit of $T_2$ . |

strict schedule

If values written by transaction cannot be read or overwritten by another transaction until the transaction until the  $T_i$  is either aborted or committed.

It is recoverable cascading.

View serializability

2 schedule  $s, s'$  are view equivalent if following condition hold.  
for each data item  $A$ .

If  $T_i$  creates initial value  $\phi$  in schedule  $S$ ,  
 then  $T_j$  in  $S'$  also reads initial value  $\phi$ .  
 If  $T_i$  executes read  $\phi$  in  $S$  & that value  
 was produced by  $T_j$  then  $T_j$  in schedule  $S'$   
 also reads value of  $\phi$  that was produced by  $T_j$   
 for each data item of the transaction system  
 final write  $\phi$  in schedule  $S'$  should also  
 perform " $\phi$ " in " $S'$ ".

$S$                              $S'$

|  |       |       |       |       |
|--|-------|-------|-------|-------|
|  | $T_i$ | $T_j$ | $T_i$ | $T_j$ |
|--|-------|-------|-------|-------|

|   |           |           |           |           |
|---|-----------|-----------|-----------|-----------|
| ① | $R(\phi)$ | $R(\phi)$ | $R(\phi)$ | $R(\phi)$ |
|---|-----------|-----------|-----------|-----------|

|   |           |           |           |           |
|---|-----------|-----------|-----------|-----------|
| ② | $w(\phi)$ | $w(\phi)$ | $w(\phi)$ | $R(\phi)$ |
|---|-----------|-----------|-----------|-----------|

|   |           |           |           |           |
|---|-----------|-----------|-----------|-----------|
| ③ | $w(\phi)$ | $w(\phi)$ | $w(\phi)$ | $R(\phi)$ |
|---|-----------|-----------|-----------|-----------|

final

write

performed by  $T_i$ -then

also  $T_j$  will perform

- A schedule is view serializable if it is view equivalent to a serial schedule.
  - Every concurrent serializable schedule is view equivalent & hence it is view serializable but vice-versa is not true.
- $\leftarrow //$

data item are A, B

view equivalent

classmate

Date  
Page

| S <sub>1</sub> |                | S <sub>2</sub> (serial schedule) |                |
|----------------|----------------|----------------------------------|----------------|
| T <sub>1</sub> | T <sub>2</sub> | T <sub>1</sub>                   | T <sub>2</sub> |
| R(A)           |                | R(A)                             |                |
| W(A)           |                | W(A)                             |                |
| R(B)           |                | R(B)                             |                |
| W(B)           |                | W(B)                             |                |
|                |                |                                  |                |
|                |                |                                  |                |
|                |                |                                  |                |
|                |                |                                  |                |

initial write by T<sub>2</sub> gain in S<sub>2</sub>

final write by T<sub>1</sub> gain in S<sub>1</sub>

| S <sub>3</sub> |                | S <sub>1</sub> & S <sub>2</sub> are not view equivalent |
|----------------|----------------|---------------------------------------------------------|
| T <sub>1</sub> | T <sub>2</sub> |                                                         |
| (R(A))         |                | modified value                                          |
| W(A)           |                |                                                         |
| (R(B))         | (R(B))         | Here initial date item is read by R(A) → R(B)           |
| W(B)           | W(B)           | while in S <sub>1</sub> {not sum}                       |
| R(B)           |                | R(A) → R(A) sum                                         |
| W(B)           |                |                                                         |
| R(A)           |                |                                                         |
| W(A)           |                |                                                         |

$$S_1 \neq S_3$$

### \* Concurrency control.

It is process of managing the simultaneous execution of transaction in a shared data base to ensure the serializability of transaction.

Purpose

- 1) To ensure isolation (only 1 transaction executes at a time)
- 2) To preserve database consistency
- 3) To resolve read-write or write-write conflict (conlicting operation)

Protocol

## ① Lock based protocol

lock → operation →

unlock  
data item

lock S (Shared) → (Read)

lock X (Exclusive) → (Write)

eg:

(data item) A

guarantees

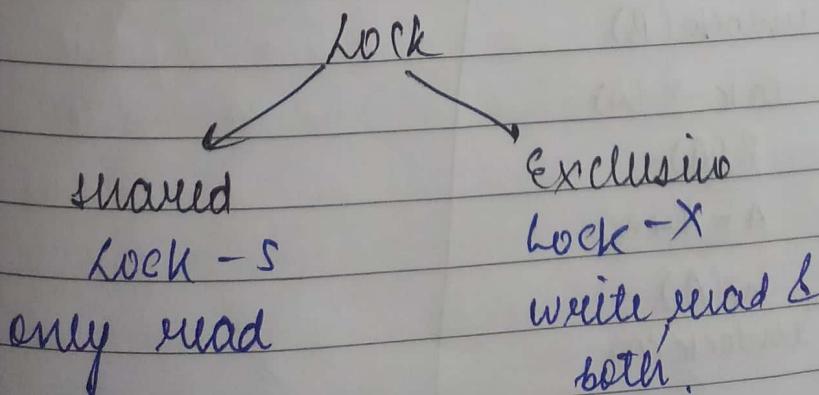
A lock enables exclusive use of data item to a current transaction (only)

Steps

① to access data item → lock is required

② the lock is released

(all data items are accessed in mutual exclusive )



lock compatibility matrix

|   | S | X | → for coming transaction |
|---|---|---|--------------------------|
| S | T | F |                          |
| T |   |   |                          |
| F | F | F |                          |
| X |   |   |                          |

SS → T

SX → F

XS → F

} transaction waits

XX → F

for the first transaction  
to get unlock.

- Request for lock goes to concurrency control manager. → whether lock is granted if compatible  
or wait for the lock (deny)

T<sub>1</sub>  
lock-X(B)

R(B)

B = B - 350

W(B)

unlock(B)

lock-X(A)

R(A)

A = A + 30

W(A)

unlock(A)

T<sub>2</sub>

lock-S(A) || shared mode  
R(A)  
unlock(A)  
lock S(B)

read B  
unlock(B)  
display(A+B)

as  $T_2$  only in shared mode: only read operation can be performed.

### \* conversion of lock.

shared mode: - 100's of transaction  
exclusive " → only 1 n

→ conversion

(1) UPGRADING

Shared → Exclusive      Exclusive → Shared  
 $S \rightarrow X$                            $X \rightarrow S$

(2) DOWNGRADING

so that  
other transaction  
can also use them

### \* implementation of lock

(1) Transaction → request is send to  
concurrency control manager (CCM)  
only for 1 transaction

(2) CCM return back either in granting lock  
or wait for lock (deny)

(3) If data item received it will unlock it.  
To manage all the locks in table in  
all modes → lock table

## ② \* Two Phase locking protocol

- 1) Growing phase → locks are acquired
- 2) shrinking phase → " " released.

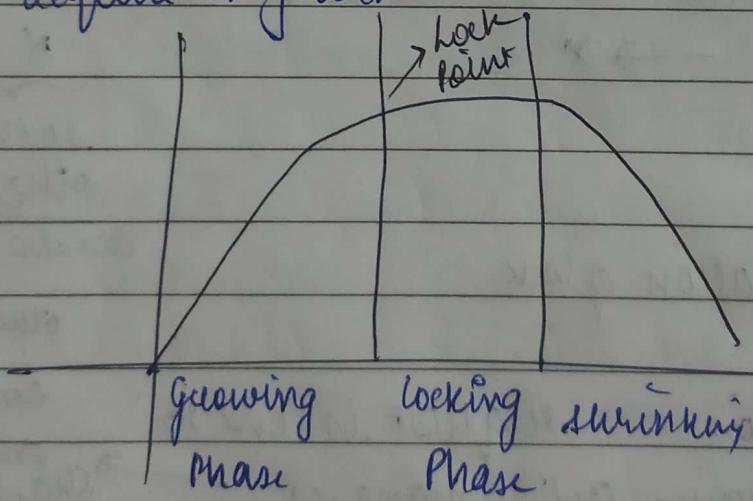
It assumes that the transaction can be only in one of two phases i.e locking & unlocking is done in two phases  
→ growing  
→ shrinking

growing / Expanding phase

transaction can only acquire lock but cannot release any lock.

shrinking Phase

transaction release lock but can't acquire any lock



The transaction reaches a point when all locks it need are acquired

- enforces serializability.

(1) Holding the lock unnecessarily in growing phase  $\Rightarrow$  penalty to other requirement.

Variation of 2 phase locking

- [1] strict 2 phase locking protocol
- [2] rigorous " " " "
- [3] static " " " " "

$\hookrightarrow$  the lock which we have acquired will not release lock until transaction committed.  $\Rightarrow$  cascading rollback will not be there.

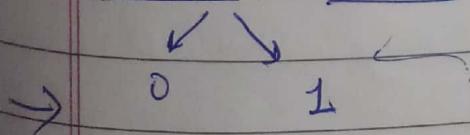
(2) will not release any type  $\begin{matrix} S \\ X \end{matrix}$  lock until transaction is committed. adv:-  $\begin{matrix} No \\ cascading \\ rollback \end{matrix}$

(3) execute when all the locks are acquired

adv

- ① No cascading rollback
- ② Deadlock free - No deadlock in system

### BINARY LOCKS



If lock A is equal to 1  $lock(A) = 1$  then  
 $lock(A) > 0$  and lock granted

## Binary Lock

It has 2 states locked & unlocked  
 if lock(A) = 1 then item A cannot  
 be accessed & transaction is forced to  
 wait

else if lock(A) = 0 then item A can  
 be accessed.

disadv It is easy to implement but restricted  
 to yield optimal concurrency condition  
 means database will not allow 2  
 transaction to read same data before  
 even if neither of transaction  
 updates database

①

Given 3 schedule

$$S_3 \Rightarrow R_1(X), R_2(Z), R_1(Z), R_3(X)$$

$$R_1(Y), W_1(X), C_1, W_3(Y), C_3, R_1(Y)$$

$$W_2(Z), W_2(Y), C_2$$

$$S_4 \Rightarrow R_1(X), R_2(Z), R_1(Z), R_3(X),$$

$$R_1(Y), W_1(X), W_3(Y), R_2(Y),$$

$$W_2(Z), W_2(Y), C_1, C_2, C_3$$

$$S_5 \Rightarrow R_1(X), R_2(Z), R_3(X), R_1(Z)$$

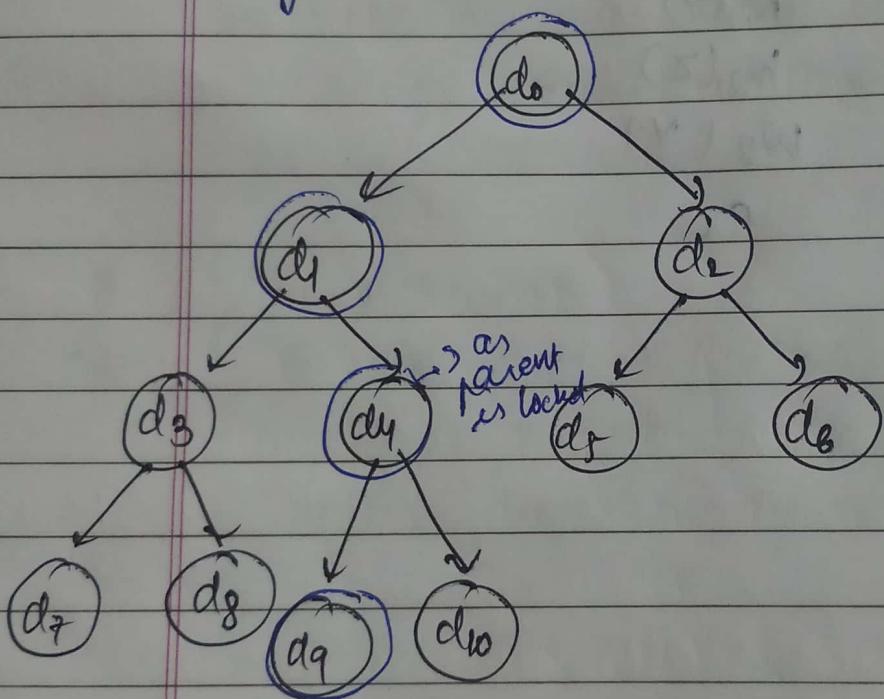
$$R_2(Y), R_3(Y), W_1(W), W_1(X), W_2(Y),$$

$$C_3, C_2$$

$s_3$  $T_1$   
 $R_1(x)$  $T_2$  $T_3$  $R_1(z)$  $R_2(z)$  $R_3(x)$  $R_3(y)$  $w_1(x)$  $c_1$  ~~$w_3(x)$~~  $w_3(y)$  $c_3$  $R_2(y)$  $w_2(z)$  $w_2(y)$  $c_2$

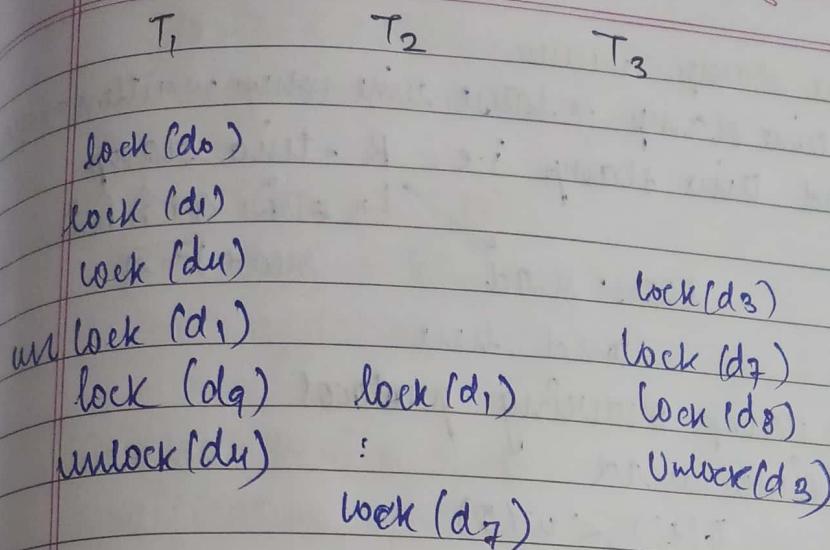
## \* Graph based protocol

- ||
- Rule ① 1<sup>st</sup> lock :- can b. on any data item  
parent lock → then data base can be lock otherwise can't.
- Rule ②
- Rule ③ We will unlock data items any time.  
once data item locked can't be unlocked anytime.



We have 3 transaction  $T_1, T_2, T_3$

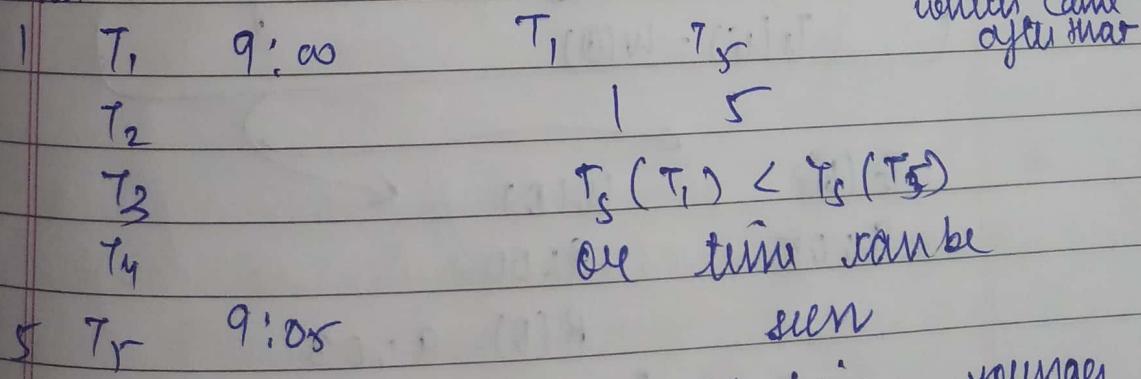
$T_1$  needs locks  $T_1$  :  $d_0, d_1, d_4, d_9$   
on  $d_0$   
 $T_2$  :  $d_1, d_4$   
 $T_3$  :  $d_3, d_7, d_8$ .  
can lock  $d_8$

Advantage

1. concurrency can ↑ as the transaction wait
2. deadlock free, no roll back required.

Disadv.

- \* time stamp protocol
- ↓ as time stamp → to indicate which transaction came first, which came after that
- (1) We use counter
  - (2) use system time
- counter



older time      younger  
new time

Time stamp values

- w time stamp  $\rightarrow$  latest time when written on ledger
- read time stamp i.e. R-time stamp
  - $\hookrightarrow$  लेटेस्ट रियड टाइम स्टॅम्प
  - latest read → लेटेस्ट रियड टाइम स्टॅम्प
  - stored here

Time stamp ordering protocol

(1)  $T_i$  issues read

$$T_s(t_i) < w(0)$$

$\Rightarrow$  it is oldest transaction,  
it is writing that value that is  
already been written by transaction

$T_s(t_i)$

$$\rightarrow T_s(t_i) > w(0)$$

$\checkmark$  it can read  
time at which this transaction is  
reading the transaction.

$\rightarrow T_i$  issue write(0)

$$T_s(t_i) > w(0) \quad \& \quad T_s(t_i) \geq R(0)$$

$T_s(t_i)$  becomes new value of  $w(0)$

$$T_s(t_i) = w(0)$$

$T_s(t_i)$

9:05

$w(0)$

9:00

$R(0)$  9:03

then it can modify the  
value & write the value thus  
 $w(0) = T_s(t_i)$

Otherwise

$$T_s(t_i) < R(\emptyset)$$

- no updation allowed

if  $T_s(t_i) > R(\emptyset)$

$$R(\emptyset) \leq T_e(t_i) \leq W(\emptyset)$$

- no updation of value of  $\emptyset$  is allowed.

Thomas write rule

modification of time stamp ordering protocol.

1.  $T_s(T_i) < R(\emptyset)$

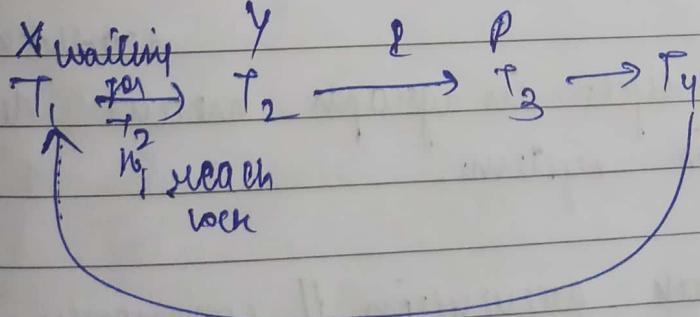
it will not allow to write & the transaction is rolled back i.e.  $T_i$  is rolled back

2.  $T_s(T_i) < W(\emptyset)$

$T_i$  attempting to write an obsolete write

deadlock:

if there is existing such transaction



Here all transaction wait until no transaction can execute.

- ① Detect deadlock
- ② Recover deadlock

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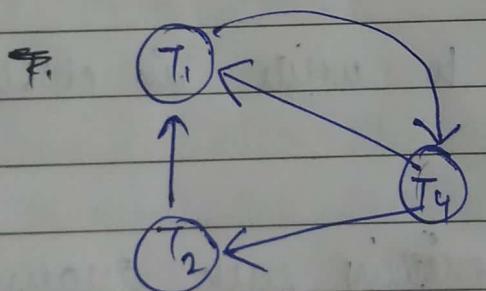
- (1) Deadlock prevention
- (2) Deadlock detection & Recovery

~~weighted wait graph~~ wait for graph

$T_i \rightarrow T_j$  is directed edge when transaction  $T_i$  is waiting for resource held by resource  $T_j$

| Transaction | Data item | Lock mode | trans |
|-------------|-----------|-----------|-------|
| $T_1$       | Q         | S         | ✓     |
| $T_2$       | P         | X         | ✓     |
| $T_3$       | Q         | X         | No    |
| $T_4$       | P         | X         | ✓     |
| $T_1$       | Q         | X         | X     |
|             | P         | X         | ✓     |

check for incompatible mode



cycles in graph

∴ there is

deadlock

If cycle in graph means deadlock in system.

\* Deadlock prevention // commonly used when deadlock occurs ~~so~~ again & again

It ensures that system ~~that~~ is not in deadlock

4 things should not occur:

1) Mutual exclusion.

2) Hold & wait

Each transaction hold data & then wait for next "

3) No preemption

1 transaction is executing if high priority  
comes it will abort low  
" " & give data item to higher

Circular wait

All waiting for next transaction.

## DEAD LOCK PREVENTION METHODS

1) Time Protocol

2) Each transaction lock data item : no deadlock

3) Preemption & transaction roll back

will roll back high order transaction & execute itself.

→ Time stamp use in deadlock prevention

1) Wait - See scheme

$$Ts(T_i) < Ts(T_j)$$

$T_i$  is older than  $T_j$ .

$\hookrightarrow T_i$  is allowed to wait for  $T_j$  to release lock

but if  $T_s(T_j) < T_s(T_i)$

then  $T_i$  is not allowed to wait.

~~It asserts.~~

$T_i$  abort

(2) wound-wait scheme

$T_s(T_i) < T_s(T_j)$  ( $T_i$  is older than  $T_j$ )  
about  $T_j$  it will roll back to  
initial state but time stamp of  
transaction  $T_j$  will remain same  
so that everything same transaction  
does not roll back

### \* Recovery from deadlock

System recovers from deadlock by  
breaking one or more transaction

1) selection of victim

the transaction which involves  
min cont.

① How long transaction has been  
executed

|       |     |       |     |       |      |       |     |
|-------|-----|-------|-----|-------|------|-------|-----|
| $T_1$ | (6) | $T_2$ | (4) | $T_3$ | (10) | $T_4$ | (2) |
| 10    |     | 20    |     | 5     |      | 40    |     |

② How many data items (data item)

③ How many data item are needed used

④ How many transaction are involved  
in rollback

2) Roll back

↓  
Partial      Full

roll back to initial point

move to that

state where deadlock break then rollback

- \* starvation
- \* granularity of locking

Fine grain locking : we lock only that data item on which we want lock  
causes " "

### Failure classification

- Transaction failures
  - (a) logical error → bad ifp
  - (b) system error → deadlock
- system crash
- Hardware malfunction
- Harddisk errors
- Software failures
- Network failures : net off can't reserve memory
- Natural disasters : data loss.
- Earthquakes etc.
- sabotage
- internal corruption of data . ,
- Hacking

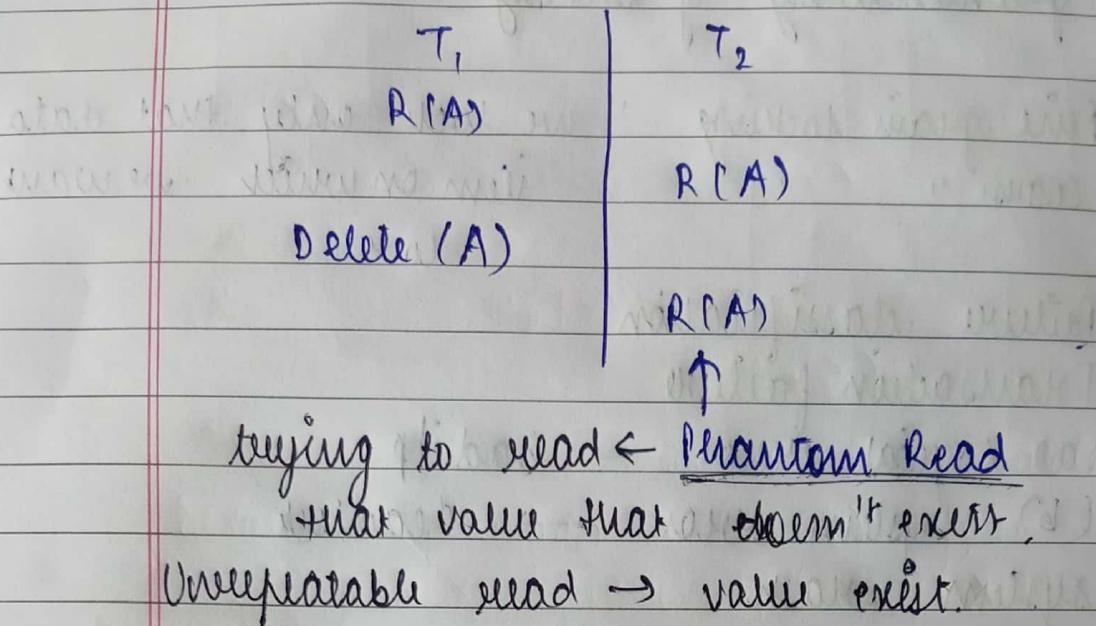
What is affected

Volatile storage :- during system crash  
like in main memory

Non-volatile storage - not lost

stable storage - magnetic disk data.

## Phantom Read problem



- \* Transaction Recovery Procedure
  - 1) Separated database modification  $\rightarrow$  changes
  - 2) Immediate database modification in
    - $\hookrightarrow$  UNDO / NO REDO
    - local buffer & disk
- at every step committed  $\rightarrow$  stored in hard disk when changes  $\Rightarrow$  NO UNDO / REDO
- are made no need to reach initial state.
- in disk UNDO, using lock for restoring old value.
- REDO: changing the new value.

start Recovery  
 $\langle T_1, \text{commit} \rangle$   $\parallel$  add to redo list  $\xrightarrow{\text{as transaction is already complete}}$   
 $\langle T_1 \rangle$   $\parallel$  add to undo list

- require ~~current~~ shadow page access than log record
- maintain 2 page table

Advantages of shadow paging.

- log record overhead is removed.
- recovery is faster as no undo & redo

Disadvantages of shadow paging

- for single transaction we are accessing actual data block, current page table, disk
- commit overhead absent

Data fragmentation

Data divides its fragment

Garbage collection

modified data

unmodified is also known  
as garbage



A) ARIES

full form + work

IIT which of the following schedule is (concurrently) serializable? For each serializable schedule, determine the equivalent serial schedule?

Two transactions  $T_1, T_2, T_3$ , they are executed concurrently & produce a schedule  $S$ . Date \_\_\_\_\_  
Is serializable?

~~If it can be reproduced as at least one serial schedule~~

(a)  $\mathcal{R}_1(x); \mathcal{R}_3(x); w_1(x); M_2(x); w_3(x)$  (S<sup>y<sub>1</sub>)<sub>y<sub>2</sub></sub></sup>

| $T_1$              | $T_2$              | $T_3$              |
|--------------------|--------------------|--------------------|
| $\mathcal{R}_1(x)$ |                    |                    |
|                    |                    | $\mathcal{R}_3(x)$ |
|                    | $\mathcal{R}_2(x)$ |                    |
|                    |                    | $w_3(x)$           |

$\Rightarrow$  This schedule is not serializable because  $T_1$  reads  $x (\mathcal{R}_1(x))$  before  $T_3$  but  $T_3$  reads  $x$  before  $T_1$  writes  $x (w_3(x))$  where  $x$  is data item.

The operation  $\mathcal{R}_2(x)$  of  $T_2$  does not affect schedule at all so its position is irrelevant <sup>As</sup>  $w_1(x)$  comes after  $\mathcal{R}_3(x)$

$\therefore$  not possible.

(b)  $\mathcal{R}_1(x); \mathcal{R}_3(x); w_3(x); w_1(x); \mathcal{R}_2(x)$

| $T_1$              | $T_2$    | $T_3$              |
|--------------------|----------|--------------------|
| $\mathcal{R}_1(x)$ |          |                    |
|                    |          | $\mathcal{R}_3(x)$ |
|                    |          | $w_3(x)$           |
|                    | $w_1(x)$ |                    |
|                    |          | $\mathcal{R}_2(x)$ |

This schedule is not serializable

$T_1$  reads  $x$  before  $T_3$  but  $T_3$  writes  $x$  before  $T_1$ . The operation  $\mathcal{R}_2(x)$  of  $T_2$  does not affect the schedule, so its position is irrelevant. Here,  $\mathcal{R}_3(x)$  &  $w_3(x)$  must come after  $w_1(x)$  to have correct order.

(c)  $H_3(x); H_2(x); W_3(x); H_1(x); W_1(x)$

 $T_1$  $T_2$  $T_3$  $H_3(x)$  $H_2(x)$  $W_3(x)$  $H_1(x)$  $W_1(x)$ 

This is a serializable schedule

as all conflicting operations of  $T_3$  happens before  $T_1$ ,  $T_2$  has only one operation which does not conflict with other operation

$(T_2 \rightarrow T_3 \rightarrow T_1)$  serial schedule

(d)  $H_3(x); H_2(x); H_1(x); W_3(x); W_1(x)$

 $T_1$  $T_2$  $T_3$  $H_3(x)$  $H_2(x)$  $H_1(x)$  $W_3(x)$  $W_1(x)$ 

This is not serializable schedule as

- $T_3$  reads  $x$  before  $T_1$  but it &
- $T_1$  reads  $x$  before  $T_3$

but for serial schedule  $H_1(x)$  will happen after  $W_3(x)$ .

Q) Draw serializability (precedence graph) for S<sub>1</sub> & S<sub>2</sub> & state whether each schedule is serializable or not

*classmate*  
Date \_\_\_\_\_  
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 $T_1 : u_1(x), u_1(z), w_1(x)$  $T_2 : u_2(x), u_2(y); w_2(z); w_2(v)$  $T_3 : u_3(x); u_3(y); w_3(y)$  $s_1 : u_1(x); u_2(z); u_1(x); u_3(x); u_3(y); w_1(x);$   
 $w_3(y); u_2(y); w_2(z); w_2(y)$  $s_2 : u_1(x), u_2(z), u_3(x), u_1(z), u_2(y), u_3(y);$   
 $w_1(x); w_2(z); w_3(z); w_2(y)$  $T_1$  $T_2$  $T_3$  $u_1(x)$  ~~$u_2(x)$~~  $u_2(z)$  $u_1(x)$  $u_3(x)$  $u_3(y)$  $w_1(x)$  $w_3(y)$  $u_2(y)$  $w_2(z)$  $w_2(y)$

\* Database Recovery

- (i) Log-based recovery can bring to previous state by starting transaction.
- start log record  $\langle T_i, \text{start} \rangle$  i.e. transaction started
  - update log record  $\langle T_i, x_j, v_1, v_2 \rangle$  new value  
↓ old value before write data item to be modified
  - commit log record  $\langle T_i, \text{commit} \rangle$   
if fail.  $\langle T_i, \text{abort} \rangle$

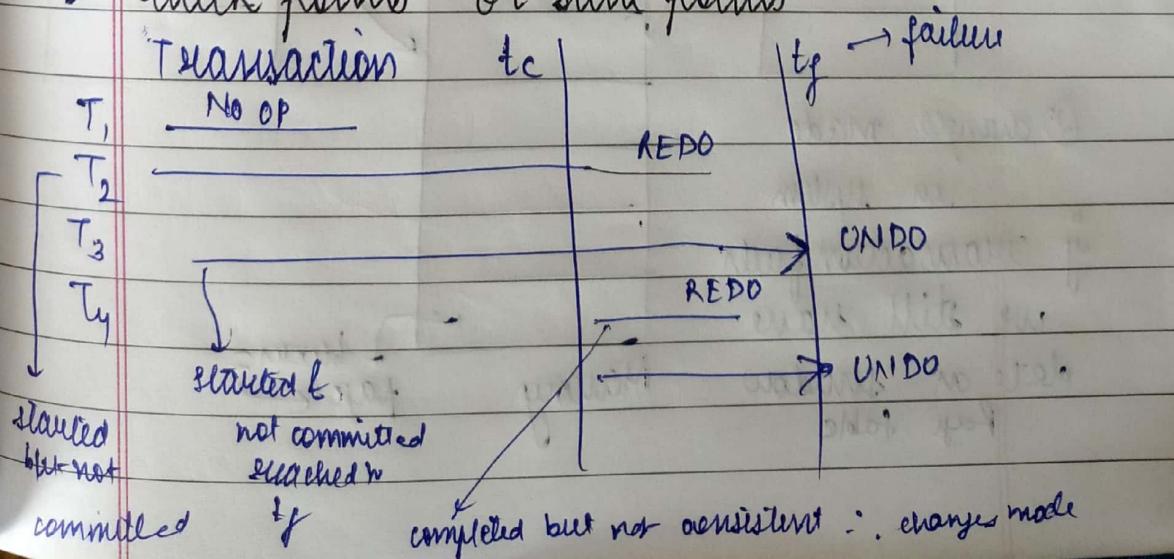
eg:  $\langle T_1, \text{start} \rangle$   
 $\langle T_1, x_2, 10, 15 \rangle$   
 $\langle T_1, \text{commit} \rangle$

Write-ahead log strategy

log is updated before changes are made in database.

↑ transaction check point  $t_c$

→ check points or save points



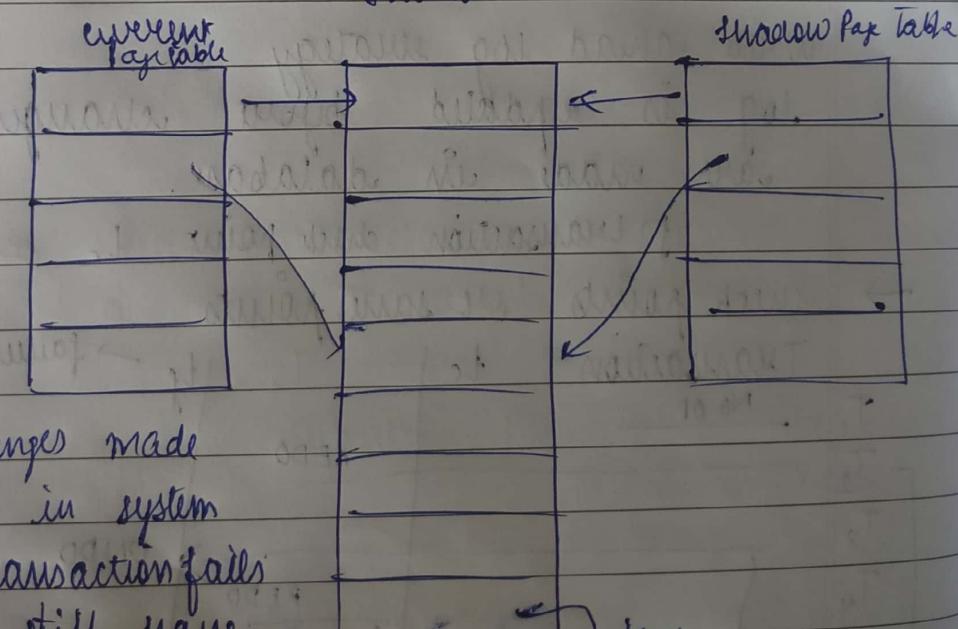
Point of synchronization b/w transaction & log file check point.

check pointing.

- 1) o/p on stable storage  
→ all log records currently residing in main memory
- 2) o/p on disk  
→ changes on buffer block
- 3) o/p on stable storage  
→ log record on check point

(iii) shadow ~~pointing~~ Paging

① shadow page table copied to current page table copied to shared



② changes made  
in system  
if transaction fails

we still have  
data on shadow  
page table

Memory      blocks =  
                pages