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Canonical LR Parsing

- Carry extra information in the state so that wrong reductions by A $\rightarrow \alpha$ will be ruled out
- Redefine LR items to include a terminal symbol as a second component (look ahead symbol)
- The general form of the item becomes [A \rightarrow α . β , a] which is called LR(1) item.
- Item $[A \rightarrow \alpha., a]$ calls for reduction only if next input is a. The set of symbols "a"s will be a subset of Follow(A).

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Closure(I)

repeat for each item $[A \rightarrow \alpha.B\beta, a]$ in I for each production $B \rightarrow \gamma$ in G' and for each terminal b in First(βa) add item $[B \rightarrow .\gamma, b]$ to I until no more additions to I

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Example

Consider the following grammar

S'→ S S → CC C → cC | d

Compute closure(I) where $I=\{[S' \rightarrow .S, \$]\}$

 $S' \rightarrow .S$, $S \rightarrow .CC$,

Example Construct sets of LR(1) items for the grammar on previous slide $\begin{array}{c} I_0 \colon S' \to .S, \\ S \to .CC, \\ C \to .cC, \\ C \to .d, \end{array}$ I_4 : goto(I_0 ,d) $C \rightarrow d$., c/d c/d c/d I_5 : goto(I_2 ,C) S \rightarrow CC., \$ I_1 : goto(I_0 ,S) S' \rightarrow S., \$ $\begin{array}{c} \mathsf{I_6} \colon \mathsf{goto}(\mathsf{I_2,c}) \\ \mathsf{C} \to \mathsf{c.C,} \\ \mathsf{C} \to .\mathsf{cC,} \\ \mathsf{C} \to .\mathsf{d,} \end{array}$ $\begin{array}{c} I_2 \colon \mathsf{goto}(I_0,\mathsf{C}) \\ S \xrightarrow{} \mathsf{C.C}, \\ \mathsf{C} \xrightarrow{} .\mathsf{cC}, \\ \mathsf{C} \xrightarrow{} .\mathsf{d}, \end{array}$ \$ \$ \$ I_7 : goto(I_2 ,d) C \rightarrow d., \$ I_3 : goto(I_0 ,c) $C \rightarrow c.C$, $C \rightarrow .cC$, $C \rightarrow .d$, c/d c/d I_8 : goto(I_3 ,C) C \rightarrow cC., c/d I_9 : goto(I_6 ,C) C \rightarrow cC., \$

Construction of Canonical LR parse table

- Construct C={I₀,...,I_n} the sets of LR(1) items.
- If [A → α.aβ, b] is in I_i and goto(I_i, a)=I_j then action[i,a]=shift j
- If [A → α., a] is in I_i
 then action[i,a] reduce A → α
- If [S' → S., \$] is in I_i
 then action[i,\$] = accept
- If goto(I_i, A) = I_i then goto[i,A] = j for all non terminals A

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Parse table

State	С	d	\$	S	С
0	s3	s 4		1	2
1			acc		
2	s6	s7			5
3	s3	s 4			8
4	r3	r3			
5			r1		
6	s6	s7			9
7			r3		
8	r2	r2			
9			r2		

Notes on Canonical LR Parser

- Consider the grammar discussed in the previous two slides. The language specified by the grammar is c*dc*d.
- When reading input cc...dcc...d the parser shifts cs into stack and then goes into state 4 after reading d. It then calls for reduction by C→d if following symbol is c or d.
- IF \$ follows the first d then input string is c*d which is not in the language; parser declares an error
- On an error canonical LR parser never makes a wrong shift/reduce move. It immediately declares an error
- Problem: Canonical LR parse table has a large number of states

LALR Parse table

- Look Ahead LR parsers
- Consider a pair of similar looking states (same kernel and different lookaheads) in the set of LR(1) items

 I_4 : C \rightarrow d., c/d

 $I_7: C \rightarrow d., $$

- Replace I₄ and I₇ by a new state I₄₇ consisting of (C → d., c/d/\$)
- Similarly I₃ & I₆ and I₈ & I₉ form pairs
- Merge LR(1) items having the same core

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LALR parse table ...

State	С	d	\$	S	С
0	s36	s47		1	2
1			асс		
2	s36	s47			5
36	s36	s47			89
47	r3	r3	r3		
5			r1		
89	r2	r2	r2		

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Construct LALR parse table

- Construct C={I₀,....,I_n} set of LR(1) items
- For each core present in LR(1) items find all sets having the same core and replace these sets by their union
- Let $C' = \{J_0, \dots, J_m\}$ be the resulting set of items
- Construct action table as was done earlier

• Let $J = I_1 \cup I_2 \dots \cup I_k$

since \boldsymbol{I}_1 , $\boldsymbol{I}_2......,\boldsymbol{I}_k$ have same core, goto(J,X) will have the same core

Let $K=goto(I_1,X) \cup goto(I_2,X).....goto(I_k,X)$ then goto(J,X)=K

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Notes on LALR parse table

- Modified parser behaves as original except that it will reduce C→d on inputs like ccd. The error will eventually be caught before any more symbols are shifted.
- In general core is a set of LR(0) items and LR(1) grammar may produce more than one set of items with the same core.
- Merging items never produces shift/reduce conflicts but may produce reduce/reduce conflicts.
- SLR and LALR parse tables have same number of states.

Notes on LALR parse table...

- Merging items may result into conflicts in LALR parsers which did not exist in LR parsers
- New conflicts can not be of shift reduce kind:
 - Assume there is a shift reduce conflict in some state of LALR parser with items
 {[X→α.,a],[Y→γ.aβ,b]}
 - Then there must have been a state in the LR parser with the same core
 - Contradiction; because LR parser did not have conflicts
- LALR parser can have new reduce-reduce conflicts
 - Assume states

 $\{[X \rightarrow \alpha., a], [Y \rightarrow \beta., b]\}$ and $\{[X \rightarrow \alpha., b], [Y \rightarrow \beta., a]\}$

- Merging the two states produces $\{[X \rightarrow \alpha, a/b], [Y \rightarrow \beta, a/b]\}$

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Error Recovery

- An error is detected when an entry in the action table is found to be empty.
- Panic mode error recovery can be implemented as follows:
 - scan down the stack until a state S with a goto on a particular nonterminal A is found.
 - discard zero or more input symbols until a symbol a is found that can legitimately follow A.
 - stack the state goto[S,A] and resume parsing.
- Choice of A, a: Normally A is chosen from non terminals representing major program pieces such as an expression, statement or a block.
 For example if A is the nonterminal stmt, a might be semicolon or end

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Notes on LALR parse table...

- LALR parsers are not built by first making canonical LR parse tables
- There are direct, complicated but efficient algorithms to develop LALR parsers
- Relative power of various classes
 - $SLR(1) \le LALR(1) \le LR(1)$
 - SLR(k) \leq LALR(k) \leq LR(k)
 - LL(k) \leq LR(k)

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Parser Generator

- Some common parser generators
 - YACC: Yet Another Compiler Compiler
 - Bison: GNU Software
 - ANTLR: ANother Tool for Language Recognition
- Yacc/Bison source program specification (accept LALR grammars)

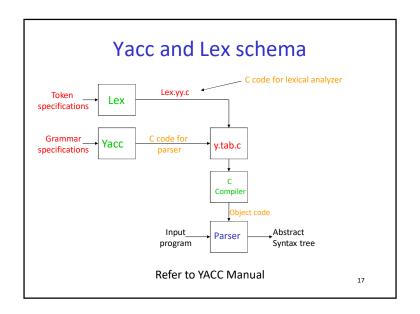
declaration

%%

translation rules

%%

supporting C routines



Bottom up parsing ...

- A more powerful parsing technique
- LR grammars more expensive than LL
- Can handle left recursive grammars
- Can handle virtually all the programming languages
- Natural expression of programming language syntax
- Automatic generation of parsers (Yacc, Bison etc.)
- Detects errors as soon as possible
- Allows better error recovery